

Scaling Definitions

1) Consensus (Old)

Define

$Z_M = 300000$ bytes ; Minimum penalty free zone.

M_B = Block weight in bytes.

M_L = The median over the last 100000 blocks of $\max(\min(M_B, 1.7M_L), Z_M, M_L/1.7)$; recursive calculation for M_L with M_L starting at M_L of previous 100001 block (currently = Z_M);
Long term median

M_L ; Dynamic penalty free zone.

M_S = the median over the last 100 blocks of $\max(M_B, M_L)$;
Effective short term median.

$M_N = \min(M_S, 50M_L)$; Median for Penalty calculation.

R_{Base} = Block Reward.

$0 < M_B \leq 2M_N$; Requirement for a valid block.

$B = M_B / M_N - 1$ where $-1 < B \leq 1$

$P_B = R_{Base}B^2$ for $B > 0$; Monero applies a penalty P_B , to increase the block weight by B ; $P_B = 0$ for $B \leq 0$

Proposed Scaling Definitions (November 2025 update)

1) Consensus (New)

Define

$Z_M = 625000$ bytes ; Minimum penalty free zone.

M_B = Block weight in bytes.

M_L = The median over the last 100000 blocks of $\max(\min(M_B, 2M_L), Z_M, M_L/2)$; recursive calculation for M_L with M_L starting at M_L of previous 100001 block (currently = Z_M);
Long term median

M_L ; Dynamic penalty free zone.

M_S = the median over the last 100 blocks of $\max(M_B, M_L)$;
Effective short term median.

$M_N = M_S$; Median for Penalty calculation.

R_{Base} = Block Reward.

$K_S = TBD$; Sanity Start Block Number

K_B = Block Number

$A_S = 10^7$ bytes; Sanity Start Weight

$A_C = A_S(1+5/(4*10^6))^{(K_B - K_S)}$

$0 < M_B \leq \min(2M_N, 16M_L, A_C)$; Requirement for valid block.

$B = M_B / M_N - 1$ where $-1 < B \leq 1$

$P_B = R_{Base}B^2$ for $B > 0$; Monero applies a penalty P_B , to increase the block weight by B ; $P_B = 0$ for $B \leq 0$

Changes

- 1) A new sanity cap on the blocksize starting at 10^7 bytes with an annual compounded growth just under 40%
- 2) The requirement for a valid block is now $0 < M_B \leq \min(2M_N, 16M_L, A_C)$. This also caps the maximum M_B to $16M_L$ as opposed to $32M_L$. It also means that the maximum allowed M_B is reduced for $M_S > 8M_L$. For $M_S = 16 M_L$, M_B is capped by M_S
- 3) Maximum growth of M_S is reduced from $50M_L$ to $16M_L$ and maximum growth of M_B is reduced from $100M_L$ to $16 M_L$.
- 4) Rate of growth and decline of M_L is increased from $1.7x$ to $2x$
- 4) Z_M is increased from 300000 bytes to 625000 bytes

2a) Minimum Fee For Node Relay (Old)

We add a, penalty attracting, transaction T with a size of T_T to a block of weight M_B

Define

$T_R = 3000$ bytes ; Reference Transaction weight. Note: T_R must be greater than T_2 . T_2 equals the weight in bytes of a 2 input and 2 output transaction.

$$B_T = T_T / M_N$$

$P_{BT} = R_{Base}(B+B_T)^2 = R_{base}(B^2 + 2BB_T + B_T^2)$; The new penalty, where $B + B_T > 0$

$P_T = P_{BT} - P_B = R_{base}(2BB_T + B_T^2)$; Increase in penalty from adding transaction T

$F_T = R_{Base}(2BB_T + B_T^2)$; The additional fee required to overcome the increase in penalty P_T

For the case $B = 0$ this reduces to $F_T = R_{Base}B_T^2$

$M_F = M_L$; Median for minimum fee calculation

To calculate the minimum fee we consider a transaction of weight T_R at the start of the penalty, $B = 0$ with $M_N = M_F$ 95% of the fee required to pay the penalty incurred is the minimum fee.

$$B_{RL} = T_R / M_F;$$

$F_R = R_{Base}B_{RL}^2$; Fee required to pay the penalty incurred

$f_R = R_{Base}B_{RL}/M_F$; Fee required to pay the penalty incurred per byte for a given M_F

