

▼ HumanActivityRecognition

This project is to build a model that predicts the human activities such as Walking, Walking_Upstairs, Laying.

This dataset is collected from 30 persons(referred as subjects in this dataset), performing different activities. The data is recorded with the help of sensors (accelerometer and Gyroscope) in that smartphone. The data is manually labeled.

How data was recorded

By using the sensors(Gyroscope and accelerometer) in a smartphone, they have captured '3-axial linear acceleration' and '3-axial angular velocity' (*tGyro-XYZ*) from Gyroscope with several variations.

prefix 't' in those metrics denotes time.

suffix 'XYZ' represents 3-axial signals in X , Y, and Z directions.

Feature names

1. These sensor signals are preprocessed by applying noise filters and then sampled in fixed-width windows of 2 seconds each with 50% overlap. ie., each window has 128 readings.
2. From Each window, a feature vector was obtained by calculating variables from the time and frequency domain.

In our dataset, each datapoint represents a window with different readings

3. The acceleration signal was separated into Body and Gravity acceleration signals(***tBodyAcc-XYZ***) using a low-pass filter with corner frequency of 0.3Hz.
4. After that, the body linear acceleration and angular velocity were derived in time to obtain *jerk* signals (***tBodyGyroJerk-XYZ***).
5. The magnitude of these 3-dimensional signals were calculated using the Euclidian norm. This results in features with names like *tBodyAccMag*, *tGravityAccMag*, *tBodyAccJerkMag*, *tBodyGyroMag* and *tBodyGyroJerkMag*.
6. Finally, We've got frequency domain signals from some of the available signals by applying a FFT. The signals obtained were labeled with **prefix 'f'** just like original signals with **prefix 't'**. These signals are labeled as *tBodyAccMag*, *tGravityAccMag*, *tBodyAccJerkMag*, *tBodyGyroMag* and *tBodyGyroJerkMag* etc.,.
7. These are the signals that we got so far.
 - *tBodyAcc-XYZ*
 - *tGravityAcc-XYZ*
 - *tBodyAccMag*
 - *tGravityAccMag*
 - *tBodyAccJerkMag*
 - *tGravityAccJerkMag*
 - *tBodyGyroMag*
 - *tGravityGyroMag*
 - *tBodyGyroJerkMag*
 - *tGravityGyroJerkMag*
 - *tBodyAccMag_f*
 - *tGravityAccMag_f*
 - *tBodyAccJerkMag_f*
 - *tGravityAccJerkMag_f*
 - *tBodyGyroMag_f*
 - *tGravityGyroMag_f*
 - *tBodyGyroJerkMag_f*
 - *tGravityGyroJerkMag_f*

- tBodyAccJerk-XYZ
- tBodyGyro-XYZ
- tBodyGyroJerk-XYZ
- tBodyAccMag
- tGravityAccMag
- tBodyAccJerkMag
- tBodyGyroMag
- tBodyGyroJerkMag
- fBodyAcc-XYZ
- fBodyAccJerk-XYZ
- fBodyGyro-XYZ
- fBodyAccMag
- fBodyAccJerkMag
- fBodyGyroMag
- fBodyGyroJerkMag

8. We can estimate some set of variables from the above signals. i.e., We will estimate the following we recorded so far.

- **mean()**: Mean value
- **std()**: Standard deviation
- **mad()**: Median absolute deviation
- **max()**: Largest value in array
- **min()**: Smallest value in array
- **sma()**: Signal magnitude area
- **energy()**: Energy measure. Sum of the squares divided by the number of values.
- **iqr()**: Interquartile range
- **entropy()**: Signal entropy
- **arCoeff()**: Autoregression coefficients with Burg order equal to 4
- **correlation()**: correlation coefficient between two signals
- **maxInds()**: index of the frequency component with largest magnitude
- **meanFreq()**: Weighted average of the frequency components to obtain a mean frequency
- **skewness()**: skewness of the frequency domain signal
- **kurtosis()**: kurtosis of the frequency domain signal
- **bandsEnergy()**: Energy of a frequency interval within the 64 bins of the FFT of each window
- **angle()**: Angle between two vectors.

9. We can obtain some other vectors by taking the average of signals in a single window sample. 1

- gravityMean
- tBodyAccMean

- tBodyAccJerkMean
- tBodyGyroMean
- tBodyGyroJerkMean

Y_Labels(Encoded)

- In the dataset, Y_labels are represented as numbers from 1 to 6 as their identifiers.
 - WALKING as **1**
 - WALKING_UPSTAIRS as **2**
 - WALKING_DOWNSTAIRS as **3**
 - SITTING as **4**
 - STANDING as **5**
 - LAYING as **6**

Train and test data were saperated

- The readings from **70%** of the volunteers were taken as **training data** and remaining **30%** subject

Data

- All the data is present in 'UCI_HAR_dataset/' folder in present working directory.
 - Feature names are present in 'UCI_HAR_dataset/features.txt'
 - **Train Data**
 - 'UCI_HAR_dataset/train/X_train.txt'
 - 'UCI_HAR_dataset/train/subject_train.txt'
 - 'UCI_HAR_dataset/train/y_train.txt'
 - **Test Data**
 - 'UCI_HAR_dataset/test/X_test.txt'
 - 'UCI_HAR_dataset/test/subject_test.txt'
 - 'UCI_HAR_dataset/test/y_test.txt'

Data Size :

27 MB

Double-click (or enter) to edit

Double-click (or enter) to edit

Double-click (or enter) to edit

▼ Quick overview of the dataset :

- Accelerometer and Gyroscope readings are taken from 30 volunteers(referred as subjects) while
 - 1. Walking
 - 2. WalkingUpstairs
 - 3. WalkingDownstairs
 - 4. Standing
 - 5. Sitting
 - 6. Lying.
- Readings are divided into a window of 2.56 seconds with 50% overlapping.
- Accelerometer readings are divided into gravity acceleration and body acceleration readings, with
- Gyroscope readings are the measure of angular velocities which has x,y and z components.
- Jerk signals are calculated for BodyAcceleration readings.
- Fourier Transforms are made on the above time readings to obtain frequency readings.
- Now, on all the base signal readings., mean, max, mad, sma, arcoefficient, engerybands,entropy
- We get a feature vector of 561 features and these features are given in the dataset.
- Each window of readings is a datapoint of 561 features.

Problem Framework

- 30 subjects(volunteers) data is randomly split to 70%(21) test and 30%(7) train data.
- Each datapoint corresponds one of the 6 Activities.

▼ Problem Statement

- Given a new datapoint we have to predict the Activity

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import seaborn as sns
%matplotlib inline

import warnings
warnings.filterwarnings('ignore')
```

▼ List out feature names

```
# get the features from the file features.txt
features = list()
with open('UCI_HAR_Dataset/features.txt') as f:
    features = [line.split()[1] for line in f.readlines()]
print('No of Features: {}'.format(len(features)))
```



No of Features: 561

▼ Obtain the train data

```
# get the data from txt files to pandas dataframe
X_train = pd.read_csv('UCI_HAR_dataset/train/X_train.txt', delim_whitespace = True, header = None)

# add subject column to the dataframe
X_train['subject'] = pd.read_csv('UCI_HAR_dataset/train/subject_train.txt', header = None, squeeze = True)

y_train = pd.read_csv('UCI_HAR_dataset/train/y_train.txt', names = ['Activity'], squeeze = True)
y_train_labels = y_train.map({1: 'WALKING', 2: 'WALKING_UPSTAIRS', 3: 'WALKING_DOWNSTAIRS', 4: 'SITTING', 5: 'STANDING', 6: 'LAYING'})

# put all columns in a single dataframe
train = X_train
train['Activity'] = y_train
train['ActivityName'] = y_train_labels
train.head()
```



	tBodyAcc-mean()-X	tBodyAcc-mean()-Y	tBodyAcc-mean()-Z	tBodyAcc-std()-X	tBodyAcc-std()-Y	tBodyAcc-std()-Z	tBodyAcc-mad()-X	tBodyAcc-mad()-Y
0	0.288585	-0.020294	-0.132905	-0.995279	-0.983111	-0.913526	-0.995112	-0.983112
1	0.278419	-0.016411	-0.123520	-0.998245	-0.975300	-0.960322	-0.998807	-0.974911
2	0.279653	-0.019467	-0.113462	-0.995380	-0.967187	-0.978944	-0.996520	-0.963661
3	0.279174	-0.026201	-0.123283	-0.996091	-0.983403	-0.990675	-0.997099	-0.982751
4	0.276629	-0.016570	-0.115362	-0.998139	-0.980817	-0.990482	-0.998321	-0.979671

5 rows × 564 columns

```
print("Information of train data")
print('*'*26, '\n')
train.info()
```



Information of train data

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 7352 entries, 0 to 7351
Columns: 564 entries, tBodyAcc-mean()-X to ActivityName
dtypes: float64(561), int64(2), object(1)
memory usage: 31.6+ MB
```

```
print("Shape of train data:", train.shape)
print("Number of rows in train data:", train.shape[0])
print("Number of columns in train data:", train.shape[1])
```



```
Shape of train data: (7352, 564)
Number of rows in train data: 7352
Number of columns in train data: 564
```

```
# get the data from txt files to pandas dataframe
X_test = pd.read_csv('UCI_HAR_dataset/test/X_test.txt', delim_whitespace = True, header = None)

# add subject column to the dataframe
X_test['subject'] = pd.read_csv('UCI_HAR_dataset/test/subject_test.txt', header = None, squeeze = True)

# get y labels from the txt file
y_test = pd.read_csv('UCI_HAR_dataset/test/y_test.txt', names = ['Activity'], squeeze = True)
y_test_labels = y_test.map({1: 'WALKING', 2: 'WALKING_UPSTAIRS', 3: 'WALKING_DOWNSTAIRS', \
                             4: 'SITTING', 5: 'STANDING', 6: 'LAYING'})

# put all columns in a single dataframe
test = X_test
test['Activity'] = y_test
test['ActivityName'] = y_test_labels
test.head()
```



	tBodyAcc-mean()-X	tBodyAcc-mean()-Y	tBodyAcc-mean()-Z	tBodyAcc-std()-X	tBodyAcc-std()-Y	tBodyAcc-std()-Z	tBodyAcc-mad()-X	tBodyAcc-mad()-Y	tBodyAcc-mad()-Z
0	0.257178	-0.023285	-0.014654	-0.938404	-0.920091	-0.667683	-0.952501	-0.925241	-0.925241
1	0.286027	-0.013163	-0.119083	-0.975415	-0.967458	-0.944958	-0.986799	-0.968403	-0.968403
2	0.275485	-0.026050	-0.118152	-0.993819	-0.969926	-0.962748	-0.994403	-0.970731	-0.970731
3	0.270298	-0.032614	-0.117520	-0.994743	-0.973268	-0.967091	-0.995274	-0.974471	-0.974471
4	0.274833	-0.027848	-0.129527	-0.993852	-0.967445	-0.978295	-0.994111	-0.965951	-0.965951

5 rows × 564 columns

```
print("Information of test data")
```

```
print('*'*25, '\n')
test.info()
```



Information of test data

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 2947 entries, 0 to 2946
Columns: 564 entries, tBodyAcc-mean()-X to ActivityName
dtypes: float64(561), int64(2), object(1)
memory usage: 12.7+ MB
```

```
print("Shape of test data:", test.shape)
print("Number of rows in test data:", test.shape[0])
print("Number of columns in test data:", test.shape[1])
```



Shape of test data: (2947, 564)
 Number of rows in test data: 2947
 Number of columns in test data: 564

▼ Data Cleaning

- **Check for duplicates**

```
if sum(train.duplicated()) == 0 & sum(test.duplicated()) == 0:
    print("Number of duplicates in train data:", train.duplicated().sum())
    print("Number of duplicates in test data:", test.duplicated().sum(), '\n')
    print("There are no duplicates in the dataset.")
else:
    print("Please remove the duplicates")
```



Number of duplicates in train data: 0
 Number of duplicates in test data: 0

There are no duplicates in the dataset.

- **Check for null values**


```
if train.isnull().values.sum() == 0 & test.isnull().values.sum() == 0:
    print("Null values count for train data:", train.isnull().values.sum())
    print("Null values count for test data:", test.isnull().values.sum(), '\n')
    print("From above heatmap and data, we found no null values.")
else:
    print("Please remove null values from data or fill with relevant data.")
```

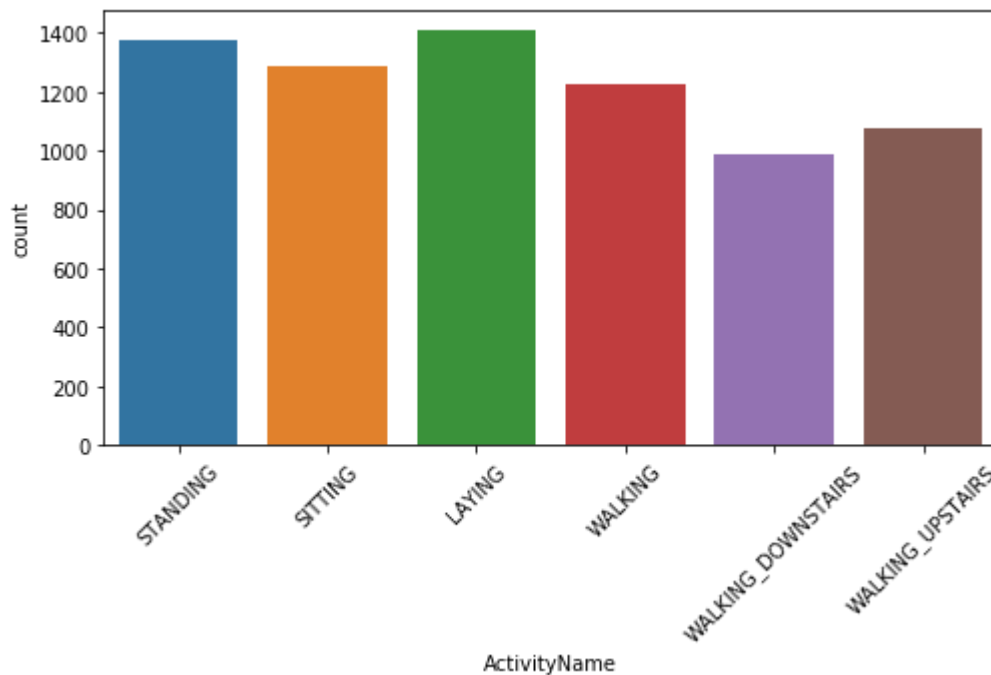


Null values count for train data: 0

▼ Graphical Visualization

