

# Effective Predictive Model for Loan Approval Status

## Abstract:

This study focuses on developing a predictive model to accurately determine loan approval status, a critical component in financial decision-making. Utilizing a dataset comprising various applicant attributes such as income levels, credit history, and loan amounts, we employed machine learning techniques to forecast the binary outcome of loan approval - approved or denied. Our approach encompassed data cleaning, handling missing values, and feature engineering to optimize the dataset for analysis. We then implemented a Random Forest classifier, renowned for its efficacy in handling complex, non-linear relationships within data. The model was rigorously evaluated using metrics like accuracy, precision, recall, and the F1 score to ensure its reliability. Additionally, Receiver Operating Characteristic (ROC) curves and the Area Under the Curve (AUC) were analyzed to assess the model's discriminative ability. The results indicated a strong predictive capability, showcasing the potential of machine learning in enhancing decision-making processes in the financial sector. This research contributes to the burgeoning field of financial analytics, offering insights into the application of advanced algorithms for credit risk assessment and providing a framework for financial institutions to improve their loan approval processes.

## Introduction;

In the rapidly changing landscape of financial services, the process of making loan approval decisions is a crucial intersection of technology and economics. The capacity to accurately forecast loan approval outcomes is vitally important for financial institutions to manage risk effectively. It also significantly influences the economic opportunities available to individuals and businesses. Our study is motivated by the need to leverage advanced statistical techniques to enhance these predictions, thereby facilitating more informed and equitable lending decisions.

This research delves into the realm of statistical analysis, utilizing a variety of statistical methods to predict loan approval statuses. The use of statistical techniques in data analysis has a long-standing history, especially in the finance sector, where they play a pivotal role in understanding and modeling complex financial phenomena.

The core objectives of our study include:

- 1. Application of Statistical Methods:** We apply several statistical techniques, including logistic regression and probit models, among others, to predict the binary outcome of loan approvals. These methods are selected for their proven effectiveness in handling various types of data and their ability to reveal underlying relationships between variables.
- 2. Data Preprocessing and Feature Engineering:** Recognizing the impact of data quality on statistical modeling, we undertake comprehensive data preprocessing. This involves addressing missing values, encoding categorical variables, and conducting feature engineering to improve the predictive quality of the dataset.

3. **Comparative Model Evaluation:** A key aspect of our research is the comparative analysis of these statistical models based on crucial performance metrics such as accuracy, precision, recall, the F1 score, and ROC-AUC scores. This thorough evaluation helps us assess not only the accuracy but also the robustness and practical applicability of each model in a real-world financial setting.
4. **Insights for Financial Institutions:** The study aims to provide valuable insights to financial institutions. By understanding the capabilities and limitations of various statistical models in predicting loan approvals, these institutions can enhance their risk assessment processes, potentially leading to more efficient and fair lending practices.

Ultimately, this study is driven by the goal of integrating advanced statistical methodologies into the financial sector. Our aim is to go beyond mere risk mitigation, fostering a more data-driven, transparent, and efficient environment for lending decisions.

## Data Description:

Our study utilizes a comprehensive dataset sourced from a financial institution, specifically designed for assessing loan approval processes. The dataset comprises various attributes that are commonly considered by financial institutions when evaluating loan applications. Below is a detailed description of each variable in the dataset, including their nature and units of measurement where applicable.

1. **Loan\_ID:** A unique identifier for each loan application. This is a nominal variable consisting of alphanumeric characters.
2. **Gender:** The gender of the applicant. This is a categorical variable with two levels: 'Male' and 'Female'.
3. **Married:** Marital status of the applicant. It is a binary categorical variable with 'Yes' indicating married and 'No' indicating unmarried.
4. **Dependents:** The number of dependents relying on the applicant's income. This ordinal variable is categorized as '0', '1', '2', '3+'.
5. **Education:** The educational background of the applicant. This categorical variable includes two levels: 'Graduate' and 'Not Graduate'.
6. **Self\_Employed:** Indicates whether the applicant is self-employed. It is a binary categorical variable with 'Yes' and 'No' as possible values.
7. **ApplicantIncome:** The income of the applicant. This is a continuous variable measured in local currency units (e.g., USD, INR).
8. **CoapplicantIncome:** The income of the co-applicant. This is also a continuous variable and is measured in the same units as the ApplicantIncome.
9. **LoanAmount:** The loan amount requested by the applicant. This is a continuous variable, measured in thousands of local currency units.

10. **Loan\_Amount\_Term:** The term over which the loan is to be repaid. This is a continuous variable, measured in months.
11. **Credit\_History:** A record of past loan repayments. It is a binary categorical variable, where '1' indicates a good credit history and '0' indicates a poor credit history.
12. **Property\_Area:** The type of area where the property is located. This categorical variable includes three levels: 'Urban', 'Semiurban', and 'Rural'.
13. **Loan\_Status:** The outcome variable indicating whether the loan was approved ('Y') or not ('N'). This is the primary binary categorical variable of interest in our analysis.

The data is ideal for statistical analysis due to its diverse range of variables, encompassing demographic, financial, and credit-related attributes.

In our analysis, each of these variables is carefully examined to understand their individual and collective impact on the likelihood of loan approval. The continuous variables such as ApplicantIncome, CoapplicantIncome, and LoanAmount offer quantitative insights, while the categorical variables like Gender, Education, and Property\_Area provide qualitative perspectives. The interplay between these variables is central to our statistical modeling and subsequent predictions regarding loan approvals.

## Goal:

The overarching goal of our project is to utilize the provided dataset to develop a robust statistical model that can accurately predict the outcome of loan applications, specifically determining whether a loan will be approved or denied. This project aims to blend statistical theory with practical application, leveraging the available data to address a critical question in the financial sector: What factors most significantly influence the decision to approve or reject a loan application?

## Research Questions:

### 1. Primary Research Question:

- What are the key determinants that significantly impact the likelihood of loan approval?

### 2. Exploratory Questions:

- How does the applicant's income (both individual and co-applicant) affect the probability of loan approval?
- Does the applicant's gender, marital status, number of dependents, or education level play a significant role in the loan approval process?
- Is there a correlation between the loan amount, its term, and the approval decision?
- Does the credit history of the applicant substantially affect the outcome of the loan application?

- How does the property area (Urban, Semiurban, Rural) relate to the chances of getting a loan approved?

### 3. Model-Specific Questions:

- Among the statistical models employed (such as logistic regression, probit models, etc.), which provides the most accurate predictions for loan approval?
- How do different models compare in terms of key performance metrics like accuracy, precision, recall, F1 score, and ROC-AUC score?

The answers to these questions are intended to provide a comprehensive understanding of the factors influencing loan approval decisions. By addressing these queries, we aim to create a model that not only serves as a predictive tool for financial institutions but also sheds light on the dynamics of loan approval processes, potentially revealing areas for improvement in lending practices and policies.

Ultimately, our project seeks to bridge the gap between statistical theory and real-world financial applications, offering insights that could enhance decision-making processes in the lending industry.

## Statistical Methods:

Our study employs a suite of statistical methods to address the research questions, each chosen for its relevance and efficacy in binary outcome prediction. Below is an overview of the methods used, along with brief technical descriptions.

### 1. Logistic Regression:

- Logistic regression is a popular method for binary classification problems. It models the probability of a binary response based on one or more predictor variables.
- We explored three logistic regression models: the null model (with no predictors), the full model (with all predictors), and a stepwise model (selecting variables based on their statistical significance).

### 2. Probit Model:

- Similar to logistic regression, the probit model is used for binary response data. It differs in that it uses the probit function (the inverse of the cumulative distribution function of the standard normal distribution) to model the relationship.

### 3. Decision Trees:

- Decision trees are a non-parametric supervised learning method used for classification. They split the dataset into branches to form a tree structure based on decision rules inferred from the data.
- The algorithm selects the best attribute at each node to split the data, aiming to maximize the homogeneity of the resulting sub-groups regarding the target variable.

### 4. Random Forest:

- Random Forest is an ensemble learning method that operates by constructing multiple decision trees during training and outputting the mode of the classes for classification. It improves over a single decision tree by reducing the risk of overfitting.
- Each tree is built on a different subset of the data, and the final prediction is made by averaging the predictions from all the trees.

## 5. XGBoost:

- XGBoost (Extreme Gradient Boosting) is an advanced implementation of gradient boosting algorithms. It is highly efficient, flexible, and portable. XGBoost provides a parallel tree boosting that solves many data science problems quickly and accurately.
- The model uses gradient descent to minimize errors in sequential tree building, effectively refining the model with each step.

Each of these methods brings a unique approach to the problem, from the straightforward logistic and probit models focusing on individual variables' effects, to the more complex ensemble methods like Random Forest and XGBoost, which build upon multiple models for enhanced predictive power. The comparative analysis of these methods aims to identify which approach most effectively predicts loan approval outcomes, considering the dataset's specific characteristics and the underlying patterns within the data.

```
df= read.csv("/Users/harshavardhan/Documents/stat/finalpro/loan_data_set.csv")
head(df)
```

	Loan_ID	Gender	Married	Dependents	Education	Self_Employed	ApplicantIncome
1	LP001002	Male	No	0	Graduate	No	5849
2	LP001003	Male	Yes	1	Graduate	No	4583
3	LP001005	Male	Yes	0	Graduate	Yes	3000
4	LP001006	Male	Yes	0	Not Graduate	No	2583
5	LP001008	Male	No	0	Graduate	No	6000
6	LP001011	Male	Yes	2	Graduate	Yes	5417
	CoapplicantIncome	LoanAmount	Loan_Amount_Term	Credit_History	Property_Area		
1	0	NA	360	1	Urban		
2	1508	128	360	1	Rural		
3	0	66	360	1	Urban		
4	2358	120	360	1	Urban		
5	0	141	360	1	Urban		
6	4196	267	360	1	Urban		
	Loan_Status						
1	Y						
2	N						
3	Y						
4	Y						
5	Y						
6	Y						

```
# Remove rows with NA values
df <- na.omit(df)
# Remove rows with empty strings
df <- df[rowSums(df == "") == 0, ]
df_cleaned <- subset(df, select = -Loan_ID)
missing_values <- sapply(df, function(x) sum(is.na(x)))
```

1. **Categorical Variables:** The dataset includes categorical variables like 'Gender', 'Married', 'Dependents', 'Education', 'Self\_Employed', 'Property\_Area', and 'Loan\_Status'. Each of these categories has 480 entries, indicating a complete dataset with no missing values.

## 2. Numerical Variables:

- **ApplicantIncome:** Ranges from a minimum of 150 to a maximum of 81,000, with the median at 3,859 and the mean at 5,364, suggesting a right-skewed distribution.
- **CoapplicantIncome:** Extends from 0 to 33,837, with a median of 1,084 and a mean of 1,581, also indicating a right-skewed distribution.
- **LoanAmount:** Varies between 9 and 600, with a median of 128 and a mean of 144.7, suggesting a relatively symmetric distribution.
- **Loan\_Amount\_Term:** Ranges from 36 to 480, predominantly centered around 360 as indicated by both the median and the most common quartile values.
- **Credit\_History:** A binary variable (ranging from 0 to 1) with a mean of 0.8542, indicating that most applicants have a positive credit history.

## Exploratory Data Analysis

```
#univariate
```

```
summary(df)
```

Loan_ID	Gender	Married	Dependents
Length:480	Length:480	Length:480	Length:480
Class :character	Class :character	Class :character	Class :character
Mode :character	Mode :character	Mode :character	Mode :character

Education	Self_Employed	ApplicantIncome	CoapplicantIncome
Length:480	Length:480	Min. : 150	Min. : 0
Class :character	Class :character	1st Qu.: 2899	1st Qu.: 0
Mode :character	Mode :character	Median : 3859	Median : 1084
		Mean : 5364	Mean : 1581
		3rd Qu.: 5852	3rd Qu.: 2253
		Max. : 81000	Max. : 33837

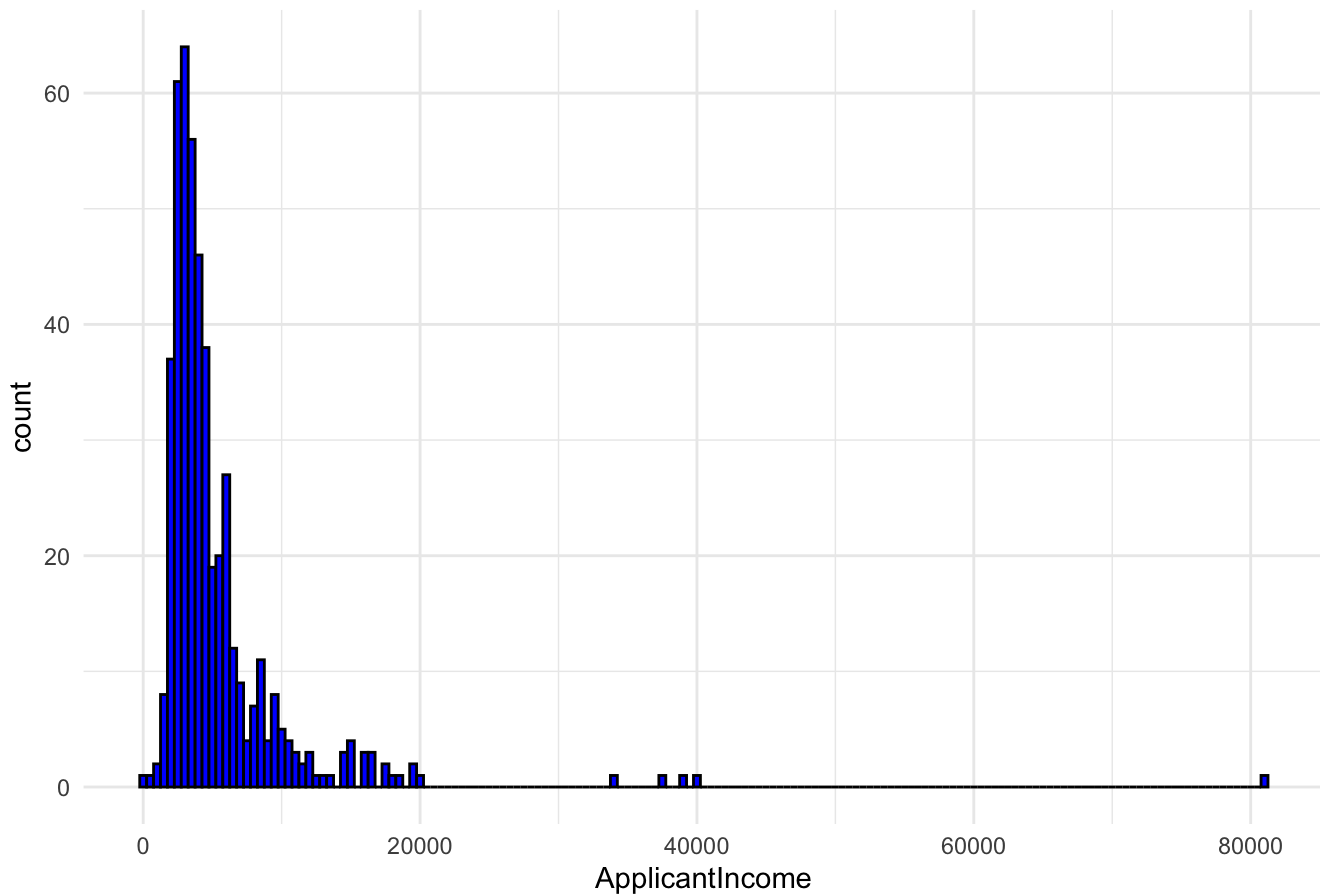
LoanAmount	Loan_Amount_Term	Credit_History	Property_Area
Min. : 9.0	Min. : 36	Min. : 0.0000	Length: 480
1st Qu.: 100.0	1st Qu.: 360	1st Qu.: 1.0000	Class : character
Median : 128.0	Median : 360	Median : 1.0000	Mode : character
Mean : 144.7	Mean : 342	Mean : 0.8542	
3rd Qu.: 170.0	3rd Qu.: 360	3rd Qu.: 1.0000	
Max. : 600.0	Max. : 480	Max. : 1.0000	

Loan\_Status  
Length: 480  
Class : character  
Mode : character

```
# Load necessary library
library(ggplot2)

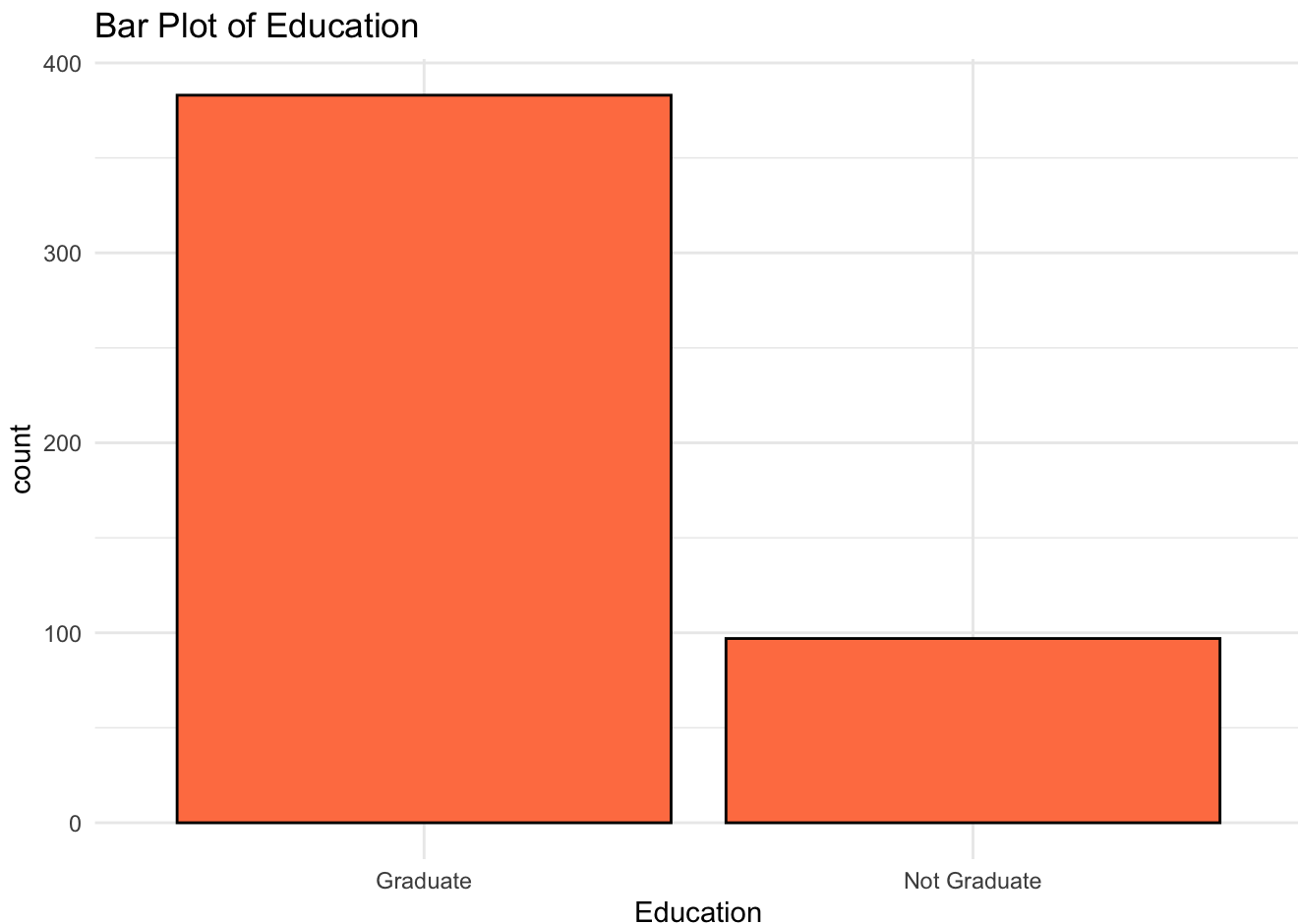
# Histogram for ApplicantIncome
ggplot(df, aes(x = ApplicantIncome)) +
  geom_histogram(binwidth = 500, fill = "blue", color = "black") +
  theme_minimal() +
  ggtitle("Histogram of ApplicantIncome")
```

Histogram of ApplicantIncome





```
# Bar plot for Education
ggplot(df, aes(x = Education)) +
  geom_bar(fill = "coral", color = "black") +
  theme_minimal() +
  ggtitle("Bar Plot of Education")
```



**ApplicantIncome:** Exhibits a right-skewed distribution with most applicants earning a lower income, while a few have substantially higher incomes, indicating significant income disparity among applicants.

**Education:** Reveals that a large proportion of applicants are graduates, suggesting a possible correlation between higher education and the propensity to apply for loans, potentially due to educational expenses or investment in professional growth.

**CoapplicantIncome:** Also right-skewed, many coapplicants report low or zero income, possibly reflecting the scenario where primary applicants do not always have a secondary earner or the coapplicant earns significantly less.

**LoanAmount:** Shows a right-skew but with a tendency toward a normal distribution, centering on lower to mid-range loan values. This pattern might indicate a prevalence of applications for smaller loans, which are likely more frequent and have a higher approval rate.

**Gender:** Indicates more male applicants than female, highlighting a gender gap in loan applications that warrants further exploration to understand any underlying societal or economic factors.



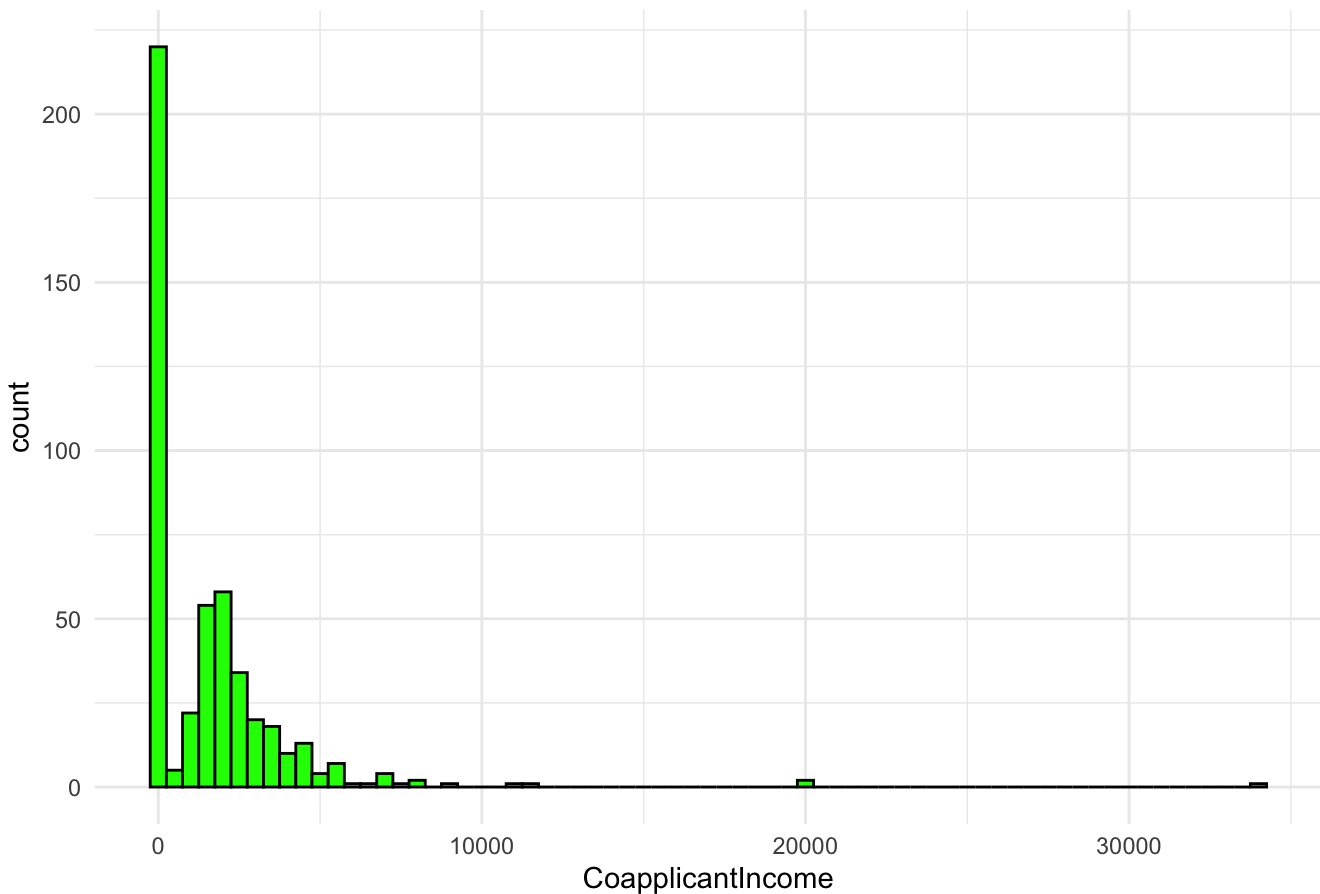
**Married:** Suggests married individuals are more likely to apply for loans, hinting at increased financial needs or joint investments that come with marital responsibilities.