$f_I = 0.95f_R$; Minimum fee per byte

2a) Minimum Fee For Node Relay (New)

We add a, penalty attracting, transaction T with a size of T_T to a block of weight M_B

Define

$T_R = 10000$ bytes ; Reference Transaction weight. Note: T_R must be greater than T_2 . T_2 equals the weight in bytes of a 2 input and 2 output transaction.

$$B_T = T_T / M_N$$

$P_{BT} = R_{Base}(B+B_T)^2 = R_{base}(B^2 + 2BB_T + B_T^2)$; The new penalty, where $B + B_T > 0$

$P_T = P_{BT} - P_B = R_{base}(2BB_T + B_T^2)$; Increase in penalty from adding transaction T

$F_T = R_{Base}(2BB_T + B_T^2)$; The additional fee required to overcome the increase in penalty P_T

For the case $B = 0$ this reduces to $F_T = R_{Base}B_T^2$

$M_F = M_L$; Median for minimum fee calculation

To calculate the minimum fee we consider a transaction of weight T_R at the start of the penalty, $B = 0$ with $M_N = M_F$ 100% of the fee required to pay the penalty incurred is the minimum fee.

$$B_{RL} = T_R / M_F;$$

$F_{RL} = R_{Base}B_{RL}^2$; Fee required to pay the penalty incurred

$f_{RL} = R_{Base}B_{RL}/M_F$; Fee required to pay the penalty incurred per byte for a given M_F

$f_{IL} = f_{RL}$; Minimum fee per byte

Changes

- 1) T_R is increased from 3000 bytes to 10000 bytes. For clarity T_R is defined outside of consensus.
- 2) There is no reduction to 95% of the minimum fee. This is all now handled on the wallet side.

2b) Wallet Fees (Old)

For the calculation of wallet fees we assume that the next 10 blocks have no transactions, other than the coinbase transaction, the empty blocks, We then calculate M_{LW} and M_{SW} by following the calculation of M_L and M_S at this future point. We use the previous 99990 blocks and the future 10 empty blocks (100000 blocks) for M_L and the previous 90 blocks and future 10 blocks (100) blocks for M_S .

Define

$$M_{BW} = M_B \text{ for the last 99990 blocks}$$

$M_{BW} = 0$ for the future 10 blocks; A value of 0 bytes can be used for the empty blocks for the purposes of calculating M_{LW} .

$M_{LW} =$ The median over the last 99990 blocks and future 10 blocks (100000 blocks) of $\max(\min(M_{BW}, 2M_L), Z_M, M_L/2)$; The current value of M_L from consensus is used; Effective long term median for wallet fees

M_{LW} ; Penalty free zone for wallet fees

$M_{SW} =$ the median over the last 90 blocks and future 10 blocks (100 blocks) of $\max(M_{BW}, M_{LW})$; Effective short term median for wallet fees

$$M_{NW} = \min(M_{SW}, 50M_{LW})$$

$M_{FW} = M_{LW}$; Median for wallet fee calculation

$$B_{RLW} = T_R / M_{FW} ; \text{ Used for the low and normal fees}$$

$$B_R = T_R / Z_M ; \text{ Used for the medium and high fees}$$

$$F_L = R_{Base} B_{RLW}^2 ; \text{ Low transaction fee for reference transaction}$$

$$f_L = R_{Base} B_{RLW} / M_{FW} ; \text{ Low transaction fee per byte for a given } M_{FW}$$

$$f_N = 4f_L ; \text{ Normal transaction fee per byte for a given } M_{FW}$$

$$f_M = 16R_{Base} B_R / M_{FW} ; \text{ Medium Transaction fee per byte for a given } M_{FW}$$

$$f_P = 2R_{Base} / M_{NW} = f_M M_{FW} / (8B_R M_{NW}) ; \text{ Maximum Penalty (B=1)} \\ \text{ Transaction fee per byte for a given } M_{NW}$$

$$f_H = 4f_M \max(1, M_{FW} / (32B_R M_{NW})) ; \text{ High Transaction fee per byte}$$

2b) Wallet Fees (New)

For the calculation of wallet fees we assume that the next 1000 blocks have no transactions, other than the coinbase transaction, the empty blocks, We then calculate M_{LW} by following the calculation of M_L at this future point. We use the previous 99000 blocks and the future 1000 empty blocks (100000 blocks) for M_L .

