

• Pseudocode of 8 point algorithm...

$X' = n \times 3$ point coordinates.

$X'' = \rightarrow$

for i in range $(0 \dots \text{len}(X'))$ # $\text{len}(X') == \text{len}(X'')$ should be

$A(n,:) = \text{kron}(X''(n,:), X'(n,:))$ # true.

end

$U, D, V = \text{SVD}(A)$

$F = \text{reshape}(V(:, 9), 3, 3)$

$U, D, V = \text{SVD}(F)$

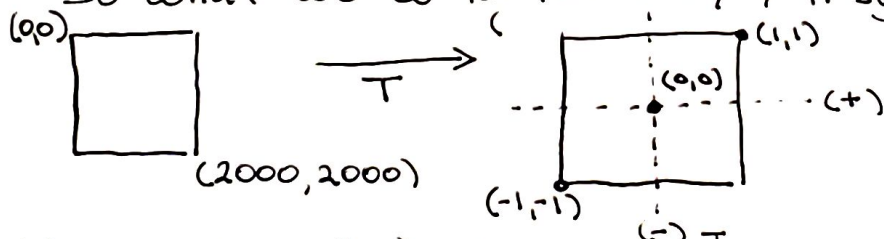
$F = U * \text{diag}(D(1,1), D(2,2), 0) * V.T$

• Cons of 8 point algorithm.

1. Issue with large pixel coord.. Example $\begin{bmatrix} 2000 \\ 1500 \\ 1 \end{bmatrix}$, instead we want $\begin{bmatrix} 0.9 \\ 0.5 \\ 1 \end{bmatrix}$.

Performing normalization on the coord. sys. improves the stability.

So what we do is transform, T , n by m image to -1 by 1 .



Then we can transform points using T and revert the scaled F_s to F using T as well.

We can think of it this way $X_s^T F_s X_s = 0$ and then $F = T^T F_s T$, where $X_s = TX$.

2. Singularity, $\det(F) = 0$.

• That is rank of matrix A is less than 8.

• There is no translation, its zero. This means projection centers are the same.

→ This can happen if we have collinear set of points.



As we can see the point lie on one plane.