```
plt.figure(figsize = (8,4))
sns.countplot(train['ActivityName'])
plt.xticks(rotation = 45)
```

 (array([0, 1, 2, 3, 4, 5]), <a list of 6 Text xticklabel objects>)



- **Observation**

- **Data is almost balanced.**

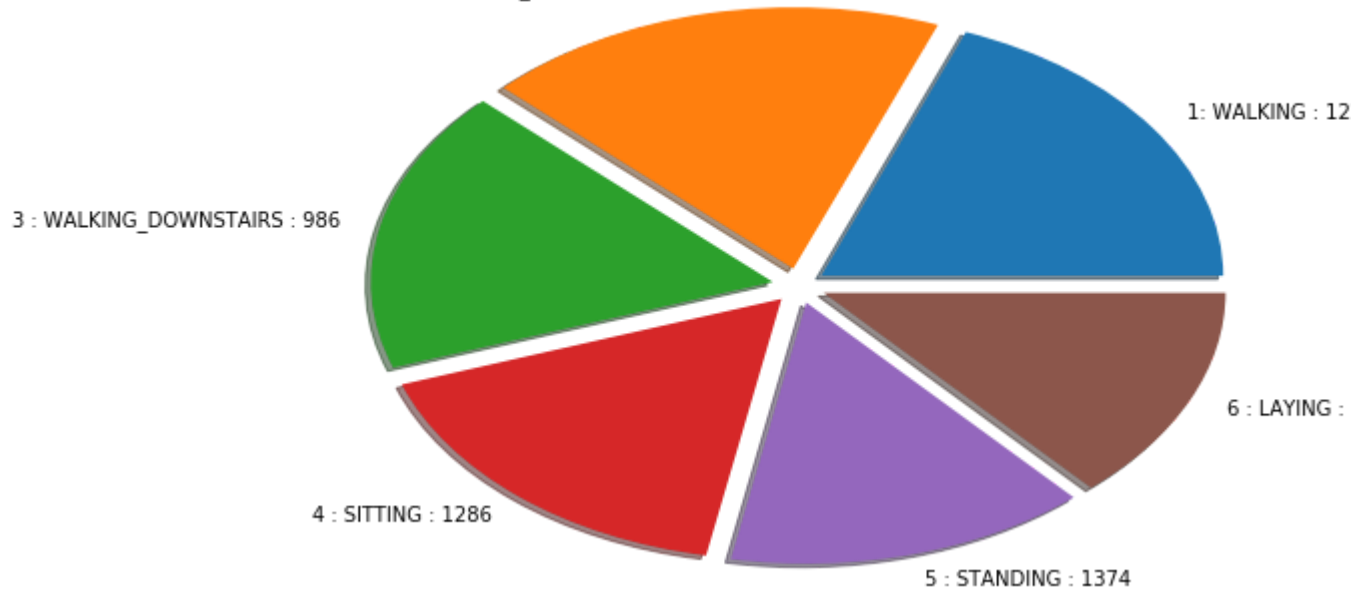
```
labels = ['1: WALKING : 1226', '2 : WALKING_UPSTAIRS : 1073', '3 : WALKING_DOWNSTAIRS : 986',
          '4 : SITTING : 1286', '5 : STANDING : 1374', '6 : LAYING : 1407']
```

```
explode = [0.1, 0.1, 0.1, 0.1, 0.1, 0.1]
```

```
plt.pie(train.Activity.value_counts(), explode = explode, labels = labels, radius = 1.5, shad
```




```
([<matplotlib.patches.Wedge at 0x2790e438>,
<matplotlib.patches.Wedge at 0x2790ec18>,
<matplotlib.patches.Wedge at 0x27916470>,
<matplotlib.patches.Wedge at 0x27916c88>,
<matplotlib.patches.Wedge at 0x279254e0>,
<matplotlib.patches.Wedge at 0x27925cf8>],
[Text(1.44312,0.989896,'1: WALKING : 1226'),
Text(-0.379824,1.70828,'2 : WALKING_UPSTAIRS : 1073'),
Text(-1.70957,0.373982,'3 : WALKING_DOWNSTAIRS : 986'),
Text(-1.14436,-1.32399,'4 : SITTING : 1286'),
Text(0.466162,-1.68677,'5 : STANDING : 1374'),
Text(1.59696,-0.715704,'6 : LAYING : 1407')])
2 : WALKING_UPSTAIRS : 1073
```



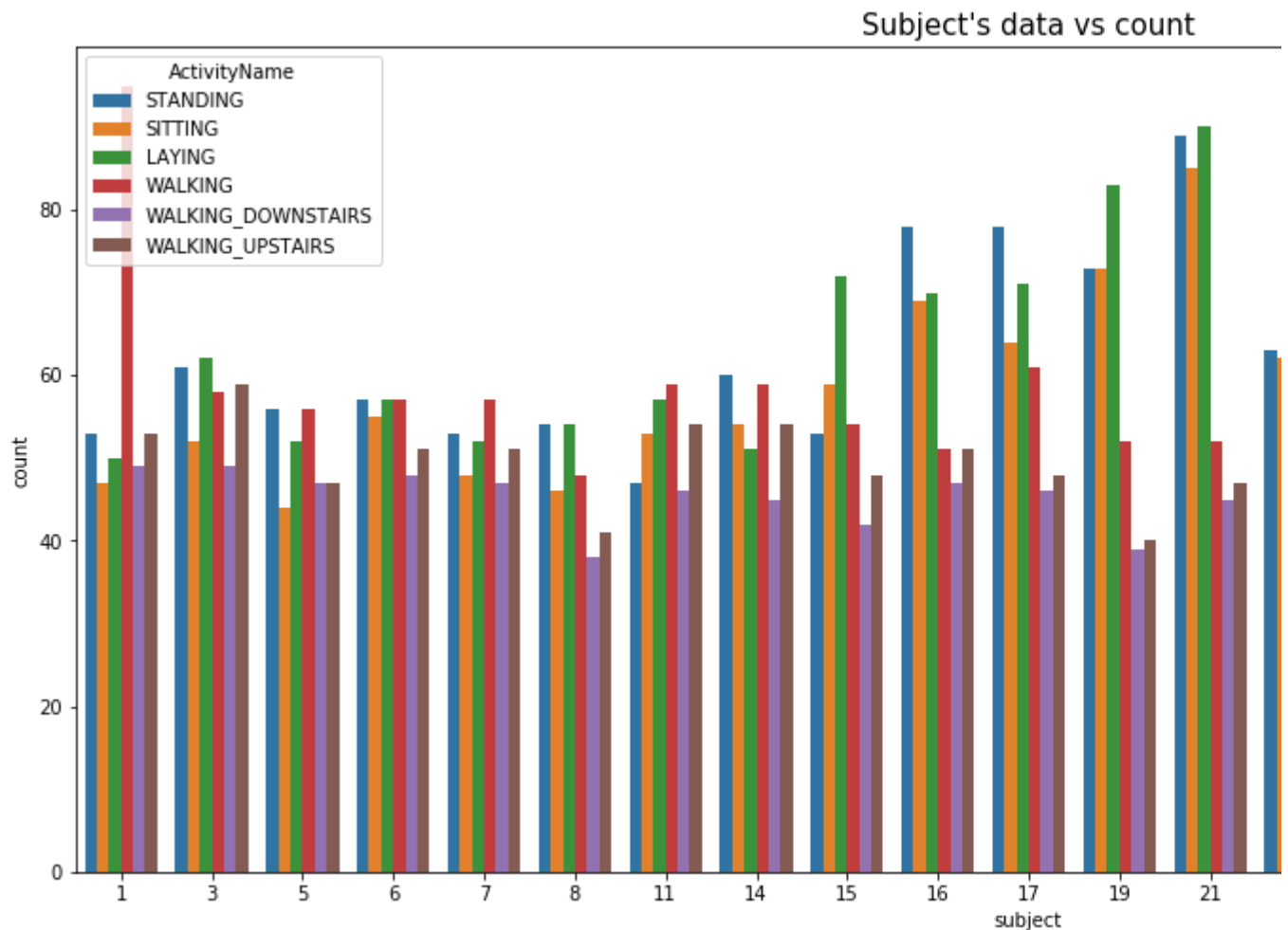
• Observation

- Maximum count is for Laying i.e 1407
- Minimum count is for Walking Downstairs i.e 986

```
plt.figure(figsize = (18,8))
sns.countplot(x = train['subject'], hue = train['ActivityName'])
plt.title("Subject's data vs count", fontsize = 15)
```



Text(0.5,1,"Subject's data vs count")



- **Observation**

- **We have got almost same data from various users**

```
columns = train.columns
```

```
# Removing '()' from column names
columns = columns.str.replace('[( )]', '')
columns = columns.str.replace('[-]', '')
columns = columns.str.replace('[,]', '')
```

```
train.columns = columns
test.columns = columns
```

```
print("Train columns:\n")
print(train.columns, '\n')
print('*'*50, '\n')
print("Test columns:\n")
print(test.columns)
```



Train columns:

```
Index(['tBodyAccmeanX', 'tBodyAccmeanY', 'tBodyAccmeanZ', 'tBodyAccstdX',
      'tBodyAccstdY', 'tBodyAccstdZ', 'tBodyAccmadX', 'tBodyAccmadY',
      'tBodyAccmadZ', 'tBodyAccmaxX',
      ...,
      'angletBodyAccMeangravity', 'angletBodyAccJerkMeangravityMean',
      'angletBodyGyroMeangravityMean', 'angletBodyGyroJerkMeangravityMean',
      'angleXgravityMean', 'angleYgravityMean', 'angleZgravityMean',
      'subject', 'Activity', 'ActivityName'],
      dtype='object', length=564)
```

Test columns:

```
Index(['tBodyAccmeanX', 'tBodyAccmeanY', 'tBodyAccmeanZ', 'tBodyAccstdX',
      'tBodyAccstdY', 'tBodyAccstdZ', 'tBodyAccmadX', 'tBodyAccmadY',
      'tBodyAccmadZ', 'tBodyAccmaxX',
      ...,
      'angletBodyAccMeangravity', 'angletBodyAccJerkMeangravityMean',
      'angletBodyGyroMeangravityMean', 'angletBodyGyroJerkMeangravityMean',
      'angleXgravityMean', 'angleYgravityMean', 'angleZgravityMean',
      'subject', 'Activity', 'ActivityName'],
      dtype='object', length=564)
```

- **Saving the above data**

```
train.to_csv('UCI_HAR_Dataset/csv_files/train.csv', index=False)
test.to_csv('UCI_HAR_Dataset/csv_files/test.csv', index=False)
```

1. Featuring Engineering from Domain Knowledge

- **Static and Dynamic Activities**

- In static activities (sit, stand, lie down) motion information will not be very useful.
- In the dynamic activities (Walking, WalkingUpstairs, WalkingDownstairs) motion info will be

2. Stationary and Moving activities are completely different

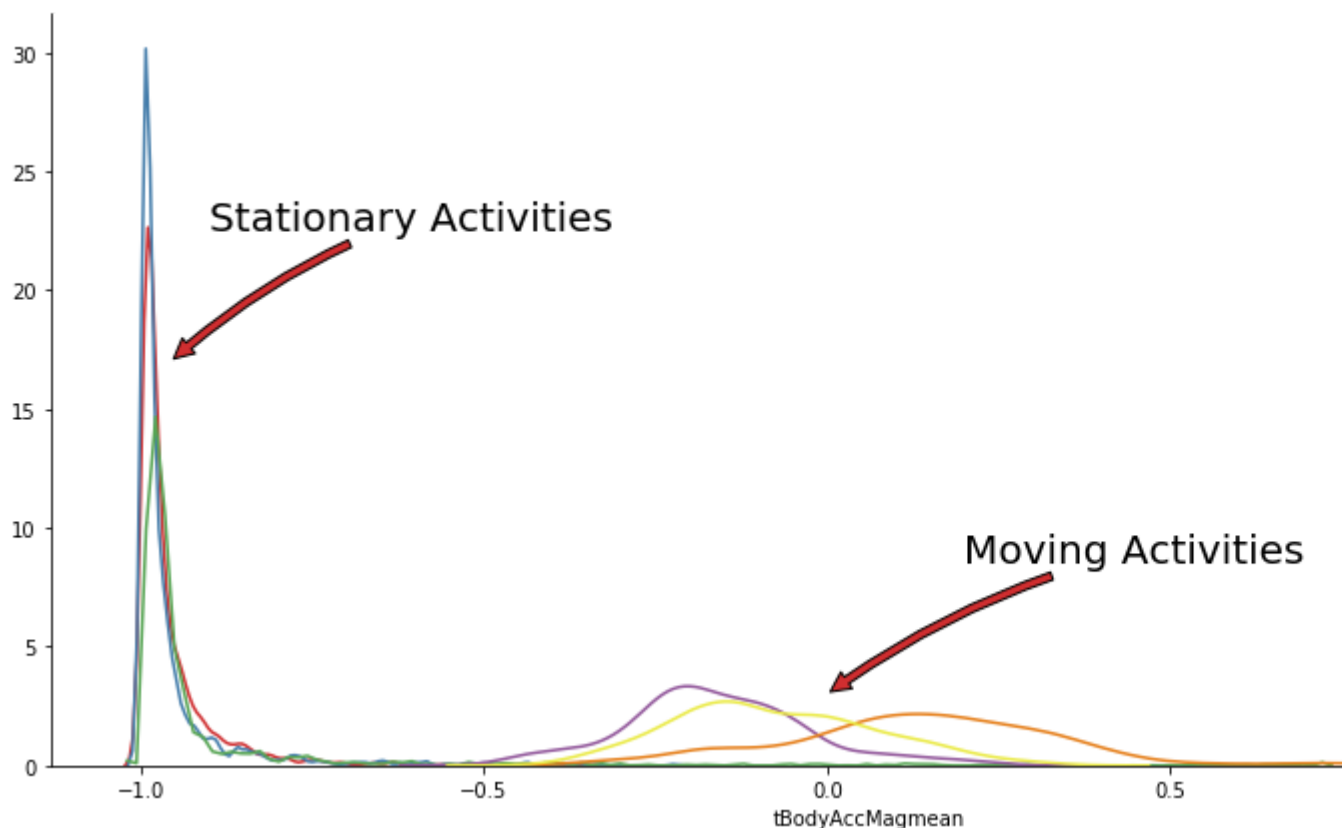
```
sns.set_palette("Set1", desat=0.80)
g = sns.FacetGrid(train, hue = 'ActivityName', size = 6, aspect = 2)
g = g.map(sns.distplot, 'tBodyAccMagmean', hist = False)
g = g.add_legend()

plt.annotate("Stationary Activities", xy=(-0.956,17), xytext=(-0.9, 23), size=20,\
            va='center', ha='left',\
            .....
```