**Loan\_Amount\_Term:** Is predominantly set to 360 months, aligning with standard home loan durations.

**Credit\_History:** The data shows most applicants have a good credit history, a key factor in loan approvals.

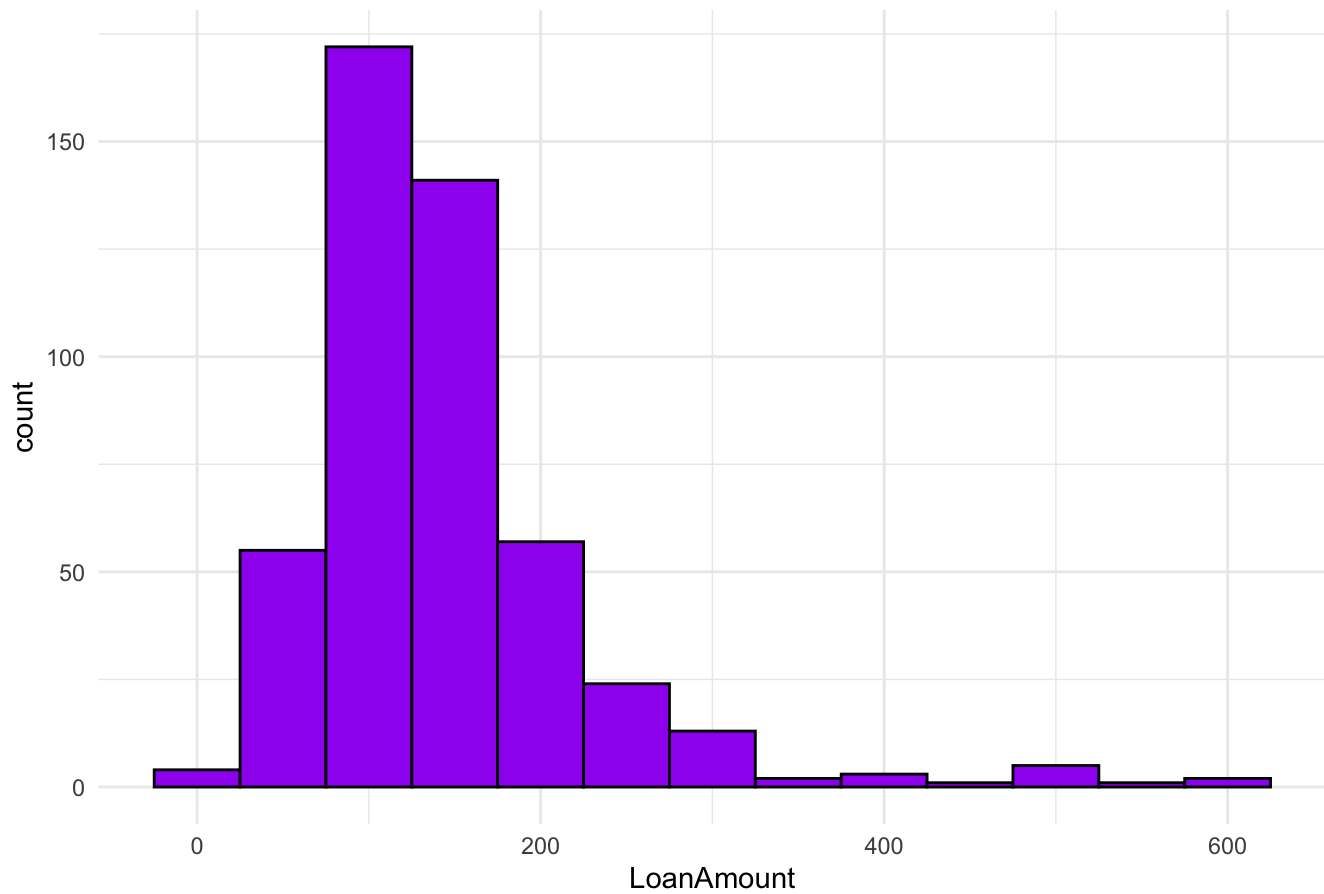
```
#Hidden
# Histogram for CoapplicantIncome
ggplot(df, aes(x = CoapplicantIncome)) +
  geom_histogram(binwidth = 500, fill = "green", color = "black") +
  theme_minimal() +
  ggtitle("Histogram of CoapplicantIncome")
```

Histogram of CoapplicantIncome



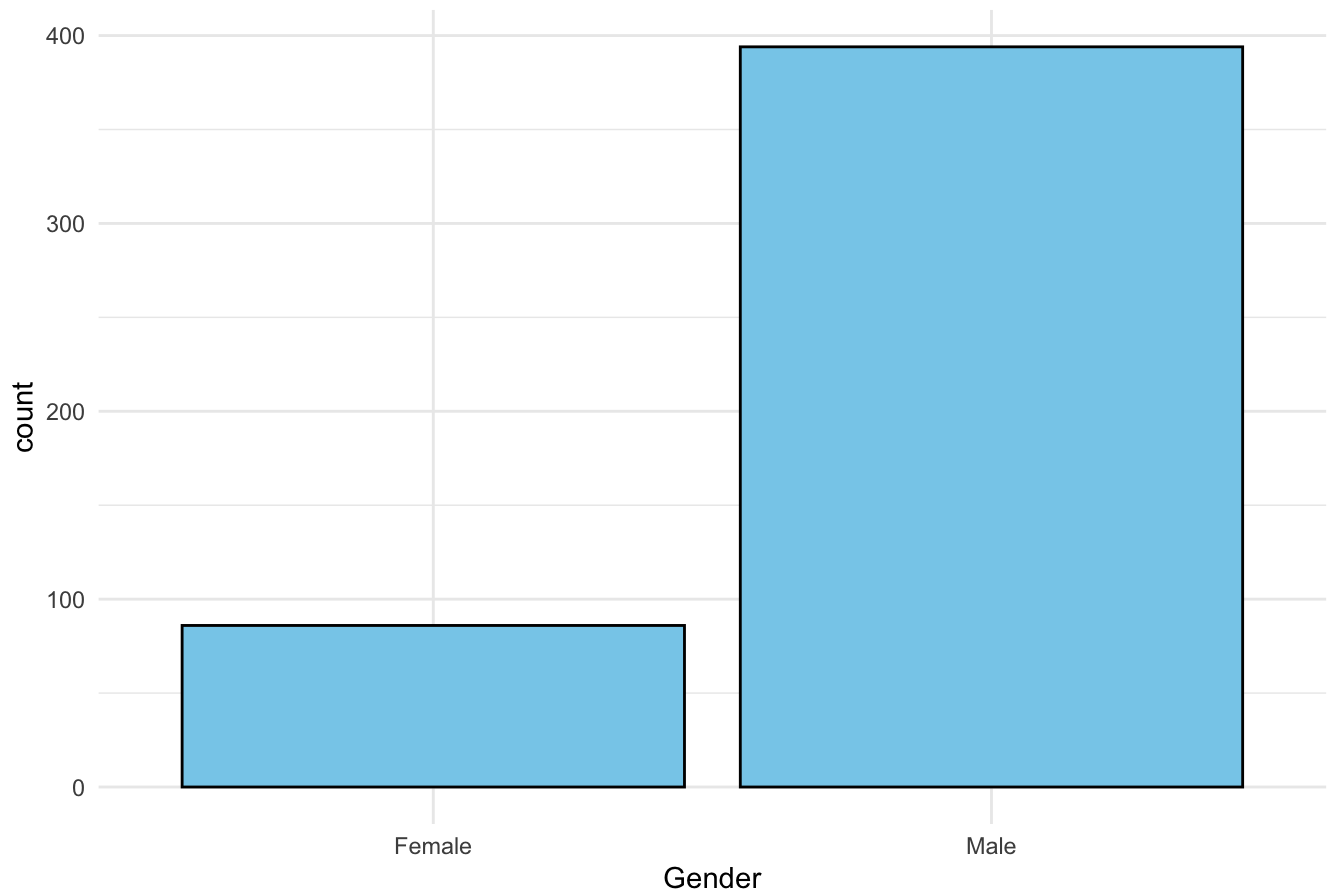
```
# Histogram for LoanAmount
ggplot(df, aes(x = LoanAmount)) +
  geom_histogram(binwidth = 50, fill = "purple", color = "black") +
  theme_minimal() +
  ggtitle("Histogram of LoanAmount")
```

Histogram of LoanAmount



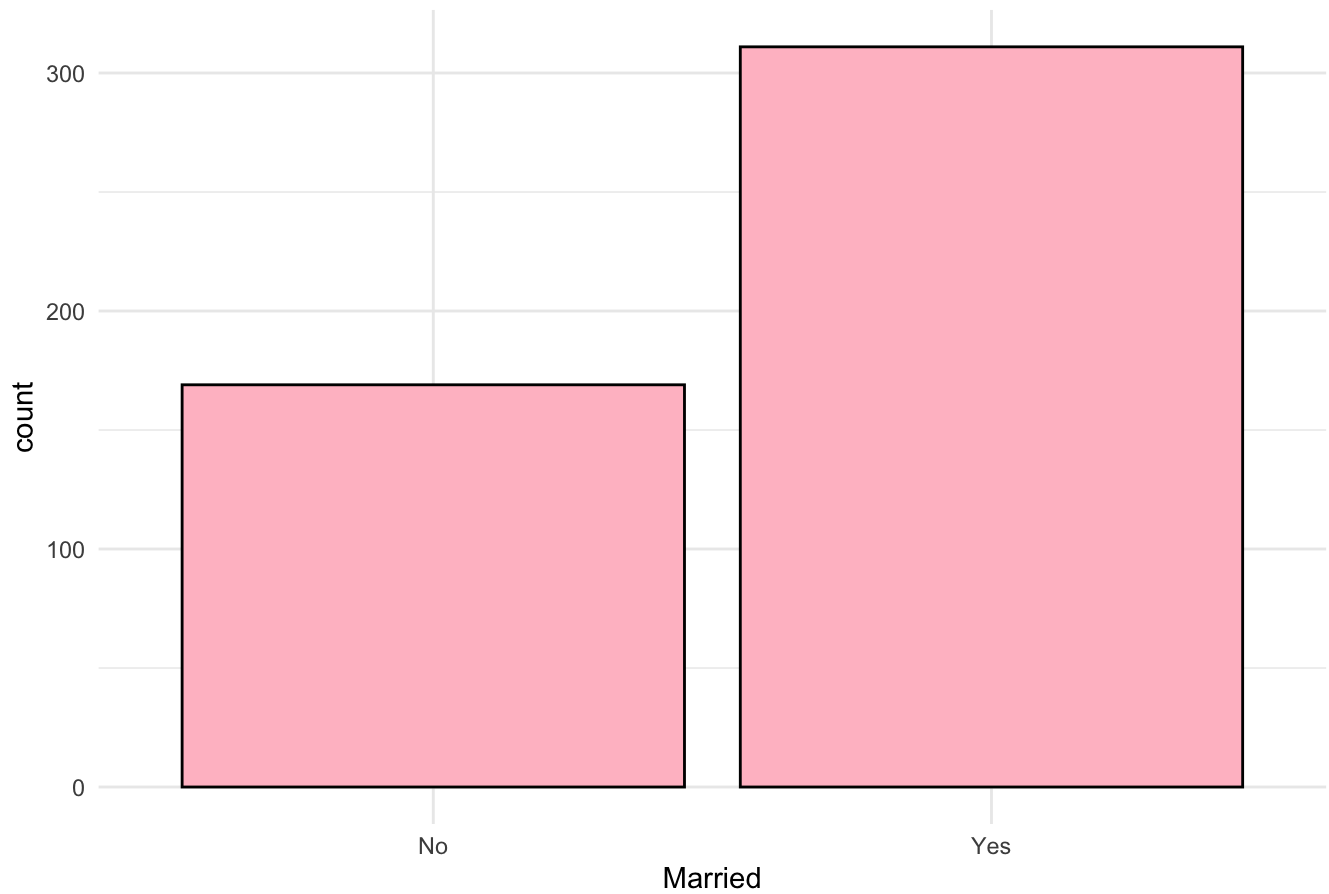
```
# Bar plot for Gender
ggplot(df, aes(x = Gender)) +
  geom_bar(fill = "skyblue", color = "black") +
  theme_minimal() +
  ggtitle("Bar Plot of Gender")
```

Bar Plot of Gender

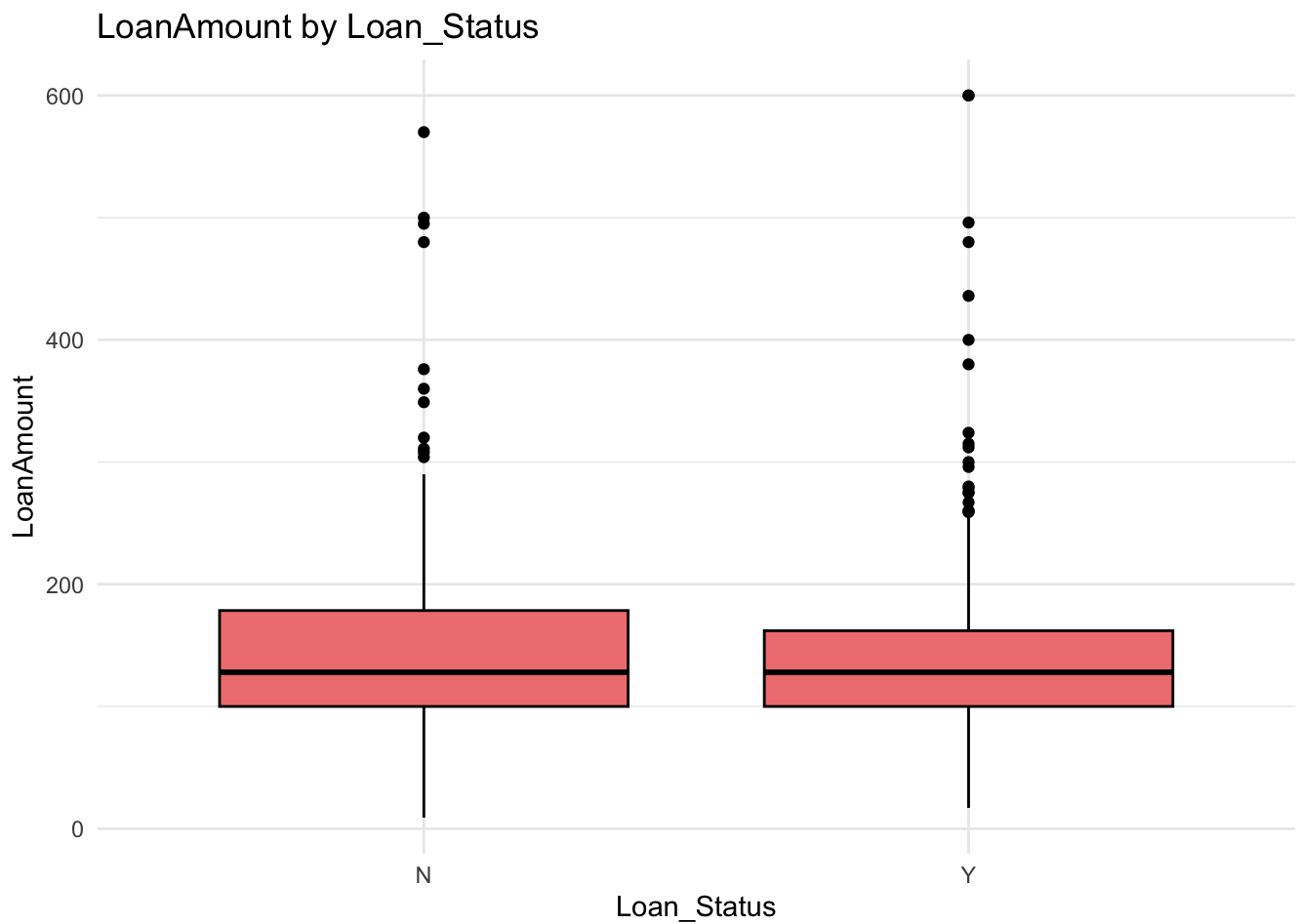


```
# Bar plot for Married
ggplot(df, aes(x = Married)) +
  geom_bar(fill = "pink", color = "black") +
  theme_minimal() +
  ggtitle("Bar Plot of Married")
```

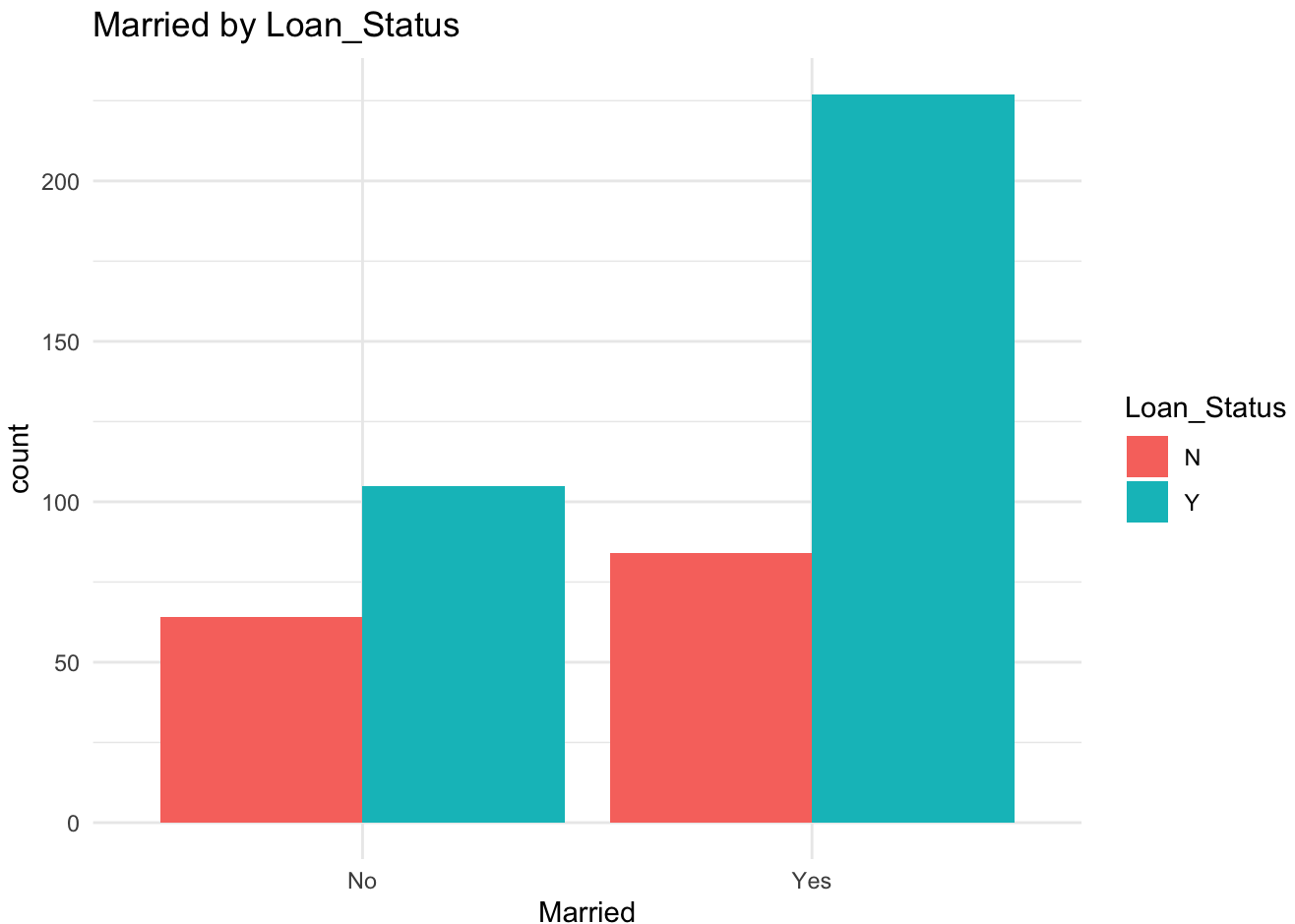
Bar Plot of Married



```
#bivariate
# Boxplot for LoanAmount by Loan_Status
ggplot(df, aes(x = Loan_Status, y = LoanAmount)) +
  geom_boxplot(fill = "lightcoral", color = "black") +
  theme_minimal() +
  ggtitle("LoanAmount by Loan_Status")
```

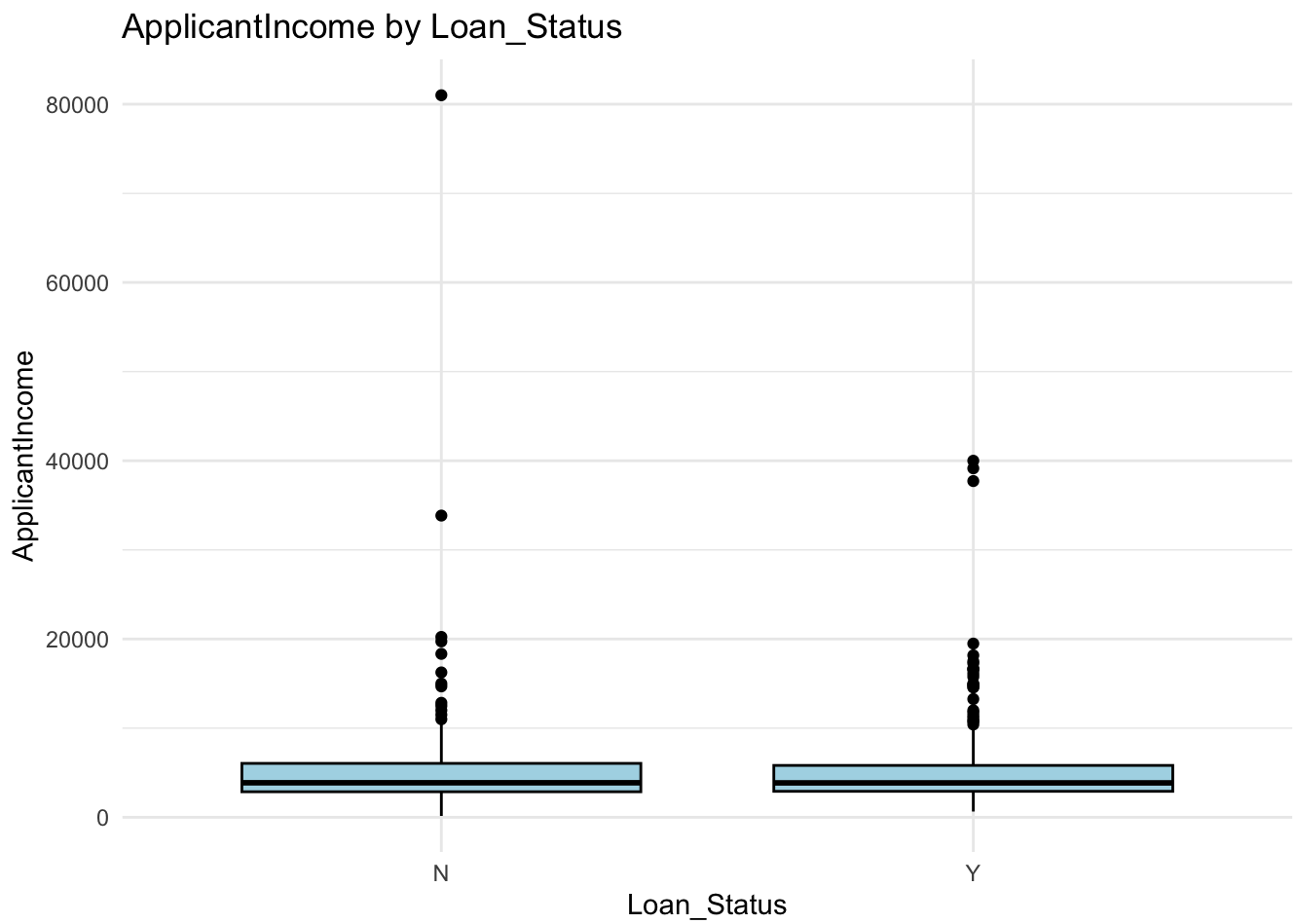


```
# Side-by-side Bar plot for Married by Loan_Status
ggplot(df, aes(x = Married, fill = Loan_Status)) +
  geom_bar(position = "dodge") +
  theme_minimal() +
  ggtitle("Married by Loan_Status")
```



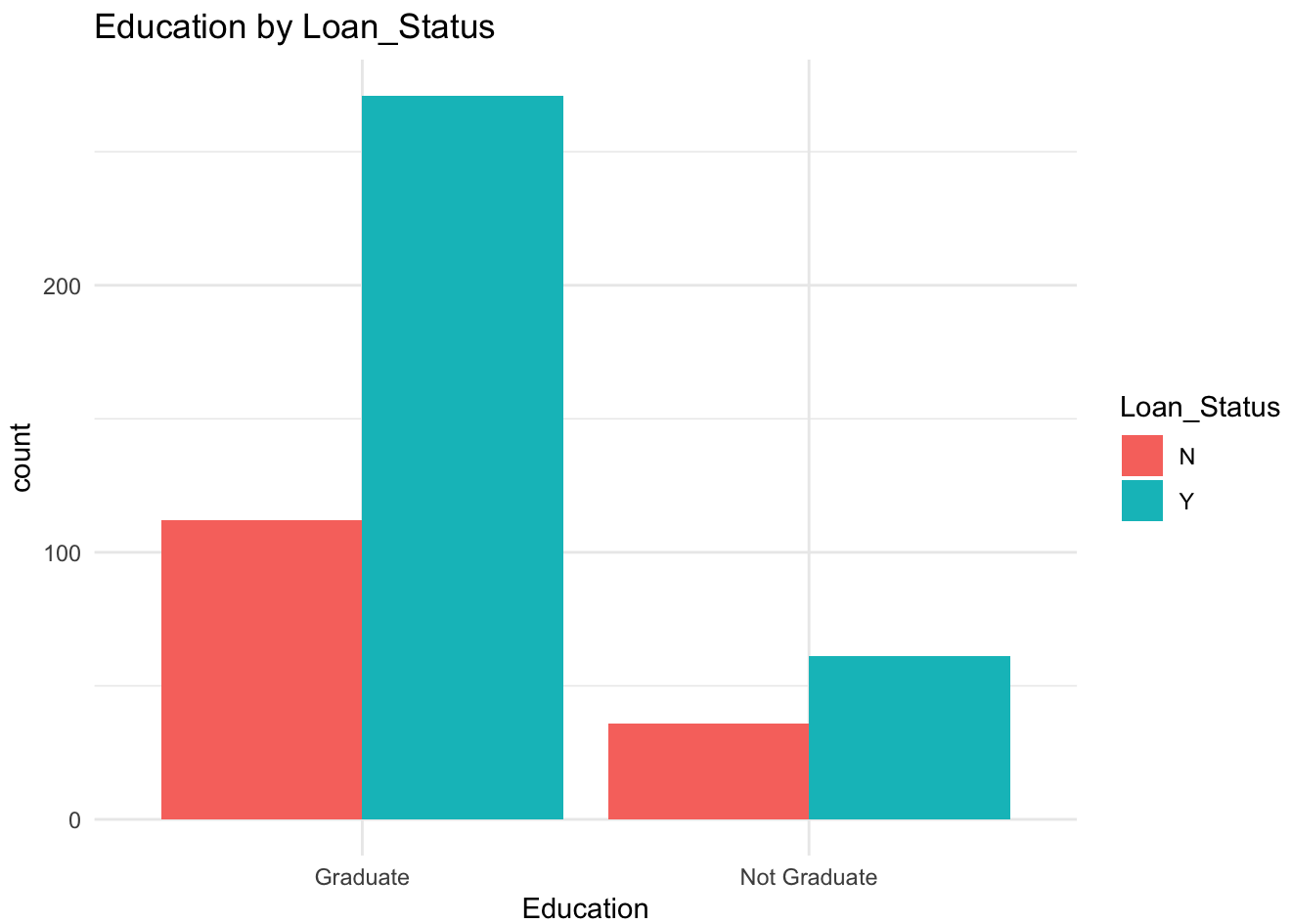
- **ApplicantIncome and CoapplicantIncome:** The income levels of applicants and coapplicants, when assessed by loan status, show significant variability and the presence of high-income outliers. Notably, higher incomes do not guarantee loan approval, suggesting that other factors are at play in the decision-making process.
- **Education:** Graduates are more likely to apply for loans, and the data shows a higher number of loans processed for this group. However, the approval rate does not disproportionately favor graduates, implying that educational attainment is not the sole determinant of loan success.
- **LoanAmount:** The amounts requested are broadly similar across approved and not approved loans, with a wider distribution for approved loans. This indicates that loan amount is considered within a broader context of the applicant's profile.
- **Gender and Marital Status:** There is a clear trend showing more men and married individuals among loan applicants, with these groups also receiving more approvals. This could reflect social and economic dynamics that influence loan application patterns and approval rates.

```
#Hidden
# Boxplot for ApplicantIncome by Loan_Status
ggplot(df, aes(x = Loan_Status, y = ApplicantIncome)) +
  geom_boxplot(fill = "lightblue", color = "black") +
  theme_minimal() +
  ggtitle("ApplicantIncome by Loan_Status")
```



