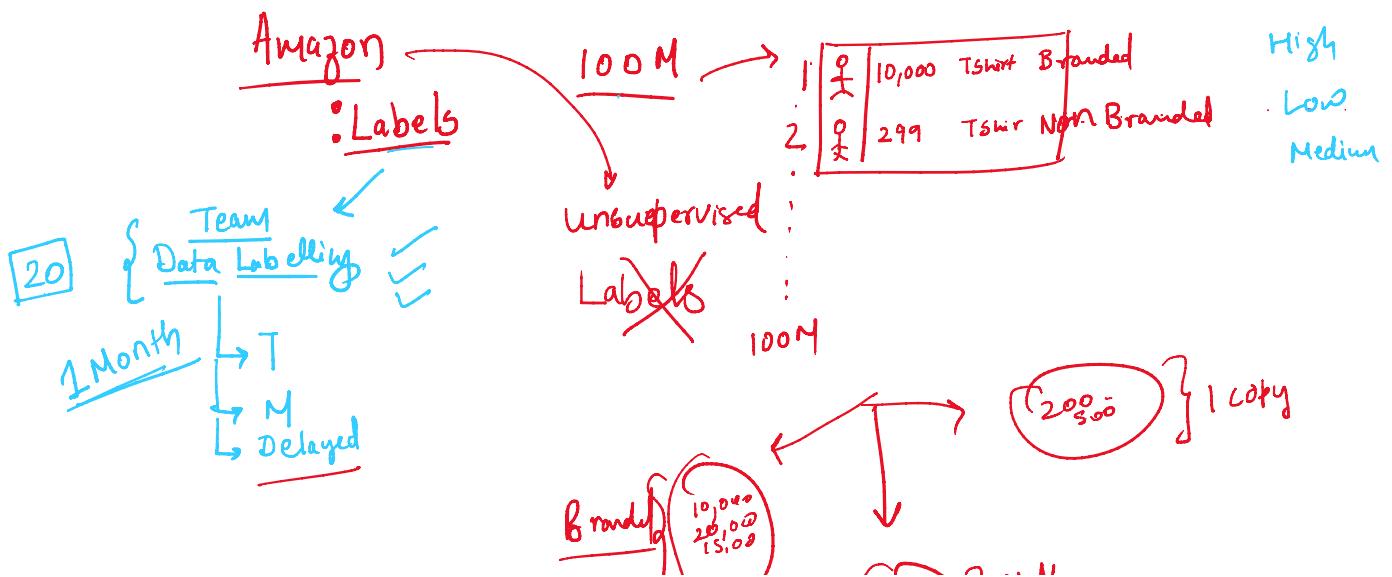
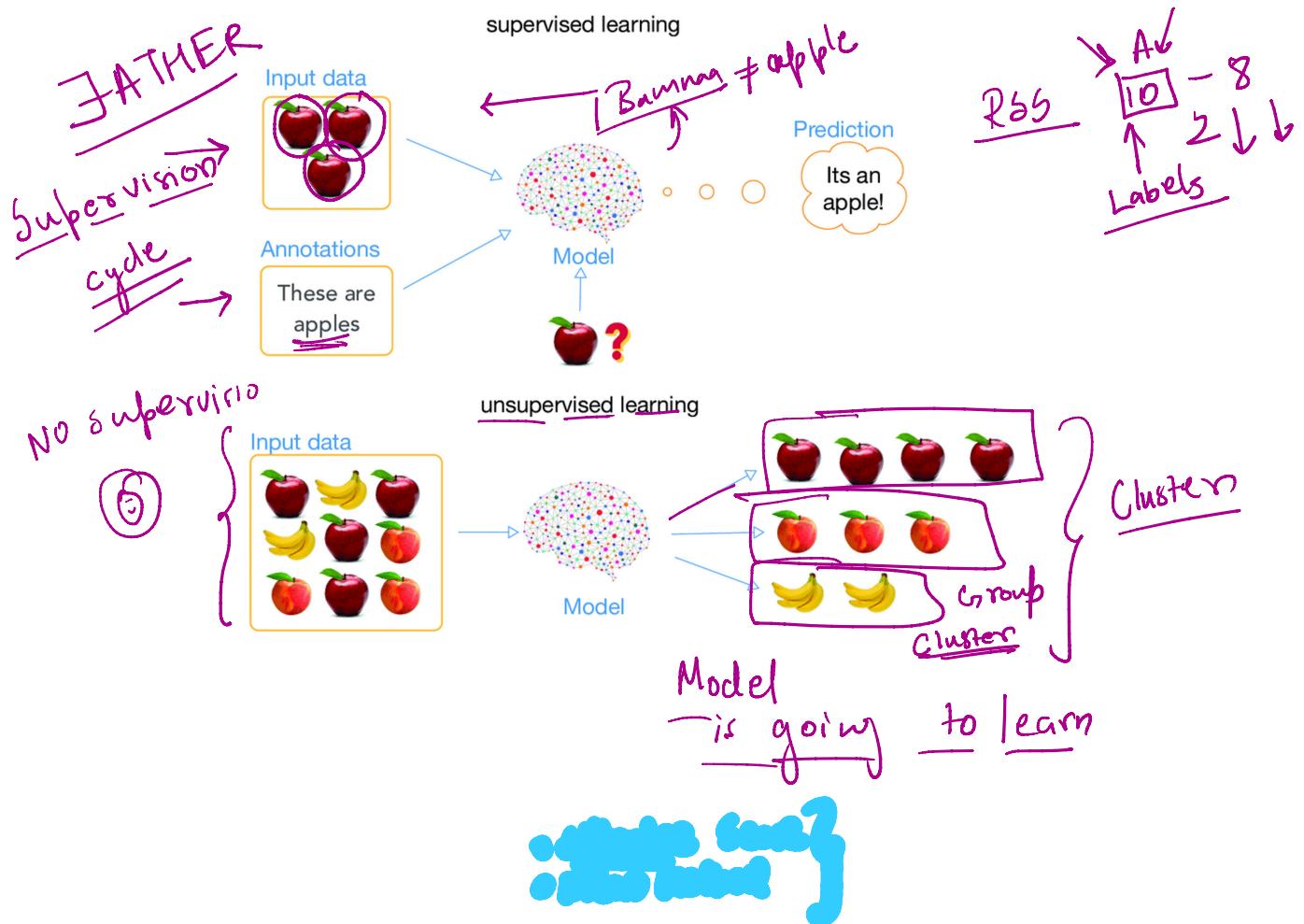
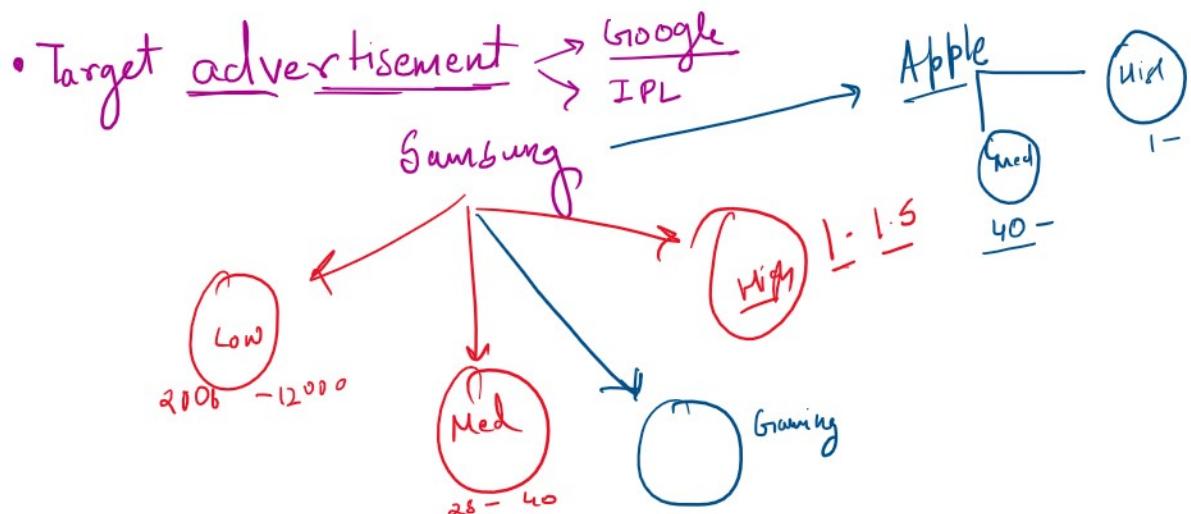
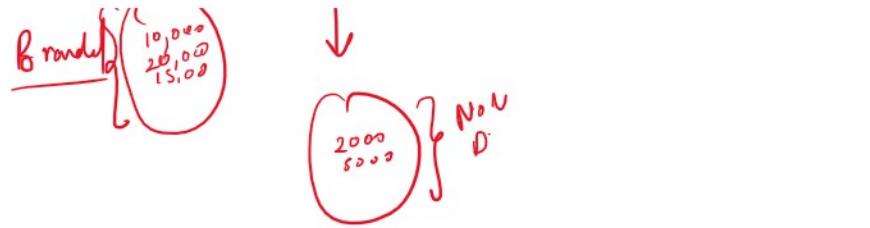
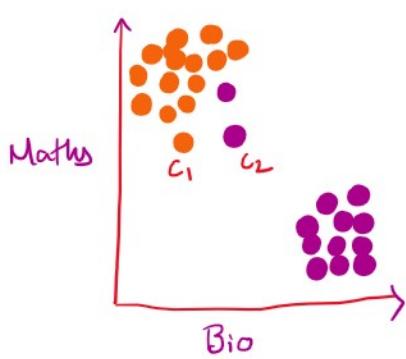