```
arrowprops=dict(arrowstyle="simple",connectionstyle="arc3,rad=0.1"))
```

```
plt.annotate("Moving Activities", xy=(0,3), xytext=(0.2, 9), size=20,\
            va='center', ha='left',\
            arrowprops=dict(arrowstyle="simple",connectionstyle="arc3,rad=0.1"))
```

 Text(0.2,9,'Moving Activities')



```
# for plotting purposes taking datapoints of each activity to a different dataframe
```

```
df1 = train[train['Activity']==1]
```

```
df2 = train[train['Activity']==2]
```

```
df3 = train[train['Activity']==3]
```

```
df4 = train[train['Activity']==4]
```

```
df5 = train[train['Activity']==5]
```

```
df6 = train[train['Activity']==6]
```

```
plt.figure(figsize=(14,7))
```

```
plt.subplot(2,2,1)
```

```
plt.title('Stationary Activities(Zoomed in)')
```

```
sns.distplot(df4['tBodyAccMagmean'],color = 'r',hist = False, label = 'Sitting')
```

```
sns.distplot(df5['tBodyAccMagmean'],color = 'm',hist = False,label = 'Standing')
```

```
sns.distplot(df6['tBodyAccMagmean'],color = 'c',hist = False, label = 'Laying')
```

```
plt.axis([-1.01, -0.5, 0, 35])
```

```
plt.legend(loc='center')
```

```
plt.subplot(2,2,2)
```

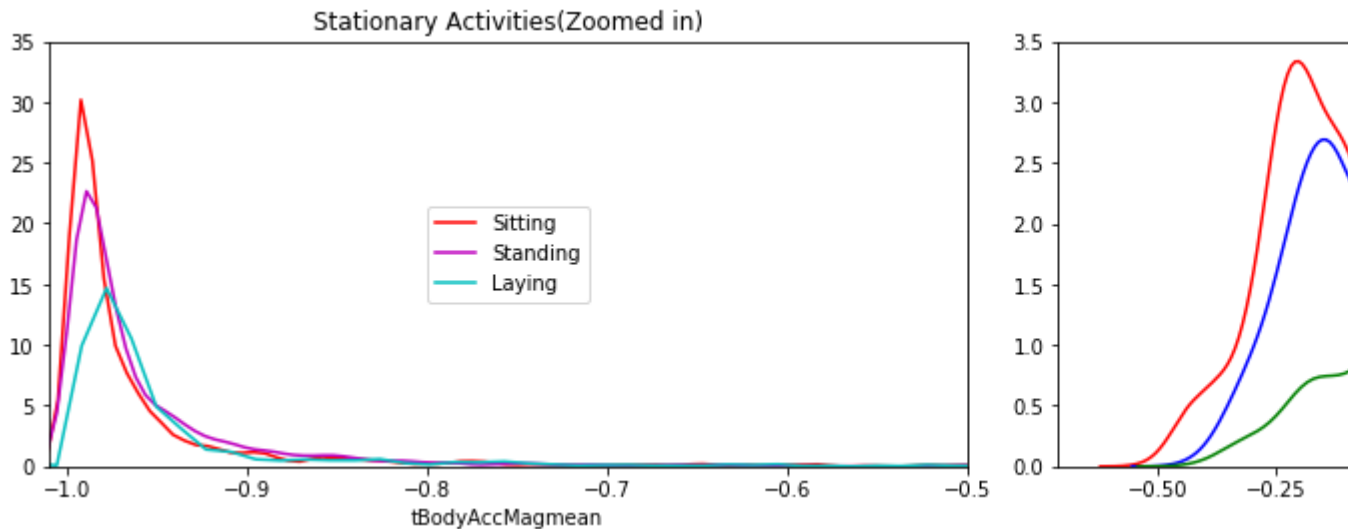
```
plt.title('Moving Activities')
```

```
sns.distplot(df1['tBodyAccMagmean'],color = 'red',hist = False, label = 'Walking')
```

```
sns.distplot(df2['tBodyAccMagmean'],color = 'blue',hist = False,label = 'Walking Up')
```

```
sns.distplot(df3['tBodyAccMagmean'],color = 'green',hist = False, label = 'Walking down')
plt.legend(loc='center right')
```

```
plt.tight_layout()
plt.show()
```

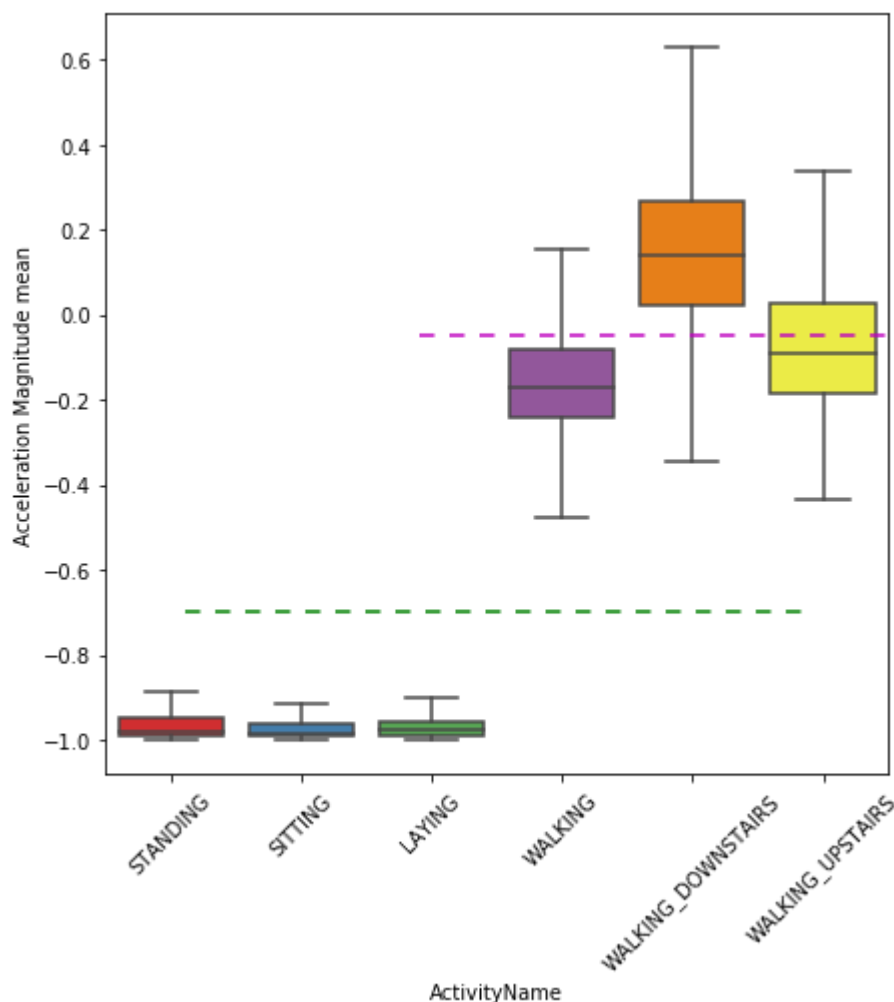


▼ 3. Magnitude of an acceleration can saperate it well

```
plt.figure(figsize=(7,7))
sns.boxplot(x='ActivityName', y='tBodyAccMagmean',data=train, showfliers=False, saturation=1)
plt.ylabel('Acceleration Magnitude mean')
plt.axhline(y=-0.7, xmin=0.1, xmax=0.9,dashes=(5,5), c='g')
plt.axhline(y=-0.05, xmin=0.4, dashes=(5,5), c='m')
plt.xticks(rotation=45)
```



(array([0, 1, 2, 3, 4, 5]), <a list of 6 Text xticklabel objects>)



- **Observations:**

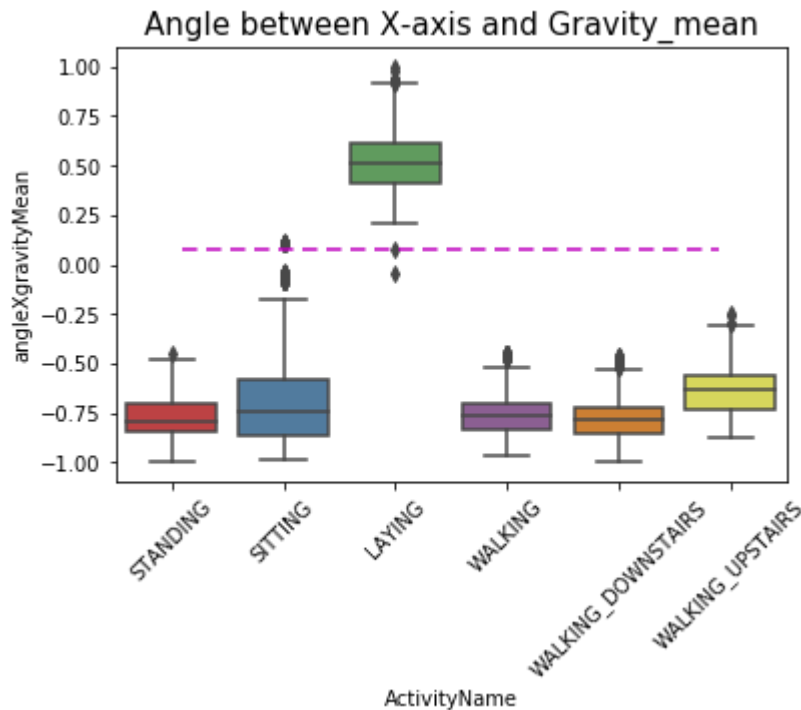
- If tAccMean is < -0.8 then the Activities are either Standing or Sitting or Laying.
- If tAccMean is > -0.6 then the Activities are either Walking or WalkingDownstairs or Walk
- If tAccMean > 0.0 then the Activity is WalkingDownstairs.
- We can classify 75% the Acitivity labels with some errors.

▼ 4. Position of GravityAccelerationComponents also matters

```
sns.boxplot(x='ActivityName', y='angleXgravityMean', data=train)
plt.axhline(y=0.08, xmin=0.1, xmax=0.9, c='m', dashes=(5,3))
plt.title('Angle between X-axis and Gravity_mean', fontsize=15)
plt.xticks(rotation = 45)
```



(array([0, 1, 2, 3, 4, 5]), <a list of 6 Text xticklabel objects>)



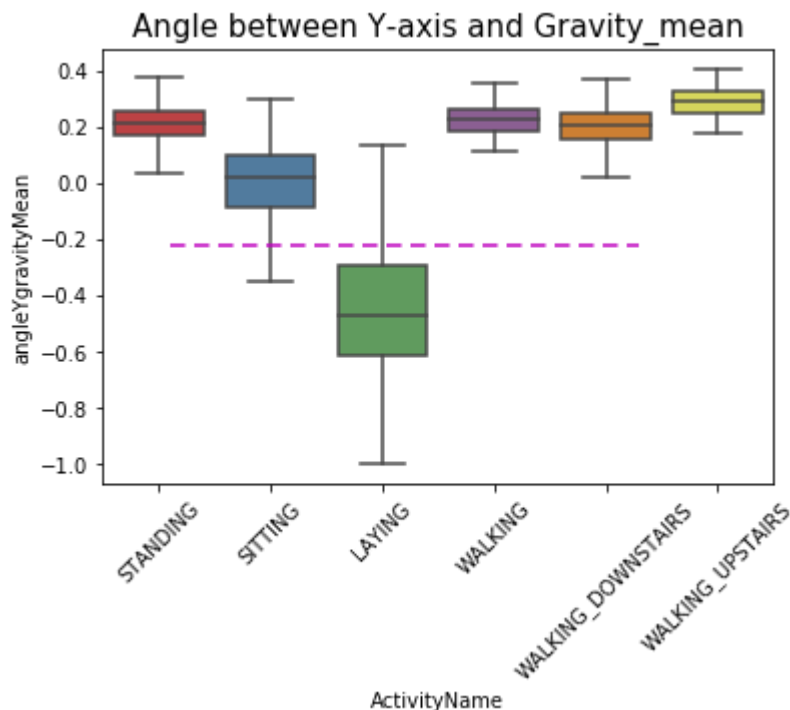
- **Observations:**

- If $\text{angleX,gravityMean} > 0$ then Activity is Laying.
- We can classify all datapoints belonging to Laying activity with just a single if else statement

```
sns.boxplot(x='ActivityName', y='angleYgravityMean', data = train, showfliers=False)
plt.title('Angle between Y-axis and Gravity_mean', fontsize=15)
plt.xticks(rotation = 45)
plt.axhline(y=-0.22, xmin=0.1, xmax=0.8, dashes=(5,3), c='m')
```



<matplotlib.lines.Line2D at 0x2c22b748>



▼ TSNE with different perplexities

Reducing 561 dimension to 2 dimension

```
# Importing library
from sklearn.manifold import TSNE
n_iter = 1000

def tsne(x_tr, y_tr, perp):

    perplexity = perp
    print("\nWith perplexity {} and number of iterations: {}".format(perplexity, n_iter))

    ts = TSNE(n_components = 2, perplexity = perp, n_iter = n_iter, verbose = 2)
    ts = ts.fit_transform(x_tr)