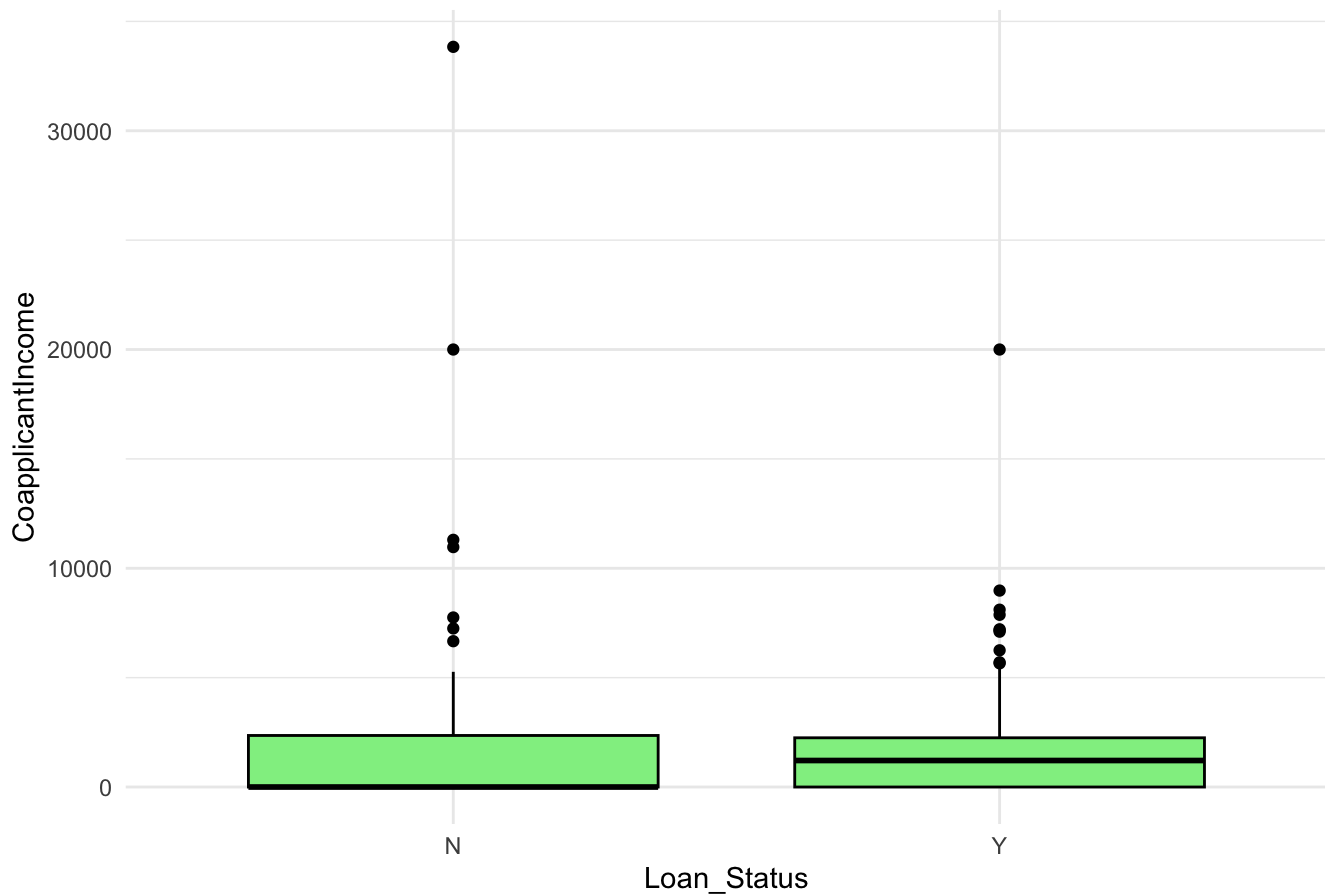
```
# Side-by-side Bar plot for Education by Loan_Status
ggplot(df, aes(x = Education, fill = Loan_Status)) +
  geom_bar(position = "dodge") +
  theme_minimal() +
  ggtitle("Education by Loan_Status")
```



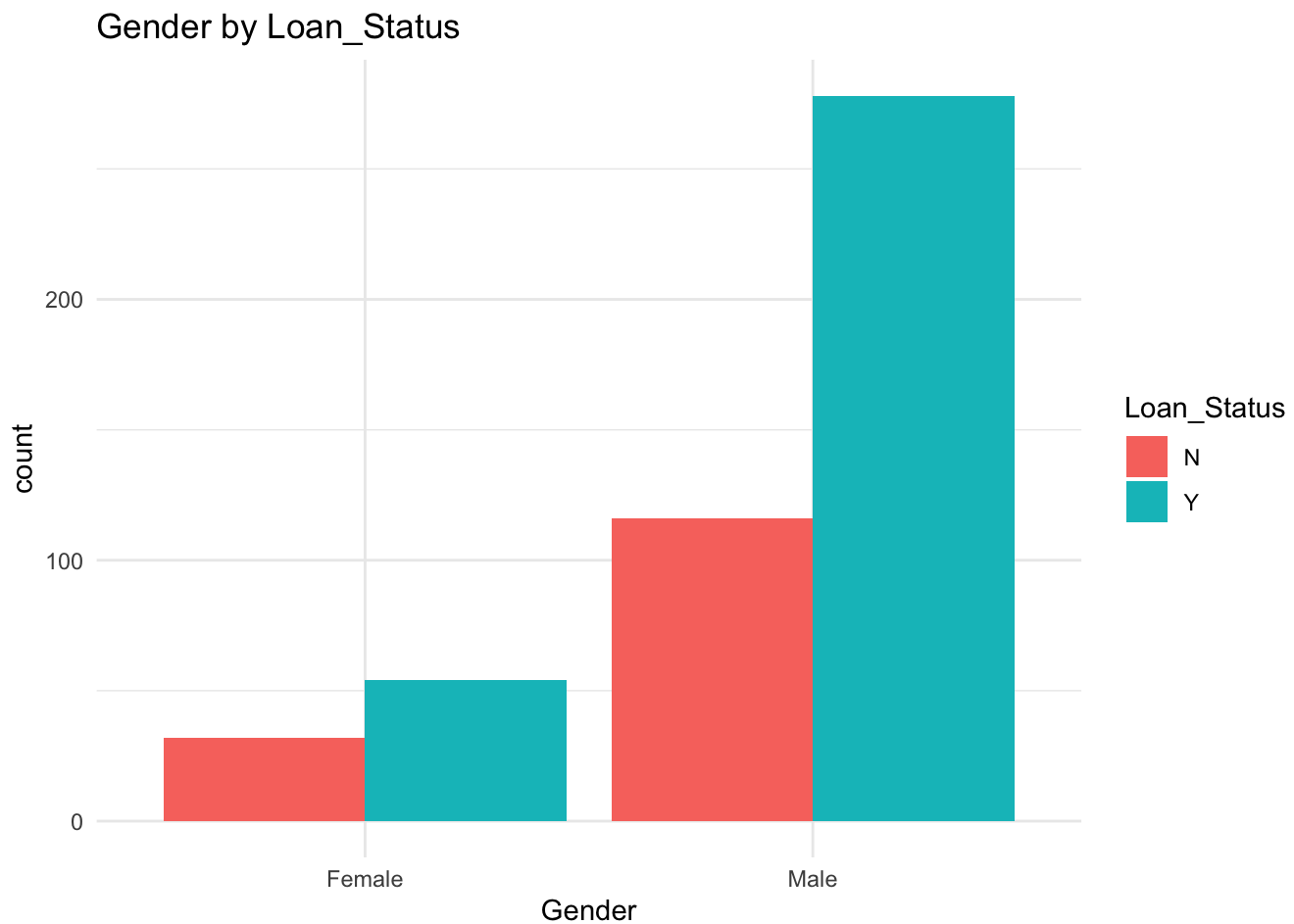


```
# Boxplot for CoapplicantIncome by Loan_Status
ggplot(df, aes(x = Loan_Status, y = CoapplicantIncome)) +
  geom_boxplot(fill = "lightgreen", color = "black") +
  theme_minimal() +
  ggtitle("CoapplicantIncome by Loan_Status")
```

## CoapplicantIncome by Loan\_Status



```
# Side-by-side Bar plot for Gender by Loan_Status
ggplot(df, aes(x = Gender, fill = Loan_Status)) +
  geom_bar(position = "dodge") +
  theme_minimal() +
  ggtitle("Gender by Loan_Status")
```

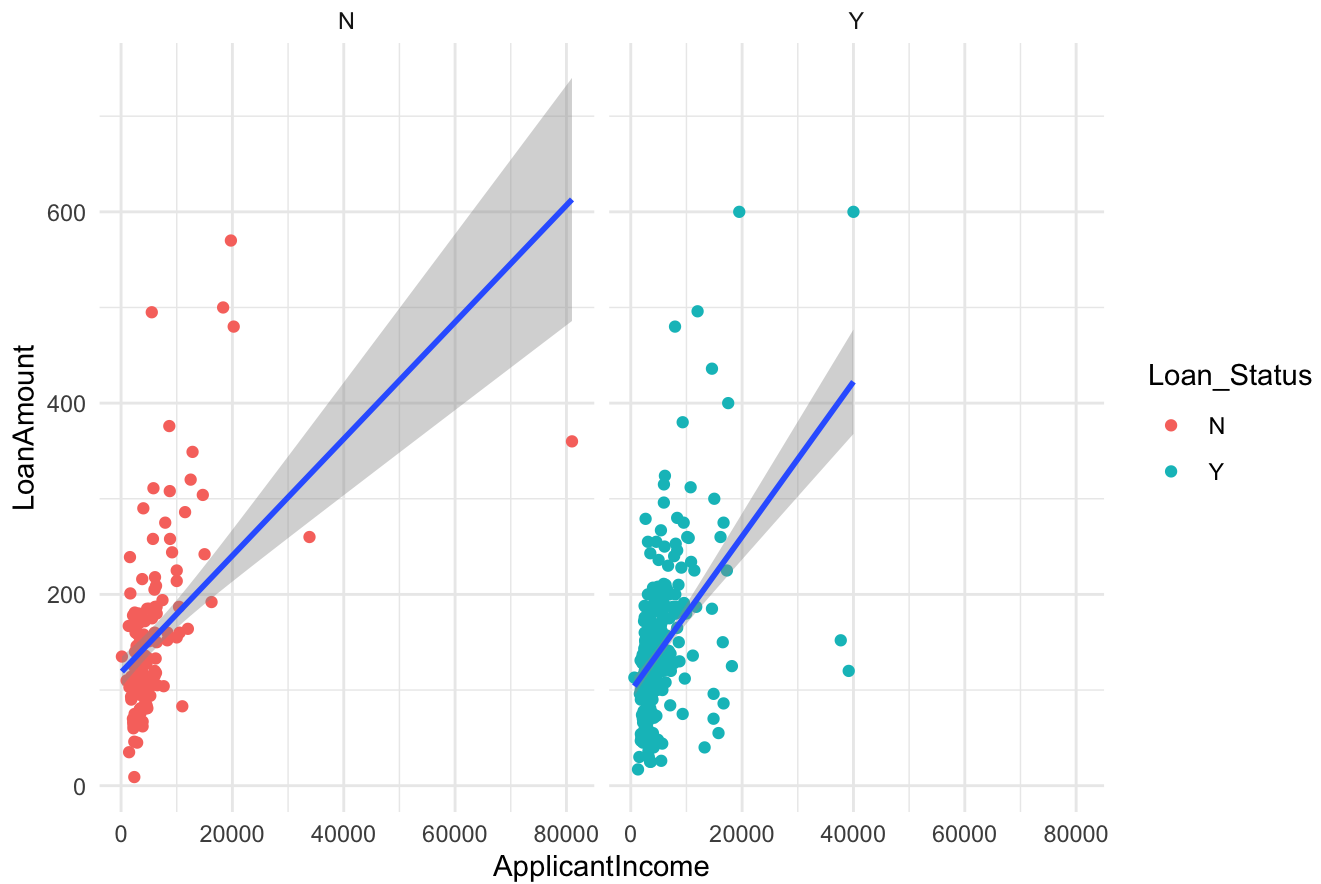


```
#Hidden
# Load the necessary library
library(ggplot2)

# Let's say you want to examine the interaction between 'ApplicantIncome' and 'LoanAmount'
# Create an interaction plot
ggplot(df, aes(x = ApplicantIncome, y = LoanAmount)) +
  geom_point(aes(color = Loan_Status)) + # Use color to differentiate loan status
  geom_smooth(method = "lm") + # Add a regression line
  facet_wrap(~ Loan_Status) + # Create separate plots by loan status
  labs(title = "Interaction Plot between ApplicantIncome and LoanAmount") +
  theme_minimal()
```

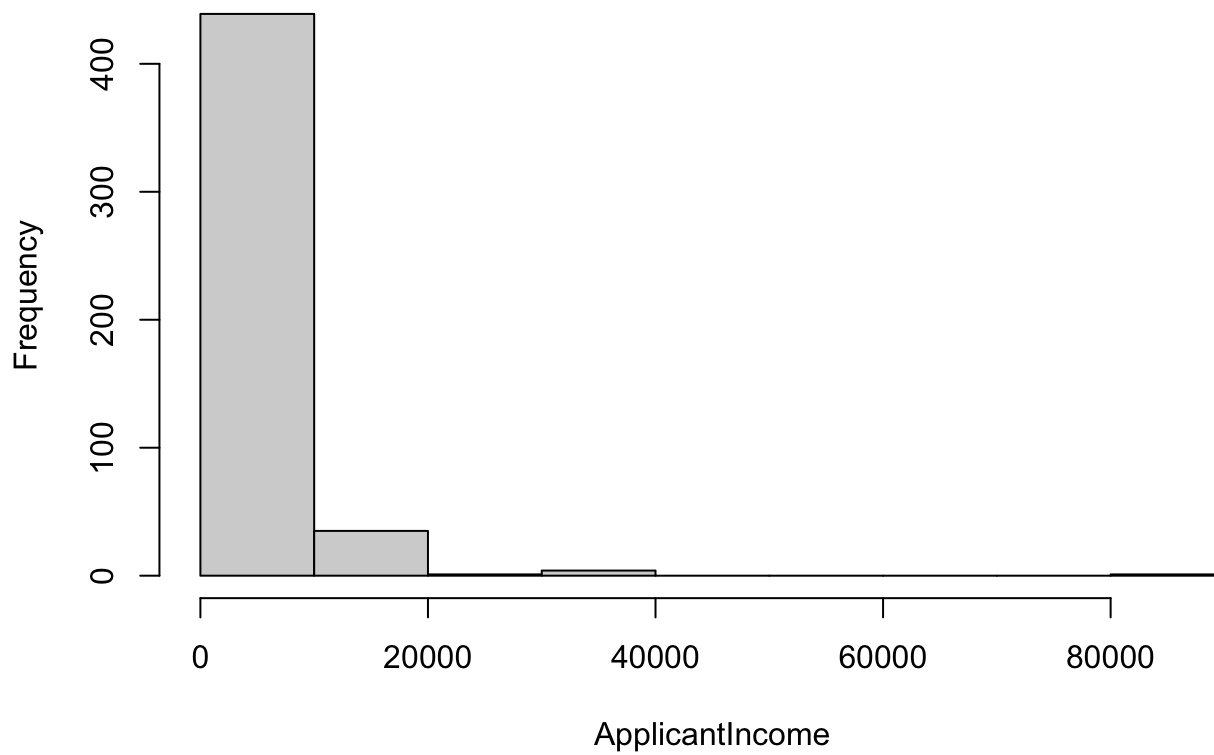
`geom\_smooth()` using formula = 'y ~ x'

## Interaction Plot between ApplicantIncome and LoanAmount



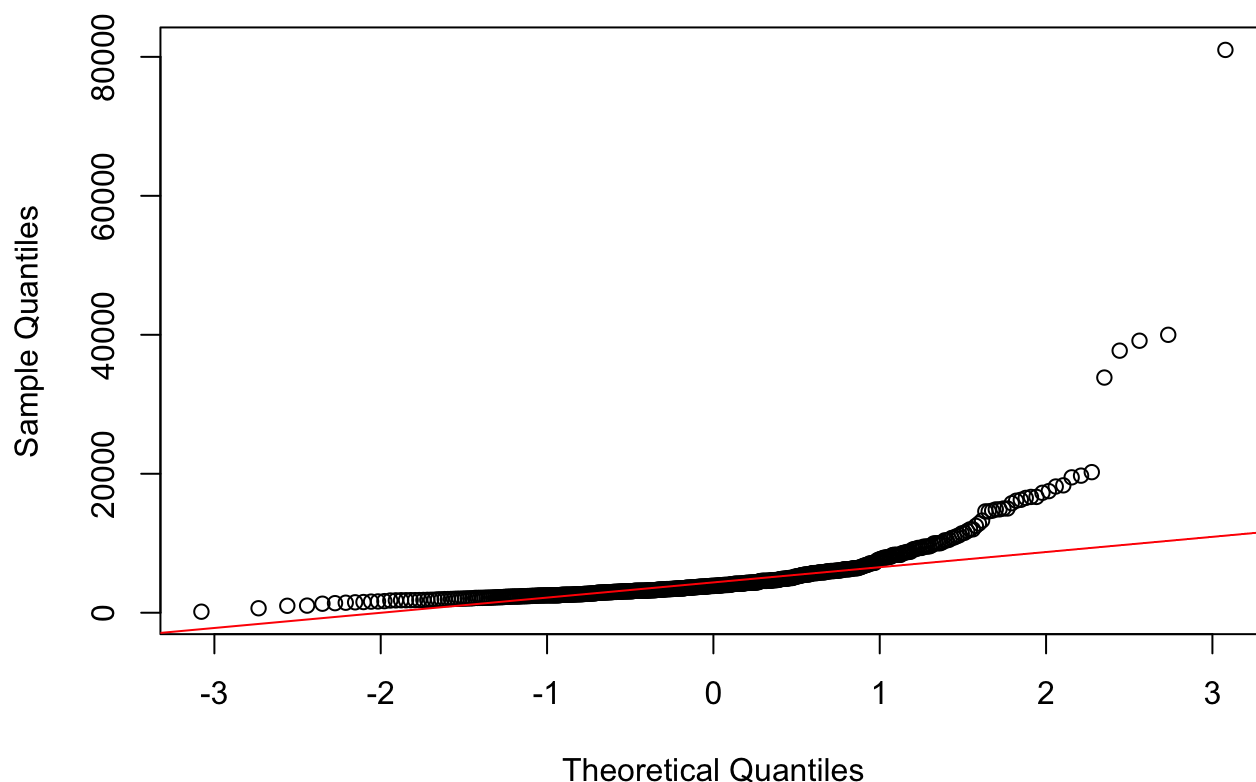
```
# Histogram to see the distribution  
hist(df$ApplicantIncome, main = "Histogram of ApplicantIncome", xlab = "ApplicantIncome")
```

## Histogram of ApplicantIncome



```
# Q-Q plot to check for normality
qqnorm(df$ApplicantIncome)
qqline(df$ApplicantIncome, col = "red")
```

## Normal Q-Q Plot



```
# Shapiro-Wilk normality test  
shapiro.test(df$ApplicantIncome)
```

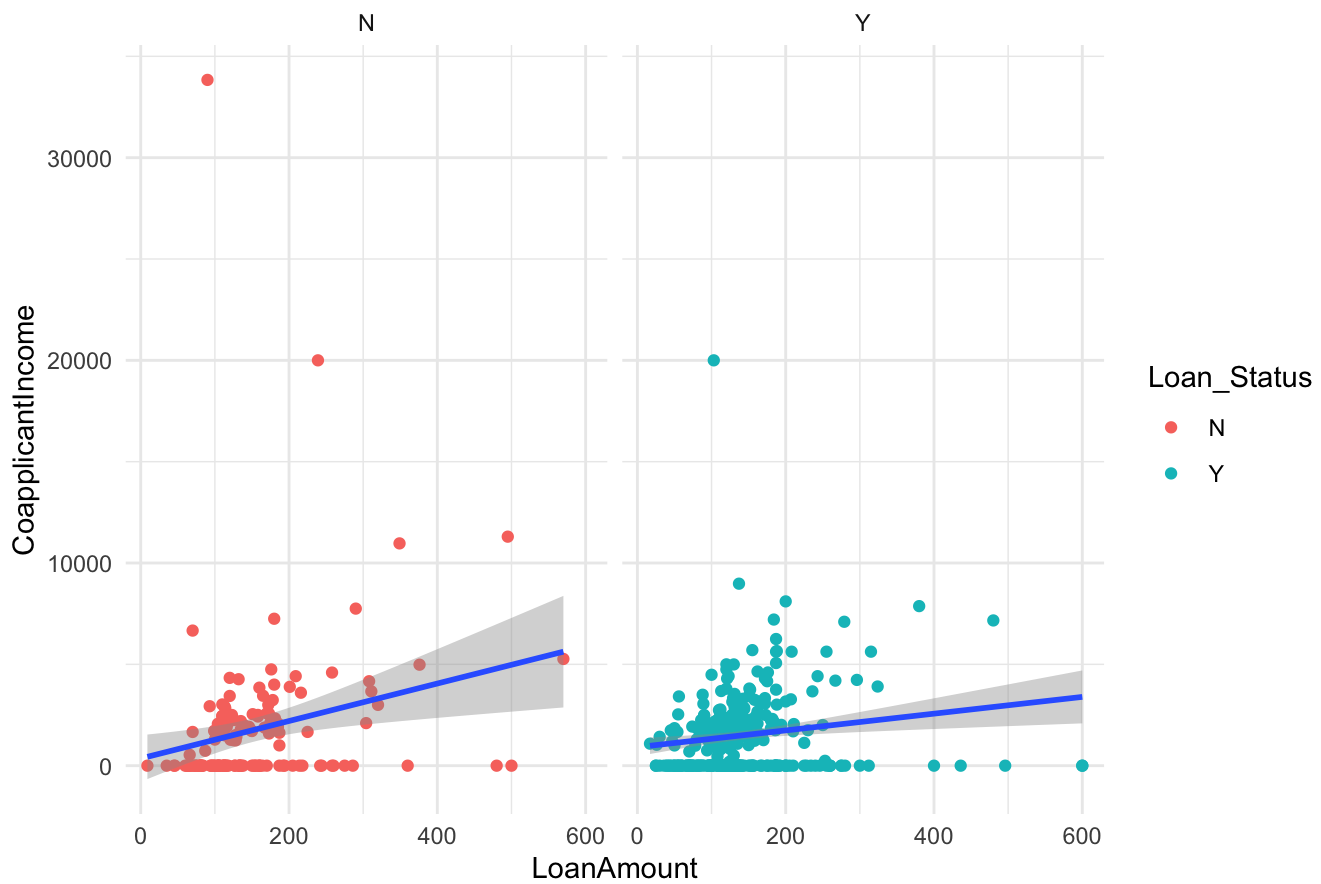
Shapiro-Wilk normality test

```
data: df$ApplicantIncome  
W = 0.49311, p-value < 2.2e-16
```

```
# Interaction plot with another continuous variable 'CoapplicantIncome'  
ggplot(df, aes(x = LoanAmount, y = CoapplicantIncome)) +  
  geom_point(aes(color = Loan_Status)) + # Use color to differentiate loan status  
  geom_smooth(method = "lm") + # Add a regression line  
  facet_wrap(~ Loan_Status) + # Create separate plots by loan status  
  labs(title = "Interaction Plot between LoanAmount and CoapplicantIncome") +  
  theme_minimal()
```

`geom\_smooth()` using formula = 'y ~ x'

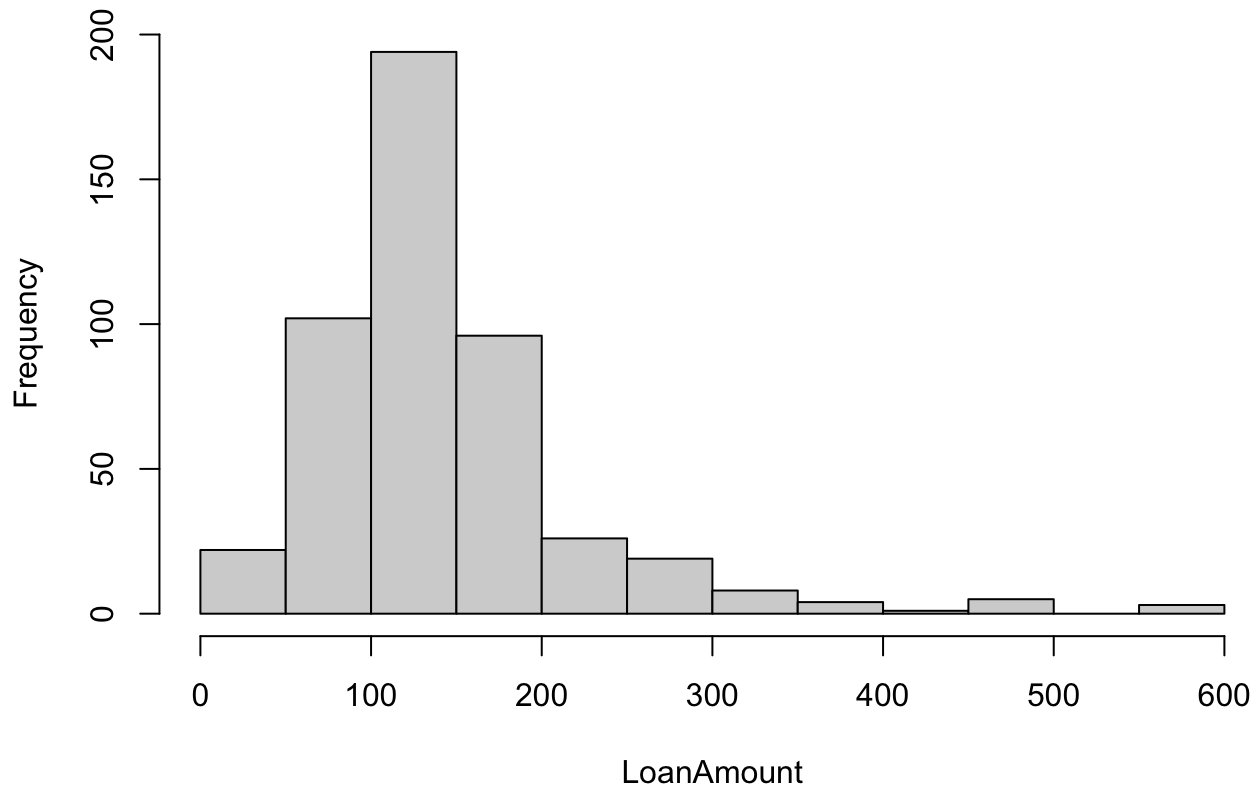
## Interaction Plot between LoanAmount and CoapplicantIncome



```
# Histogram for LoanAmount  
hist(df$LoanAmount, main = "Histogram of LoanAmount", xlab = "LoanAmount")
```

