

CMPUT 325: NON-PROCEDURAL PROGRAMMING LANGUAGES

Introduction to Assignment 2

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ASSIGNMENT 2

- LISP and Functional Programming
 - 15 marks
- Two parts:
 - Part I : Programming in LISP
 - 11 marks
 - Due on Sunday, February 28th, 11:55 pm.
 - Part II: A Quiz on Functional Programming
 - 4 marks
 - Due on Monday, March 1st, 11:55 pm.

PART I: THE PROGRAMMING ASSIGNMENT

- Task: is to implement an Interpreter in LISP
 - for a given functional language named FL
 - Interpreter: itself a program that executes a given program.
- FL is similar to the toy language FUN discussed in the class.

FL-INTERP: THE INTERPRETER FOR FL

- Implement a function **fl-interp**

- Signature of fl-interp:

(fl-interp E P)

- where, P is given program in FL and E is a valid Expression in FL,
 - Program P is a collection of functions
- **fl-interp** returns the result of evaluating E with respect to P.

SYNTAX OF FL (1)

- Does not have **defun** to define a function.
- Instead a function is defined in the following way:

$$\mathbf{f(X1,...,Xn) = Exp}$$

- **f** is the name of the function you want to define
- **X1,...,Xn** are the list of parameters that f accepts
- **Exp** is the expression in FL that implements f
- Example:
 - `square (x) = (* x x)`
 - $f \rightarrow \text{square}$
 - $X1,...,Xn \rightarrow x$
 - $\text{Exp} \rightarrow (* x x)$

SYNTAX OF FL (2)

- Restrictions:
 - We consider:
 - **Higher-order functions** that take a function as an input but do not return a function as the output.
 - But, No Lambda Notations.

SYNTAX OF FL (3)

- function application:
 - $(f\ e_1\ \dots\ e_n)$
 - f is the function name and e_1, \dots, e_n are its arguments
 - concrete values that replaces parameters equals by equals
- Example:
 - $P = (\text{xmember } (X\ L) = \dots)$
 - Function applicaiton: $(\text{xmember } a\ (b\ c\ d\ a))$
 - $(\text{fl-interp } '(\text{xmember } a\ (b\ c\ d\ a))\ '((\text{xmember } (X\ L) = \dots)))$

18 PRIMITIVE FUNCTIONS TO IMPLEMENT

The following primitive functions must be implemented. The meanings of these functions are the same as those in Lisp, where *first* and *rest* are identified with *car* and *cdr*, respectively.

```
(if x y z)
(null x)
(atom x)
(eq x y)
(first x)
(rest x)
(cons x y)
(equal x y)
(number x) return T (true) if x is a number, NIL otherwise.
           Same as (numberp x) in Lisp
(+ x y)
(- x y)
(* x y)
(> x y)
(< x y)
(= x y)
(and x y)
(or x y)
(not x)
```

As in Lisp, we use the atom NIL for the truth value false, and **anything else represents true when evaluated** as a boolean expression.

Unlike Lisp, **always return the constants T and NIL for all the boolean functions you implement**, such as equal, =, and, ...

CONTROL FLOW INSIDE THE INTERPRETER (1)

- Evaluation of a function application
→ by replacing equals by equals.

- Example:

function application: $(f\ e_1\ \dots\ e_n)$

function definition: $(f\ (X_1\ \dots\ X_n) = \text{Body})$

- Replace $(f\ e_1\ \dots\ e_n)$ by Body
- and in Body, replace each occurrence of

X_1 with e_1 ,

X_2 with e_2 ,

....

X_n with e_n

CONTROL FLOW INSIDE THE INTERPRETER (1)

- Reduction:
 - Each step of evaluation is called reduction.
 - Performed repeatedly until no more reduction is possible.
 - **Goal of the interpreter**: to reduce a given expression to a normal form using the definitions in the given program
- fl-interp should implement ***applicative order reduction***

CONTROL FLOW INSIDE THE INTERPRETER (2)

- *applicative order reduction*
 - the arguments be evaluated before a function is applied
 - applies the (leftmost) innermost function first.

Suppose P is

```
(  
  (f (X Y) = (+ X Y))  
  (g (X) = (+ 1 X))  
)
```

Consider applicative order reduction of (f (g 2) (g 1)).

```
(f (g 2) (g 1))  
=> (f (+ 1 2) (g 1))  
=> (f 3 (g 1))  
=> (f 3 (+ 1 1))  
=> (f 3 2)  
=> (+ 2 3)  
=> 5
```

In contrast, normal order reduction applies the outermost leftmost applicable function first.

```
(f (g 2) (g 1))  
=> (+ (g 2) (g 1)) ; f is applied even if its arguments have not been evaluated  
=> (+ (+ 1 2) (g 1))  
=> (+ 3 (g 1))  
=> (+ 3 (+ 1 1))  
=> (+ 3 2)  
=> 5
```

SOME EDGE CASES

- A function is identified by its name and arity.

$(f\ (X\ Y) = (\text{cons}\ X\ Y))$

$(f\ 5) \rightarrow \text{invalid}$

$(f\ 5\ 6) \rightarrow \text{valid}$

- functions with the same function name but different arities are considered different functions

MARKING GUIDELINE

Marking Guide

Here is how we are going to determine partial marks.

1. [4 marks]

Your interpreter works for primitive functions. We will use the call pattern

```
(fl-interp Exp nil)
```

to check on this. [Review some examples.](#)

2. [7 marks]

Your interpreter works for user-defined functions. This is the major part of this assignment. We will use the call pattern

```
(fl-interp Exp P)
```

where P is nonempty to test your interpreter. We will develop a variety of test cases for this purpose. TA will provide some test cases later.

START WITH A GIVEN SKELETON PROGRAM ...

Skeleton Program

```
(defun fl-interp (E P)
  (cond
    ((atom E) E)    %this includes the case where E is nil or a number
    (t
     (let ( (f (car E)) (arg (cdr E)) )
       (cond
         ; handle built-in functions
         ((eq f 'first) (car (fl-interp (car arg) P)))
         .....

         ; if f is a user-defined function,
         ;   then evaluate the arguments
         ;   and apply f to the evaluated arguments
         ;   (applicative order reduction)
         .....

         ; otherwise f is undefined (not intended to be a function),
         ; the E is returned, as if it is quoted in lisp
```

IMPORTANT POINTS TO REMEMBER

- Programming Assignment is due on **Sunday, Feb 28 at 11:55 pm**
- Quiz for this Assignment is due on **Monday, March 1 at 11:55 pm**
- Submission file: **<yourID.lisp>**
- Allowed functions for programming assignment:
<https://eclass.srv.ualberta.ca/mod/page/view.php?id=4830015>