    # Stacking to obtain dataframe which then can be used to visualize
    ts_stack = np.vstack((ts.T, y_tr)).T
    df_ts = pd.DataFrame(data = ts_stack, columns = ('x_dim', 'y_dim', 'label'))

    # Visualization
    sns.set_style('darkgrid')
    gt = sns.FacetGrid(data = df_ts, hue = 'label', size = 8)
    gt.map(plt.scatter, 'x_dim', 'y_dim').add_legend()
    plt.title('Visualizing in 2 dimension with perplexity: {} and iterations: {}'.format(perp, n_iter))
    plt.xlabel("Dimension 1", size = 15)
    plt.ylabel("Dimension 2", size = 15)
```



```
plt.ylabel('Dimension 2', size = 15)
```

▼ Getting x and y data to input

```
x_tr_ts = train.drop(['subject', 'Activity', 'ActivityName'], axis=1)
y_tr_ts = train['ActivityName']
```

```
print("Shape of x_train: {}".format(x_tr_t.shape))
print("Shape of y_train: {}".format(y_tr_t.shape))
```



Shape of x_train: (7352, 561)
Shape of y_train: (7352,)

▼ Perplexity 2

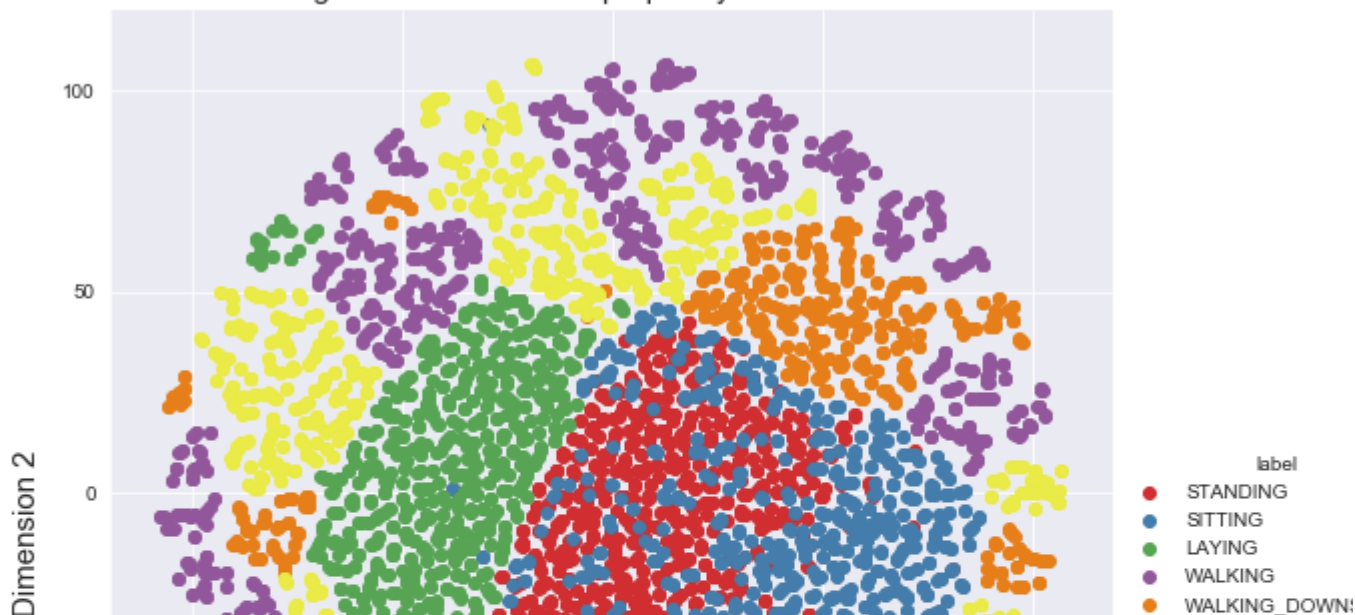
```
tsne(x_tr_ts, y_tr_ts, perp = 2)
```

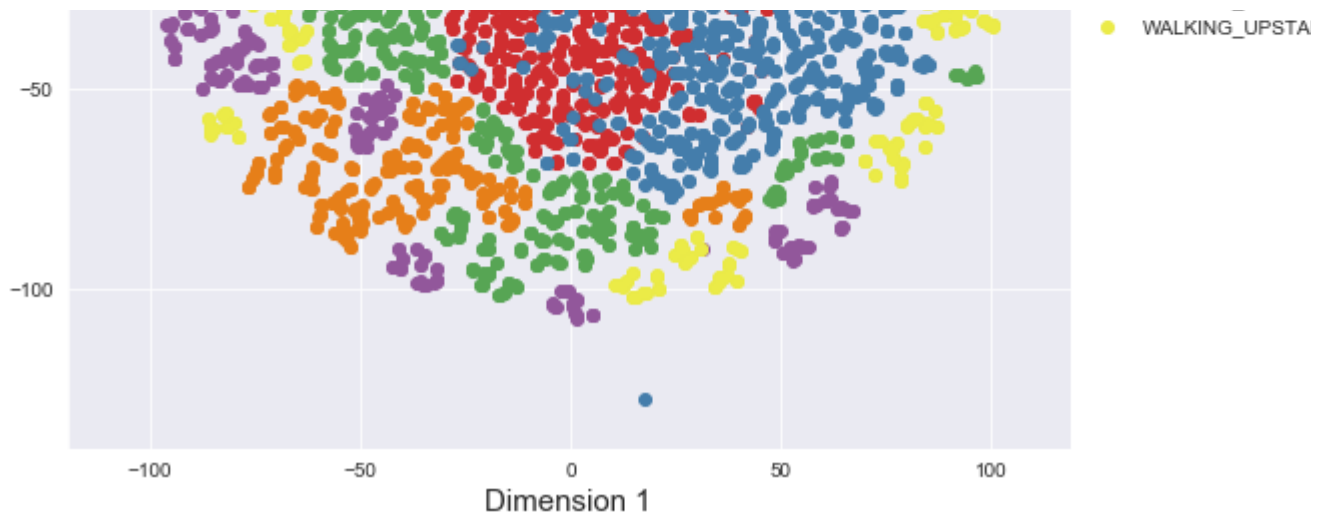


With perplexity 2 and number of iterations: 1000

```
[t-SNE] Computing 7 nearest neighbors...
[t-SNE] Indexed 7352 samples in 0.489s...
[t-SNE] Computed neighbors for 7352 samples in 59.935s...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 0.635855
[t-SNE] Computed conditional probabilities in 0.109s
[t-SNE] Iteration 50: error = 124.6487350, gradient norm = 0.0251724 (50 iterations in 1
[t-SNE] Iteration 100: error = 106.8219147, gradient norm = 0.0299008 (50 iterations in
[t-SNE] Iteration 150: error = 100.7435150, gradient norm = 0.0223215 (50 iterations in
[t-SNE] Iteration 200: error = 97.4028244, gradient norm = 0.0190532 (50 iterations in 1
[t-SNE] Iteration 250: error = 95.1420975, gradient norm = 0.0194672 (50 iterations in 1
[t-SNE] KL divergence after 250 iterations with early exaggeration: 95.142097
[t-SNE] Iteration 300: error = 4.1154461, gradient norm = 0.0015610 (50 iterations in 10
[t-SNE] Iteration 350: error = 3.2074690, gradient norm = 0.0009945 (50 iterations in 9.
[t-SNE] Iteration 400: error = 2.7787852, gradient norm = 0.0007165 (50 iterations in 9.
[t-SNE] Iteration 450: error = 2.5152621, gradient norm = 0.0005695 (50 iterations in 10
[t-SNE] Iteration 500: error = 2.3322508, gradient norm = 0.0004811 (50 iterations in 10
[t-SNE] Iteration 550: error = 2.1947658, gradient norm = 0.0004128 (50 iterations in 10
[t-SNE] Iteration 600: error = 2.0852606, gradient norm = 0.0003690 (50 iterations in 10
[t-SNE] Iteration 650: error = 1.9955012, gradient norm = 0.0003340 (50 iterations in 10
[t-SNE] Iteration 700: error = 1.9199976, gradient norm = 0.0003055 (50 iterations in 10
[t-SNE] Iteration 750: error = 1.8552271, gradient norm = 0.0002750 (50 iterations in 10
[t-SNE] Iteration 800: error = 1.7986721, gradient norm = 0.0002568 (50 iterations in 10
[t-SNE] Iteration 850: error = 1.7488033, gradient norm = 0.0002368 (50 iterations in 10
[t-SNE] Iteration 900: error = 1.7041953, gradient norm = 0.0002239 (50 iterations in 10
[t-SNE] Iteration 950: error = 1.6639928, gradient norm = 0.0002107 (50 iterations in 10
[t-SNE] Iteration 1000: error = 1.6278090, gradient norm = 0.0002012 (50 iterations in 1
[t-SNE] Error after 1000 iterations: 1.627809
```

Visualizing in 2 dimension with perplexity: 2 and iterations: 1000





Observation

With perplexity 2 and iteration 1000, well, we can see good separation of activities but can be better v increase in perplexity, how separation is done.

▼ Perplexity: 5

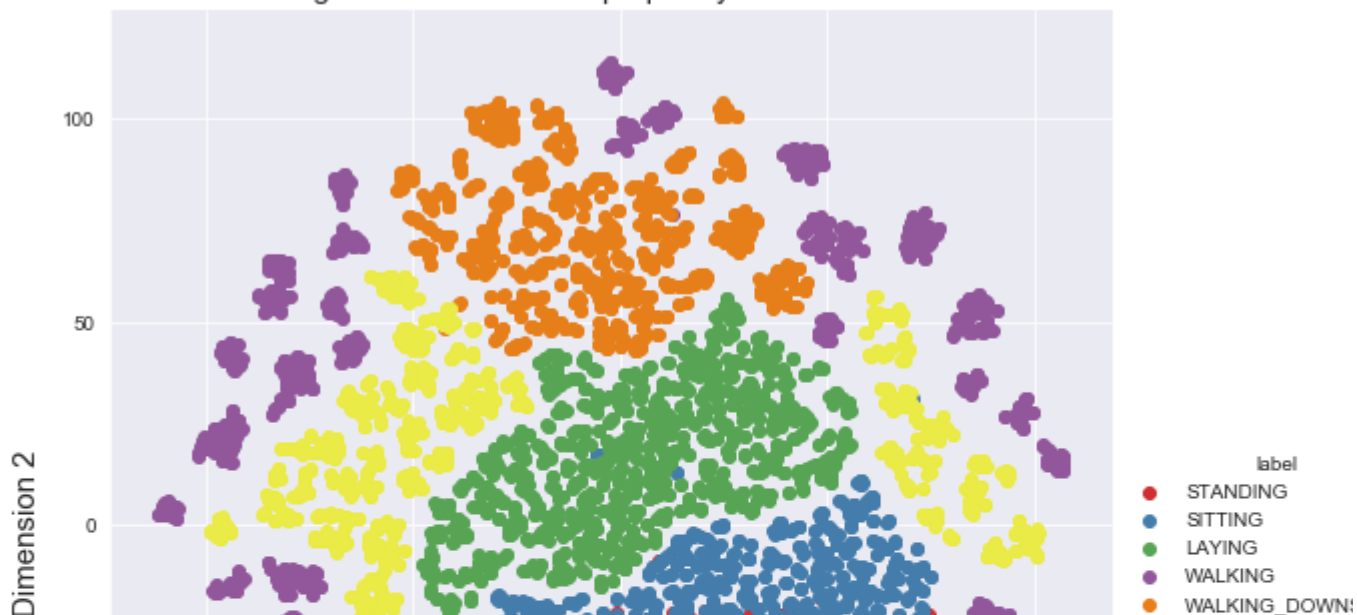
```
tsne(x_tr_ts, y_tr_ts, perp = 5)
```

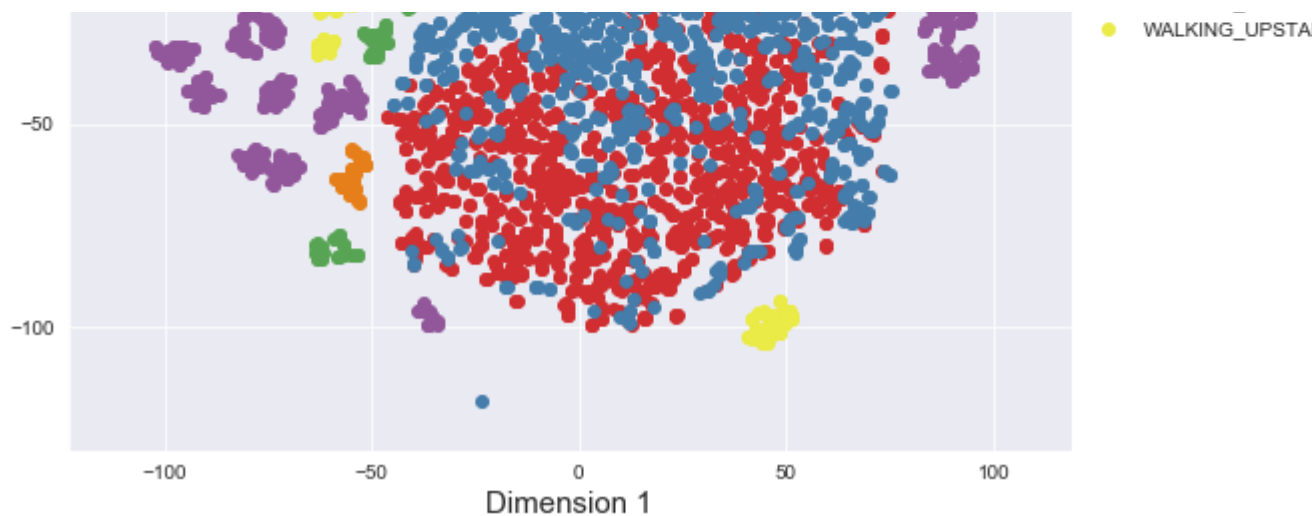


With perplexity 5 and number of iterations: 1000