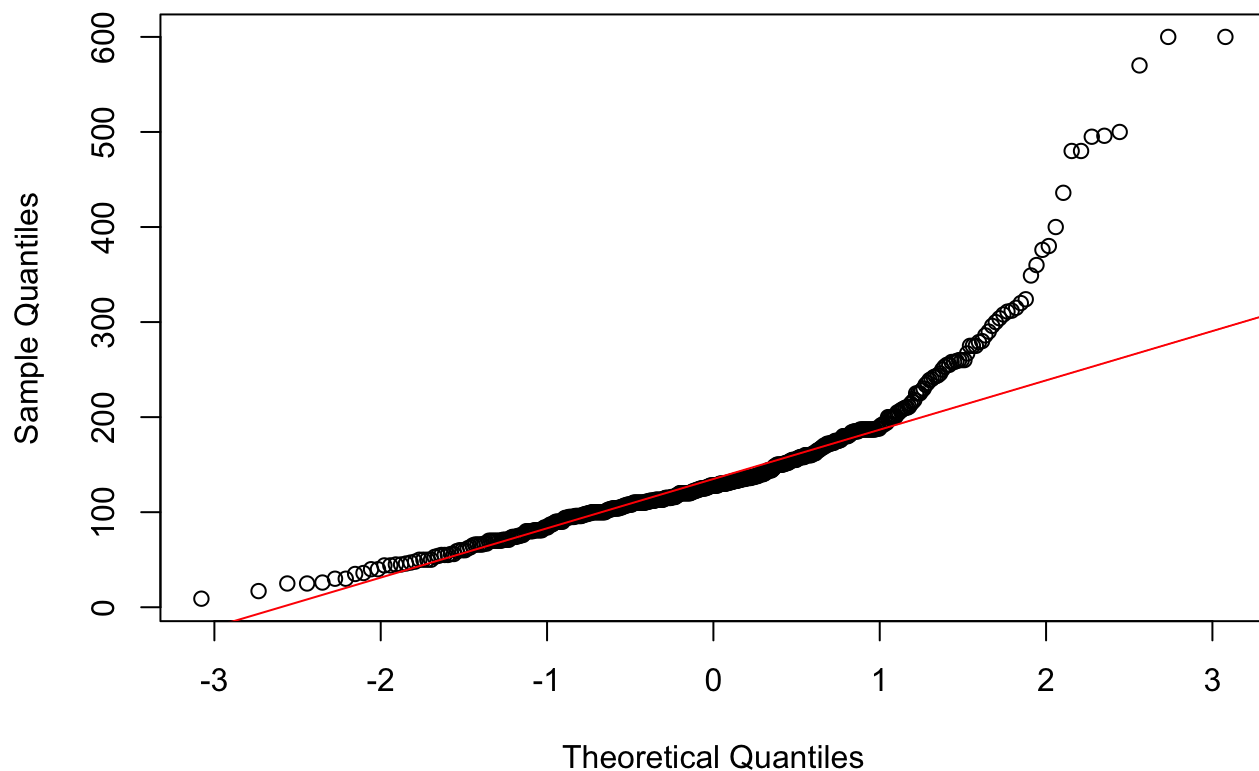


## Histogram of LoanAmount



```
# Q-Q plot for LoanAmount  
qqnorm(df$LoanAmount)  
qqline(df$LoanAmount, col = "red")
```

## Normal Q-Q Plot



```
# Shapiro-Wilk test for LoanAmount  
shapiro.test(df$LoanAmount)
```

Shapiro-Wilk normality test

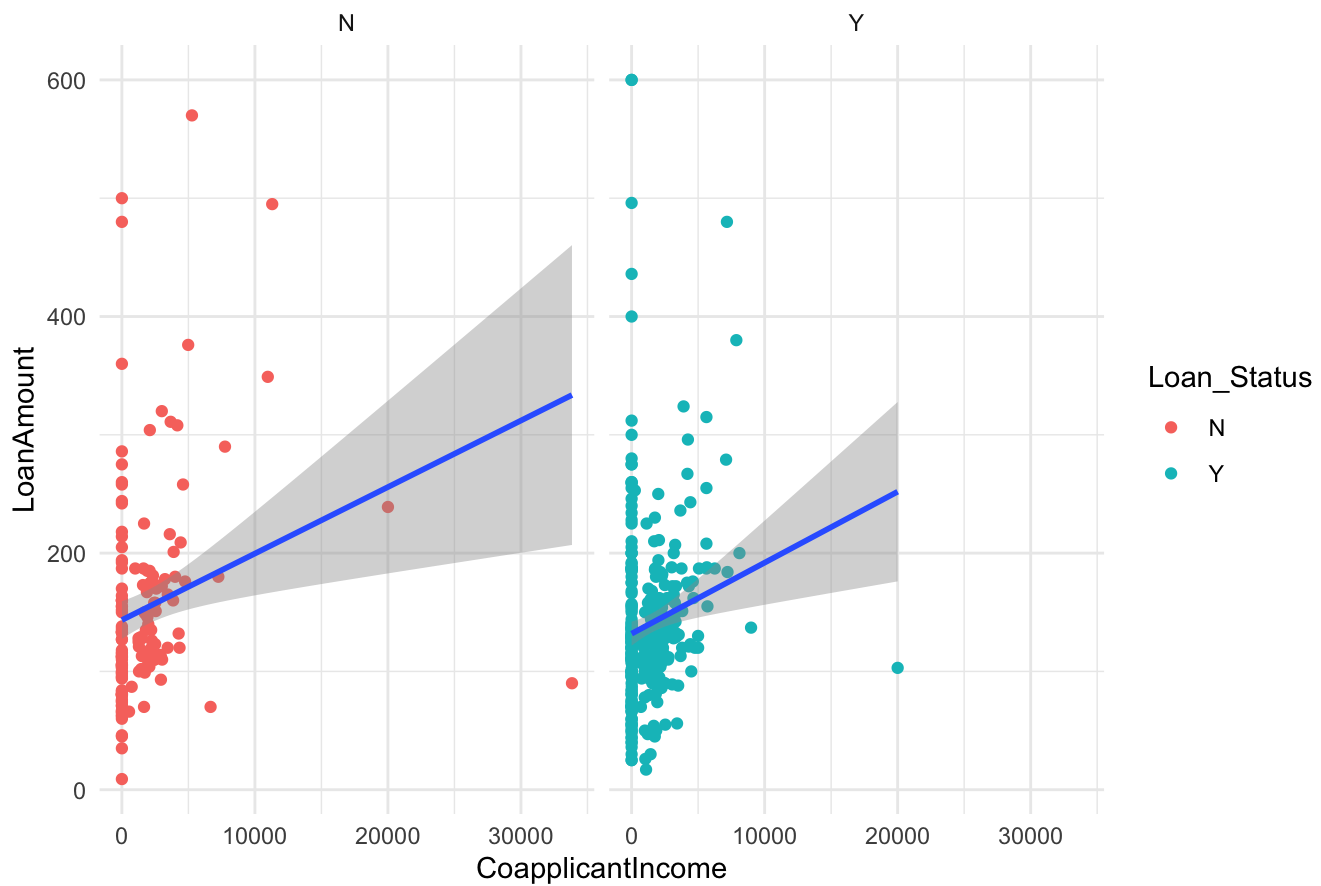
data: df\$LoanAmount

W = 0.80741, p-value < 2.2e-16

```
# Interaction plot with 'LoanAmount'  
ggplot(df, aes(x = CoapplicantIncome, y = LoanAmount)) +  
  geom_point(aes(color = Loan_Status)) + # Use color to differentiate loan status  
  geom_smooth(method = "lm") + # Add a regression line  
  facet_wrap(~ Loan_Status) + # Create separate plots by loan status  
  labs(title = "Interaction Plot between CoapplicantIncome and LoanAmount") +  
  theme_minimal()
```

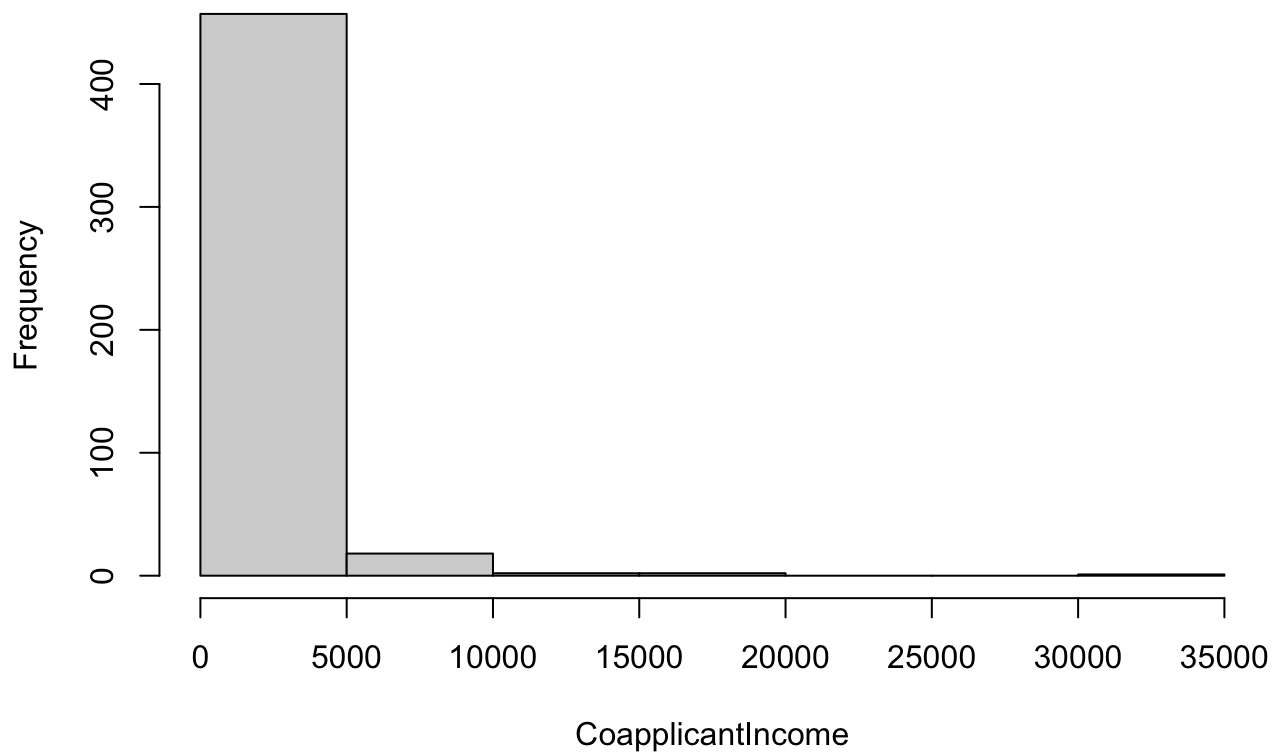
`geom\_smooth()` using formula = 'y ~ x'

## Interaction Plot between CoapplicantIncome and LoanAmount



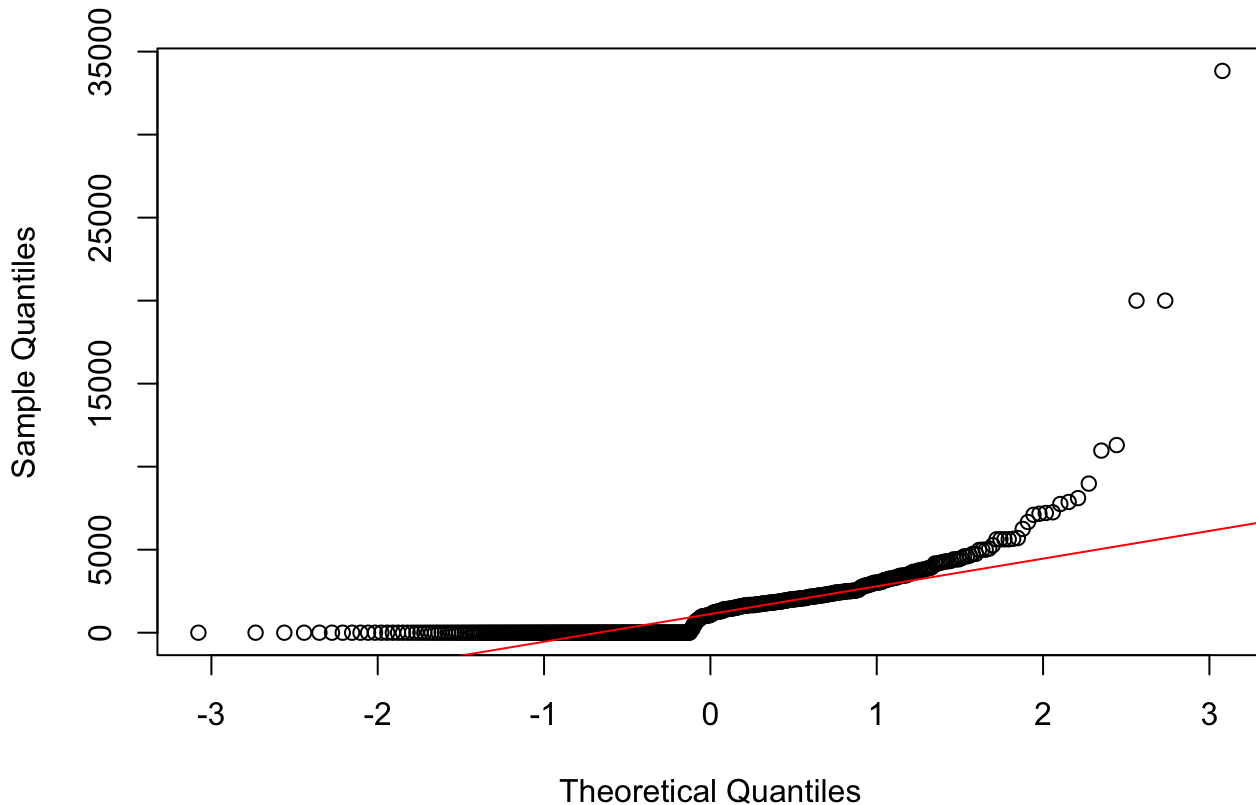
```
# Histogram for CoapplicantIncome  
hist(df$CoapplicantIncome, main = "Histogram of CoapplicantIncome", xlab = "CoapplicantIncome")
```

## Histogram of CoapplicantIncome



```
# Q-Q plot for CoapplicantIncome  
qqnorm(df$CoapplicantIncome)  
qqline(df$CoapplicantIncome, col = "red")
```

## Normal Q-Q Plot



```
# Shapiro-Wilk test for CoapplicantIncome  
shapiro.test(df$CoapplicantIncome)
```

### Shapiro-Wilk normality test

```
data: df$CoapplicantIncome  
W = 0.55589, p-value < 2.2e-16
```

The interaction plots from the loan dataset show a positive relationship between income and loan amount, with higher incomes linked to larger loan requests for both applicants and coapplicants. This pattern is consistent across both approved and denied loan statuses, suggesting that while income plays a role in loan amount determination, it is not the sole factor in loan approval decisions. The plots also reveal a wide spread of data and outliers, indicating varied loan behaviors among applicants.

Shapiro-Wilk normality tests for ApplicantIncome, LoanAmount, and CoapplicantIncome indicate significant deviations from a normal distribution, with p-values far below the threshold of 0.05. The corresponding Q-Q plots confirm this non-normality, displaying a right-skewed distribution with a bulk of values on the lower end and fewer high values. These findings suggest that income data is not normally distributed, pointing towards the necessity for non-linear modeling or data transformation in further statistical analysis.

```
#Hidden
#log
# Replace zeros with a small positive value if necessary
df$ApplicantIncome[df$ApplicantIncome <= 0] <- 1
df$CoapplicantIncome[df$CoapplicantIncome <= 0] <- 1
df$LoanAmount[df$LoanAmount <= 0] <- 1

# Apply log transformation
df$Log_ApplicantIncome <- log(df$ApplicantIncome)
df$Log_CoapplicantIncome <- log(df$CoapplicantIncome)
df$Log_LoanAmount <- log(df$LoanAmount)

# Shapiro-Wilk normality test
shapiro.test(df$Log_ApplicantIncome)
```

Shapiro-Wilk normality test

data: df\$Log\_ApplicantIncome  
W = 0.94524, p-value = 2.553e-12

```
shapiro.test(df$Log_CoapplicantIncome)
```

Shapiro-Wilk normality test

data: df\$Log\_CoapplicantIncome  
W = 0.71264, p-value < 2.2e-16

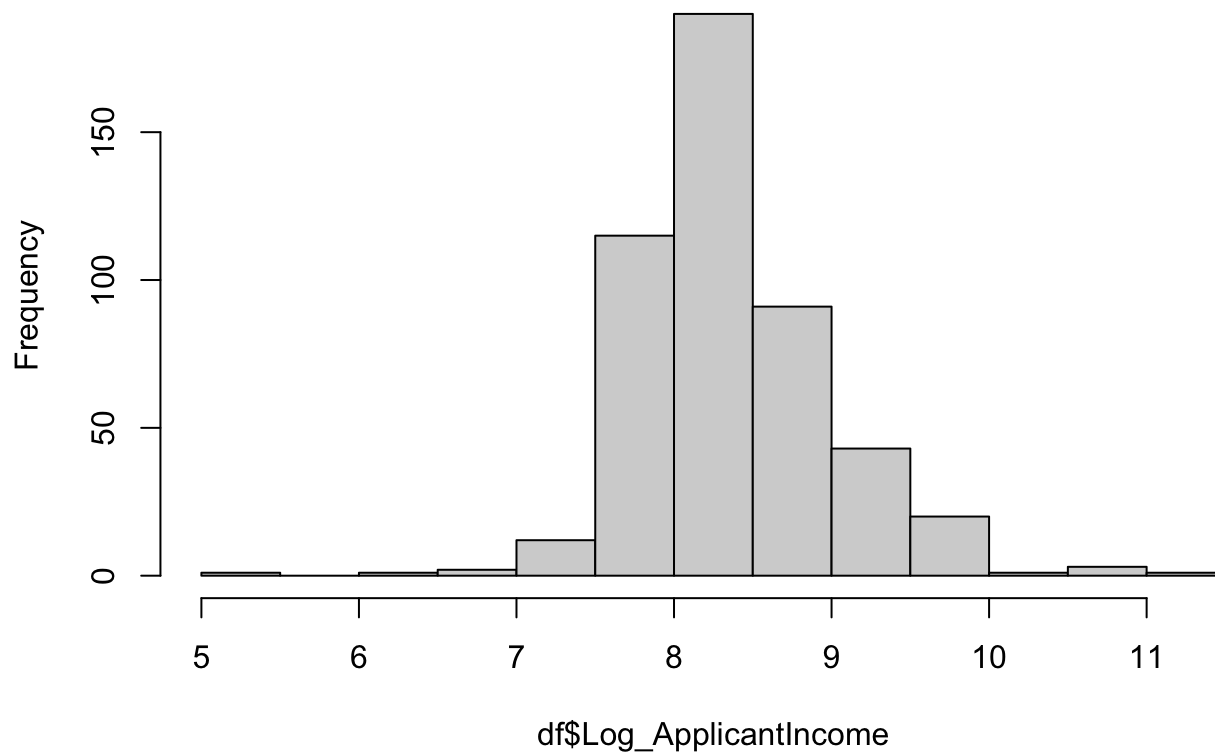
```
shapiro.test(df$Log_LoanAmount)
```

Shapiro-Wilk normality test

data: df\$Log\_LoanAmount  
W = 0.9635, p-value = 1.52e-09

```
# Histograms
hist(df$Log_ApplicantIncome, main="Histogram of Log ApplicantIncome")
```

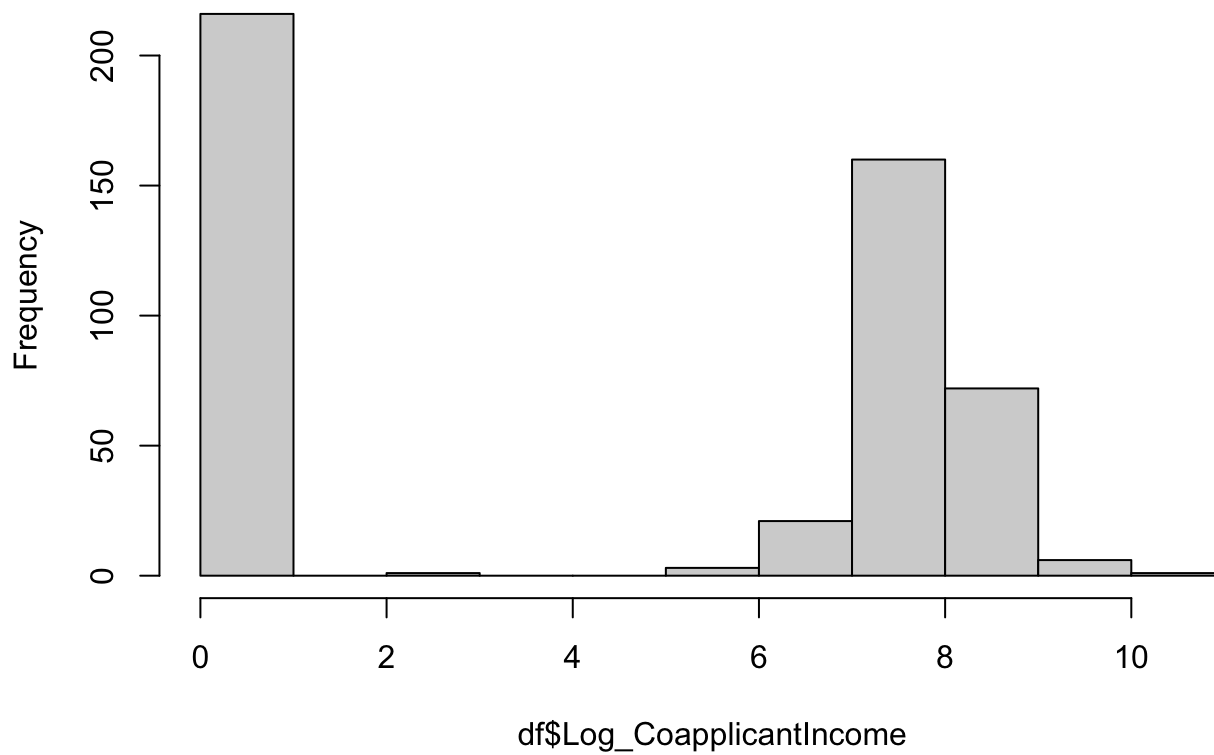
## Histogram of Log ApplicantIncome



```
hist(df$Log_CoapplicantIncome, main="Histogram of Log CoapplicantIncome")
```

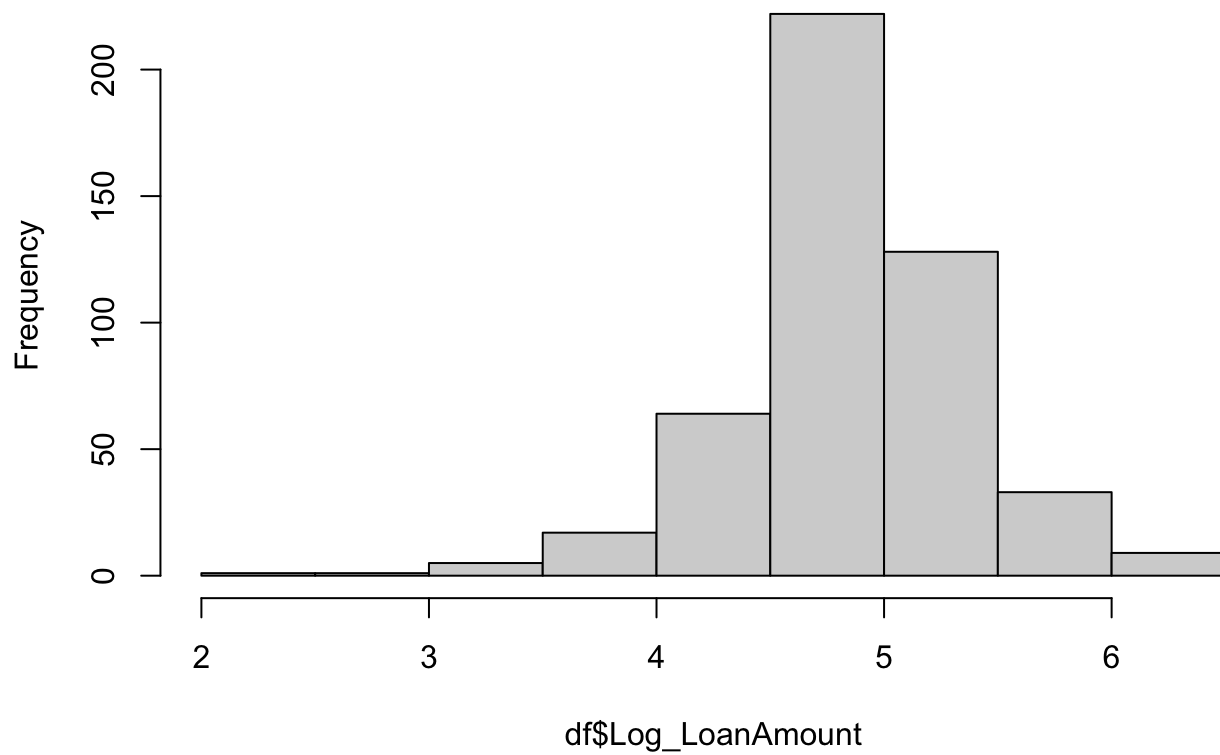


## Histogram of Log CoapplicantIncome



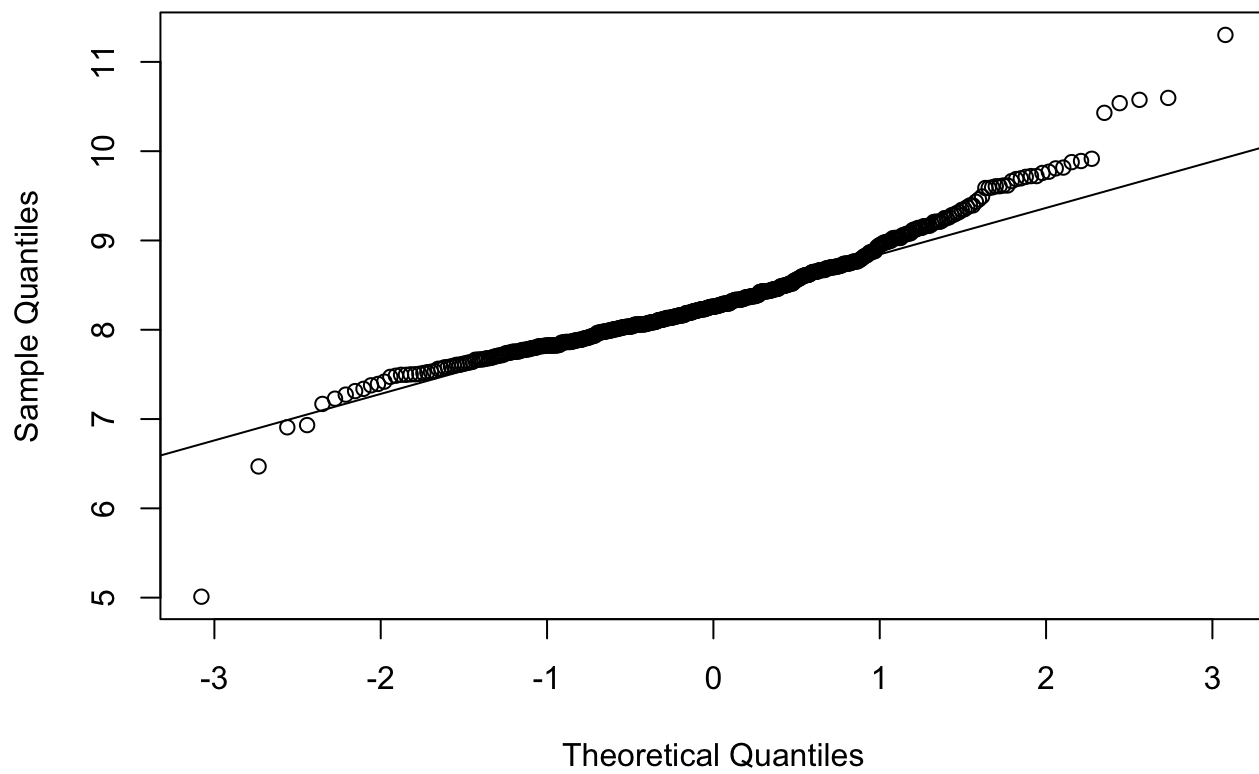
```
hist(df$Log_LoanAmount, main="Histogram of Log LoanAmount")
```