Difference → Supervised and Unsupervised Labels

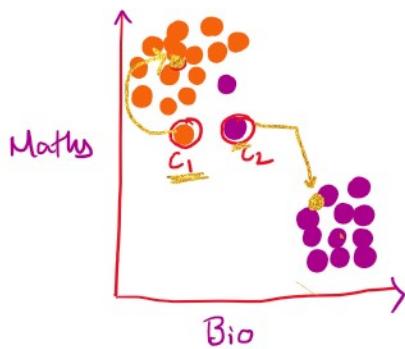




K Means

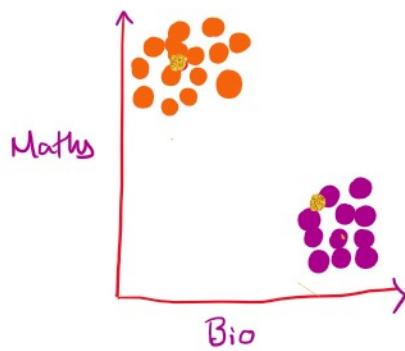


- 2 Step**
- 1 step
 - Randomly assign clusters centroid
- 2 Step Assignment Step



2 Step
 → 1 step **Centroid** for cluster
~~Randomly assign cluster's centroid~~

→ 2 step Assignment Step



2 Step
 → 1 step **Centroid** for cluster
~~Randomly assign cluster's centroid~~

→ 2 step Assignment Step

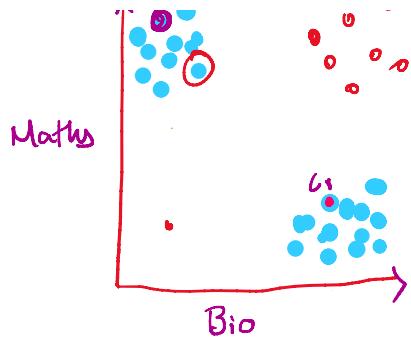
- Pick the first centroid point (C_1) randomly.
 - Compute distance of all points in the dataset from the selected centroid.
- The distance of x_i point from the farthest centroid can be computed by

From <<https://towardsdatascience.com/understanding-k-means-k-means-and-k-medoids-clustering-algorithms-ad9c9fbf47ca>>

K Means + } Smart Cluster centroid



1. Randomly Select 1 Point



1. Randomly Select 1 Point from the given Point

② dist is higher
highest would be your next centroid

③ Calc the dist to its nearest centroid

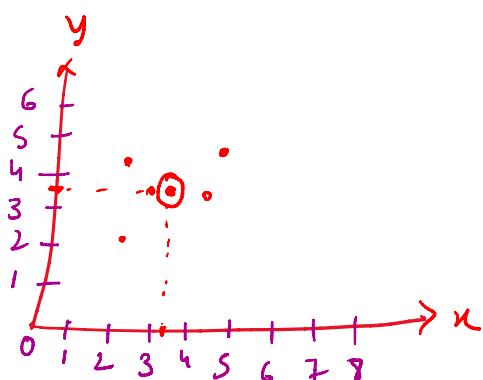
$$E_C = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

x_1, y_1 x_2, y_2
 c₁, y₁ c₂, y₂

Centroid

$$\left\{ \begin{array}{l} x = \frac{2+2+3+4.5+5}{5} \\ \quad = 3.3 \end{array} \right.$$

$$y = \frac{2+3.5+4.5+3.5+4.7}{5} = 3.6$$



K
Means
 Centroid
 ↓
 No. of cluster

SSD_{C_1}

$$d_1^2 + d_2^2$$

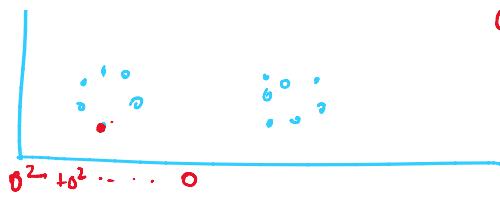
$$\vdots \vdots \vdots \vdots$$

$$\frac{(10)^2}{(5)^2}$$

Elbow → sum of square distance

$$\begin{cases} \text{Cluster } K=1 \rightarrow \frac{SSD}{K=2} = V_1 \\ \quad SSD = V_2 \end{cases}$$

$$\left(\begin{array}{c} + \\ 800 \\ D_2 \end{array} \right) > V_2$$



Cluster K=1

K=2

K=3

⋮

SSD = v1

SSD = v2

⋮

SSD = 0

$$\text{sum } d_1^2 + d_2^2 + \dots + d_n^2 \quad K=n$$

$\left\{ \begin{array}{l} \text{Silhouette} \\ \text{Hierarchical} \end{array} \right\} \rightarrow \left\{ \begin{array}{l} \text{PCA} \\ \text{LDA} \end{array} \right\} \text{ TS}$