```
[t-SNE] Computing 16 nearest neighbors...
[t-SNE] Indexed 7352 samples in 0.480s...
[t-SNE] Computed neighbors for 7352 samples in 61.204s...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 0.961265
[t-SNE] Computed conditional probabilities in 0.101s
[t-SNE] Iteration 50: error = 114.0248871, gradient norm = 0.0217223 (50 iterations in 1
[t-SNE] Iteration 100: error = 97.6309814, gradient norm = 0.0145679 (50 iterations in 1
[t-SNE] Iteration 150: error = 93.3746948, gradient norm = 0.0176682 (50 iterations in 1
[t-SNE] Iteration 200: error = 91.3701782, gradient norm = 0.0075067 (50 iterations in 1
[t-SNE] Iteration 250: error = 90.1453018, gradient norm = 0.0047324 (50 iterations in 1
[t-SNE] KL divergence after 250 iterations with early exaggeration: 90.145302
[t-SNE] Iteration 300: error = 3.5762413, gradient norm = 0.0014577 (50 iterations in 10
[t-SNE] Iteration 350: error = 2.8199754, gradient norm = 0.0007487 (50 iterations in 10
[t-SNE] Iteration 400: error = 2.4395008, gradient norm = 0.0005245 (50 iterations in 10
[t-SNE] Iteration 450: error = 2.2219441, gradient norm = 0.0004040 (50 iterations in 10
[t-SNE] Iteration 500: error = 2.0768311, gradient norm = 0.0003316 (50 iterations in 10
[t-SNE] Iteration 550: error = 1.9714751, gradient norm = 0.0002849 (50 iterations in 10
[t-SNE] Iteration 600: error = 1.8902292, gradient norm = 0.0002468 (50 iterations in 10
[t-SNE] Iteration 650: error = 1.8249645, gradient norm = 0.0002195 (50 iterations in 10
[t-SNE] Iteration 700: error = 1.7711501, gradient norm = 0.0002012 (50 iterations in 10
[t-SNE] Iteration 750: error = 1.7258387, gradient norm = 0.0001793 (50 iterations in 10
[t-SNE] Iteration 800: error = 1.6870078, gradient norm = 0.0001648 (50 iterations in 11
[t-SNE] Iteration 850: error = 1.6532418, gradient norm = 0.0001530 (50 iterations in 10
[t-SNE] Iteration 900: error = 1.6234858, gradient norm = 0.0001428 (50 iterations in 10
[t-SNE] Iteration 950: error = 1.5970306, gradient norm = 0.0001352 (50 iterations in 11
[t-SNE] Iteration 1000: error = 1.5735505, gradient norm = 0.0001249 (50 iterations in 1
[t-SNE] Error after 1000 iterations: 1.573550
```

Visualizing in 2 dimension with perplexity: 5 and iterations: 1000





Observation

With perplexity 5 and iteration 1000, separation is improved when compared to perplexity 2.

▼ Perplexity: 10

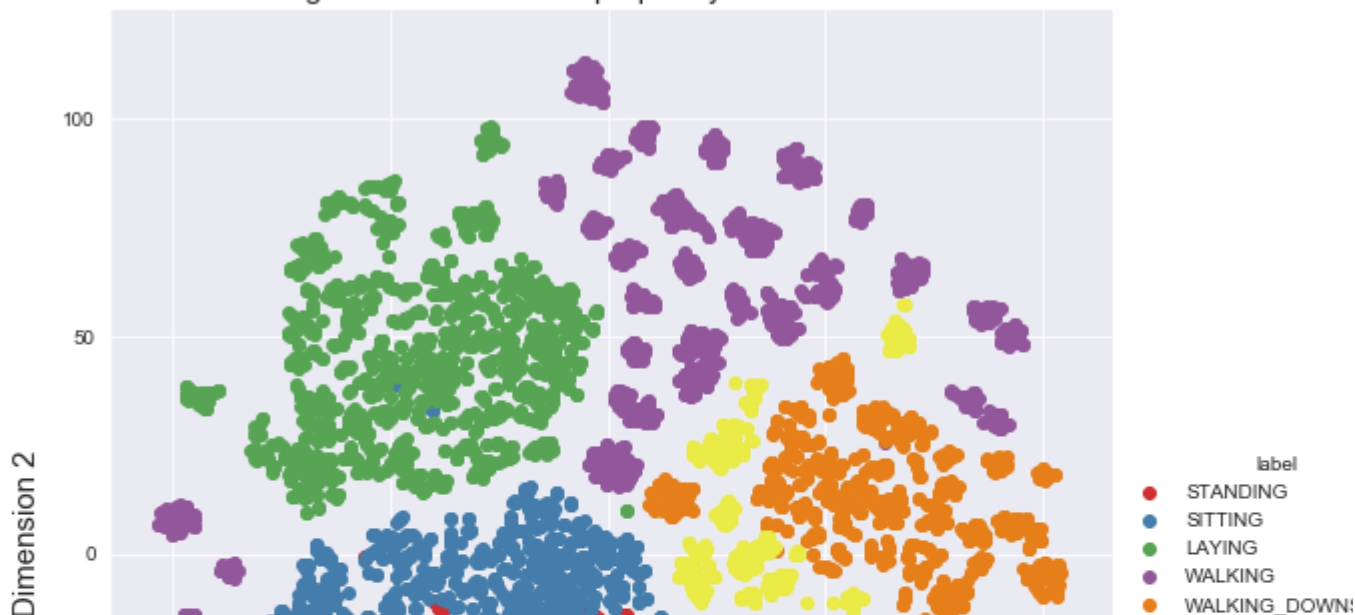
```
tsne(x_tr_ts, y_tr_ts, perp = 10)
```

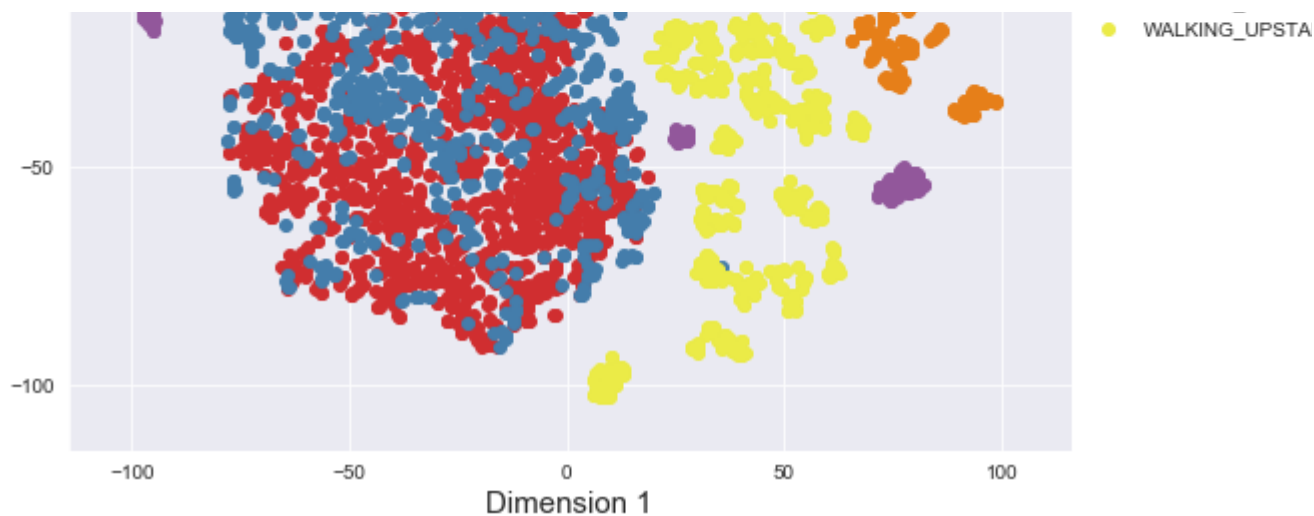


With perplexity 10 and number of iterations: 1000

```
[t-SNE] Computing 31 nearest neighbors...
[t-SNE] Indexed 7352 samples in 0.485s...
[t-SNE] Computed neighbors for 7352 samples in 61.534s...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 1.133828
[t-SNE] Computed conditional probabilities in 0.184s
[t-SNE] Iteration 50: error = 105.9964523, gradient norm = 0.0148659 (50 iterations in 2
[t-SNE] Iteration 100: error = 90.6240616, gradient norm = 0.0103785 (50 iterations in 1
[t-SNE] Iteration 150: error = 87.3602829, gradient norm = 0.0052387 (50 iterations in 1
[t-SNE] Iteration 200: error = 86.0786819, gradient norm = 0.0035021 (50 iterations in 1
[t-SNE] Iteration 250: error = 85.3764648, gradient norm = 0.0030344 (50 iterations in 1
[t-SNE] KL divergence after 250 iterations with early exaggeration: 85.376465
[t-SNE] Iteration 300: error = 3.1300728, gradient norm = 0.0013928 (50 iterations in 12
[t-SNE] Iteration 350: error = 2.4876564, gradient norm = 0.0006483 (50 iterations in 11
[t-SNE] Iteration 400: error = 2.1687012, gradient norm = 0.0004231 (50 iterations in 11
[t-SNE] Iteration 450: error = 1.9844216, gradient norm = 0.0003142 (50 iterations in 12
[t-SNE] Iteration 500: error = 1.8664511, gradient norm = 0.0002502 (50 iterations in 11
[t-SNE] Iteration 550: error = 1.7831405, gradient norm = 0.0002089 (50 iterations in 11
[t-SNE] Iteration 600: error = 1.7204162, gradient norm = 0.0001813 (50 iterations in 12
[t-SNE] Iteration 650: error = 1.6711963, gradient norm = 0.0001620 (50 iterations in 14
[t-SNE] Iteration 700: error = 1.6313622, gradient norm = 0.0001448 (50 iterations in 12
[t-SNE] Iteration 750: error = 1.5986803, gradient norm = 0.0001302 (50 iterations in 12
[t-SNE] Iteration 800: error = 1.5711824, gradient norm = 0.0001177 (50 iterations in 12
[t-SNE] Iteration 850: error = 1.5476170, gradient norm = 0.0001094 (50 iterations in 12
[t-SNE] Iteration 900: error = 1.5273097, gradient norm = 0.0001016 (50 iterations in 12
[t-SNE] Iteration 950: error = 1.5094489, gradient norm = 0.0000957 (50 iterations in 12
[t-SNE] Iteration 1000: error = 1.4938735, gradient norm = 0.0000906 (50 iterations in 1
[t-SNE] Error after 1000 iterations: 1.493873
```

Visualizing in 2 dimension with perplexity: 10 and iterations: 1000





Observation

With perplexity 10 and iteration 1000, separation is improved when compared to perplexity 2 and 5.

▼ Perplexity: 20

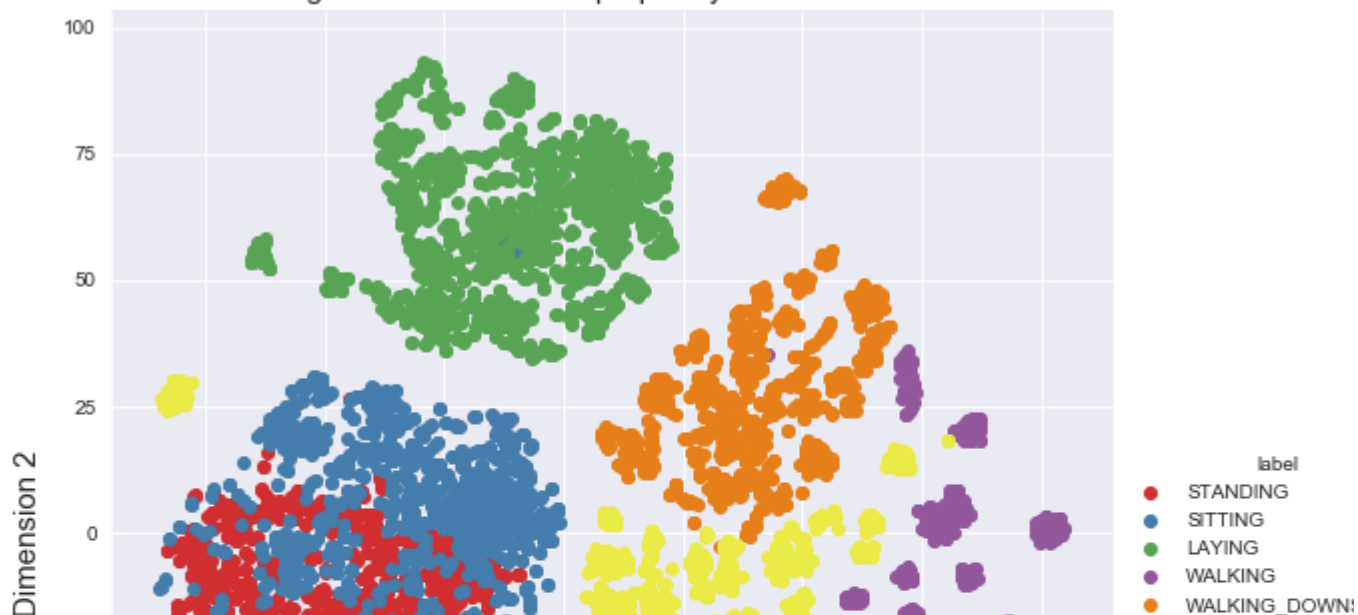
```
tsne(x_tr_ts, y_tr_ts, perp = 20)
```

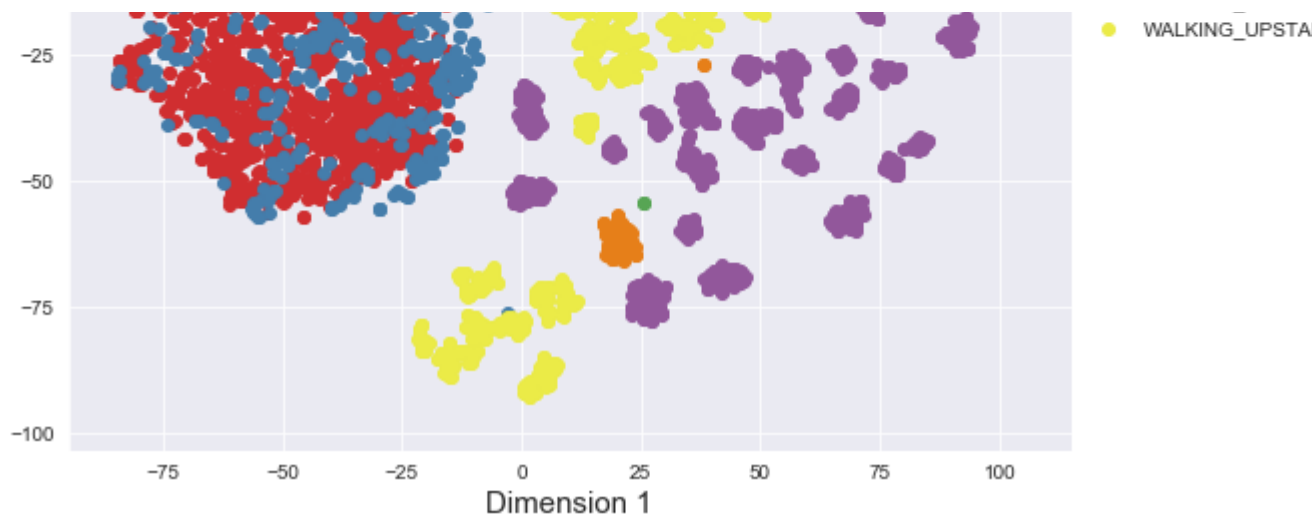


With perplexity 20 and number of iterations: 1000