## Histogram of Log LoanAmount



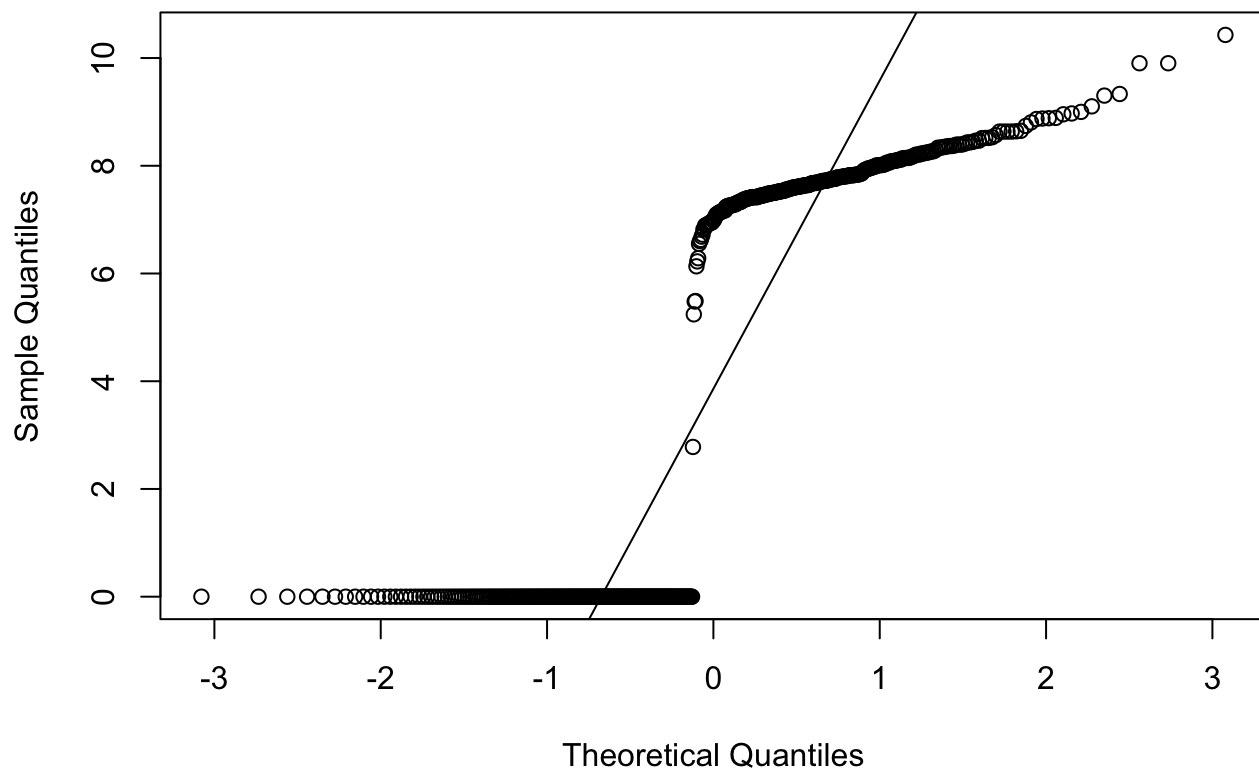
```
# Q-Q plots  
qqnorm(df$Log_ApplicantIncome); qqline(df$Log_ApplicantIncome)
```

## Normal Q-Q Plot



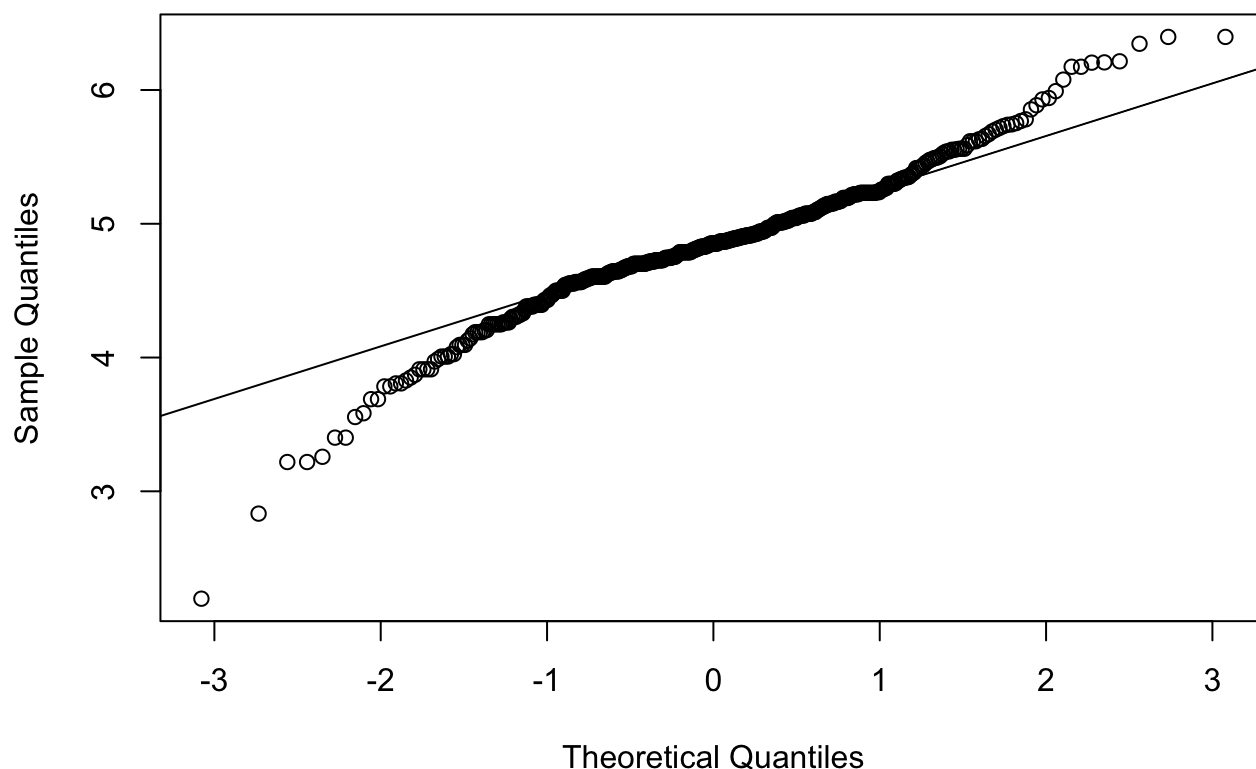
```
qqnorm(df$Log_CoapplicantIncome); qqline(df$Log_CoapplicantIncome)
```

## Normal Q-Q Plot



```
qqnorm(df$Log_LoanAmount); qqline(df$Log_LoanAmount)
```

## Normal Q-Q Plot



```
#correlation analysis

# Load necessary libraries
library(ggplot2)
library(reshape2)

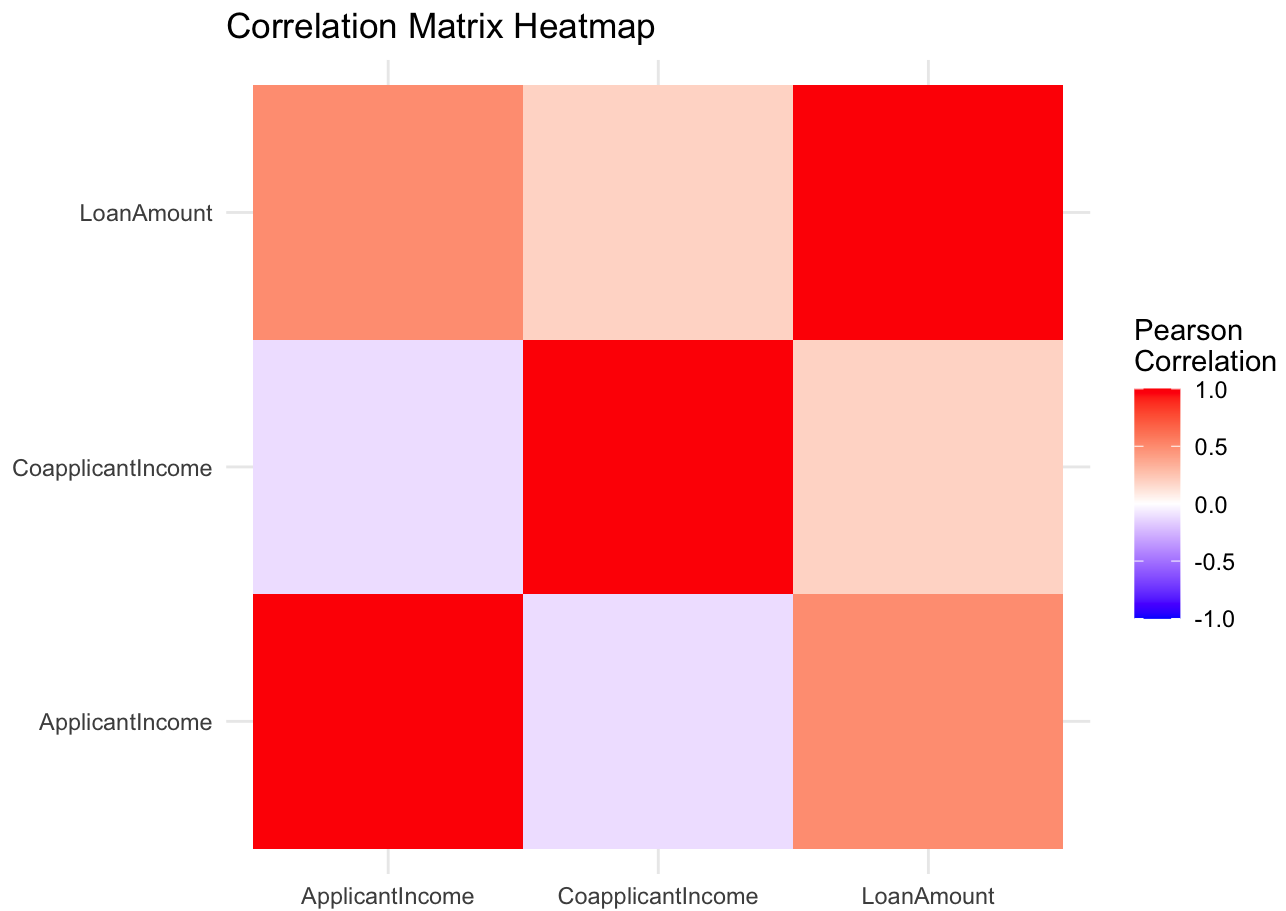
df_corr <- df_cleaned

# Assuming ApplicantIncome, CoapplicantIncome, and LoanAmount are your continuous variables
# Calculating correlation matrix
continuous_vars <- df_corr[, c("ApplicantIncome", "CoapplicantIncome", "LoanAmount")]
cor_matrix <- cor(continuous_vars, use = "complete.obs", method = "pearson")

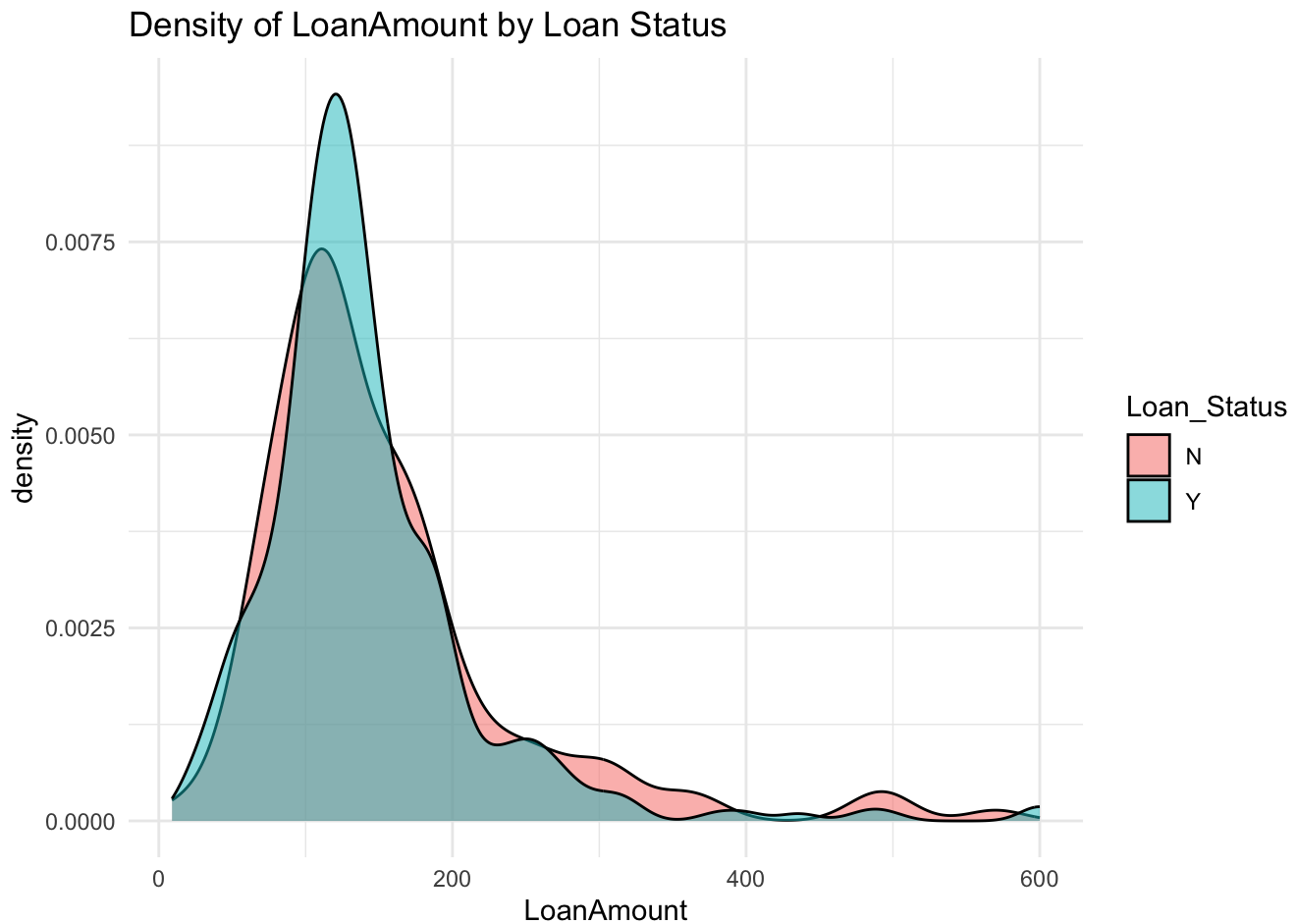
# Melting the correlation matrix for visualization
melted_cor_matrix <- melt(cor_matrix)

# Visualizing the correlation matrix using heatmap
ggplot(data = melted_cor_matrix, aes(x = Var1, y = Var2, fill = value)) +
  geom_tile() +
  scale_fill_gradient2(low = "blue", high = "red", mid = "white",
                      midpoint = 0, limit = c(-1,1), space = "Lab",
                      name="Pearson\nCorrelation") +
  theme_minimal() +
```

```
ggtitle("Correlation Matrix Heatmap") +  
xlab("") + ylab("")
```



```
# Density plot for LoanAmount with Loan Status overlay  
ggplot(df_corr, aes(x = LoanAmount, fill = Loan_Status)) +  
  geom_density(alpha = 0.5) +  
  theme_minimal() +  
  ggtitle("Density of LoanAmount by Loan Status")
```



The **"Correlation Matrix Heatmap"** visually illustrates the Pearson correlation between 'ApplicantIncome', 'CoapplicantIncome', and 'LoanAmount', with red showing positive and blue showing negative correlations. The varying intensities of color denote the strength of each relationship, hinting at significant associations among the financial variables in the dataset. Particularly, the heatmap may point out stronger correlations between certain pairs, suggesting interdependencies that could influence loan-related decisions.

- ApplicantIncome vs.CoapplicantIncome: There doesn't appear to be a strong linear correlation between these two variables, suggesting they may contribute independent information to a predictive model.
- ApplicantIncome vs. LoanAmount: There is a somewhat positive trend visible; as the applicant's income increases, the loan amount tends to increase, which makes sense intuitively.
- CoapplicantIncome vs. LoanAmount: The trend is less clear, but there may still be a positive correlation.

Complementary to this, the series of plots, including the distribution histograms, density plots, and scatter plot with jitter, collectively explore the relationships between these financial attributes and loan status. Variations in applicant income distribution and loan amount densities across loan statuses may imply their influence on loan approval. The **"Mosaic Plot of Education and Loan Status"** and the **"Credit History vs ApplicantIncome"** plot further enrich this analysis by correlating educational

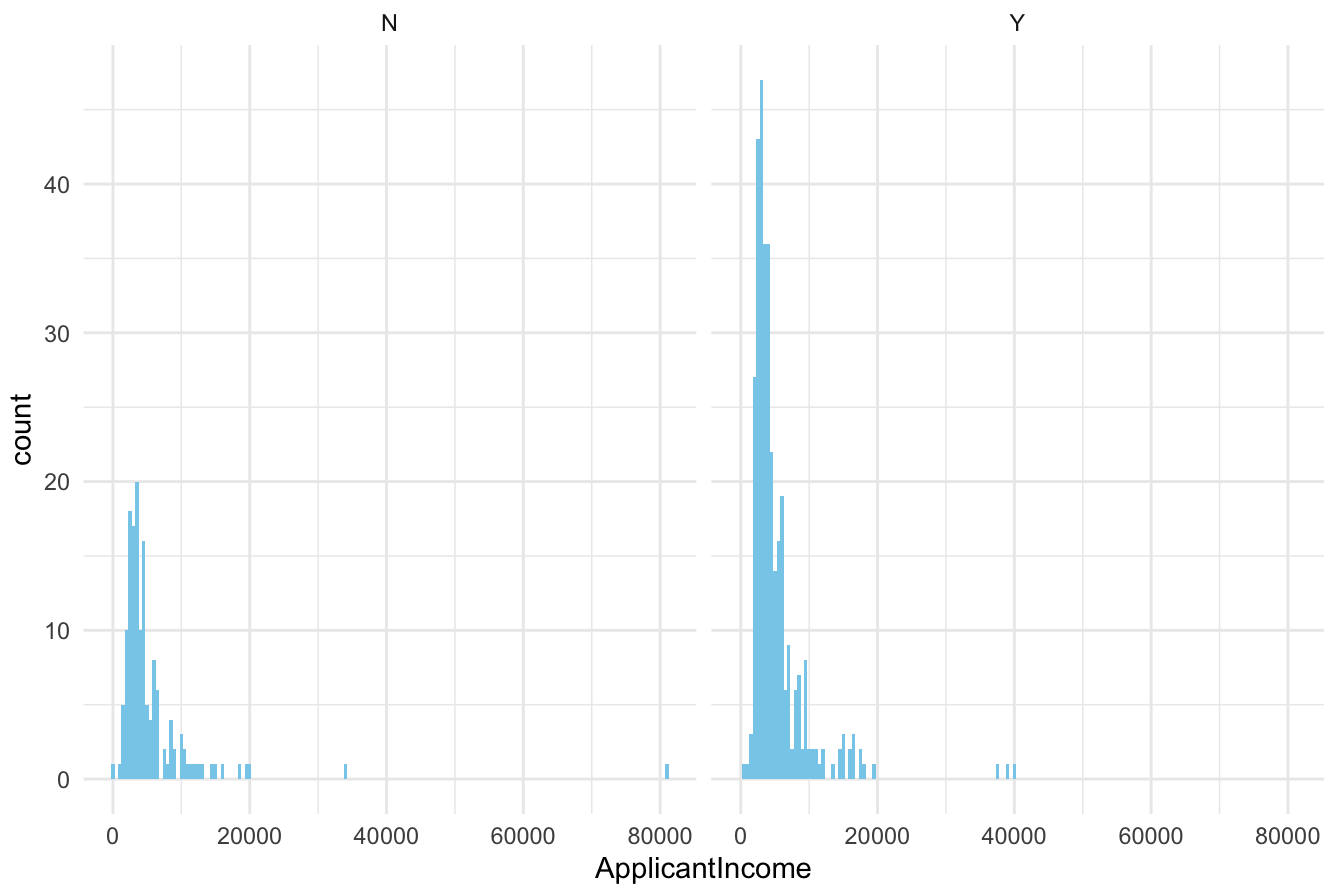


background and credit history with loan outcomes, underscoring the multifaceted nature of loan approval criteria.

```
#Hidden
# Load necessary library
library(ggmosaic)

# Facet grid for ApplicantIncome by Loan Status
ggplot(df_corr, aes(x = ApplicantIncome)) +
  geom_histogram(binwidth = 500, fill = "skyblue") +
  facet_grid(. ~ Loan_Status) +
  theme_minimal() +
  ggtitle("Distribution of ApplicantIncome Across Loan Status")
```

Distribution of ApplicantIncome Across Loan Status

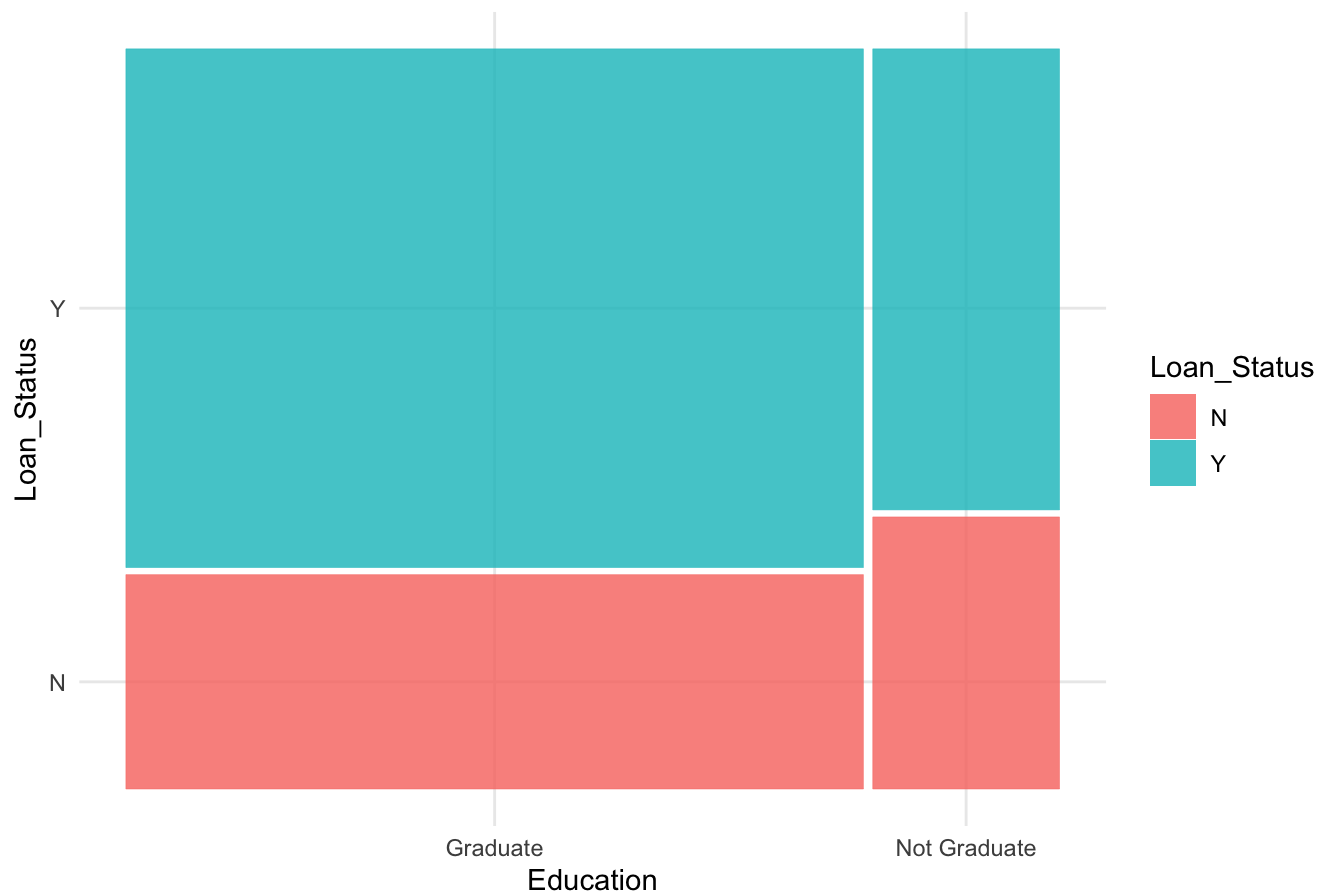


```
# Mosaic plot for Education and Loan Status
ggplot(data = df_corr) +
  geom_mosaic(aes(weight = 1, x = product(Education), fill = Loan_Status)) +
  theme_minimal() +
  ggtitle("Mosaic Plot of Education and Loan Status")
```

Warning: `unite()` was deprecated in tidyr 1.2.0.  
i Please use `unite()` instead.

ⓘ The deprecated feature was likely used in the ggmosaic package.  
Please report the issue at <<https://github.com/haleyjeppson/ggmosaic>>.

### Mosaic Plot of Education and Loan Status



```
# Scatter plot with jitter for Credit_History and ApplicantIncome
ggplot(df_corr, aes(x = Credit_History, y = ApplicantIncome, color = Loan_Status)) +
  geom_jitter(alpha = 0.5) +
  theme_minimal() +
  ggtitle("Credit History vs ApplicantIncome with Loan Status")
```

## Credit History vs ApplicantIncome with Loan Status



```
#Hidden
df$Gender <- as.factor(df$Gender)
df$Married <- as.factor(df$Married)
df$Dependents <- as.factor(df$Dependents)
df$Education <- as.factor(df$Education)
df$Self_Employed <- as.factor(df$Self_Employed)
df$Credit_History <- as.factor(df$Credit_History)
df$Property_Area <- as.factor(df$Property_Area)
df$Loan_Status <- as.factor(df$Loan_Status)
str(df)
```

'data.frame': 480 obs. of 16 variables:

```
$ Loan_ID      : chr  "LP001003" "LP001005" "LP001006" "LP001008" ...
$ Gender       : Factor w/ 2 levels "Female","Male": 2 2 2 2 2 2 2 2 2 2 ...
$ Married      : Factor w/ 2 levels "No","Yes": 2 2 2 1 2 2 2 2 2 2 ...
$ Dependents   : Factor w/ 4 levels "0","1","2","3+": 2 1 1 1 3 1 4 3 2 3 ...
$ Education    : Factor w/ 2 levels "Graduate","Not Graduate": 1 1 2 1 1 2 1 1 1
1 ...
$ Self_Employed : Factor w/ 2 levels "No","Yes": 1 2 1 1 2 1 1 1 1 1 ...
$ ApplicantIncome : num  4583 3000 2583 6000 5417 ...
$ CoapplicantIncome : num  1508 1 2358 1 4196 ...
$ LoanAmount    : num  128 66 120 141 267 95 158 168 349 70 ...
$ Loan_Amount_Term : int   360 360 360 360 360 360 360 360 360 360 ...
```

```

$ Credit_History      : Factor w/ 2 levels "0","1": 2 2 2 2 2 2 1 2 2 2 ...
$ Property_Area       : Factor w/ 3 levels "Rural","Semiurban",...: 1 3 3 3 3 3 2 3 2 3
...
$ Loan_Status        : Factor w/ 2 levels "N","Y": 1 2 2 2 2 2 1 2 1 2 ...
$ Log_ApplicantIncome : num 8.43 8.01 7.86 8.7 8.6 ...
$ Log_CoapplicantIncome: num 7.32 0 7.77 0 8.34 ...
$ Log_LoanAmount      : num 4.85 4.19 4.79 4.95 5.59 ...
- attr(*, "na.action")= 'omit' Named int [1:85] 1 17 20 25 31 36 37 43 45 46 ...
..- attr(*, "names")= chr [1:85] "1" "17" "20" "25" ...

