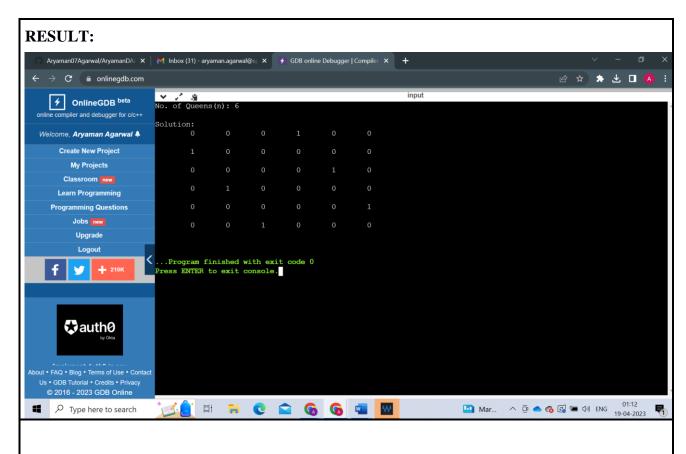
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AIM:	To implement N Queens problem				
PROBLEM STATEMENT:	To implement N Queens problem using backtracking				
ALGORITHM/ THEORY:	The goal of the N Queens problem is to arrange N queens on a NxN chessboard so that no two queens threaten one other. In other words, no two queens may be in the same row, column, or diagonal at the same time.  Backtracking, a general algorithmic approach that includes systematically trying out different solutions and undoing those that don't work until a solution is discovered, can be used to solve the problem.  Algorithm:  1. Start in the leftmost column 2. If all queens are placed, return true 3. Try all rows in the current column. For each row:				
	<ul> <li>a. If the queen can be placed safely in this row and column, mark this cell and recursively try to place the rest of the queens on the board</li> <li>b. If the placement leads to a solution, return true</li> <li>c. If the placement doesn't lead to a solution, unmark this cell and try the next row</li> <li>4. If all rows have been tried and nothing worked, return false to trigger backtracking to the previous column</li> <li>5. Repeat steps 3-4 for the previous column, trying the next row until a solution is found or all solutions have been tried</li> <li>The time complexity of the N Queens problem using backtracking is O(N!), where N is the size of the board.</li> <li>This is because there are N! possible ways to place N queens on an NxN board, and the backtracking algorithm tries all of them.</li> </ul>				

```
Program:
                          #include <stdio.h>
                          #include <stdlib.h>
                          int n;
                          check (int row, int col, int (*arr)[n])
                           for (int i = 0; i < col; i++)
                              if (arr[row][i])
                                   return 0;
                             }
                           for (int i = row, j = col; i >= 0 && j >= 0; i--, j--)
                              if (arr[i][j])
                                   return 0;
                             }
                           for (int i = row, \, j = col; \, j >= 0 \, \&\& \, i < n; \, i++, \, j--)
                              if (arr[i][j])
                                   return 0;
                           return 1;
```

```
queens (int col, int (*arr)[n])
 if (col >= n)
   return 1;
 for (int i = 0; i < n; i++)
   if (check (i, col, arr))
        arr[i][col] = 1;
        if (queens (col + 1, arr))
           return 1;
        arr[i][col] = 0;
  }
 return 0;
void
printBoard (int (*arr)[n])
 for (int i = 0; i < n; i++)
   for (int j = 0; j < n; j++)
        printf ("\t%d ", arr[i][j]);
    printf ("\n^n);
```

```
}
int
main ()
 printf ("No. of Queens(n): ");
 scanf ("%d", &n);
 int arr[n][n];
 for (int i = 0; i < n; i++)
   for (int j = 0; j < n; j++)
        arr[i][j] = 0;
 if (queens (0, arr))
   printf ("\nSolution:\n");
   printBoard (arr);
  }
 else
   printf ("\nSolution doesn't exist.\n");
  }
 return 0;
```



**CONCLUSION:** I understood N Queens problem and implemented it using Backtracking in C. I also learnt about its Time complexity.