```
[t-SNE] Computing 61 nearest neighbors...
[t-SNE] Indexed 7352 samples in 0.478s...
[t-SNE] Computed neighbors for 7352 samples in 62.866s...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 1.274335
[t-SNE] Computed conditional probabilities in 0.362s
[t-SNE] Iteration 50: error = 97.4729080, gradient norm = 0.0184257 (50 iterations in 37
[t-SNE] Iteration 100: error = 83.8648605, gradient norm = 0.0081573 (50 iterations in 1
[t-SNE] Iteration 150: error = 81.8718338, gradient norm = 0.0032131 (50 iterations in 1
[t-SNE] Iteration 200: error = 81.1598358, gradient norm = 0.0028845 (50 iterations in 1
[t-SNE] Iteration 250: error = 80.7795334, gradient norm = 0.0030472 (50 iterations in 1
[t-SNE] KL divergence after 250 iterations with early exaggeration: 80.779533
[t-SNE] Iteration 300: error = 2.6973419, gradient norm = 0.0013124 (50 iterations in 16
[t-SNE] Iteration 350: error = 2.1634338, gradient norm = 0.0005763 (50 iterations in 14
[t-SNE] Iteration 400: error = 1.9137801, gradient norm = 0.0003476 (50 iterations in 14
[t-SNE] Iteration 450: error = 1.7669128, gradient norm = 0.0002479 (50 iterations in 14
[t-SNE] Iteration 500: error = 1.6730202, gradient norm = 0.0001936 (50 iterations in 14
[t-SNE] Iteration 550: error = 1.6087221, gradient norm = 0.0001578 (50 iterations in 14
[t-SNE] Iteration 600: error = 1.5622650, gradient norm = 0.0001349 (50 iterations in 15
[t-SNE] Iteration 650: error = 1.5273278, gradient norm = 0.0001170 (50 iterations in 15
[t-SNE] Iteration 700: error = 1.4999596, gradient norm = 0.0001052 (50 iterations in 15
[t-SNE] Iteration 750: error = 1.4783728, gradient norm = 0.0000974 (50 iterations in 15
[t-SNE] Iteration 800: error = 1.4613079, gradient norm = 0.0000868 (50 iterations in 14
[t-SNE] Iteration 850: error = 1.4470007, gradient norm = 0.0000835 (50 iterations in 15
[t-SNE] Iteration 900: error = 1.4350876, gradient norm = 0.0000813 (50 iterations in 15
[t-SNE] Iteration 950: error = 1.4255793, gradient norm = 0.0000770 (50 iterations in 14
[t-SNE] Iteration 1000: error = 1.4176060, gradient norm = 0.0000718 (50 iterations in 1
[t-SNE] Error after 1000 iterations: 1.417606
```

Visualizing in 2 dimension with perplexity: 20 and iterations: 1000





Observation

With perplexity 20 and iteration 1000, separation is improved when compared to perplexity 2, 5 and 20

▼ Perplexity: 50

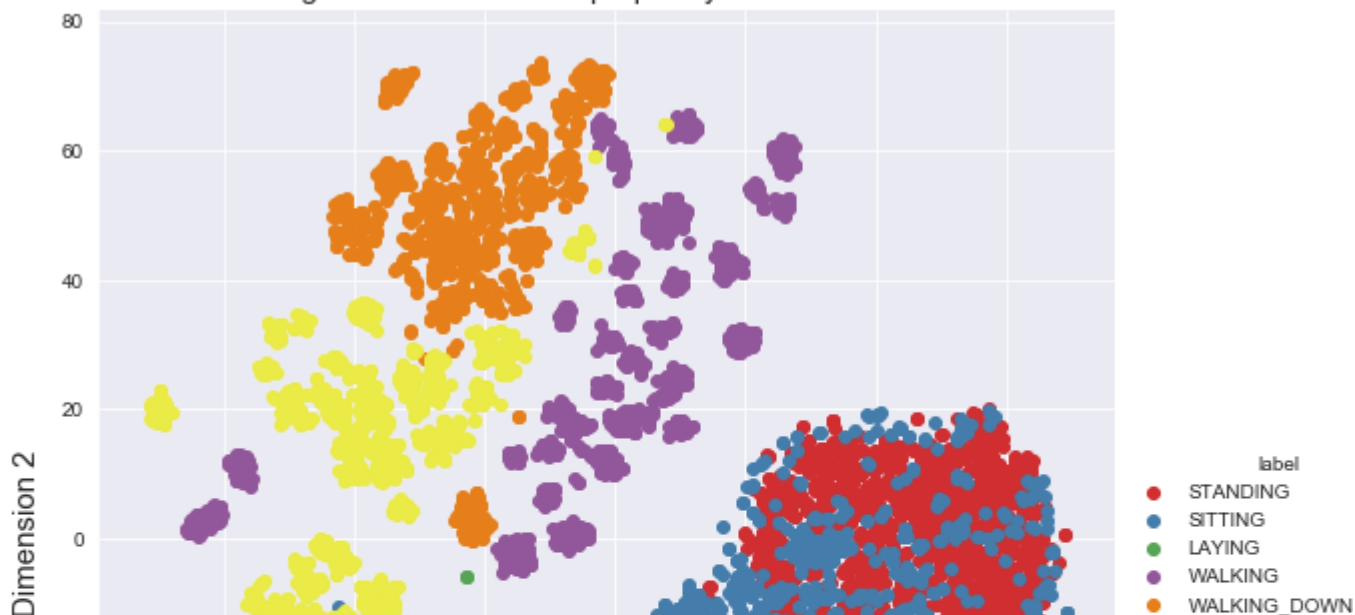
```
tsne(x_tr_ts, y_tr_ts, perp = 50)
```

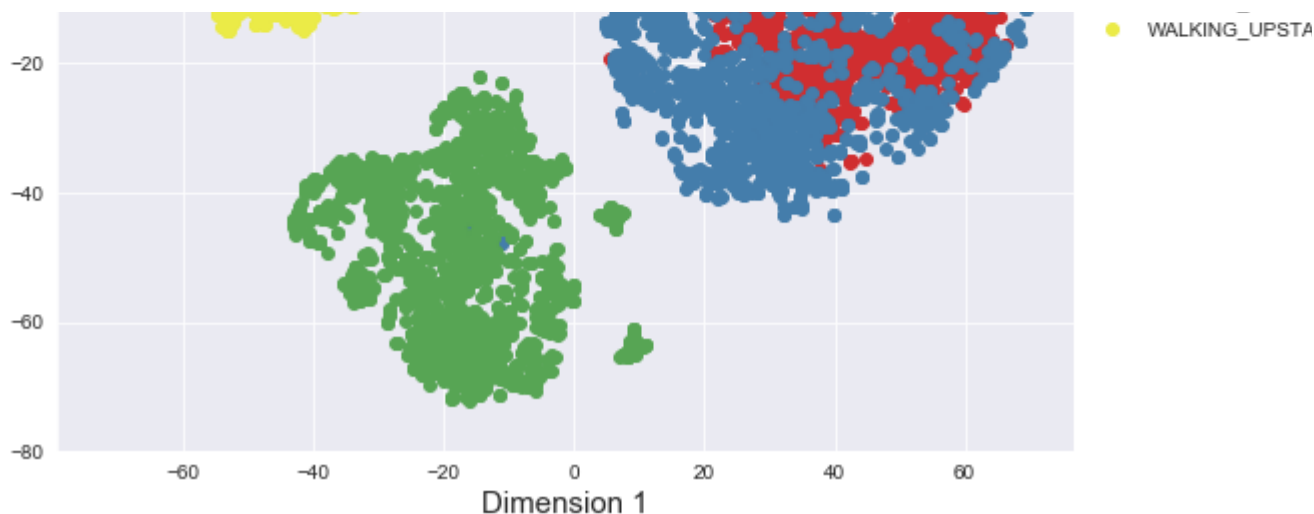


With perplexity 50 and number of iterations: 1000

```
[t-SNE] Computing 151 nearest neighbors...
[t-SNE] Indexed 7352 samples in 0.492s...
[t-SNE] Computed neighbors for 7352 samples in 65.634s...
[t-SNE] Computed conditional probabilities for sample 1000 / 7352
[t-SNE] Computed conditional probabilities for sample 2000 / 7352
[t-SNE] Computed conditional probabilities for sample 3000 / 7352
[t-SNE] Computed conditional probabilities for sample 4000 / 7352
[t-SNE] Computed conditional probabilities for sample 5000 / 7352
[t-SNE] Computed conditional probabilities for sample 6000 / 7352
[t-SNE] Computed conditional probabilities for sample 7000 / 7352
[t-SNE] Computed conditional probabilities for sample 7352 / 7352
[t-SNE] Mean sigma: 1.437672
[t-SNE] Computed conditional probabilities in 0.873s
[t-SNE] Iteration 50: error = 85.6891708, gradient norm = 0.0314668 (50 iterations in 32
[t-SNE] Iteration 100: error = 75.5255966, gradient norm = 0.0041454 (50 iterations in 2
[t-SNE] Iteration 150: error = 74.5598221, gradient norm = 0.0033632 (50 iterations in 2
[t-SNE] Iteration 200: error = 74.2188187, gradient norm = 0.0019453 (50 iterations in 2
[t-SNE] Iteration 250: error = 74.0449982, gradient norm = 0.0014738 (50 iterations in 2
[t-SNE] KL divergence after 250 iterations with early exaggeration: 74.044998
[t-SNE] Iteration 300: error = 2.1563859, gradient norm = 0.0011767 (50 iterations in 25
[t-SNE] Iteration 350: error = 1.7568213, gradient norm = 0.0004841 (50 iterations in 24
[t-SNE] Iteration 400: error = 1.5872295, gradient norm = 0.0002874 (50 iterations in 24
[t-SNE] Iteration 450: error = 1.4931519, gradient norm = 0.0001921 (50 iterations in 24
[t-SNE] Iteration 500: error = 1.4331502, gradient norm = 0.0001420 (50 iterations in 24
[t-SNE] Iteration 550: error = 1.3915766, gradient norm = 0.0001143 (50 iterations in 25
[t-SNE] Iteration 600: error = 1.3625135, gradient norm = 0.0000940 (50 iterations in 24
[t-SNE] Iteration 650: error = 1.3412588, gradient norm = 0.0000824 (50 iterations in 23
[t-SNE] Iteration 700: error = 1.3253678, gradient norm = 0.0000768 (50 iterations in 24
[t-SNE] Iteration 750: error = 1.3138707, gradient norm = 0.0000720 (50 iterations in 24
[t-SNE] Iteration 800: error = 1.3054717, gradient norm = 0.0000670 (50 iterations in 23
[t-SNE] Iteration 850: error = 1.2987312, gradient norm = 0.0000632 (50 iterations in 24
[t-SNE] Iteration 900: error = 1.2931911, gradient norm = 0.0000596 (50 iterations in 24
[t-SNE] Iteration 950: error = 1.2886649, gradient norm = 0.0000568 (50 iterations in 24
[t-SNE] Iteration 1000: error = 1.2845525, gradient norm = 0.0000534 (50 iterations in 2
[t-SNE] Error after 1000 iterations: 1.284552
```

Visualizing in 2 dimension with perplexity: 50 and iterations: 1000





▼ Observation

With perplexity 20 and iteration 1000, separation is improved when compared to perplexity 2, 5, 20 and

Overall observation

1. As perplexity is changing i.e 2, 5, 10, 20 and 50, we can see that the separation of activities
2. We can see that increase in perplexity upto ~50, separation of activities is actually improved

▼ LSTM

```
# Activities are the class labels
```

```
# It is a 6 class classification
```

```
ACTIVITIES = {
    0: 'WALKING',
    1: 'WALKING_UPSTAIRS',
    2: 'WALKING_DOWNSTAIRS',
    3: 'SITTING',
    4: 'STANDING',
    5: 'LAYING',
}
```

```
# Utility function to print the confusion matrix
```

```
def confusion_matrix(Y_true, Y_pred):
    Y_true = pd.Series([ACTIVITIES[y] for y in np.argmax(Y_true, axis=1)])
    Y_pred = pd.Series([ACTIVITIES[y] for y in np.argmax(Y_pred, axis=1)])

    return pd.crosstab(Y_true, Y_pred, rownames=['True'], colnames=['Pred'])
```

```
# Raw data signals
```

```
# Signals are from Accelerometer and Gyroscope
```

```

# The signals are in x,y,z directions
# Sensor signals are filtered to have only body acceleration
# excluding the acceleration due to gravity
# Triaxial acceleration from the accelerometer is total acceleration
SIGNALS = [
    "body_acc_x",
    "body_acc_y",
    "body_acc_z",
    "body_gyro_x",
    "body_gyro_y",
    "body_gyro_z",
    "total_acc_x",
    "total_acc_y",
    "total_acc_z"
]

# Utility function to read the data from csv file
def _read_csv(filename):
    return pd.read_csv(filename, delim_whitespace=True, header=None)

# Utility function to load the load
def load_signals(subset):
    signals_data = []

    for signal in SIGNALS:
        filename = f'drive/My Drive/CS_HAR/{signal}_{subset}.txt'
        #filename = f'UCI_HAR_Dataset/{subset}/Inertial Signals/{signal}_{subset}.txt'
        signals_data.append(
            _read_csv(filename).as_matrix()
        )

    # Transpose is used to change the dimensionality of the output,
    # aggregating the signals by combination of sample/timestep.
    # Resultant shape is (7352 train/2947 test samples, 128 timesteps, 9 signals)
    return np.transpose(signals_data, (1, 2, 0))

def load_y(subset):
    """
    The objective that we are trying to predict is a integer, from 1 to 6,
    that represents a human activity. We return a binary representation of
    every sample objective as a 6 bits vector using One Hot Encoding
    (https://pandas.pydata.org/pandas-docs/stable/generated/pandas.get\_dummies.html)
    """
    filename = f'drive/My Drive/CS_HAR/y_{subset}.txt'
    #filename = f'UCI_HAR_Dataset/{subset}/y_{subset}.txt'
    y = _read_csv(filename)[0]

    return pd.get_dummies(y).as_matrix()

def load_data():

```

```


def load_data():
    """
    Obtain the dataset from multiple files.
    Returns: X_train, X_test, y_train, y_test
    """
    X_train, X_test = load_signals('train'), load_signals('test')
    y_train, y_test = load_y('train'), load_y('test')

    return X_train, X_test, y_train, y_test

# Importing tensorflow
np.random.seed(42)
import tensorflow as tf
tf.set_random_seed(42)

# Configuring a session
session_conf = tf.ConfigProto(
    intra_op_parallelism_threads=1,
    inter_op_parallelism_threads=1
)

# Import Keras
from keras import backend as K
sess = tf.Session(graph=tf.get_default_graph(), config=session_conf)
K.set_session(sess)


 Using TensorFlow backend.