```

```

# Assuming 'Yes' or 'Y' indicates a positive response and should be coded as 1
# and 'No' or 'N' as a negative response to be coded as 0
df_cleaned$Loan_Status <- as.numeric(df_cleaned$Loan_Status == "Yes" | df_cleaned$Loan_St
null.model <- glm(df_cleaned$Loan_Status ~ 1, data= df_cleaned, family = binomial(link =
summary(null.model)

```

Call:

```
glm(formula = df_cleaned$Loan_Status ~ 1, family = binomial(link = "logit"),
    data = df_cleaned)
```

Coefficients:

```

              Estimate Std. Error z value Pr(>|z|)
(Intercept)  0.80792     0.09884   8.174 2.98e-16 ***
---

```

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

```

Null deviance: 593.05  on 479  degrees of freedom
Residual deviance: 593.05  on 479  degrees of freedom
AIC: 595.05

```

Number of Fisher Scoring iterations: 4

### 1. Coefficients:

- **(Intercept) Estimate (0.80792):** This is the log-odds of the outcome being 1 (e.g., Loan approved) when no predictors are included in the model. To get the probability, you'd need to transform this using the logistic function.
- **Std. Error (0.09884):** This represents the standard error of the estimated intercept.
- **z value (8.174):** This is the test statistic for evaluating the null hypothesis that the coefficient is equal to zero. A higher absolute value indicates more evidence against the null hypothesis.
- **Pr(>|z|) (< 2.98e-16):** This p-value is extremely low, suggesting that the intercept is significantly different from zero.

2. **Null Deviance (593.05)**: This is a measure of the model fit. It represents the difference in log-likelihood between a model with only the intercept and a saturated model. The degrees of freedom here equal the number of observations minus 1.
3. **AIC (595.05)**: The Akaike Information Criterion is a measure of the relative quality of the statistical model for a given set of data. Lower AIC values indicate a better fit.

## Interpretation:

- The significant intercept suggests that even without any predictors, the model can predict the **Loan\_Status** to some extent. This could be due to an imbalance in the response variable (e.g., more 'Yes' than 'No').
- The null model is a baseline model; including predictors in your model should ideally reduce the deviance and improve the AIC.

```
full.model <- glm(df_cleaned$Loan_Status ~ ., data= df_cleaned, family = binomial(link =
summary(full.model)
```

Call:

```
glm(formula = df_cleaned$Loan_Status ~ ., family = binomial(link = "logit"),
    data = df_cleaned)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )
(Intercept)	-2.429e+00	9.312e-01	-2.609	0.00909 **
GenderMale	3.254e-01	3.309e-01	0.983	0.32548
MarriedYes	5.739e-01	2.924e-01	1.963	0.04970 *
Dependents1	-3.756e-01	3.460e-01	-1.085	0.27771
Dependents2	2.770e-01	3.782e-01	0.733	0.46378
Dependents3+	1.884e-01	4.874e-01	0.386	0.69915
EducationNot Graduate	-4.210e-01	3.033e-01	-1.388	0.16510
Self_EmployedYes	-1.492e-01	3.523e-01	-0.423	0.67202
ApplicantIncome	6.945e-06	2.862e-05	0.243	0.80827
CoapplicantIncome	-5.143e-05	4.307e-05	-1.194	0.23246
LoanAmount	-2.737e-03	1.773e-03	-1.544	0.12270
Loan_Amount_Term	-9.253e-04	2.032e-03	-0.455	0.64885
Credit_History	3.650e+00	4.331e-01	8.427	< 2e-16 ***
Property_AreaSemiurban	9.873e-01	3.036e-01	3.253	0.00114 **
Property_AreaUrban	1.511e-01	3.007e-01	0.503	0.61527

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 593.05 on 479 degrees of freedom  
Residual deviance: 435.72 on 465 degrees of freedom  
AIC: 465.72

Number of Fisher Scoring iterations: 5

### 1. Coefficients:

- **Intercept and Variable Estimates:** These are the log-odds coefficients for each variable. For example, **Credit\_History** has a highly positive coefficient, indicating a strong positive effect on the likelihood of loan approval when the credit history is positive.
- **Std. Error:** Indicates the standard error of each coefficient estimate.
- **z value:** The ratio of the estimate to its standard error. Larger absolute values indicate greater significance.
- **Pr(>|z|):** P-values associated with the z-values. A small p-value ( $< 0.05$ ) suggests that the variable significantly contributes to the model.

### 2. Significance Codes:

- Variables like **MarriedYes**, **Credit\_History**, and **Property\_AreaSemiurban** are statistically significant ( $p < 0.05$ ).

### 3. Model Fit Indicators:

- **Null Deviance and Residual Deviance:** The decrease from null deviance to residual deviance indicates that the model with predictors fits the data better than the null model.
- **AIC (Akaike Information Criterion):** A lower AIC suggests a better model. The AIC here is 465.72, which is lower than that of the null model, indicating an improved fit.

### 4. Notable Predictors:

- **Credit History (highly significant):** With the largest coefficient, it suggests a strong influence on loan approval.
- **Property\_AreaSemiurban:** Also significant, indicating the location of the property plays a role in loan approval.
- **MarriedYes:** Marginally significant, suggesting marital status might have an influence.

5. **Number of Fisher Scoring iterations:** The number of iterations taken to converge, which is 5 in this case.

## Interpretation and Considerations:

- **Credit History** is a key predictor of loan approval. Its high positive coefficient suggests that having a positive credit history greatly increases the likelihood of loan approval.
- The significance of **Property\_AreaSemiurban** indicates that applicants from semi-urban areas are more likely to get loan approval compared to the reference category (probably rural areas, since it's not included in the model output).

- **Marital Status** ('MarriedYes') also appears to influence the loan approval process, though less significantly than credit history or property area.
- Other variables, although included in the model, do not show a statistically significant relationship with the loan approval at the 0.05 significance level. This doesn't mean they are unimportant, but they might not have a strong individual impact in the presence of other variables.

```
both.logit <- step(null.model, list(lower= formula(null.model),
                                   upper= formula(full.model),
                                   direction="both",data=df_cleaned))
```

Start: AIC=595.05

df\_cleaned\$Loan\_Status ~ 1

	Df	Deviance	AIC
+ Credit_History	1	464.02	468.02
+ Property_Area	2	580.56	586.56
+ Married	1	587.08	591.08
+ LoanAmount	1	590.67	594.67
+ Education	1	590.86	594.86
<none>		593.05	595.05
+ Gender	1	591.10	595.10
+ CoapplicantIncome	1	591.96	595.96
+ ApplicantIncome	1	592.21	596.21
+ Self_Employed	1	592.48	596.48
+ Loan_Amount_Term	1	593.02	597.02
+ Dependents	3	590.05	598.05

Step: AIC=468.02

df\_cleaned\$Loan\_Status ~ Credit\_History

	Df	Deviance	AIC
+ Property_Area	2	451.38	459.38
+ Married	1	457.87	463.87
<none>		464.02	468.02
+ Gender	1	462.23	468.23
+ LoanAmount	1	462.37	468.37
+ CoapplicantIncome	1	462.87	468.87
+ Education	1	463.05	469.05
+ Loan_Amount_Term	1	463.58	469.58
+ Self_Employed	1	463.70	469.70
+ ApplicantIncome	1	463.87	469.87
+ Dependents	3	460.84	470.84
- Credit_History	1	593.05	595.05

Step: AIC=459.38

df\_cleaned\$Loan\_Status ~ Credit\_History + Property\_Area

	Df	Deviance	AIC
+ Married	1	445.58	455.58

+ Gender	1	448.48	458.48
<none>		451.38	459.38
+ LoanAmount	1	449.91	459.91
+ CoapplicantIncome	1	450.28	460.28
+ Education	1	450.69	460.69
+ Loan_Amount_Term	1	450.89	460.89
+ Self_Employed	1	451.13	461.13
+ ApplicantIncome	1	451.22	461.22
+ Dependents	3	447.37	461.37
- Property_Area	2	464.02	468.02
- Credit_History	1	580.56	586.56

Step: AIC=455.58

df\_cleaned\$Loan\_Status ~ Credit\_History + Property\_Area + Married

	Df	Deviance	AIC
+ LoanAmount	1	442.72	454.72
<none>		445.58	455.58
+ CoapplicantIncome	1	444.07	456.07
+ Gender	1	444.81	456.81
+ Education	1	444.85	456.85
+ Self_Employed	1	445.24	457.24
+ ApplicantIncome	1	445.34	457.34
+ Loan_Amount_Term	1	445.42	457.42
+ Dependents	3	442.79	458.79
- Married	1	451.38	459.38
- Property_Area	2	457.87	463.87
- Credit_History	1	574.76	582.76

Step: AIC=454.72

df\_cleaned\$Loan\_Status ~ Credit\_History + Property\_Area + Married +  
LoanAmount

	Df	Deviance	AIC
<none>		442.72	454.72
+ Education	1	441.20	455.20
- LoanAmount	1	445.58	455.58
+ CoapplicantIncome	1	441.77	455.77
+ Gender	1	441.79	455.79
+ ApplicantIncome	1	442.48	456.48
+ Self_Employed	1	442.56	456.56
+ Loan_Amount_Term	1	442.63	456.63
+ Dependents	3	439.99	457.99
- Married	1	449.91	459.91
- Property_Area	2	454.75	462.75
- Credit_History	1	570.59	580.59

```
summary(both.logit)
```



Call:

```
glm(formula = df_cleaned$Loan_Status ~ Credit_History + Property_Area +
     Married + LoanAmount, family = binomial(link = "logit"),
     data = df_cleaned)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )	
(Intercept)	-2.696180	0.514478	-5.241	1.6e-07	***
Credit_History	3.617154	0.425869	8.494	< 2e-16	***
Property_AreaSemiurban	0.938358	0.297659	3.152	0.00162	**
Property_AreaUrban	0.147326	0.289297	0.509	0.61057	
MarriedYes	0.667373	0.248585	2.685	0.00726	**
LoanAmount	-0.002474	0.001444	-1.713	0.08664	.

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 593.05 on 479 degrees of freedom

Residual deviance: 442.72 on 474 degrees of freedom

AIC: 454.72

Number of Fisher Scoring iterations: 4

```
summary(both.logit)
```

Call:

```
glm(formula = df_cleaned$Loan_Status ~ Credit_History + Property_Area +
     Married + LoanAmount, family = binomial(link = "logit"),
     data = df_cleaned)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )	
(Intercept)	-2.696180	0.514478	-5.241	1.6e-07	***
Credit_History	3.617154	0.425869	8.494	< 2e-16	***
Property_AreaSemiurban	0.938358	0.297659	3.152	0.00162	**
Property_AreaUrban	0.147326	0.289297	0.509	0.61057	
MarriedYes	0.667373	0.248585	2.685	0.00726	**
LoanAmount	-0.002474	0.001444	-1.713	0.08664	.

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 593.05 on 479 degrees of freedom

Residual deviance: 442.72 on 474 degrees of freedom

AIC: 454.72

Number of Fisher Scoring iterations: 4

### 1. Coefficients:

- **Credit\_History**: Highly significant ( $p < 2e-16$ ) with a positive coefficient, indicating a strong influence on loan approval when the credit history is positive.
- **Property\_AreaSemiurban**: Statistically significant ( $p = 0.00162$ ) with a positive effect, suggesting applicants from semi-urban areas are more likely to get a loan approved compared to the base category.
- **MarriedYes**: Significant ( $p = 0.00726$ ) with a positive coefficient, indicating that being married is associated with a higher likelihood of loan approval.
- **LoanAmount**: Marginally significant ( $p = 0.08664$ ), indicating a possible but not strong effect on loan approval.
- **Property\_AreaUrban**: Not statistically significant in this model.

### 2. Model Fit:

- The **AIC** has decreased to 454.72 compared to the previous full model, suggesting a better fit with fewer variables.
- The **Residual Deviance** has also decreased compared to the full model, indicating an improved fit.

3. **Number of Fisher Scoring iterations**: The convergence in 4 iterations indicates the model fit is stable.

```
full.probit <- glm(Loan_Status ~ ., data = df_cleaned, family = binomial(link = "probit"))
summary(full.probit)
```

Call:

```
glm(formula = Loan_Status ~ ., family = binomial(link = "probit"),
    data = df_cleaned)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )	
(Intercept)	-1.390e+00	5.084e-01	-2.733	0.006275	**
GenderMale	1.889e-01	1.905e-01	0.992	0.321417	
MarriedYes	3.319e-01	1.661e-01	1.998	0.045692	*
Dependents1	-2.143e-01	1.985e-01	-1.080	0.280326	
Dependents2	1.559e-01	2.088e-01	0.747	0.455180	
Dependents3+	9.749e-02	2.708e-01	0.360	0.718817	
EducationNot Graduate	-2.520e-01	1.733e-01	-1.454	0.145971	
Self_EmployedYes	-9.731e-02	2.013e-01	-0.483	0.628873	
ApplicantIncome	3.911e-06	1.548e-05	0.253	0.800502	
CoapplicantIncome	-2.825e-05	2.551e-05	-1.107	0.268243	

LoanAmount	-1.593e-03	1.023e-03	-1.557	0.119362
Loan_Amount_Term	-5.310e-04	1.122e-03	-0.473	0.636008
Credit_History	2.132e+00	2.244e-01	9.500	< 2e-16 ***
Property_AreaSemiurban	5.597e-01	1.698e-01	3.297	0.000978 ***
Property_AreaUrban	8.126e-02	1.740e-01	0.467	0.640444

----

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 593.05 on 479 degrees of freedom  
 Residual deviance: 435.62 on 465 degrees of freedom  
 AIC: 465.62

Number of Fisher Scoring iterations: 5

```
null.probit <- glm(Loan_Status ~ 1, data = df_cleaned, family = binomial(link = "probit"))
summary(null.probit)
```

Call:

```
glm(formula = Loan_Status ~ 1, family = binomial(link = "probit"),
    data = df_cleaned)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )
(Intercept)	0.50058	0.05989	8.359	<2e-16 ***

----

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 593.05 on 479 degrees of freedom  
 Residual deviance: 593.05 on 479 degrees of freedom  
 AIC: 595.05

Number of Fisher Scoring iterations: 4

```
both.probit <- step(null.model, list(lower= formula(null.model),
                                     upper= formula(full.model),
                                     direction="both",data=df_cleaned))
```

Start: AIC=595.05

df\_cleaned\$Loan\_Status ~ 1

	Df	Deviance	AIC
+ Credit_History	1	464.02	468.02
+ Property_Area	2	580.56	586.56
+ Married	1	587.08	591.08

+ LoanAmount	1	590.67	594.67
+ Education	1	590.86	594.86
<none>		593.05	595.05
+ Gender	1	591.10	595.10
+ CoapplicantIncome	1	591.96	595.96
+ ApplicantIncome	1	592.21	596.21
+ Self_Employed	1	592.48	596.48
+ Loan_Amount_Term	1	593.02	597.02
+ Dependents	3	590.05	598.05

Step: AIC=468.02

df\_cleaned\$Loan\_Status ~ Credit\_History

	Df	Deviance	AIC
+ Property_Area	2	451.38	459.38
+ Married	1	457.87	463.87
<none>		464.02	468.02
+ Gender	1	462.23	468.23
+ LoanAmount	1	462.37	468.37
+ CoapplicantIncome	1	462.87	468.87
+ Education	1	463.05	469.05
+ Loan_Amount_Term	1	463.58	469.58
+ Self_Employed	1	463.70	469.70
+ ApplicantIncome	1	463.87	469.87
+ Dependents	3	460.84	470.84
- Credit_History	1	593.05	595.05

Step: AIC=459.38

df\_cleaned\$Loan\_Status ~ Credit\_History + Property\_Area

	Df	Deviance	AIC
+ Married	1	445.58	455.58
+ Gender	1	448.48	458.48
<none>		451.38	459.38
+ LoanAmount	1	449.91	459.91
+ CoapplicantIncome	1	450.28	460.28
+ Education	1	450.69	460.69
+ Loan_Amount_Term	1	450.89	460.89
+ Self_Employed	1	451.13	461.13
+ ApplicantIncome	1	451.22	461.22
+ Dependents	3	447.37	461.37
- Property_Area	2	464.02	468.02
- Credit_History	1	580.56	586.56

Step: AIC=455.58

df\_cleaned\$Loan\_Status ~ Credit\_History + Property\_Area + Married

	Df	Deviance	AIC
+ LoanAmount	1	442.72	454.72
<none>		445.58	455.58
+ CoapplicantIncome	1	444.07	456.07

+ Gender	1	444.81	456.81
+ Education	1	444.85	456.85
+ Self_Employed	1	445.24	457.24
+ ApplicantIncome	1	445.34	457.34
+ Loan_Amount_Term	1	445.42	457.42
+ Dependents	3	442.79	458.79
- Married	1	451.38	459.38
- Property_Area	2	457.87	463.87
- Credit_History	1	574.76	582.76

Step: AIC=454.72

df\_cleaned\$Loan\_Status ~ Credit\_History + Property\_Area + Married +  
LoanAmount

	Df	Deviance	AIC
<none>		442.72	454.72
+ Education	1	441.20	455.20
- LoanAmount	1	445.58	455.58
+ CoapplicantIncome	1	441.77	455.77
+ Gender	1	441.79	455.79
+ ApplicantIncome	1	442.48	456.48
+ Self_Employed	1	442.56	456.56
+ Loan_Amount_Term	1	442.63	456.63
+ Dependents	3	439.99	457.99
- Married	1	449.91	459.91
- Property_Area	2	454.75	462.75
- Credit_History	1	570.59	580.59

```
summary(both.probit)
```

Call:

```
glm(formula = df_cleaned$Loan_Status ~ Credit_History + Property_Area +  
Married + LoanAmount, family = binomial(link = "logit"),  
data = df_cleaned)
```

Coefficients:

	Estimate	Std. Error	z value	Pr(> z )
(Intercept)	-2.696180	0.514478	-5.241	1.6e-07 ***
Credit_History	3.617154	0.425869	8.494	< 2e-16 ***
Property_AreaSemiurban	0.938358	0.297659	3.152	0.00162 **
Property_AreaUrban	0.147326	0.289297	0.509	0.61057
MarriedYes	0.667373	0.248585	2.685	0.00726 **
LoanAmount	-0.002474	0.001444	-1.713	0.08664 .

----

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

(Dispersion parameter for binomial family taken to be 1)

Null deviance: 593.05 on 479 degrees of freedom

Residual deviance: 442.72 on 474 degrees of freedom

AIC: 454.72

Number of Fisher Scoring iterations: 4

- **Credit\_History**: Highly significant ( $p < 2e-16$ ) with a positive coefficient, indicating a strong influence on loan approval when the credit history is positive.
- **Property\_AreaSemiurban**: Statistically significant ( $p = 0.00162$ ) with a positive effect, suggesting applicants from semi-urban areas are more likely to get a loan approved compared to the base category.
- **MarriedYes**: Significant ( $p = 0.00726$ ) with a positive coefficient, indicating that being married is associated with a higher likelihood of loan approval.
- **LoanAmount**: Marginally significant ( $p = 0.08664$ ), indicating a possible but not strong effect on loan approval.

```
library(pROC)
```

Type 'citation("pROC")' for a citation.

Attaching package: 'pROC'

The following objects are masked from 'package:stats':

cov, smooth, var

```
table(df_cleaned$Loan_Status)
```

```
0    1
148 332
```

```
df_cleaned$Loan_Status <- as.factor(df_cleaned$Loan_Status)
```

```
set.seed(123457)
train.prop <- 0.80
auclist <- c()
for (t in 1:500){
  # Splitting the data
  strats <- df_cleaned$Loan_Status
  rr <- split(1:length(strats), strats)
  idx <- sort(as.numeric(unlist(sapply(rr,
    function(x) sample(x, length(x)*train.prop))))))
  df.train <- df_cleaned[idx, ]
  df.test <- df_cleaned[-idx, ]
}
```

```
# Training the null model on the training set
null.model <- glm(Loan_Status ~ 1, data= df.train, family = binomial(link = "logit"))

# Making predictions on the test set
pd <- predict(null.model, newdata = df.test, type = 'response')
predicted_class <- ifelse(pd > 0.5, 1, 0)

# ROC analysis and AUC calculation
g <- roc(response = as.numeric(df.test$Loan_Status == 1),
        predictor = pd, print.auc = TRUE,
        algorithm = 2, levels = c(0, 1), direction = "<")

auclist <- c(auclist, as.numeric(g$auc))
}
# Averaging the metrics
benchmark_auc <- mean(auclist)

benchmark_auc
```

[1] 0.5

Talk about this

```
library(pROC)
library(caret)
```

Loading required package: lattice

```
set.seed(123457)
train.prop <- 0.80
auclist <- c()
residual_deviances <- c()
accuracies <- c()
recalls <- c()
precisions <- c()
f1_scores <- c()

for (t in 1:500){
  # Splitting the data
  strats <- df_cleaned$Loan_Status
  rr <- split(1:length(strats), strats)
  idx <- sort(as.numeric(unlist(sapply(rr, function(x) sample(x, length(x) * train.prop)
  df.train <- df_cleaned[idx, ]
  df.test <- df_cleaned[-idx, ]

  # Training the model on the training set
  full.logit <- glm(Loan_Status ~ ., data = df.train, family = binomial(link = "logit")

  # Residual Deviance
```

```

residual_deviances <- c(residual_deviances, full.logit$deviance)

# Making predictions on the test set
pd <- predict(full.logit, newdata = df.test, type = 'response')
predicted_class <- ifelse(pd > 0.5, 1, 0)

# ROC analysis and AUC calculation
g <- roc(response = df.test$Loan_Status, predictor = pd, print.auc = TRUE, algorithm
auclist <- c(auclist, as.numeric(g$auc))

# Confusion Matrix and related metrics
cm <- confusionMatrix(as.factor(predicted_class), as.factor(df.test$Loan_Status))
accuracies <- c(accuracies, cm$overall['Accuracy'])
recalls <- c(recalls, cm$byClass['Sensitivity'])
precisions <- c(precisions, cm$byClass['Precision'])
f1_scores <- c(f1_scores, cm$byClass['F1'])
}

# Calculating averages
benchmark_auc <- mean(auclist)
average_residual_deviance <- mean(residual_deviances)
average_accuracy <- mean(accuracies)
average_recall <- mean(recalls)
average_precision <- mean(precisions)
average_f1_score <- mean(f1_scores)

list(
  benchmark_auc = benchmark_auc,
  average_residual_deviance = average_residual_deviance,
  average_accuracy = average_accuracy,
  average_recall = average_recall,
  average_precision = average_precision,
  average_f1_score = average_f1_score
)

```

\$benchmark\_auc

[1] 0.7561831

\$average\_residual\_deviance

[1] 344.6034

\$average\_accuracy

[1] 0.8041443

\$average\_recall

[1] 0.4387333

\$average\_precision

[1] 0.8641987



```
$average_f1_score
```

```
[1] 0.5768786
```

**Good Predictive Ability:** An AUC score of 0.75 suggests that the model has a good level of predictive accuracy. In practical terms, this means that there's an 75% chance that the model will correctly distinguish between a positive and a negative instance when randomly picking one of each.

```
library(pROC)
library(caret)

set.seed(123457)
train.prop <- 0.80
auclist <- c()
residual_deviances <- c()
null_deviances <- c()
accuracies <- c()
recalls <- c()
precisions <- c()
f1_scores <- c()

for (t in 1:500){
  # Splitting the data
  strats <- df_cleaned$Loan_Status
  rr <- split(1:length(strats), strats)
  idx <- sort(as.numeric(unlist(sapply(rr, function(x) sample(x, length(x) * train.prop)))))
  df.train <- df_cleaned[idx, ]
  df.test <- df_cleaned[-idx, ]

  # Training the model on the training set
  both.logit <- glm(Loan_Status ~ Credit_History + Property_Area + Married + LoanAmount, data = df.train)

  # Making predictions on the test set
  pd <- predict(both.logit, newdata = df.test, type = 'response')
  predicted_class <- ifelse(pd > 0.5, 1, 0)

  # ROC analysis and AUC calculation
  g <- roc(response = as.numeric(df.test$Loan_Status == 1), predictor = pd, print.auc = FALSE)
  auclist <- c(auclist, as.numeric(g$auc))

  # Confusion Matrix and related metrics
  cm <- confusionMatrix(as.factor(predicted_class), as.factor(df.test$Loan_Status))
  accuracies <- c(accuracies, cm$overall['Accuracy'])
  recalls <- c(recalls, cm$byClass['Sensitivity'])
  precisions <- c(precisions, cm$byClass['Precision'])
  f1_scores <- c(f1_scores, cm$byClass['F1'])

  # Residual and Null Deviance
  residual_deviances <- c(residual_deviances, both.logit$deviance)
  null_deviances <- c(null_deviances, both.logit$null.deviance)
}
```

```
# Calculating averages
benchmark_auc <- mean(auclist)
average_residual_deviance <- mean(residual_deviances)
average_null_deviance <- mean(null_deviances)
average_accuracy <- mean(accuracies)
average_recall <- mean(recalls)
average_precision <- mean(precisions)
average_f1_score <- mean(f1_scores)

list(
  benchmark_auc = benchmark_auc,
  average_residual_deviance = average_residual_deviance,
  average_null_deviance = average_null_deviance,
  average_accuracy = average_accuracy,
  average_recall = average_recall,
  average_precision = average_precision,
  average_f1_score = average_f1_score
)
```

```
$benchmark_auc
```

```
[1] 0.7783473
```

```
$average_residual_deviance
```

```
[1] 352.3706
```

```
$average_null_deviance
```

```
[1] 473.0564
```

```
$average_accuracy
```

```
[1] 0.8109485
```

```
$average_recall
```

```
[1] 0.4364667
```

```
$average_precision
```

```
[1] 0.9032575
```

```
$average_f1_score
```

```
[1] 0.5841136
```

The results of our model evaluation over 500 iterations show an average AUC of 0.7783, indicating a good ability to distinguish between the two classes of **Loan\_Status**. The average residual deviance is 352.3706, significantly lower than the average null deviance of 473.0564, suggesting that the predictors in our model add substantial explanatory power.

In terms of classification metrics, the average accuracy is 0.8109, meaning my model correctly predicts the **Loan\_Status** 81.09% of the time. However, the average recall is relatively low at 0.4365, indicating that the model might be missing a significant number of true positive cases. On the other hand, the average precision is high at 0.9033, showing that when the model predicts a positive case, it is correct

90.33% of the time. The average F1 score is 0.5841, reflecting a moderate balance between precision and recall, though leaning more towards precision.

