# ECE 420 Assignment 1

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## 1 Flynn's Taxonomy

#### 1.1 SISD

SISD stands for Single Instruction Stream, Single Data Stream. A SISD system has a single uniprocessor, which executes a single instruction stream to operate on data stored in a single.

An example that would fit in this category is a single core superscalar processor like the AMD 29050 Reference: https://en.wikipedia.org/wiki/Superscalar\_processor

#### 1.2 SIMD

SIMD stands for Single Instruction Stream, Multiple Data Stream. A SIMD system has multiple processing units which all simultaneously do the same operation on multiple points in a data pool in a synchronized fashion.

An example that would fit in this category is a modern graphics processing unit, like the AMD Radeon  $6900~\mathrm{XT}$ 

#### 1.3 MISD

MISD stands for Multiple Instruction Stream, Single Data Stream. A MISD system has multiple processing units performing different operations on the same data simultaneously. It can be used for reliability or fault tolerance, if the same operation is being done multiple times on the same data.

An example of an MISD system is the computer responsible for the Space Shuttle flight control. The Space Shuttle is also known as the low orbit spacecraft that helped launch the Hubble telescope, among other space missions. References: https://en.wikipedia.org/wiki/MISD#cite\_note-1 https://en.wikipedia.org/wiki/Space\_Shuttle

#### 1.4 MIMD

MIMD stands for Multiple Instruction Stream, Multiple Data Stream. A MIMD system has many processing units which each perform operations independently

from each other at the same time. That is, each unit can be doing different operations on different pieces of data at any given time.

An example of a MIMD system is almost any modern multicore processor, like the AMD Ryzen 9 5950X. Another example could be a computer cluster, or a network of workstations.

### 2 Shared Memory vs Distributed Memory

#### 2.1 Shared Memory

#### 2.1.1 Pros

- user friendly programming perspective to memory
- data sharing between tasks is fast and uniform

#### 2.1.2 Cons

- no scalability between memory and CPUs
- if you want more power,

### 2.2 Distributed Memory

#### 2.2.1 Pros

- memory is scalable with the number of processors
- this is cost effective, because lots of cheap, commodity hardware can be used as opposed to upgrading a monolithic, more expensive structure

### 2.2.2 Cons

- data communication between processors is more difficult
- it is difficult to map existing data structures to the memory organization
- memory access times can be very different. For example, local access times vs over a network access times can be much slower compared to a MIMD system
- more overhead for the programmer. The programmer has to think about message passing

### 3 Amdahl's Law

1. If y fraction of a serial program cannot be parallelized, 1/y is an upper bound on the speedup of its parallel program, no matter how many processing elements are used.

*Proof.* If y is the fraction of a serial program that cannot be parallelized, then the fraction x which is the fraction of the program that can be parallelized is found by:

$$x = (1 - y) \tag{1}$$

According to Amdahl's law, the upper limit for speedup of a parallel program is:

$$\lim_{p \to \infty} S(p) \le \frac{1}{1 - x} \tag{2}$$

where p is the number of processing elements.

Substituting equation 1 into 2, we get:

$$\lim_{p \to \infty} S(p) \le \frac{1}{1 - (1 - y)} \tag{3}$$

Simplifying 3, we get:

$$\lim_{p \to \infty} S(p) \le \frac{1}{y} \tag{4}$$

This proves that 1/y is an upper bound for the speedup of a program, no matter how many processing elements are used, given that y is the fraction of a serial program that cannot be parallelized

## 4 Efficiency

Given:

p is the number of processors, n is the problem size, and

$$T_{serial} = n$$

and

$$T_{parallel} = \frac{n}{p} + \log_2(p)$$

Using Amdahl's law, Efficiency is:

$$E(p) = \frac{S(p)}{p} = \frac{T_{serial}/T_{parallel}}{p}$$

Substituting the above equations, we get

$$E(p) = \frac{n}{p(\frac{n}{p} + \log_2(p))}$$

This simplifies to

$$E(p) = \frac{n}{n + p \log_2 p}$$

If we increase p by a factor of k, how much would we need to increase n by a factor of say, q?

$$\frac{n}{n+p\log_2 p} = \frac{qn}{qn+pk\log_2 pk}$$

$$\frac{1}{n+p\log_2 p} = \frac{q}{qn+pk\log_2 pk}$$

$$qn+pk\log_2(pk) = qn+qp\log_2 p$$

$$pk\log_2(pk) = qp\log_2 p$$

$$k\log_2(pk) = q\log_2 p$$

$$q = \frac{k\log_2(pk)}{\log_2 p}$$

Thus, we can clearly see that if p is increased by a factor of k, the factor q which n would also have to be increased by to maintain the same efficiency is not equal to k.

There is one interesting result: If you were to somehow have infinite processors p:

$$\lim_{p\to\infty}\frac{k\log_2(pk)}{\log_2 p}=k$$

so, if there were infinite processors, n would increase at the same rate as p, but this theoretical scenario does not make much sense haha.

## 5 Question 5

The two programs have different output. The first program always has an exit code of 10, while the second program seems to return a random number.

What's going on here is that in program 1, the memory is allocated on the heap, while in program 2, the memory is allocated on the stack. In the first program, because the memory is allocated on the heap, it is available globally to the entire program, including other threads, until the program ends, or until the memory is manually freed. The memory allocated for pointer b is set to the value of 10, and when the thread exits, the memory is left unchanged because free() has not been called on it. This is why the correct value of 10 is printed out by the program. In program 2, the pointer b points to a variable allocated on the stack. This is not good! When the thread exits, that region of memory is freed because the number variable goes out of scope. That leaves b pointing to an unallocated region in memory, and this can cause undefined behaviour. This is why I get random numbers on my machine. When the number variable in program 2 goes out of scope, the pointer to that value is known as a dangling pointer.