Skewed Distribution





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But continuous variable?





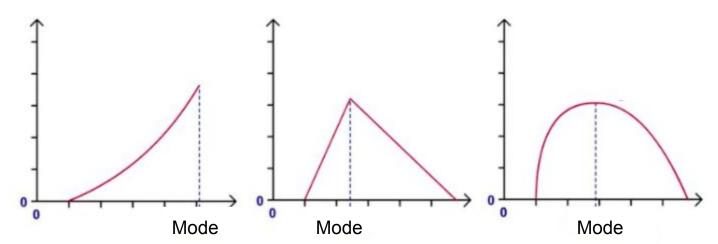
Mode for Continuous Variable

The mode of a continuous random variable corresponds to the value at which the probability density function reaches maximum, or a peak.



Mode for Continuous Variable

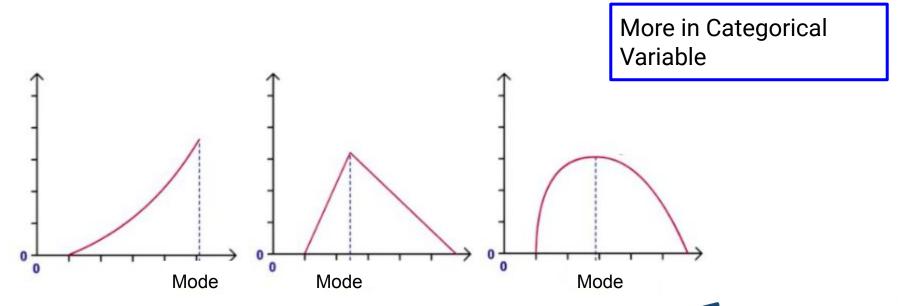
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Mode for Continuous Variable

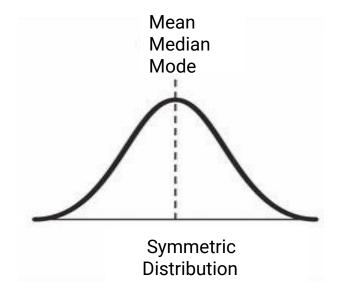
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Positive Skewness if the tail on the right side of the distribution is longer



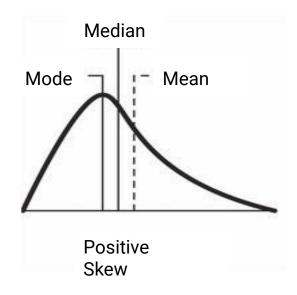
Positive Skewness if the tail on the right side of the distribution is longer

The mean and median will be greater than the mode



Positive Skewness if the tail on the right side of the distribution is longer

• The mean and median will be greater than the mode





Negative Skewness if the tail on the left side of the distribution is longer



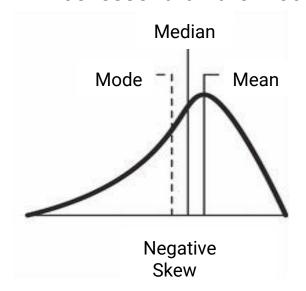
Negative Skewness if the tail on the left side of the distribution is longer

• The mean and median will be lesser than the mode



Negative Skewness if the tail on the left side of the distribution is longer

• The mean and median will be lesser than the mode





Thank You!