```
library(rpart)
library(rpart.plot)
library(caret)
```

```
# Build the decision tree model
fit.allp <- rpart(Loan_Status ~ ., method = "class", data = df.train,
                  control = rpart.control(minsplit = 1, cp = 0.001))
printcp(fit.allp)
```

Classification tree:

```
rpart(formula = Loan_Status ~ ., data = df.train, method = "class",
      control = rpart.control(minsplit = 1, cp = 0.001))
```

Variables actually used in tree construction:

[1] ApplicantIncome	CoapplicantIncome	Credit_History	Dependents
[5] Education	Gender	Loan_Amount_Term	LoanAmount
[9] Married	Property_Area	Self_Employed	

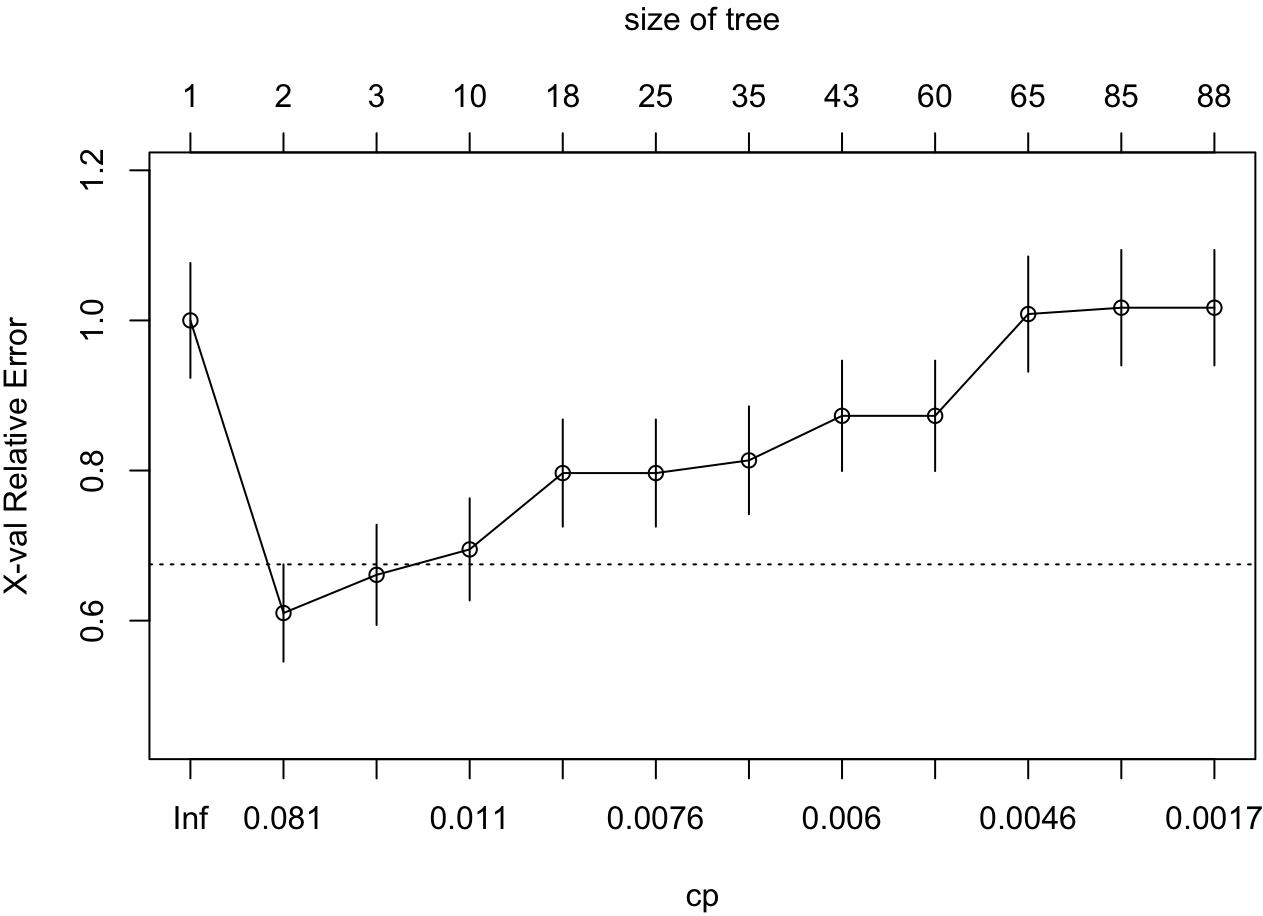
Root node error: 118/383 = 0.30809

n= 383

	CP	nsplit	rel error	xerror	xstd
1	0.3898305	0	1.0000000	1.00000	0.076574
2	0.0169492	1	0.6101695	0.61017	0.064799
3	0.0127119	2	0.5932203	0.66102	0.066791
4	0.0101695	9	0.5000000	0.69492	0.068031
5	0.0084746	17	0.4067797	0.79661	0.071373
6	0.0067797	24	0.3474576	0.79661	0.071373
7	0.0063559	34	0.2796610	0.81356	0.071878
8	0.0056497	42	0.2203390	0.87288	0.073539
9	0.0050847	59	0.1186441	0.87288	0.073539
10	0.0042373	64	0.0932203	1.00847	0.076753
11	0.0028249	84	0.0084746	1.01695	0.076928
12	0.0010000	87	0.0000000	1.01695	0.076928

```
# Find the optimal complexity parameter
cp <- fit.allp$cptable[which.min(fit.allp$cptable[, "xerror"]), "CP"]
xerr <- fit.allp$cptable[which.min(fit.allp$cptable[, "xerror"]), "xerror"]

# Plot the complexity parameter plot
plotcp(fit.allp)
```



```
# Detailed summary of the model
summary(fit.allp)
```

Call:

