# R programming

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#### **Matrices**

Matrices are used for many purposes in R

```
> m <- rnorm(12)
> m

[1] 0.9494222 0.8166734 0.9671824 -1.7864953 -0.5218239 -0.8029565
[7] -1.8051463 -0.8884292 -0.4819043 -1.2933338 -0.2161673 -1.4497220
> dim(m) <- c(3,4)
> m

[,1] [,2] [,3] [,4]
[1,] 0.9494222 -1.7864953 -1.8051463 -1.2933338
[2,] 0.8166734 -0.5218239 -0.8884292 -0.2161673
[3,] 0.9671824 -0.8029565 -0.4819043 -1.4997220
```

or you can specify the dimensions with the matrix() function

#### **Matrices**

- Basic functions on matrices
  - nrow() and ncol() calls numbers of rows and columns
  - t() calls the transpose of the matrix
  - rownames() and colnames() are the names of columns and rows

```
> m < - rnorm(12)
> m <- matrix(m,nrow=3,ncol=4,byrow=F)</pre>
> nrow(m)
Γ17 3
> ncol(m)
Γ17 4
> colnames(m) <- c("A", "B", "C", "D")</pre>
> m
[1.] 0.12394796 1.3154234 0.9968355 0.4413296
[2.] 0.02655774 -0.8579061 0.8457881 0.9018971
[3,] -0.47550780  0.3490124  0.2132153  -0.5657494
```

### Merging Vectors

rbind() and cbind() functions merges vectors or matrices into matrices

```
> X1 <- rnorm(12)
> X2 <- 1:12
> m \leftarrow cbind(X1,X2)
> m
              X1 X2
 [1.] 0.7179971
 [2,] 1.9253669 2
 [3,] -0.1676504 3
 [4,] -0.7827515 4
 [5.] 1.0876736 5
 [6,] -1.5190781 6
 [7,] -0.9142900 7
 [8,] -1.6296740
 [9,] 0.2870266
[10,] 1.0465450 10
[11,] 1.0162229 11
[12,] -1.8545128 12
```

### Merging Vectors

- Number of columns should be equal for rbind
- Likewise, number of rows should be equal for cbind

```
> data_1 <- matrix(rnorm(12),nrow=3,ncol=4,byrow=T)</pre>
```

- > data\_2 <- matrix(rnorm(16),nrow=4,ncol=4,byrow=F)</pre>
- > data\_new <- rbind(data\_1,data\_2)</pre>
- > data\_new

```
[,1] [,2] [,3] [,4] [1,] -1.6178251 -0.3233475 -0.843480201 -1.2717424 [2,] -0.7878121 -0.9117782 -0.191396380 -0.9507478 [3,] -1.2227275 -1.1741398 -1.108056384 -0.8678325 [4,] 0.4108297 -0.7407136 -0.002151329 -1.0023822 [5,] 2.4149035 0.2027108 -1.504017600 -0.3793893 [6,] 1.0244861 0.5286680 1.392723137 1.2701646 [7,] 0.2284962 -0.4862941 1.283637517 -0.7255216
```

### **Indexing Matrices**

```
> m <- matrix(rnorm(12),nrow=3,ncol=4,byrow=F)</pre>
> m
            [,1] [,2] [,3] [,4]
[1,] -0.5267084 -0.4637852 1.29983795 -1.232867
[2.] 0.0389733 -2.6034900 0.00954156 -1.170770
[3.] 0.5537107 0.2021856 0.43645742 -1.361930
> index_row <- 1:3</pre>
> index col <- c(1.3.4)
> m[index_row,index_col]
            \lceil .1 \rceil \qquad \lceil .2 \rceil \qquad \lceil .3 \rceil
[1.] -0.5267084 1.29983795 -1.232867
[2.] 0.0389733 0.00954156 -1.170770
[3.] 0.5537107 0.43645742 -1.361930
```

## Indexing Matrices: Examples

```
Let m be a matrix with 7 rows where
    3 rows are from the "training set"
    4 rows are from the "test set"
> set_m \leftarrow rep(c(1,2),c(3,4))
> set_m <- factor(set_m,levels = 1:2</pre>
                    ,labels = c("training", "test"))
+
> m <- matrix(rnorm(21),nrow=7,ncol=3,byrow=T)</pre>
> m[set_m=="training",]
            [,1] \qquad [,2]
                                    [,3]
[1,] -1.1759010 0.1579945 0.8915471
[2,] 0.6968994 -0.4536412 0.6820949
[3,] -0.5826836 -0.6340029 -0.6915423
```