Define

$$M_{BW} = M_B \text{ for the last 99000 blocks}$$

$M_{BW} = 0$ for the future 1000 blocks; A value of 0 bytes can be used for the empty blocks for the purposes of calculating M_{LW} .

$M_{LW} =$ The median over the last 99000 blocks and future 1000 blocks (100000 blocks) of $\max(\min(M_{BW}, 2M_L), Z_M, M_L/2)$; The current value of M_L from consensus is used; Effective long term median for wallet fees

M_{LW} ; Penalty free zone for wallet fees

$M_{FW} = M_{LW}$; Median for wallet fee calculation

$$B_{RLW} = T_R / M_{FW} ; \text{ Used for all fees}$$

$$B_R = T_R / Z_M ; \text{ Used for reference}$$

$$F_L = R_{Base} B_{RLW}^2 ; \text{ Low (minimum scaling) transaction fee for reference transaction}$$

$$f_L = R_{Base} B_{RLW} / M_{FW} ; \text{ Low (minimum scaling) transaction fee per byte for a given } M_{FW}$$

$$f_N = 4f_L ; \text{ Normal transaction fee per byte for a given } M_{FW}$$

$$f_M = 16f_L ; \text{ Medium Transaction fee per byte for a given } M_{FW}$$

$$f_{H64} = 64f_L ; \text{ 64x Transaction fee per byte for a given } M_{FW}$$

$$f_{H256} = 256f_L ; \text{ 256x Transaction fee per byte for a given } M_{FW}. \\ \text{ This is greater than or equal to Maximum Penalty (B=1) for } M_L < 1280000 \text{ bytes.}$$

Changes

- 1) All fees including the high fee are now based upon M_{LW} with the ratio between fees constant for a given M_{LW} .
- 2) The grace period is increased to 1000 blocks.
- 3) 5 fee levels with at least a 4x factor between fees. Additional fee levels can be added if needed at 1024x, 4096x etc. for larger M_L

3) Consensus Transitional considerations for Minimum penalty free zone, Z_M , and Median calculations after the fork.

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Define:

$Z_{M\text{Old}} = 300000$ bytes (Z_M before hard fork)

$M_{B\text{Old}}$ = Block Weight in bytes (before hard fork)

Calculation of M_L , M_S , M_{LW} and M_{SW} where blocks from a previous Monero version are included in a calculation after the fork. M_B is modified as follows:

Define

$Z_M = 625000$ bytes

For blocks before the hard fork

$$M_B = M_{B\text{Old}} (Z_M / Z_{M\text{Old}})$$

The medians are then calculated normally.

4) Wallet Fee Rounding

Wallet fees, f_N , f_L , f_M , and f_H are rounded up to the desired number of significant digits in the significant

Wallet Fee Rounding Examples

Two significant digits

27810	Rounded to : 28000
37.94	Rounded to : 38
0.5555	Rounded to : 0.56
0.002342	Rounded to : 0.0024

4) Wallet Fee Rounding

Wallet fees, f_N , f_L , f_M , f_H , and f_X are rounded to 2 significant digits in the significant

Wallet Fee Rounding Examples

Two significant digits

27810	Rounded to : 28000
37.94	Rounded to : 38
0.5555	Rounded to : 0.56
0.002342	Rounded to : 0.0023

5) Analysis of Sanity Cap

N/A

5) Analysis of Sanity Cap (Proposed)

K _B -K _S (Blocks)	Time (Days)	Time (Years)	AC/10 ⁶ (1/Bytes)
1	1	1	10.00001250
720	1	1	10.00900405
262800	365	1	13.88882955
263520	366	1	13.90133512
1051920	1461	4	37.24375468
2103840	2962	8	138.70972627
3155760	4383	12	516.60710170
4207680	5844	16	1924.03881617
5259600	7305	20	7165.84296650
6311520	8766	24	26688.28975225
7363440	10227	28	99397.21163718
8415360	11688	32	370192.53661297