# Importing libraries
from keras.models import Sequential
from keras.layers import LSTM
from keras.layers.core import Dense, Dropout

# Initializing parameters
epochs = 15
batch_size = 16

# Utility function to count the number of classes
def _count_classes(y):
    return len(set([tuple(category) for category in y]))

from google.colab import drive
drive.mount('/content/drive')




```

Go to this URL in a browser: https://accounts.google.com/o/oauth2/auth?client_id=9473189


```
# Loading the train and test data
X_train, X_test, Y_train, Y_test = load_data()
```

```
X_train.shape
```

 (7352, 128, 9)

```
timesteps = len(X_train[0])
input_dim = len(X_train[0][0])
n_classes = _count_classes(Y_train)

print("Timesteps:", timesteps)
print("Input dimension:", input_dim)
print("Shape of X_train:", X_train.shape)
print("Shape of X_test:", X_test.shape)
print("Shape of Y_train:", Y_train.shape)
print("Shape of Y_test:", Y_test.shape)
```

 Timesteps: 128
Input dimension: 9
Shape of X_train: (7352, 128, 9)
Shape of X_test: (2947, 128, 9)
Shape of Y_train: (7352, 6)
Shape of Y_test: (2947, 6)

▼ Defining 'plt_la' function

```
# Defining 'plt_la' function
```

```
# https://gist.github.com/greydanus/f6eee59eaf1d90fcb3b534a25362cea4
# https://stackoverflow.com/a/14434334
# this function is used to update the plots for each epoch and error
```

```
def plt_la(x, vy, ty, ax, t, colors=['b']):

    if t == 'loss':
        ax.plot(x, vy, 'b', label="Validation Loss")
        ax.plot(x, ty, 'r', label="Train Loss")
        plt.title("Epoch vs Loss")
        plt.legend()
        plt.grid()

    if t == 'acc':
        ax.plot(x, vy, 'b', label="Validation Accuracy")
        ax.plot(x, ty, 'r', label="Train Accuracy")
        plt.title("Epoch vs Accuracy")
        plt.legend()
```

```
plt.grid()
```

▼ Defining a function 'plotting' to visualize epoch vs loss

```
# Defining a function 'plotting' to visualize epoch vs loss
```

```
def plotting(history, t):
```

```
    fig,ax = plt.subplots(1,1)
```

```
    ax.set_xlabel('epoch') ; ax.set_ylabel('Categorical Crossentropy')
```

```
    # list of epoch numbers
```

```
    x = list(range(1,epochs+1))
```

```
    # print(history.history.keys())
```

```
    # dict_keys(['val_loss', 'val_acc', 'loss', 'acc'])
```

```
    # history = model_drop.fit(X_train, Y_train, batch_size=batch_size, epochs=nb_epoch, verbose
```

```
    # we will get val_loss and val_acc only when you pass the paramter validation_data
```

```
    # val_loss : validation loss
```

```
    # val_acc : validation accuracy
```

```
    # loss : training loss
```

```
    # acc : train accuracy
```

```
    # for each key in history.history we will have a list of length equal to number of epochs
```

```
    if t == 'loss':
```

```
        vy = history.history['val_loss']
```

```
        ty = history.history['loss']
```

```
        plt_la(x, vy, ty, ax, t)
```

```
    if t == 'acc':
```

```
        vy = history.history['val_acc']
```

```
        ty = history.history['acc']
```

```
        plt_la(x, vy, ty, ax, t)
```

```
    return vy, ty
```

▼ Parameters

LSTM layers: 1 LSTM units: 64 Dropout rate: 0.25

```
n_hidden = 64
```

```
model_1 = Sequential()
```

```
# 1 LSTM layer
model_1.add(LSTM(n_hidden, input_shape = (timesteps, input_dim)))      # 1 LSTM

model_1.add(Dropout(0.25))
model_1.add(Dense(n_classes, activation = 'sigmoid'))
model_1.compile(loss = 'binary_crossentropy', optimizer = 'rmsprop', metrics = ['accuracy'])
print(model_1.summary())
```



Layer (type)	Output Shape	Param #
=====		
lstm_2 (LSTM)	(None, 64)	18944
=====		
dropout_2 (Dropout)	(None, 64)	0
=====		
dense_2 (Dense)	(None, 6)	390
=====		
Total params: 19,334		
Trainable params: 19,334		
Non-trainable params: 0		
=====		
None		

```
history_1 = model_1.fit(X_train, Y_train, epochs = epochs, batch_size = batch_size, validation
```

```
# Final evaluation of the model
scores_1 = model_1.evaluate(X_test, Y_test, verbose = 1)
```



Train on 7352 samples, validate on 2947 samples

Epoch 1/15

7352/7352 [=====] - 88s 12ms/step - loss: 0.3254 - acc: 0.8677

Epoch 2/15

7352/7352 [=====] - 89s 12ms/step - loss: 0.2366 - acc: 0.8976

Epoch 3/15

7352/7352 [=====] - 88s 12ms/step - loss: 0.1806 - acc: 0.9270

Epoch 4/15

7352/7352 [=====] - 87s 12ms/step - loss: 0.1347 - acc: 0.9525

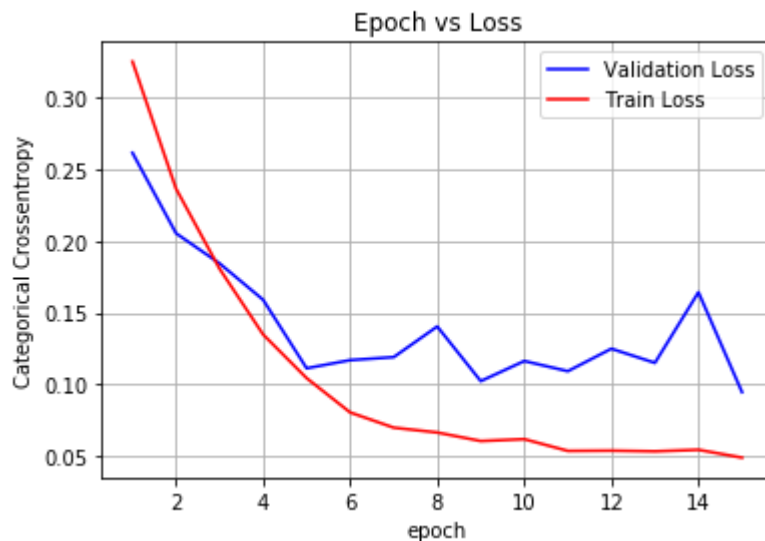
Epoch 5/15

7352/7352 [=====] - 87s 12ms/step - loss: 0.1042 - acc: 0.9647

▼ Calling 'plotting' function to visualize epoch vs loss

```
from keras.callbacks import Callback
```

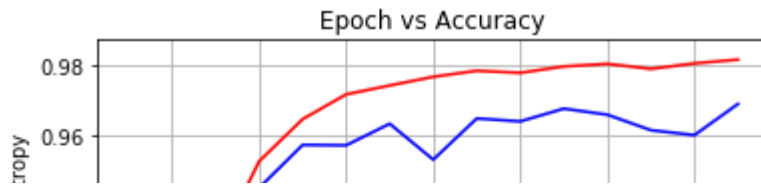
```
v_l_1, t_l_1 = plotting(history_1, 'loss')
```



▼ Calling 'plotting' function to visualize epoch vs accuracy

```
v_a_1, t_a_1 = plotting(history_1, 'acc')
```





▼ Observation

```
tr_a_1 = np.round(max(t_a_1),3)
va_a_1 = np.round(max(v_a_1),3)

print("Train accuracy:", tr_a_1)
print("Validation accuracy:", va_a_1, '\n')
```

```
tr_l_1 = np.round(min(t_l_1),3)
va_l_1 = np.round(min(v_l_1),3)

print("Train loss:", tr_l_1)
print("Validation loss:", va_l_1)
```



Train accuracy: 0.982
Validation accuracy: 0.969

Train loss: 0.049
Validation loss: 0.094

▼ Confusion Matrix

```
# Confusion Matrix
print(confusion_matrix(Y_test, model_1.predict(X_test)))
```



Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS	\
True						
LAYING	530	7	0	0		0
SITTING	0	417	71	1		0
STANDING	0	126	405	1		0
WALKING	0	4	2	454		23
WALKING_DOWNSTAIRS	0	0	0	0		406
WALKING_UPSTAIRS	0	4	2	4		3

Pred	WALKING_UPSTAIRS
True	
LAYING	0
SITTING	2
STANDING	0
WALKING	13
WALKING_DOWNSTAIRS	14
WALKING_UPSTAIRS	458

▼ Observations

1.Laying: 530 correctly predicted and 0 wrongly predicted. 2.Sitting: 417 correctly predicted and 141 v correctly predicted and 75 wrongly predicted. 4.Walking: 454 correctly predicted and 6 wrongly predic predicted and 26 wrongly predicted. 6.Walking_Upstairs: 458 correctly predicted and 29 wrongly pred sitting shows more error when compared to other activities.

▼ Parameters

1.LSTM layers: 2 2.LSTM units: 100 3.Dropout rate: 0.5

```
n_hidden_2 = 100
```

```
model_2 = Sequential()
```

```
# 2 LSTM layer
```

```
model_2.add(LSTM(n_hidden_2, input_shape = (timesteps, input_dim), return_sequences = True))
```

```
model_2.add(Dropout(0.50))
```

```
model_2.add(LSTM(n_hidden_2)) # 2 LSTM
```

```
model_2.add(Dropout(0.50))
```

```
model_2.add(Dense(n_classes, activation = 'sigmoid'))
```

```
model_2.compile(loss = 'binary_crossentropy', optimizer = 'rmsprop', metrics = ['accuracy'])
```

```
print(model_2.summary())
```



Layer (type)	Output Shape	Param #
=====		
lstm_3 (LSTM)	(None, 128, 100)	44000

dropout_3 (Dropout)	(None, 128, 100)	0

lstm_4 (LSTM)	(None, 100)	80400

dropout_4 (Dropout)	(None, 100)	0

dense_3 (Dense)	(None, 6)	606
=====		
Total params: 125,006		
Trainable params: 125,006		
Non-trainable params: 0		

None		

```
history_2 = model_2.fit(X_train, Y_train, epochs = epochs, batch_size = batch_size , validati
```

```
# Final evaluation of the model
```

```
scores_2 = model_2.evaluate(X_test, Y_test, verbose = 1)
```



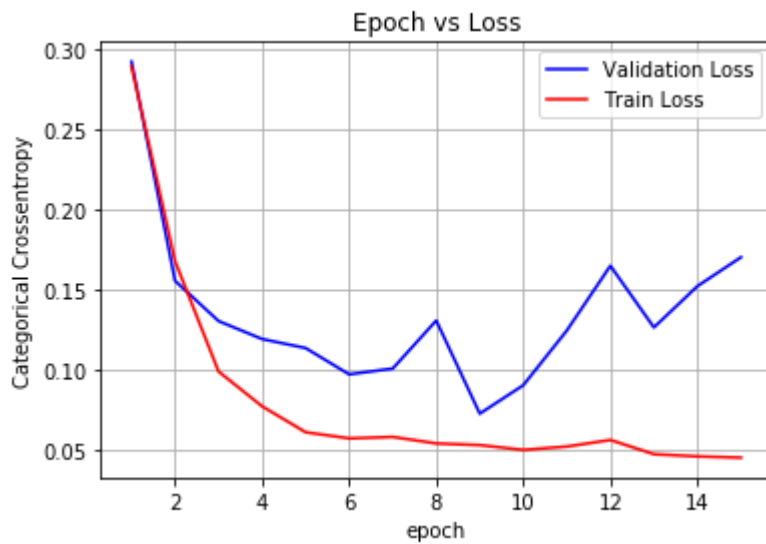
Train on 7352 samples, validate on 2947 samples