# Indexing Matrices: Examples

```
> m <- cbind(m,set_m)</pre>
> m
                                     set m
[1.] -1.1759010 0.15799454 0.8915471
[2.] 0.6968994 -0.45364116 0.6820949
[3.] -0.5826836 -0.63400293 -0.6915423
[4.] 0.8240483 0.53835903 0.6815398
[5.] 0.8571331 -0.01819739 1.4327240
[6,] -0.7337359 -0.15168591 -0.4017226
[7,] -1.4878936 -0.72207070 -0.7874091
> colnames(m) <- c("X1","X2","X3","set")</pre>
> m[set_m=="training",]
                      X2
                                 X3 set
            Х1
[1.] -1.1759010 0.1579945 0.8915471 1
[2,] 0.6968994 -0.4536412 0.6820949 1
[3.] -0.5826836 -0.6340029 -0.6915423
```

#### Lists

- A list is an ordered collection of components
- Components may be arbitrary R objects (data frames, vectors, lists, etc. )
- Single bracket notation for sublists
- Double bracket notation for individual components
- Construct using the function list()

#### Lists

```
> L1 <- list(name="Fred", wife="Mary",
             no.children=3, child.ages=c(4,7,9))
> L1[[3]]
[1] 3
> L1[c(1,3)]
$name
[1] "Fred"
$no.children
[1] 3
> L1$no.children
[1] 3
```

### Lists: Example

## Lists: Example

```
> names(data info)
[1] "data" "set"
                        "set_info" "dim"
> data_info$set_info
set_data
training test
> data_info$dim
[1] 7 3
> data info$set
[1] training training test
                                    test
                                             test
Levels: training test
```

### Lists: Example

### > data\_info\$data

```
[,1] [,2] [,3]
[1,] 0.8714042 -0.97127687 1.2170574
[2,] 0.4545998 0.27865005 0.9688815
[3,] 1.3821152 0.13976678 -1.4253669
[4,] -1.8148906 0.86140204 0.5326529
[5,] -1.0845851 1.41654947 -0.4814033
[6,] 0.3269725 -0.81030249 1.2556171
[7,] -0.5696174 0.06839643 2.2507647
```

### If Statements

```
> x <- 3
> if(x > 4){
+ cat("x is bigger than 4")
+ } else {
+ cat("x is smaller or equal than 4")
+ }
x is smaller or equal than 4
```

### If Statements

```
> x <- 3
> if(x > 4){
+    cat("x is bigger than 4")
+ } else if(x==4){
+    cat("x is equal to 4")
+ } else {
+    cat("x is smaller than 4")
+ }
x is smaller than 4
```

### Loops

```
> x \leftarrow rnorm(12)
> x
 [1]
    0.52143281 -1.93454715 -0.02574563 -0.84363691 0.48223439 -0.365
 [7] 0.08245287 0.17916581 0.52421701 0.89163523 1.72646791
> for(i in 1:length(x))
+ {
    if(x[i] > 0){
  x[i] <- 1
+ } else {
     x[i] < -0
+
+ }
> x
 [1] 1 0 0 0 1 0 1 1 1 1 1 1
```

1.473

#### Vectorization

- ▶ A vectorised version of the if statement is ifelse() function
- ► This is useful if you want to perform some action on every element of a vector that satisfies some condition.
- ▶ If it is possible to write code with less loops and ifs, go for it!
- It should be much faster

```
> x <- rnorm(12)
> x

[1] 1.151379534 -0.546015765 -1.583285747 -0.002819026  0.566389678
[6] -0.379654760  0.595551404 -1.278362654 -0.637809101 -0.056317505
[11] -1.247872021  0.689254507
> ifelse(x > 0, 1, 0)
[1] 1 0 0 0 1 0 1 0 0 0 0 1
```

### **Functions**

```
> ifelse_new <- function(x,break_point,
+
                          true_arg,false_arg){
+
   y <- x
   for(i in 1:length(y)) {
      if(y[i] > break_point){
       y[i] <- 1
    } else {
        y[i] <- 0
    return(y)
+ }
> x \leftarrow rnorm(12)
> ifelse(x > 0, 1, 0)
 [1] 0 1 0 1 1 1 0 1 0 1 1 0
> ifelse_new(x,0,1,0)
 [1] 0 1 0 1 1 1 0 1 0 1 1 0
```

