

## Matrix Reduction (matred)

Alex and Andrei are playing a game on an  $N \times M$  matrix filled with non-negative integers. The rows of the matrix are numbered from 1 to  $N$  (from top to bottom), and the columns are numbered from 1 to  $M$  (from left to right).

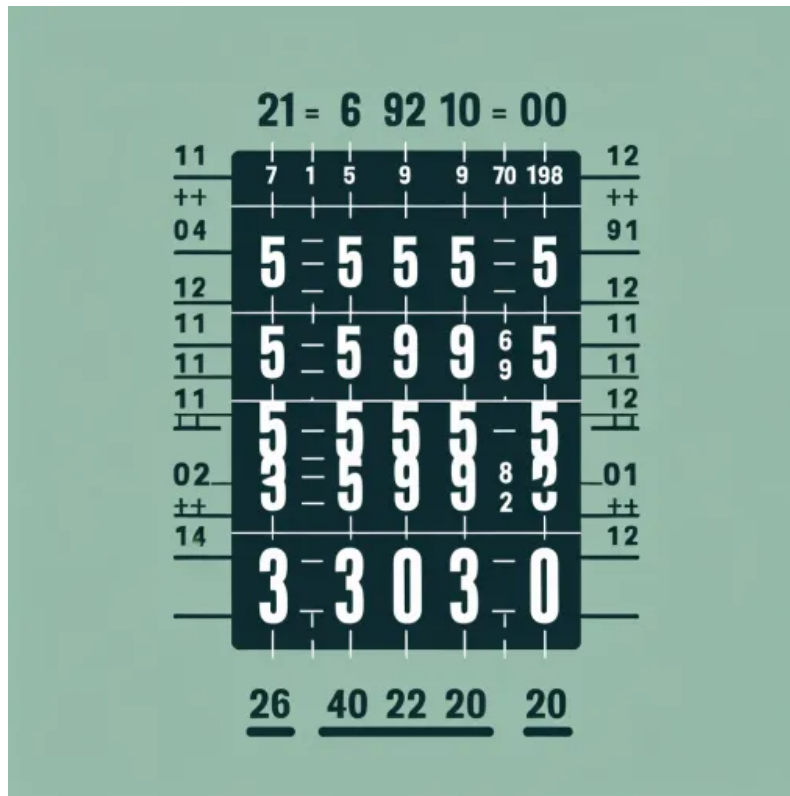


Figure 1: A matrix of numbers.

Alex is allowed to perform the following operation any number of times:

- Choose a horizontal or vertical  $1 \times 3$  subrectangle.
- Select an integer  $V$ .
- Add  $V$  to all numbers in the chosen subrectangle, ensuring that no number becomes negative.

Andrei believes that Alex **cannot** make all the numbers in the matrix zero within at most  $2 \cdot N \cdot M$  operations.

Alex is determined to prove him wrong – but since he hasn't learned addition at school yet, he needs your help. Can you determine whether Alex can reduce the entire matrix to zero within the given limit?

Among the attachments of this task you may find a template file `matred.*` with a sample incomplete implementation.

## Input

The first line of the input contains two integers:  $N$  and  $M$ .

Each of the next  $N$  lines contains  $M$  non-negative integers, representing the elements of the matrix.

## Output

First, print "YES" if it is possible to make all  $A_{i,j}$  equal to zero within at most  $2 \cdot N \cdot M$  operations. Otherwise, print "NO".

If the answer is "YES", proceed with the following output:

- Print an integer  $R$ , the number of operations performed.
- Print  $R$  lines, each describing an operation in the format:  
 $X_1 \ Y_1 \ X_2 \ Y_2 \ V$   
where  $(X_1, Y_1)$  are the coordinates of the top-left corner of the chosen subrectangle,  $(X_2, Y_2)$  are the coordinates of the bottom-right corner of the subrectangle (that is,  $X_1 \leq X_2$  and  $Y_1 \leq Y_2$ ), and  $V$  is the integer added to all elements within the subrectangle.






If there are multiple valid solutions, you can print any of them.

## Constraints

- $3 \leq N \leq 500$ .
- $3 \leq M \leq 500$ .
- $0 \leq A_{i,j} \leq 1000$  for each  $i = 1 \dots N$  and  $j = 1 \dots M$ .
- $-10^9 \leq V \leq 10^9$ .

## Scoring

Your program will be tested against several test cases grouped in subtasks. In order to obtain the score of a subtask, your program needs to correctly solve all of its test cases.

- |   |                                  |
|---|----------------------------------|
| – Subtask 1 (0 points)  | Examples.                        |
|  |                                  |
| – Subtask 2 (14 points)   | $N \leq 6, M \leq 6$ .           |
|  |                                  |
| – Subtask 3 (25 points)   | $N = 3$ or $M = 3$ .             |
|  |                                  |
| – Subtask 4 (7 points)  | All numbers $A_{i,j}$ are equal. |
|  |                                  |
| – Subtask 5 (54 points)   | No additional limitations.       |
|  |                                  |

## Examples

input	output
3 3 1 5 1 2 6 2 8 12 8	YES 6 1 1 1 3 8 2 1 2 3 7 3 1 3 3 1 1 1 3 1 -9 1 2 3 2 -13 1 3 3 3 -9
3 3 1 5 0 2 6 2 8 12 8	NO

## Explanation

In the **first sample case**, there are multiple valid solutions, with the sample output being one of them.

In the **second sample case** it can be proven that no sequence of at most  $2 \cdot N \cdot M = 18$  operations will lead to a matrix containing only zeros.