= N(6/w,-w2, 1) = N(Ho, 1+252)

After the downward pass we have computed the marginal distribution of t, $p(t) = m_{g > t}(t)$?

Posterior marginal (belief) at node t,

 $T(t) \propto 1(yt \ge 0) m_{g \Rightarrow t}(t)$

=1(yt >0)

This is a truncated Gaussian

[Pres > first problem]

[Drum messages in figure when continuing]

Using the Gaussian approximation, we can compute

$$m_{t \to g(t)} = \frac{q(t)}{m_{g \to t}(t)} = \frac{N(t|\tilde{\mu}, \tilde{\sigma}^2)}{N(t|0, 1+2\sigma_0^2)}$$

Dividing by a PDF can be thought of as subtracting information. It is convenient to work with information form.

$$\begin{cases} \lambda_{t \Rightarrow g} = \frac{1}{\tilde{\sigma}^2} - \frac{1}{1 + 2\tilde{\sigma}_0^2} \\ \nu_{t \Rightarrow g} = \frac{\tilde{\mu}}{\tilde{\sigma}^2} - \tilde{\sigma} \end{cases}$$

& derived from here

we get For game - shill messages

mg > w, (w,) = \ g(t, w, w_2) mt > g(t) mwz > g(wz) dt dwz

g(t, w, w2) = N(t/w, -w2, 1) Note that a N(w, It+w2, 1)

and similarly for w_2 (but note the sign difference)

Finally, we can compute the shill marginals $\Pi(w_i) \approx q(w_i) \propto f_i(w_i) \operatorname{mg-sw}_i(w_i)$ $\propto N_i(w_i) \log_2 w_i + \frac{1}{\sigma_0^2}$

Pres -> rest