```
Epoch 1/15
7352/7352 [=====] - 175s 24ms/step - loss: 0.2893 - acc: 0.8780
Epoch 2/15
7352/7352 [=====] - 175s 24ms/step - loss: 0.1678 - acc: 0.9347
Epoch 3/15
7352/7352 [=====] - 176s 24ms/step - loss: 0.0990 - acc: 0.9662
Epoch 4/15
7352/7352 [=====] - 177s 24ms/step - loss: 0.0773 - acc: 0.9728
Epoch 5/15
7352/7352 [=====] - 174s 24ms/step - loss: 0.0611 - acc: 0.9777
Epoch 6/15
7352/7352 [=====] - 174s 24ms/step - loss: 0.0573 - acc: 0.9802
Epoch 7/15
7352/7352 [=====] - 175s 24ms/step - loss: 0.0582 - acc: 0.9778
Epoch 8/15
7352/7352 [=====] - 172s 23ms/step - loss: 0.0541 - acc: 0.9805
Epoch 9/15
7352/7352 [=====] - 175s 24ms/step - loss: 0.0531 - acc: 0.9800
Epoch 10/15
7352/7352 [=====] - 173s 24ms/step - loss: 0.0501 - acc: 0.9810
Epoch 11/15
7352/7352 [=====] - 175s 24ms/step - loss: 0.0522 - acc: 0.9811
Epoch 12/15
7352/7352 [=====] - 173s 23ms/step - loss: 0.0563 - acc: 0.9813
Epoch 13/15
7352/7352 [=====] - 173s 24ms/step - loss: 0.0474 - acc: 0.9826
Epoch 14/15
7352/7352 [=====] - 173s 24ms/step - loss: 0.0460 - acc: 0.9818
Epoch 15/15
7352/7352 [=====] - 172s 23ms/step - loss: 0.0453 - acc: 0.9833
2947/2947 [=====] - 12s 4ms/step
```

▼ Calling 'plotting' function to visualize epoch vs loss

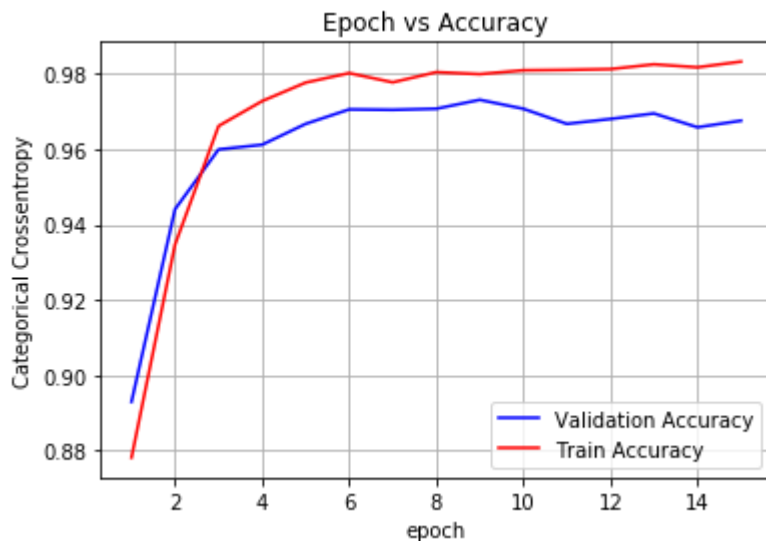
```
v_l_2, t_l_2 = plotting(history_2, 'loss')
```





▼ Calling 'plotting' function to visualize epoch vs accuracy

```
v_a_2, t_a_2 = plotting(history_2, 'acc')
```



▼ Observation

```
tr_a_2 = np.round(max(t_a_2),3)
va_a_2 = np.round(max(v_a_2),3)

print("Train accuracy:", tr_a_2)
print("Validation accuracy:", va_a_2, '\n')

tr_l_2 = np.round(min(t_l_2),3)
va_l_2 = np.round(min(v_l_2),3)

print("Train loss:", tr_l_2)
print("Validation loss:", va_l_2)
```



Train accuracy: 0.983
Validation accuracy: 0.973

Train loss: 0.045
Validation loss: 0.893

▼ Confusion Matrix

```
# Confusion Matrix
print(confusion_matrix(Y_test, model_2.predict(X_test)))
```



Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS	\
True						
LAYING	515	0	0	0		0
SITTING	4	374	94	0		0
STANDING	0	53	478	1		0
WALKING	0	0	0	474		22
WALKING_DOWNSTAIRS	0	0	0	34		383
WALKING_UPSTAIRS	0	0	0	34		11

Pred	WALKING_UPSTAIRS
True	
LAYING	22
SITTING	19
STANDING	0
WALKING	0
WALKING_DOWNSTAIRS	3
WALKING_UPSTAIRS	426

▼ Observations

1.Laying: 515 correctly predicted and 4 wrongly predicted. 2.Sitting: 374 correctly predicted and 53 wrongly predicted and 94 wrongly predicted. 4.Walking_Downstairs: 383 correctly predicted and 33 wrongly predicted and 69 wrongly predicted. 6.Walking_Upstairs: 426 correctly predicted and 44 wrongly predicted

▼ Parameters

1.LSTM layers: 3 2.LSTM units: 150 3.Dropout rate: 0.75

```
n_hidden_3 = 150
```

```
model_3 = Sequential()
```

```
# 3 LSTM layer
```

```
model_3.add(LSTM(n_hidden_3, input_shape = (timesteps, input_dim), return_sequences = True))
```

```
model_3.add(Dropout(0.75))
```

```
model_3.add(LSTM(n_hidden_3, return_sequences = True))    # 2 LSTM
```

```
model_3.add(Dropout(0.75))
```

```
model_3.add(LSTM(n_hidden_3))                            # 3 LSTM
```

```
model_3.add(Dropout(0.75))
```

```
model_3.add(Dense(n_classes, activation = 'sigmoid'))
```

```
model_3.compile(loss = 'binary_crossentropy', optimizer = 'rmsprop', metrics = ['accuracy'])
```

```
print(model_3.summary())
```



Layer (type)	Output Shape	Param #
=====		
lstm_5 (LSTM)	(None, 128, 150)	96000

dropout_5 (Dropout)	(None, 128, 150)	0

lstm_6 (LSTM)	(None, 128, 150)	180600

dropout_6 (Dropout)	(None, 128, 150)	0

lstm_7 (LSTM)	(None, 150)	180600

dropout_7 (Dropout)	(None, 150)	0

dense_4 (Dense)	(None, 6)	906
=====		
Total params: 458,106		
Trainable params: 458,106		
Non-trainable params: 0		

None		

```
history_3 = model_3.fit(X_train, Y_train, epochs = epochs, batch_size = batch_size, validation
```

```
# Final evaluation of the model
```

```
scores_3 = model_3.evaluate(X_test, Y_test, verbose = 1)
```



Train on 7352 samples, validate on 2947 samples

Epoch 1/15

7352/7352 [=====] - 274s 37ms/step - loss: 0.3115 - acc: 0.8689

Epoch 2/15

7352/7352 [=====] - 270s 37ms/step - loss: 0.2096 - acc: 0.9048

Epoch 3/15

7352/7352 [=====] - 267s 36ms/step - loss: 0.1670 - acc: 0.9239

Epoch 4/15

7352/7352 [=====] - 265s 36ms/step - loss: 0.1069 - acc: 0.9632

Epoch 5/15

7352/7352 [=====] - 266s 36ms/step - loss: 0.0702 - acc: 0.9755

Epoch 6/15

7352/7352 [=====] - 265s 36ms/step - loss: 0.0611 - acc: 0.9792

Epoch 7/15

7352/7352 [=====] - 265s 36ms/step - loss: 0.0675 - acc: 0.9786

Epoch 8/15

7352/7352 [=====] - 266s 36ms/step - loss: 0.0636 - acc: 0.9788

Epoch 9/15

7352/7352 [=====] - 265s 36ms/step - loss: 0.0623 - acc: 0.9802

Epoch 10/15

7352/7352 [=====] - 264s 36ms/step - loss: 0.0553 - acc: 0.9816

Epoch 11/15

7352/7352 [=====] - 265s 36ms/step - loss: 0.0559 - acc: 0.9822

Epoch 12/15

7352/7352 [=====] - 263s 36ms/step - loss: 0.0605 - acc: 0.9811

Epoch 13/15

7352/7352 [=====] - 264s 36ms/step - loss: 0.0523 - acc: 0.9827

Epoch 14/15

7352/7352 [=====] - 263s 36ms/step - loss: 0.0652 - acc: 0.9807

Epoch 15/15

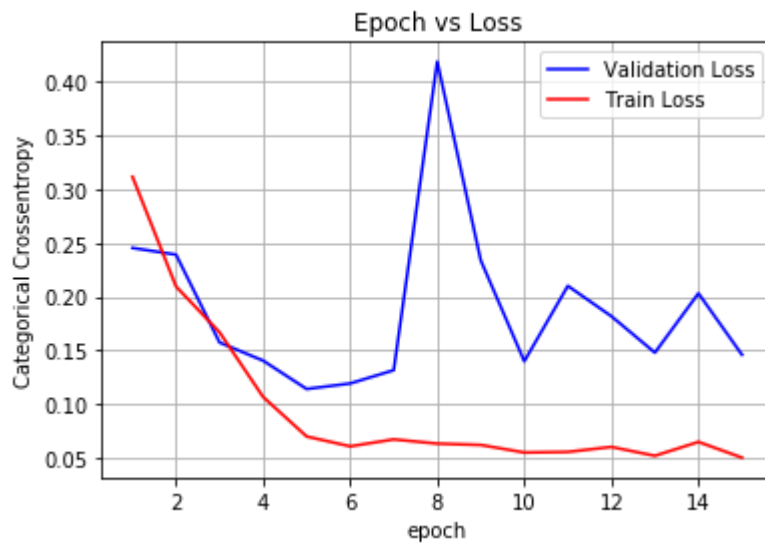
7352/7352 [=====] - 265s 36ms/step - loss: 0.0505 - acc: 0.9830

2947/2947 [=====] - 17s 6ms/step

▼ Calling 'plotting' function to visualize epoch vs loss

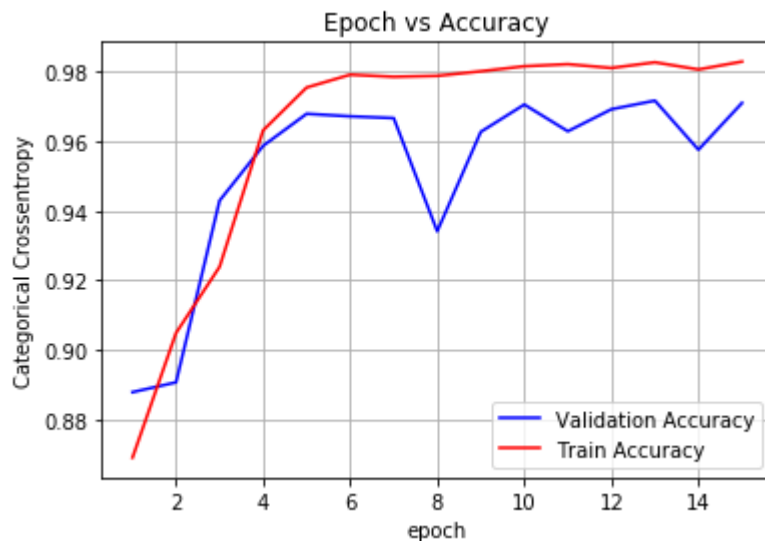
```
v_l_3, t_l_3 = plotting(history_3, 'loss')
```





▼ Calling 'plotting' function to visualize epoch vs accuracy

```
v_a_3, t_a_3 = plotting(history_3, 'acc')
```



▼ Observation

```
tr_a_3 = np.round(max(t_a_3),3)
va_a_3 = np.round(max(v_a_3),3)

print("Train accuracy:", tr_a_3)
print("Validation accuracy:", va_a_3, '\n')

tr_l_3 = np.round(min(t_l_3),3)
va_l_3 = np.round(min(v_a_3),3)

print("Train loss:", tr_l_3)
print("Validation loss:", va_l_3)
```



Train accuracy: 0.983
Validation accuracy: 0.972

Train loss: 0.051
Validation loss: 0.888

▼ Confusion Matrix

```
# Confusion Matrix
print(confusion_matrix(Y_test, model_3.predict(X_test)))
```



Pred	LAYING	SITTING	STANDING	WALKING	WALKING_DOWNSTAIRS	\
True						
LAYING	537	0	0	0		0
SITTING	2	425	57	0		0
STANDING	0	115	414	0		0
WALKING	0	0	0	443		11
WALKING_DOWNSTAIRS	0	0	0	5		410
WALKING_UPSTAIRS	0	0	0	2		8

Pred	WALKING_UPSTAIRS
True	
LAYING	0
SITTING	7
STANDING	3
WALKING	42
WALKING_DOWNSTAIRS	5
WALKING_UPSTAIRS	461

Observations

1.Laying: 537 correctly predicted and 2 wrongly predicted. 2.Sitting: 425 correctly predicted and 115 v correctly predicted and 57 wrongly predicted. 4.Walking: 443 correctly predicted and 7 wrongly predic predicted and 19 wrongly predicted. 6.Walking_Upstairs: 461 correctly predicted and 57 wrongly pred

▼ Pretty Table

```
from prettytable import PrettyTable
```

```
print('\n')
a = PrettyTable()
a.field_names = ['S.No', 'LSTM Units', 'LSTM Layers', 'Drop Out', 'Test Loss', 'Test Accuracy']
a.add_row([1, 64, 1, 0.25, va_l_1, va_a_1])
a.add_row([2, 100, 2, 0.5, va_l_2, va_a_2])
a.add_row([3, 150, 3, 0.75, va_l_3, va_a_3])

print(a.get_string(title = "LSTM 1 and 3 Activation: sigmoid,      Optimizer: adam"))
```



+-----+-----+-----+-----+-----+-----+-----+						
S.No	LSTM Units	LSTM Layers	Drop Out	Test Loss	Test Accuracy	
+-----+-----+-----+-----+-----+-----+-----+						
1	64	1	0.25	0.094	0.969	
2	100	2	0.5	0.893	0.973	
3	150	3	0.75	0.888	0.972	
+-----+-----+-----+-----+-----+-----+-----+						

▼ CONCLUSIONS:

1.Import dataset 2.Apply Exploratory Data Analysis 3.Clean the data 4.feature engineering 5.visualize Lstm,while applying prepare data and obtain confusion matrix then do Lstm Hyperparameter tuning. / layers and dropout rate is actually resulting in increase in accuracy and loss. Accuracy:As LSTM layer 0.25, accuracy is increased by 0.2%.