## The apply family

- "apply" ing functions to each element of a vector/data frame/list/array
  - apply, lapply, sapply, tapply
  - apply: only used for arrays/matrices
  - lapply(): takes any structure and gives a list of results
  - tapply(): allows you to create tables of values from subgroups defined by one or more factors
- > apply(iris[,-5],2,mean)

```
Sepal.Length Sepal.Width Petal.Length Petal.Width 5.843333 3.057333 3.758000 1.199333
```

### The apply family

"apply" ing functions to each element of a vector/data frame/list/array

lapply(): takes any structure and gives a list of results

```
> L1 <- list(sample(1:10,50,replace = TRUE),</pre>
              rep(c(1,2),30),
              rep(c("training","test"),each=20))
> lapply(L1,table)
[[1]]
1 2 3 4 5 6 7 8 9 10
8 4 5 6 6 3 3 7 6 2
[[2]]
30 30
[[3]]
```

# Writing Efficient R codes

+ x <- NULL + for(i in 1:n){ + x[i] <- sqrt(i)

> bad code <- function(n){</pre>

► Bad code

```
+ return(x)
   + }
Better code
   > good_code <- function(n){</pre>
   + x <- sqrt(1:n)
   + return(x)
   + }
the runtime analysis
  > if(!"microbenchmark" %in% rownames(installed.packages()))
       install.packages("microbenchmark")
   > library(microbenchmark)
   > n <- 100000
   > analysis <- microbenchmark(times= 100,good_code(n),bad_code(n))</pre>
```

# Writing Efficient R codes: Some examples

Bad code: Standardizing the vector

```
> bad_code <- function(n,lower_bound,upper_bound){</pre>
    x <- runif(n,lower_bound,upper_bound)
    maxx <- max(x)
+ minx < - min(x)
+ for(i in 1:n){
      x[i] \leftarrow (x[i] - minx)/(maxx-minx)
+ return(x)
+ }
 R has to call "-" and "/" several times
```

- ► R has to call "[]" several times

## Writing Efficient R codes: Some examples

Better code

The runtime analysis

Lets simulate a list with arbitrarily different sizes of sampes

```
> x <- list()
> for(i in 1:100){
+    rand_x <- sample(1:100,1)
+    x[[i]] <- sample(1:100,rand_x,replace = T)
+ }</pre>
```

Create a table for each element, put that in a list

```
> bad_code <- function(x){
+    len_x <- length(x)
+    table_x <- list()
+    for(i in 1:len_x){
+      table_x[[i]] <- table(x[[i]])
+    }
+    return(table_x)
+ }</pre>
```

> good\_code <- function(x){</pre>

```
+ return(lapply(x,table))
+ }

The runtime analysis
> analysis <- microbenchmark(times= 100,</pre>
```

- It is not always the case that a code is faster than the other
- ▶ But it is definitely cleaner !!!

good code, using lapply

+

 $good\_code(x),bad\_code(x))$ 

- It is not always the case that an "apply" function is faster
- Always use an alternative, if requires less functions
- ▶ Method 1

```
> x = 1:100
> cs_for = function(x){
+ for(i in x){
     if(i == 1){
      xc = x[i]
+ } else {
       xc = c(xc, sum(x[1:i]))
+
   }
    xc
+ }
```

```
Method 2
> cs_apply = function(x){
+ sapply(x, function(x) sum(1:x))
+ }

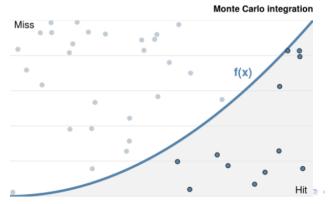
Method 3
> analysis <- microbenchmark(cs_for(x),
+ cs_apply(x),
+ cumsum(x))</pre>
```

## Writing Efficient R codes: Monte Carlo Example

► Monte Carlo Integration: Finding the Area with a collection of randomly drawn points

$$\int_0^1 x^2 dx \tag{1}$$

Sampling random points inside a box and check if it is under the curve



# Writing Efficient R codes: Monte Carlo Example

bad code

```
> monte_carlo = function(n) {
+    hits = 0
+    for (i in 1:n) {
+       u1 = runif(1)
+      u2 = runif(1)
+      if (u1 ^ 2 > u2)
+        hits = hits + 1
+    }
+    return(hits / n)
+ }
```

- good code
  - > monte\_carlo\_vec = function(n) sum(runif(n)^2 > runif(n))/n
- ► The run time analysis

```
> n <- 1000
```

> analysis <- microbenchmark(monte\_carlo(n), monte\_carlo\_vec(n))</pre>