```
rpart(formula = Loan_Status ~ ., data = df.train, method = "class",
      control = rpart.control(minsplit = 1, cp = 0.001))
n= 383
```

	CP	nsplit	rel error	xerror	xstd
1	0.389830508	0	1.000000000	1.0000000	0.07657421
2	0.016949153	1	0.610169492	0.6101695	0.06479851
3	0.012711864	2	0.593220339	0.6610169	0.06679067
4	0.010169492	9	0.500000000	0.6949153	0.06803130
5	0.008474576	17	0.406779661	0.7966102	0.07137259
6	0.006779661	24	0.347457627	0.7966102	0.07137259
7	0.006355932	34	0.279661017	0.8135593	0.07187787
8	0.005649718	42	0.220338983	0.8728814	0.07353875
9	0.005084746	59	0.118644068	0.8728814	0.07353875
10	0.004237288	64	0.093220339	1.0084746	0.07675277
11	0.002824859	84	0.008474576	1.0169492	0.07692847
12	0.001000000	87	0.000000000	1.0169492	0.07692847

Variable importance

Credit_History	ApplicantIncome	CoapplicantIncome	LoanAmount
24	20	16	15
Dependents	Loan_Amount_Term	Married	Self_Employed
6	5	3	3
Gender	Property_Area	Education	
3	2	2	

Node number 1: 383 observations, complexity param=0.3898305

predicted class=1 expected loss=0.308094 P(node) =1

class counts: 118 265

probabilities: 0.308 0.692

left son=2 (56 obs) right son=3 (327 obs)

Primary splits:

Credit_History	< 0.5	to the left,	improve=47.638330, (0 missing)
Property_Area	splits as	LRL,	improve= 3.269674, (0 missing)
Loan_Amount_Term	< 420	to the right,	improve= 2.370031, (0 missing)
Married	splits as	LR,	improve= 2.002812, (0 missing)
LoanAmount	< 283	to the right,	improve= 1.904045, (0 missing)

Node number 2: 56 observations, complexity param=0.006779661

predicted class=0 expected loss=0.08928571 P(node) =0.1462141

class counts: 51 5

probabilities: 0.911 0.089

left son=4 (54 obs) right son=5 (2 obs)

Primary splits:

CoapplicantIncome	< 8115	to the left,	improve=0.6997354, (0 missing)
LoanAmount	< 136.5	to the left,	improve=0.5590533, (0 missing)
ApplicantIncome	< 4316.5	to the left,	improve=0.2707275, (0 missing)
Property_Area	splits as	LRL,	improve=0.2293651, (0 missing)
Self_Employed	splits as	RL,	improve=0.1709726, (0 missing)

Node number 3: 327 observations, complexity param=0.01694915

predicted class=1 expected loss=0.204893 P(node) =0.8537859

class counts: 67 260

probabilities: 0.205 0.795

left son=6 (2 obs) right son=7 (325 obs)

Primary splits:

Loan_Amount_Term	< 48	to the left,	improve=2.544343, (0 missing)
Property_Area	splits as	LRL,	improve=2.371207, (0 missing)
Married	splits as	LR,	improve=2.067278, (0 missing)
ApplicantIncome	< 18249	to the right,	improve=1.922021, (0 missing)
LoanAmount	< 285	to the right,	improve=1.820468, (0 missing)

Node number 4: 54 observations, complexity param=0.006779661

predicted class=0 expected loss=0.07407407 P(node) =0.1409922

class counts: 50 4

probabilities: 0.926 0.074

left son=8 (38 obs) right son=9 (16 obs)

Primary splits:

LoanAmount	< 159	to the left,	improve=0.5850390, (0 missing)
ApplicantIncome	< 4316.5	to the left,	improve=0.4629630, (0 missing)

Dependents	splits as	LRRR,	improve=0.1963729, (0 missing)
CoapplicantIncome < 1355	to the left,		improve=0.1481481, (0 missing)
Gender	splits as	LR,	improve=0.1185185, (0 missing)

## Surrogate splits:

ApplicantIncome < 8229.5	to the left,	agree=0.815, adj=0.375, (0 split)
CoapplicantIncome < 3191.5	to the left,	agree=0.815, adj=0.375, (0 split)

Node number 5: 2 observations, complexity param=0.006779661

predicted class=0 expected loss=0.5 P(node) =0.005221932

class counts: 1 1

probabilities: 0.500 0.500

left son=10 (1 obs) right son=11 (1 obs)

## Primary splits:

Gender	splits as	RL,	improve=1, (0 missing)
Married	splits as	RL,	improve=1, (0 missing)
Dependents	splits as	R--L,	improve=1, (0 missing)
ApplicantIncome < 3826.5	to the right,		improve=1, (0 missing)
CoapplicantIncome < 10140	to the right,		improve=1, (0 missing)

Node number 6: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 7: 325 observations, complexity param=0.01271186

predicted class=1 expected loss=0.2 P(node) =0.848564

class counts: 65 260

probabilities: 0.200 0.800

left son=14 (197 obs) right son=15 (128 obs)

## Primary splits:

Property_Area	splits as	LRL,	improve=2.896336, (0 missing)
ApplicantIncome < 18249	to the right,		improve=1.973944, (0 missing)
LoanAmount < 285	to the right,		improve=1.898463, (0 missing)
CoapplicantIncome < 7480	to the right,		improve=1.625000, (0 missing)
Married	splits as	LR,	improve=1.609534, (0 missing)

## Surrogate splits:

ApplicantIncome < 27039.5	to the left,	agree=0.615, adj=0.023, (0 split)
Loan_Amount_Term < 420	to the left,	agree=0.612, adj=0.016, (0 split)

Node number 8: 38 observations, complexity param=0.004237288

predicted class=0 expected loss=0.02631579 P(node) =0.09921671

class counts: 37 1

probabilities: 0.974 0.026

left son=16 (35 obs) right son=17 (3 obs)

## Primary splits:

CoapplicantIncome < 2446	to the left,	improve=0.6140351, (0 missing)	
Loan_Amount_Term < 240	to the right,	improve=0.2807018, (0 missing)	
LoanAmount < 91.5	to the right,	improve=0.2330827, (0 missing)	
ApplicantIncome < 2541.5	to the right,	improve=0.1695906, (0 missing)	
Property_Area	splits as	RLL,	improve=0.1140351, (0 missing)

Node number 9: 16 observations, complexity param=0.006779661  
predicted class=0 expected loss=0.1875 P(node) =0.04177546  
class counts: 13 3  
probabilities: 0.813 0.188  
left son=18 (11 obs) right son=19 (5 obs)  
Primary splits:  
LoanAmount < 173 to the right, improve=2.4750000, (0 missing)  
ApplicantIncome < 5690.5 to the right, improve=1.1250000, (0 missing)  
CoapplicantIncome < 2072 to the right, improve=0.8750000, (0 missing)  
Dependents splits as LRRR, improve=0.6750000, (0 missing)  
Property\_Area splits as LRL, improve=0.6568182, (0 missing)  
Surrogate splits:  
Loan\_Amount\_Term < 240 to the right, agree=0.812, adj=0.4, (0 split)

Node number 10: 1 observations  
predicted class=0 expected loss=0 P(node) =0.002610966  
class counts: 1 0  
probabilities: 1.000 0.000

Node number 11: 1 observations  
predicted class=1 expected loss=0 P(node) =0.002610966  
class counts: 0 1  
probabilities: 0.000 1.000

Node number 14: 197 observations, complexity param=0.01271186  
predicted class=1 expected loss=0.2538071 P(node) =0.5143603  
class counts: 50 147  
probabilities: 0.254 0.746  
left son=28 (3 obs) right son=29 (194 obs)  
Primary splits:  
ApplicantIncome < 18249 to the right, improve=3.3924850, (0 missing)  
LoanAmount < 302 to the right, improve=2.5251720, (0 missing)  
CoapplicantIncome < 14053 to the right, improve=2.2500590, (0 missing)  
Loan\_Amount\_Term < 270 to the right, improve=0.9279824, (0 missing)  
Married splits as LR, improve=0.8982748, (0 missing)  
Surrogate splits:  
LoanAmount < 402 to the right, agree=0.995, adj=0.667, (0 split)

Node number 15: 128 observations, complexity param=0.006779661  
predicted class=1 expected loss=0.1171875 P(node) =0.3342037  
class counts: 15 113  
probabilities: 0.117 0.883  
left son=30 (4 obs) right son=31 (124 obs)  
Primary splits:  
CoapplicantIncome < 6145.5 to the right, improve=1.2101810, (0 missing)  
Loan\_Amount\_Term < 420 to the right, improve=1.2101810, (0 missing)  
LoanAmount < 99.5 to the left, improve=0.8418411, (0 missing)  
Married splits as LR, improve=0.4855446, (0 missing)  
ApplicantIncome < 3863 to the right, improve=0.3549489, (0 missing)

Node number 16: 35 observations

predicted class=0 expected loss=0 P(node) =0.09138381  
 class counts: 35 0  
 probabilities: 1.000 0.000

Node number 17: 3 observations, complexity param=0.004237288  
 predicted class=0 expected loss=0.3333333 P(node) =0.007832898

class counts: 2 1  
 probabilities: 0.667 0.333  
 left son=34 (2 obs) right son=35 (1 obs)

Primary splits:

CoapplicantIncome < 2485 to the right, improve=1.3333330, (0 missing)  
 LoanAmount < 91.5 to the right, improve=1.3333330, (0 missing)  
 Loan\_Amount\_Term < 270 to the right, improve=1.3333330, (0 missing)  
 Property\_Area splits as RLL, improve=1.3333330, (0 missing)  
 Dependents splits as R--L, improve=0.3333333, (0 missing)

Node number 18: 11 observations

predicted class=0 expected loss=0 P(node) =0.02872063  
 class counts: 11 0  
 probabilities: 1.000 0.000

Node number 19: 5 observations, complexity param=0.006779661

predicted class=1 expected loss=0.4 P(node) =0.01305483  
 class counts: 2 3  
 probabilities: 0.400 0.600

left son=38 (2 obs) right son=39 (3 obs)

Primary splits:

Self\_Employed splits as RL, improve=2.400000, (0 missing)  
 CoapplicantIncome < 2630 to the right, improve=2.400000, (0 missing)  
 Loan\_Amount\_Term < 270 to the left, improve=2.400000, (0 missing)  
 Dependents splits as LLRR, improve=1.066667, (0 missing)  
 Property\_Area splits as LRL, improve=1.066667, (0 missing)

Surrogate splits:

CoapplicantIncome < 2630 to the right, agree=1, adj=1, (0 split)  
 Loan\_Amount\_Term < 270 to the left, agree=1, adj=1, (0 split)

Node number 28: 3 observations

predicted class=0 expected loss=0 P(node) =0.007832898  
 class counts: 3 0  
 probabilities: 1.000 0.000

Node number 29: 194 observations, complexity param=0.01271186

predicted class=1 expected loss=0.242268 P(node) =0.5065274  
 class counts: 47 147  
 probabilities: 0.242 0.758

left son=58 (2 obs) right son=59 (192 obs)

Primary splits:

CoapplicantIncome < 14053 to the right, improve=2.3205540, (0 missing)  
 ApplicantIncome < 2437 to the left, improve=1.2807230, (0 missing)  
 LoanAmount < 13 to the left, improve=1.1542650, (0 missing)  
 Married splits as LR, improve=0.9275511, (0 missing)



Loan\_Amount\_Term < 270 to the right, improve=0.7907139, (0 missing)

Node number 30: 4 observations, complexity param=0.006779661

predicted class=0 expected loss=0.5 P(node) =0.01044386

class counts: 2 2

probabilities: 0.500 0.500

left son=60 (3 obs) right son=61 (1 obs)

Primary splits:

Married splits as RL, improve=0.6666667, (0 missing)

Dependents splits as LR-L, improve=0.6666667, (0 missing)

Education splits as LR, improve=0.6666667, (0 missing)

ApplicantIncome < 2315 to the left, improve=0.6666667, (0 missing)

CoapplicantIncome < 6883.5 to the left, improve=0.6666667, (0 missing)

Node number 31: 124 observations, complexity param=0.006779661

predicted class=1 expected loss=0.1048387 P(node) =0.3237598

class counts: 13 111

probabilities: 0.105 0.895

left son=62 (4 obs) right son=63 (120 obs)

Primary splits:

Loan\_Amount\_Term < 420 to the right, improve=1.2908600, (0 missing)

Married splits as LR, improve=0.7504284, (0 missing)

CoapplicantIncome < 1954 to the left, improve=0.7137109, (0 missing)

LoanAmount < 99.5 to the left, improve=0.5671228, (0 missing)

ApplicantIncome < 4209 to the right, improve=0.4301765, (0 missing)

Node number 34: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 35: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 38: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 39: 3 observations

predicted class=1 expected loss=0 P(node) =0.007832898

class counts: 0 3

probabilities: 0.000 1.000

Node number 58: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 59: 192 observations, complexity param=0.01271186  
predicted class=1 expected loss=0.234375 P(node) =0.5013055  
class counts: 45 147  
probabilities: 0.234 0.766  
left son=118 (166 obs) right son=119 (26 obs)  
Primary splits:  
CoapplicantIncome < 3044 to the left, improve=1.4910510, (0 missing)  
LoanAmount < 13 to the left, improve=1.1785010, (0 missing)  
ApplicantIncome < 1490 to the left, improve=0.8739919, (0 missing)  
Married splits as LR, improve=0.8465485, (0 missing)  
Loan\_Amount\_Term < 270 to the right, improve=0.7030252, (0 missing)  
Surrogate splits:  
LoanAmount < 307.5 to the left, agree=0.875, adj=0.077, (0 split)

Node number 60: 3 observations, complexity param=0.006779661  
predicted class=0 expected loss=0.3333333 P(node) =0.007832898  
class counts: 2 1  
probabilities: 0.667 0.333  
left son=120 (2 obs) right son=121 (1 obs)  
Primary splits:  
Dependents splits as LR-L, improve=1.3333330, (0 missing)  
Education splits as LR, improve=1.3333330, (0 missing)  
ApplicantIncome < 2395.5 to the left, improve=0.3333333, (0 missing)  
CoapplicantIncome < 6883.5 to the left, improve=0.3333333, (0 missing)  
LoanAmount < 174.5 to the left, improve=0.3333333, (0 missing)

Node number 61: 1 observations  
predicted class=1 expected loss=0 P(node) =0.002610966  
class counts: 0 1  
probabilities: 0.000 1.000

Node number 62: 4 observations, complexity param=0.006779661  
predicted class=0 expected loss=0.5 P(node) =0.01044386  
class counts: 2 2  
probabilities: 0.500 0.500  
left son=124 (2 obs) right son=125 (2 obs)  
Primary splits:  
CoapplicantIncome < 1628.5 to the left, improve=2.0000000, (0 missing)  
Gender splits as RL, improve=0.6666667, (0 missing)  
Married splits as LR, improve=0.6666667, (0 missing)  
Dependents splits as LRL-, improve=0.6666667, (0 missing)  
Education splits as RL, improve=0.6666667, (0 missing)

Node number 63: 120 observations, complexity param=0.005649718  
predicted class=1 expected loss=0.09166667 P(node) =0.3133159  
class counts: 11 109  
probabilities: 0.092 0.908  
left son=126 (36 obs) right son=127 (84 obs)  
Primary splits:  
Married splits as LR, improve=0.5785714, (0 missing)  
CoapplicantIncome < 1954 to the left, improve=0.5037512, (0 missing)

LoanAmount < 88.5 to the left, improve=0.4765948, (0 missing)  
Dependents splits as RLRR, improve=0.3849470, (0 missing)  
ApplicantIncome < 4209 to the right, improve=0.3686701, (0 missing)

Surrogate splits:

LoanAmount < 85.5 to the left, agree=0.758, adj=0.194, (0 split)  
Gender splits as LR, agree=0.733, adj=0.111, (0 split)  
Education splits as RL, agree=0.717, adj=0.056, (0 split)

Node number 118: 166 observations, complexity param=0.01271186

predicted class=1 expected loss=0.2590361 P(node) =0.4334204

class counts: 43 123

probabilities: 0.259 0.741

left son=236 (11 obs) right son=237 (155 obs)

Primary splits:

CoapplicantIncome < 2536 to the right, improve=3.3545630, (0 missing)  
ApplicantIncome < 1490 to the left, improve=1.1986680, (0 missing)  
LoanAmount < 13 to the left, improve=1.1047100, (0 missing)  
Loan\_Amount\_Term < 420 to the right, improve=1.1047100, (0 missing)  
Property\_Area splits as L-R, improve=0.7962901, (0 missing)

Surrogate splits:

ApplicantIncome < 1162 to the left, agree=0.946, adj=0.182, (0 split)

Node number 119: 26 observations, complexity param=0.005649718

predicted class=1 expected loss=0.07692308 P(node) =0.06788512

class counts: 2 24

probabilities: 0.077 0.923

left son=238 (6 obs) right son=239 (20 obs)

Primary splits:

Married splits as LR, improve=1.0256410, (0 missing)  
LoanAmount < 174 to the right, improve=0.4195804, (0 missing)  
ApplicantIncome < 3713 to the right, improve=0.3589744, (0 missing)  
Dependents splits as LRRR, improve=0.2637363, (0 missing)  
CoapplicantIncome < 3583 to the right, improve=0.1628959, (0 missing)

Surrogate splits:

Gender splits as LR, agree=0.808, adj=0.167, (0 split)

Node number 120: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 121: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 124: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 125: 2 observations

predicted class=1 expected loss=0 P(node) =0.005221932

class counts: 0 2

probabilities: 0.000 1.000

Node number 126: 36 observations, complexity param=0.005649718

predicted class=1 expected loss=0.1666667 P(node) =0.09399478

class counts: 6 30

probabilities: 0.167 0.833

left son=252 (26 obs) right son=253 (10 obs)

Primary splits:

ApplicantIncome < 4809 to the left, improve=0.7692308, (0 missing)

Dependents splits as RLRR, improve=0.6322581, (0 missing)

Gender splits as LR, improve=0.5142857, (0 missing)

CoapplicantIncome < 1954 to the left, improve=0.3225806, (0 missing)

LoanAmount < 58.5 to the right, improve=0.2500000, (0 missing)

Surrogate splits:

LoanAmount < 149 to the left, agree=0.861, adj=0.5, (0 split)

Self\_Employed splits as LR, agree=0.806, adj=0.3, (0 split)

Node number 127: 84 observations, complexity param=0.005084746

predicted class=1 expected loss=0.05952381 P(node) =0.2193211

class counts: 5 79

probabilities: 0.060 0.940

left son=254 (2 obs) right son=255 (82 obs)

Primary splits:

ApplicantIncome < 26665 to the right, improve=0.79500580, (0 missing)

CoapplicantIncome < 768 to the left, improve=0.38593840, (0 missing)

LoanAmount < 147 to the right, improve=0.33531750, (0 missing)

Dependents splits as RLRL, improve=0.23500060, (0 missing)

Gender splits as RL, improve=0.08969341, (0 missing)

Node number 236: 11 observations, complexity param=0.01271186

predicted class=0 expected loss=0.3636364 P(node) =0.02872063

class counts: 7 4

probabilities: 0.636 0.364

left son=472 (4 obs) right son=473 (7 obs)

Primary splits:

Dependents splits as RLRL, improve=1.6623380, (0 missing)

ApplicantIncome < 3532.5 to the right, improve=1.6623380, (0 missing)

Education splits as LR, improve=0.8909091, (0 missing)

LoanAmount < 112.5 to the right, improve=0.7575758, (0 missing)

CoapplicantIncome < 2654 to the left, improve=0.6464646, (0 missing)

Surrogate splits:

CoapplicantIncome < 2892 to the right, agree=0.909, adj=0.75, (0 split)

ApplicantIncome < 3995.5 to the right, agree=0.727, adj=0.25, (0 split)

Node number 237: 155 observations, complexity param=0.01016949

predicted class=1 expected loss=0.2322581 P(node) =0.4046997

class counts: 36 119

probabilities: 0.232 0.768

left son=474 (1 obs) right son=475 (154 obs)

Primary splits:

LoanAmount	< 13	to the left,	improve=1.1865100, (0 missing)
ApplicantIncome	< 1490	to the left,	improve=1.1546120, (0 missing)
Loan_Amount_Term	< 270	to the right,	improve=1.0283190, (0 missing)
CoapplicantIncome	< 8.06	to the left,	improve=0.8466812, (0 missing)
Property_Area	splits as L-R,		improve=0.5572052, (0 missing)

Node number 238: 6 observations, complexity param=0.005649718

predicted class=1 expected loss=0.3333333 P(node) =0.0156658

class counts: 2 4

probabilities: 0.333 0.667

left son=476 (3 obs) right son=477 (3 obs)

Primary splits:

LoanAmount	< 174	to the right,	improve=1.3333330, (0 missing)
ApplicantIncome	< 4990.5	to the right,	improve=1.0666670, (0 missing)
Gender	splits as RL,		improve=0.2666667, (0 missing)
CoapplicantIncome	< 3556.5	to the right,	improve=0.2666667, (0 missing)
Loan_Amount_Term	< 420	to the left,	improve=0.2666667, (0 missing)

Surrogate splits:

ApplicantIncome	< 3713	to the right,	agree=0.833, adj=0.667, (0 split)
CoapplicantIncome	< 4525.5	to the right,	agree=0.833, adj=0.667, (0 split)
Gender	splits as RL,		agree=0.667, adj=0.333, (0 split)

Node number 239: 20 observations

predicted class=1 expected loss=0 P(node) =0.05221932

class counts: 0 20

probabilities: 0.000 1.000

Node number 252: 26 observations, complexity param=0.005649718

predicted class=1 expected loss=0.2307692 P(node) =0.06788512

class counts: 6 20

probabilities: 0.231 0.769

left son=504 (2 obs) right son=505 (24 obs)

Primary splits:

Self_Employed	splits as RL,		improve=2.5641030, (0 missing)
Dependents	splits as RLRR,		improve=1.2887400, (0 missing)
ApplicantIncome	< 4615	to the right,	improve=1.2887400, (0 missing)
LoanAmount	< 166.5	to the right,	improve=1.2307690, (0 missing)
Gender	splits as LR,		improve=0.6731935, (0 missing)

Node number 253: 10 observations

predicted class=1 expected loss=0 P(node) =0.02610966

class counts: 0 10

probabilities: 0.000 1.000

Node number 254: 2 observations, complexity param=0.005084746

predicted class=0 expected loss=0.5 P(node) =0.005221932

class counts: 1 1

probabilities: 0.500 0.500

left son=508 (1 obs) right son=509 (1 obs)

## Primary splits:

Dependents	splits as	RL--,	improve=1, (0 missing)
Self_Employed	splits as	LR,	improve=1, (0 missing)
ApplicantIncome	< 36496.5	to the left,	improve=1, (0 missing)
CoapplicantIncome	< 2375	to the left,	improve=1, (0 missing)
LoanAmount	< 190	to the right,	improve=1, (0 missing)

Node number 255: 82 observations, complexity param=0.005084746

predicted class=1 expected loss=0.04878049 P(node) =0.2140992

class counts: 4 78

probabilities: 0.049 0.951

left son=510 (13 obs) right son=511 (69 obs)

## Primary splits:

ApplicantIncome	< 6365.5	to the right,	improve=0.34108270, (0 missing)
LoanAmount	< 88.5	to the left,	improve=0.34052530, (0 missing)
CoapplicantIncome	< 768	to the left,	improve=0.19602700, (0 missing)
Dependents	splits as	LLRL,	improve=0.10975610, (0 missing)
Education	splits as	RL,	improve=0.07855366, (0 missing)

## Surrogate splits:

LoanAmount &lt; 189 to the right, agree=0.89, adj=0.308, (0 split)

Node number 472: 4 observations

predicted class=0 expected loss=0 P(node) =0.01044386

class counts: 4 0

probabilities: 1.000 0.000

Node number 473: 7 observations, complexity param=0.01271186

predicted class=1 expected loss=0.4285714 P(node) =0.01827676

class counts: 3 4

probabilities: 0.429 0.571

left son=946 (2 obs) right son=947 (5 obs)

## Primary splits:

ApplicantIncome	< 3532.5	to the right,	improve=1.8285710, (0 missing)
CoapplicantIncome	< 2654	to the left,	improve=1.8285710, (0 missing)
LoanAmount	< 113	to the right,	improve=1.0285710, (0 missing)
Gender	splits as	LR,	improve=0.7619048, (0 missing)
Loan_Amount_Term	< 420	to the right,	improve=0.7619048, (0 missing)

## Surrogate splits:

CoapplicantIncome	< 2654	to the left,	agree=1.000, adj=1.0, (0 split)
LoanAmount	< 147.5	to the right,	agree=0.857, adj=0.5, (0 split)

Node number 474: 1 observations

predicted class=0 expected loss=0 P(node) =0.002610966

class counts: 1 0

probabilities: 1.000 0.000

Node number 475: 154 observations, complexity param=0.01016949

predicted class=1 expected loss=0.2272727 P(node) =0.4020888

class counts: 35 119

probabilities: 0.227 0.773

left son=950 (3 obs) right son=951 (151 obs)

## Primary splits:

ApplicantIncome < 1490 to the left, improve=1.1814170, (0 missing)  
 Loan\_Amount\_Term < 270 to the right, improve=0.9695323, (0 missing)  
 CoapplicantIncome < 8.06 to the left, improve=0.7118810, (0 missing)  
 Property\_Area splits as L-R, improve=0.6898251, (0 missing)  
 LoanAmount < 62.5 to the right, improve=0.4593075, (0 missing)

Node number 476: 3 observations, complexity param=0.005649718  
 predicted class=0 expected loss=0.3333333 P(node) =0.007832898  
 class counts: 2 1  
 probabilities: 0.667 0.333  
 left son=952 (2 obs) right son=953 (1 obs)

## Primary splits:

CoapplicantIncome < 5980 to the left, improve=1.3333330, (0 missing)  
 ApplicantIncome < 3958 to the left, improve=0.3333333, (0 missing)  
 LoanAmount < 180 to the left, improve=0.3333333, (0 missing)  
 Property\_Area splits as L-R, improve=0.3333333, (0 missing)

Node number 477: 3 observations  
 predicted class=1 expected loss=0 P(node) =0.007832898  
 class counts: 0 3  
 probabilities: 0.000 1.000

Node number 504: 2 observations  
 predicted class=0 expected loss=0 P(node) =0.005221932  
 class counts: 2 0  
 probabilities: 1.000 0.000

Node number 505: 24 observations, complexity param=0.005649718  
 predicted class=1 expected loss=0.1666667 P(node) =0.06266319  
 class counts: 4 20  
 probabilities: 0.167 0.833  
 left son=1010 (6 obs) right son=1011 (18 obs)

## Primary splits:

ApplicantIncome < 4198 to the right, improve=1.7777780, (0 missing)  
 LoanAmount < 166.5 to the right, improve=1.4492750, (0 missing)  
 Education splits as LR, improve=0.6666667, (0 missing)  
 Dependents splits as RLRR, improve=0.4848485, (0 missing)  
 CoapplicantIncome < 1954 to the left, improve=0.2666667, (0 missing)

## Surrogate splits:

LoanAmount < 146 to the right, agree=0.833, adj=0.333, (0 split)  
 Dependents splits as RRRL, agree=0.792, adj=0.167, (0 split)

Node number 508: 1 observations  
 predicted class=0 expected loss=0 P(node) =0.002610966  
 class counts: 1 0  
 probabilities: 1.000 0.000

Node number 509: 1 observations  
 predicted class=1 expected loss=0 P(node) =0.002610966  
 class counts: 0 1

probabilities: 0.000 1.000

Node number 510: 13 observations, complexity param=0.005084746  
 predicted class=1 expected loss=0.1538462 P(node) =0.03394256  
 class counts: 2 11  
 probabilities: 0.154 0.846  
 left son=1020 (3 obs) right son=1021 (10 obs)

Primary splits:

LoanAmount	< 175.5	to the left,	improve=2.0512820, (0 missing)
ApplicantIncome	< 6473	to the left,	improve=1.5512820, (0 missing)
Dependents	splits as LRRL,		improve=0.7179487, (0 missing)
Self_Employed	splits as LR,		improve=0.1846154, (0 missing)
Gender	splits as RL,		improve=0.1118881, (0 missing)

Node number 511: 69 observations, complexity param=0.004237288  
 predicted class=1 expected loss=0.02898551 P(node) =0.1801567  
 class counts: 2 67  
 probabilities: 0.029 0.971  
 left son=1022 (4 obs) right son=1023 (65 obs)

Primary splits:

LoanAmount	< 88.5	to the left,	improve=0.41482720, (0 missing)
Self_Employed	splits as RL,		improve=0.20203030, (0 missing)
Education	splits as RL,		improve=0.13961350, (0 missing)
Dependents	splits as RLRR,		improve=0.06327875, (0 missing)
ApplicantIncome	< 3041.5	to the right,	improve=0.04732328, (0 missing)

Node number 946: 2 observations  
 predicted class=0 expected loss=0 P(node) =0.005221932  
 class counts: 2 0  
 probabilities: 1.000 0.000

Node number 947: 5 observations, complexity param=0.004237288  
 predicted class=1 expected loss=0.2 P(node) =0.01305483  
 class counts: 1 4  
 probabilities: 0.200 0.800  
 left son=1894 (2 obs) right son=1895 (3 obs)

Primary splits:

Married	splits as LR,		improve=0.6000000, (0 missing)
ApplicantIncome	< 2166	to the left,	improve=0.6000000, (0 missing)
Property_Area	splits as L-R,		improve=0.6000000, (0 missing)
CoapplicantIncome	< 2806.5	to the right,	improve=0.2666667, (0 missing)
LoanAmount	< 113	to the right,	improve=0.2666667, (0 missing)

Surrogate splits:

CoapplicantIncome	< 2849.5	to the left,	agree=0.8, adj=0.5, (0 split)
LoanAmount	< 129	to the left,	agree=0.8, adj=0.5, (0 split)

Node number 950: 3 observations, complexity param=0.008474576  
 predicted class=0 expected loss=0.3333333 P(node) =0.007832898  
 class counts: 2 1  
 probabilities: 0.667 0.333  
 left son=1900 (2 obs) right son=1901 (1 obs)



## Primary splits:

ApplicantIncome < 1338.5 to the right, improve=1.3333330, (0 missing)  
 LoanAmount < 26 to the right, improve=1.3333330, (0 missing)  
 Loan\_Amount\_Term < 240 to the right, improve=1.3333330, (0 missing)  
 Gender splits as LR, improve=0.3333333, (0 missing)  
 Married splits as LR, improve=0.3333333, (0 missing)

Node number 951: 151 observations, complexity param=0.01016949

predicted class=1 expected loss=0.218543 P(node) =0.3942559

class counts: 33 118

probabilities: 0.219 0.781

left son=1902 (107 obs) right son=1903 (44 obs)

## Primary splits:

ApplicantIncome < 3163 to the right, improve=1.3667280, (0 missing)  
 Property\_Area splits as L-R, improve=0.9657511, (0 missing)  
 LoanAmount < 62.5 to the right, improve=0.7683158, (0 missing)  
 Loan\_Amount\_Term < 270 to the right, improve=0.7683158, (0 missing)  
 CoapplicantIncome < 8.06 to the left, improve=0.7119088, (0 missing)

## Surrogate splits:

LoanAmount < 107.5 to the right, agree=0.748, adj=0.136, (0 split)  
 CoapplicantIncome < 1453 to the left, agree=0.728, adj=0.068, (0 split)

Node number 952: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 953: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 1010: 6 observations, complexity param=0.005649718

predicted class=0 expected loss=0.5 P(node) =0.0156658

class counts: 3 3

probabilities: 0.500 0.500

left son=2020 (4 obs) right son=2021 (2 obs)

## Primary splits:

Education splits as LR, improve=1.5, (0 missing)  
 LoanAmount < 113.5 to the left, improve=1.5, (0 missing)  
 Dependents splits as LL-R, improve=0.6, (0 missing)  
 ApplicantIncome < 4319 to the left, improve=0.6, (0 missing)  
 CoapplicantIncome < 1954 to the left, improve=0.6, (0 missing)

## Surrogate splits:

LoanAmount < 117.5 to the left, agree=0.833, adj=0.5, (0 split)

Node number 1011: 18 observations, complexity param=0.004237288

predicted class=1 expected loss=0.05555556 P(node) =0.04699739

class counts: 1 17

probabilities: 0.056 0.944

left son=2022 (4 obs) right son=2023 (14 obs)

## Primary splits:

LoanAmount < 123.5 to the right, improve=0.38888890, (0 missing)  
 ApplicantIncome < 3288.5 to the right, improve=0.13888890, (0 missing)  
 Education splits as LR, improve=0.05555556, (0 missing)  
 CoapplicantIncome < 651 to the left, improve=0.05555556, (0 missing)  
 Gender splits as RL, improve=0.04273504, (0 missing)

## Surrogate splits:

CoapplicantIncome < 2468 to the right, agree=0.889, adj=0.50, (0 split)  
 ApplicantIncome < 2522.5 to the left, agree=0.833, adj=0.25, (0 split)

Node number 1020: 3 observations, complexity param=0.005084746

predicted class=0 expected loss=0.3333333 P(node) =0.007832898

class counts: 2 1

probabilities: 0.667 0.333

left son=2040 (2 obs) right son=2041 (1 obs)

## Primary splits:

ApplicantIncome < 11607 to the left, improve=1.3333330, (0 missing)  
 LoanAmount < 123 to the right, improve=1.3333330, (0 missing)  
 Dependents splits as R--L, improve=0.3333333, (0 missing)

Node number 1021: 10 observations

predicted class=1 expected loss=0 P(node) =0.02610966

class counts: 0 10

probabilities: 0.000 1.000

Node number 1022: 4 observations, complexity param=0.004237288

predicted class=1 expected loss=0.25 P(node) =0.01044386

class counts: 1 3

probabilities: 0.250 0.750

left son=2044 (1 obs) right son=2045 (3 obs)

## Primary splits:

ApplicantIncome < 3901.5 to the right, improve=1.5, (0 missing)  
 CoapplicantIncome < 368 to the right, improve=1.5, (0 missing)  
 LoanAmount < 84 to the right, improve=1.5, (0 missing)  
 Dependents splits as L-RR, improve=0.5, (0 missing)  
 Education splits as RL, improve=0.5, (0 missing)

Node number 1023: 65 observations, complexity param=0.002824859

predicted class=1 expected loss=0.01538462 P(node) =0.1697128

class counts: 1 64

probabilities: 0.015 0.985

left son=2046 (14 obs) right son=2047 (51 obs)

## Primary splits:

Dependents splits as RLRR, improve=0.112087900, (0 missing)  
 LoanAmount < 166 to the right, improve=0.102564100, (0 missing)  
 CoapplicantIncome < 2541.5 to the right, improve=0.094230770, (0 missing)  
 ApplicantIncome < 3140 to the left, improve=0.069230770, (0 missing)  
 Gender splits as RL, improve=0.004945055, (0 missing)

## Surrogate splits:

ApplicantIncome < 6000 to the right, agree=0.8, adj=0.071, (0 split)  
 LoanAmount < 95.5 to the left, agree=0.8, adj=0.071, (0 split)

Node number 1894: 2 observations, complexity param=0.004237288

predicted class=0 expected loss=0.5 P(node) =0.005221932

class counts: 1 1

probabilities: 0.500 0.500

left son=3788 (1 obs) right son=3789 (1 obs)

Primary splits:

ApplicantIncome < 2541 to the left, improve=1, (0 missing)

CoapplicantIncome < 2789.5 to the right, improve=1, (0 missing)

LoanAmount < 112 to the right, improve=1, (0 missing)

Property\_Area splits as L-R, improve=1, (0 missing)

Node number 1895: 3 observations

predicted class=1 expected loss=0 P(node) =0.007832898

class counts: 0 3

probabilities: 0.000 1.000

Node number 1900: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 1901: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 1902: 107 observations, complexity param=0.01016949

predicted class=1 expected loss=0.2616822 P(node) =0.2793734

class counts: 28 79

probabilities: 0.262 0.738

left son=3804 (10 obs) right son=3805 (97 obs)

Primary splits:

CoapplicantIncome < 2068.5 to the right, improve=2.525176, (0 missing)

ApplicantIncome < 5283 to the left, improve=1.968436, (0 missing)

Loan\_Amount\_Term < 300 to the right, improve=1.679128, (0 missing)

LoanAmount < 61 to the right, improve=1.184178, (0 missing)

Property\_Area splits as L-R, improve=0.861179, (0 missing)

Node number 1903: 44 observations, complexity param=0.008474576

predicted class=1 expected loss=0.1136364 P(node) =0.1148825

class counts: 5 39

probabilities: 0.114 0.886

left son=3806 (14 obs) right son=3807 (30 obs)

Primary splits:

CoapplicantIncome < 8.06 to the left, improve=1.2160170, (0 missing)

Loan\_Amount\_Term < 330 to the left, improve=0.9251748, (0 missing)

ApplicantIncome < 2770 to the left, improve=0.6493506, (0 missing)

LoanAmount < 50 to the left, improve=0.6255411, (0 missing)

Education splits as RL, improve=0.6136364, (0 missing)

Surrogate splits:

LoanAmount < 72.5 to the left, agree=0.864, adj=0.571, (0 split)  
Gender splits as LR, agree=0.795, adj=0.357, (0 split)  
Married splits as LR, agree=0.795, adj=0.357, (0 split)  
Dependents splits as RRRL, agree=0.705, adj=0.071, (0 split)

Node number 2020: 4 observations, complexity param=0.004237288

predicted class=0 expected loss=0.25 P(node) =0.01044386

class counts: 3 1

probabilities: 0.750 0.250

left son=4040 (2 obs) right son=4041 (2 obs)

Primary splits:

ApplicantIncome < 4615 to the right, improve=0.5000000, (0 missing)

LoanAmount < 113.5 to the left, improve=0.5000000, (0 missing)

Gender splits as RL, improve=0.1666667, (0 missing)

Dependents splits as RL--, improve=0.1666667, (0 missing)

CoapplicantIncome < 957.5 to the right, improve=0.1666667, (0 missing)

Node number 2021: 2 observations

predicted class=1 expected loss=0 P(node) =0.005221932

class counts: 0 2

probabilities: 0.000 1.000

Node number 2022: 4 observations, complexity param=0.004237288

predicted class=1 expected loss=0.25 P(node) =0.01044386

class counts: 1 3

probabilities: 0.250 0.750

left son=4044 (1 obs) right son=4045 (3 obs)

Primary splits:

ApplicantIncome < 3194.5 to the right, improve=1.5000000, (0 missing)

CoapplicantIncome < 800 to the left, improve=1.5000000, (0 missing)

LoanAmount < 129.5 to the left, improve=1.5000000, (0 missing)

Education splits as LR, improve=0.1666667, (0 missing)

Node number 2023: 14 observations

predicted class=1 expected loss=0 P(node) =0.03655352

class counts: 0 14

probabilities: 0.000 1.000

Node number 2040: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 2041: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 2044: 1 observations

predicted class=0 expected loss=0 P(node) =0.002610966

class counts: 1 0

probabilities: 1.000 0.000

Node number 2045: 3 observations

predicted class=1 expected loss=0 P(node) =0.007832898

class counts: 0 3

probabilities: 0.000 1.000

Node number 2046: 14 observations, complexity param=0.002824859

predicted class=1 expected loss=0.07142857 P(node) =0.03655352

class counts: 1 13

probabilities: 0.071 0.929

left son=4092 (2 obs) right son=4093 (12 obs)

Primary splits:

CoapplicantIncome < 2541.5 to the right, improve=0.85714290, (0 missing)

LoanAmount < 166 to the right, improve=0.35714290, (0 missing)

ApplicantIncome < 3140 to the left, improve=0.25714290, (0 missing)

Gender splits as RL, improve=0.02380952, (0 missing)

Self\_Employed splits as LR, improve=0.02380952, (0 missing)

Node number 2047: 51 observations

predicted class=1 expected loss=0 P(node) =0.1331593

class counts: 0 51

probabilities: 0.000 1.000

Node number 3788: 1 observations

predicted class=0 expected loss=0 P(node) =0.002610966

class counts: 1 0

probabilities: 1.000 0.000

Node number 3789: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 3804: 10 observations, complexity param=0.01016949

predicted class=0 expected loss=0.4 P(node) =0.02610966

class counts: 6 4

probabilities: 0.600 0.400

left son=7608 (4 obs) right son=7609 (6 obs)

Primary splits:

CoapplicantIncome < 2225 to the left, improve=2.133333, (0 missing)

Married splits as RL, improve=1.800000, (0 missing)

Dependents splits as LRL-, improve=0.800000, (0 missing)

Education splits as LR, improve=0.800000, (0 missing)

LoanAmount < 82.5 to the right, improve=0.800000, (0 missing)

Surrogate splits:

ApplicantIncome < 4896 to the right, agree=0.8, adj=0.50, (0 split)

LoanAmount < 132.5 to the right, agree=0.8, adj=0.50, (0 split)

Property\_Area splits as L-R, agree=0.8, adj=0.50, (0 split)

Dependents splits as RRL-, agree=0.7, adj=0.25, (0 split)

Node number 3805: 97 observations, complexity param=0.01016949  
predicted class=1 expected loss=0.2268041 P(node) =0.2532637  
class counts: 22 75  
probabilities: 0.227 0.773  
left son=7610 (22 obs) right son=7611 (75 obs)  
Primary splits:  
LoanAmount < 107 to the left, improve=1.8909220, (0 missing)  
ApplicantIncome < 5283 to the left, improve=1.7247960, (0 missing)  
Loan\_Amount\_Term < 300 to the right, improve=1.2764330, (0 missing)  
CoapplicantIncome < 1517 to the left, improve=1.1470550, (0 missing)  
Property\_Area splits as L-R, improve=0.5449152, (0 missing)  
Surrogate splits:  
ApplicantIncome < 3247 to the left, agree=0.794, adj=0.091, (0 split)

Node number 3806: 14 observations, complexity param=0.008474576  
predicted class=1 expected loss=0.2857143 P(node) =0.03655352  
class counts: 4 10  
probabilities: 0.286 0.714  
left son=7612 (4 obs) right son=7613 (10 obs)  
Primary splits:  
ApplicantIncome < 2457 to the left, improve=2.4142860, (0 missing)  
Dependents splits as R-LR, improve=1.0989010, (0 missing)  
LoanAmount < 51 to the left, improve=1.0989010, (0 missing)  
Gender splits as RL, improve=0.5714286, (0 missing)  
Property\_Area splits as L-R, improve=0.2976190, (0 missing)  
Surrogate splits:  
Dependents splits as R-LR, agree=0.786, adj=0.25, (0 split)

Node number 3807: 30 observations, complexity param=0.004237288  
predicted class=1 expected loss=0.03333333 P(node) =0.07832898  
class counts: 1 29  
probabilities: 0.033 0.967  
left son=7614 (3 obs) right son=7615 (27 obs)  
Primary splits:  
LoanAmount < 139.5 to the right, improve=0.6000000, (0 missing)  
Loan\_Amount\_Term < 270 to the left, improve=0.6000000, (0 missing)  
Dependents splits as RLRR, improve=0.2190476, (0 missing)  
Education splits as RL, improve=0.2190476, (0 missing)  
CoapplicantIncome < 1956 to the right, improve=0.1333333, (0 missing)

Node number 4040: 2 observations  
predicted class=0 expected loss=0 P(node) =0.005221932  
class counts: 2 0  
probabilities: 1.000 0.000

Node number 4041: 2 observations, complexity param=0.004237288  
predicted class=0 expected loss=0.5 P(node) =0.005221932  
class counts: 1 1  
probabilities: 0.500 0.500  
left son=8082 (1 obs) right son=8083 (1 obs)  
Primary splits:

ApplicantIncome < 4388.5 to the left, improve=1, (0 missing)  
 LoanAmount < 113.5 to the left, improve=1, (0 missing)

Node number 4044: 1 observations

predicted class=0 expected loss=0 P(node) =0.002610966  
 class counts: 1 0  
 probabilities: 1.000 0.000

Node number 4045: 3 observations

predicted class=1 expected loss=0 P(node) =0.007832898  
 class counts: 0 3  
 probabilities: 0.000 1.000

Node number 4092: 2 observations, complexity param=0.002824859

predicted class=0 expected loss=0.5 P(node) =0.005221932  
 class counts: 1 1  
 probabilities: 0.500 0.500

left son=8184 (1 obs) right son=8185 (1 obs)

Primary splits:

Gender splits as RL, improve=1, (0 missing)  
 ApplicantIncome < 3866.5 to the left, improve=1, (0 missing)  
 CoapplicantIncome < 2714 to the left, improve=1, (0 missing)  
 LoanAmount < 155 to the right, improve=1, (0 missing)  
 Loan\_Amount\_Term < 270 to the right, improve=1, (0 missing)

Node number 4093: 12 observations

predicted class=1 expected loss=0 P(node) =0.03133159  
 class counts: 0 12  
 probabilities: 0.000 1.000

Node number 7608: 4 observations

predicted class=0 expected loss=0 P(node) =0.01044386  
 class counts: 4 0  
 probabilities: 1.000 0.000

Node number 7609: 6 observations, complexity param=0.008474576

predicted class=1 expected loss=0.3333333 P(node) =0.0156658  
 class counts: 2 4  
 probabilities: 0.333 0.667

left son=15218 (3 obs) right son=15219 (3 obs)

Primary splits:

LoanAmount < 120 to the left, improve=1.3333330, (0 missing)  
 Gender splits as LR, improve=1.0666670, (0 missing)  
 Married splits as RL, improve=0.6666667, (0 missing)  
 ApplicantIncome < 4166.5 to the right, improve=0.6666667, (0 missing)  
 CoapplicantIncome < 2392 to the right, improve=0.6666667, (0 missing)

Surrogate splits:

ApplicantIncome < 4541.5 to the left, agree=0.833, adj=0.667, (0 split)  
 CoapplicantIncome < 2392 to the right, agree=0.833, adj=0.667, (0 split)  
 Gender splits as LR, agree=0.667, adj=0.333, (0 split)  
 Dependents splits as LR--, agree=0.667, adj=0.333, (0 split)

Education splits as RL, agree=0.667, adj=0.333, (0 split)

Node number 7610: 22 observations, complexity param=0.01016949  
 predicted class=1 expected loss=0.4090909 P(node) =0.05744125  
 class counts: 9 13  
 probabilities: 0.409 0.591  
 left son=15220 (15 obs) right son=15221 (7 obs)

Primary splits:

LoanAmount < 58.5 to the right, improve=3.4363640, (0 missing)  
 Loan\_Amount\_Term < 300 to the right, improve=1.1626790, (0 missing)  
 ApplicantIncome < 5449.5 to the left, improve=0.9696970, (0 missing)  
 Dependents splits as LLRR, improve=0.5657754, (0 missing)  
 Property\_Area splits as L-R, improve=0.5411255, (0 missing)

Surrogate splits:

Loan\_Amount\_Term < 300 to the right, agree=0.727, adj=0.143, (0 split)

Node number 7611: 75 observations, complexity param=0.006355932  
 predicted class=1 expected loss=0.1733333 P(node) =0.1958225  
 class counts: 13 62  
 probabilities: 0.173 0.827  
 left son=15222 (65 obs) right son=15223 (10 obs)

Primary splits:

ApplicantIncome < 10204 to the left, improve=0.6933333, (0 missing)  
 CoapplicantIncome < 1517 to the left, improve=0.6933333, (0 missing)  
 LoanAmount < 126.5 to the right, improve=0.6570760, (0 missing)  
 Loan\_Amount\_Term < 270 to the right, improve=0.5381095, (0 missing)  
 Property\_Area splits as L-R, improve=0.5360684, (0 missing)

Surrogate splits:

LoanAmount < 256 to the left, agree=0.893, adj=0.2, (0 split)

Node number 7612: 4 observations, complexity param=0.008474576  
 predicted class=0 expected loss=0.25 P(node) =0.01044386  
 class counts: 3 1  
 probabilities: 0.750 0.250  
 left son=15224 (3 obs) right son=15225 (1 obs)

Primary splits:

ApplicantIncome < 2247 to the right, improve=1.5000000, (0 missing)  
 Gender splits as RL, improve=0.5000000, (0 missing)  
 Education splits as LR, improve=0.5000000, (0 missing)  
 LoanAmount < 70.5 to the right, improve=0.5000000, (0 missing)  
 Married splits as RL, improve=0.1666667, (0 missing)

Node number 7613: 10 observations, complexity param=0.004237288  
 predicted class=1 expected loss=0.1 P(node) =0.02610966  
 class counts: 1 9  
 probabilities: 0.100 0.900  
 left son=15226 (2 obs) right son=15227 (8 obs)

Primary splits:

Loan\_Amount\_Term < 330 to the left, improve=0.8000000, (0 missing)  
 Education splits as RL, improve=0.4666667, (0 missing)  
 Gender splits as RL, improve=0.2000000, (0 missing)



```
ApplicantIncome < 2827.5 to the left, improve=0.2000000, (0 missing)
LoanAmount < 65.5 to the left, improve=0.2000000, (0 missing)
```

Node number 7614: 3 observations, complexity param=0.004237288  
predicted class=1 expected loss=0.3333333 P(node) =0.007832898

class counts: 1 2

probabilities: 0.333 0.667

left son=15228 (1 obs) right son=15229 (2 obs)

Primary splits:

```
Dependents splits as RL--, improve=1.333333, (0 missing)
Education splits as RL, improve=1.333333, (0 missing)
ApplicantIncome < 2518 to the left, improve=1.333333, (0 missing)
LoanAmount < 142.5 to the left, improve=1.333333, (0 missing)
Loan_Amount_Term < 270 to the left, improve=1.333333, (0 missing)
```

Node number 7615: 27 observations  
predicted class=1 expected loss=0 P(node) =0.07049608

class counts: 0 27

probabilities: 0.000 1.000

Node number 8082: 1 observations  
predicted class=0 expected loss=0 P(node) =0.002610966

class counts: 1 0

probabilities: 1.000 0.000

Node number 8083: 1 observations  
predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 8184: 1 observations  
predicted class=0 expected loss=0 P(node) =0.002610966

class counts: 1 0

probabilities: 1.000 0.000

Node number 8185: 1 observations  
predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 15218: 3 observations, complexity param=0.008474576  
predicted class=0 expected loss=0.3333333 P(node) =0.007832898

class counts: 2 1

probabilities: 0.667 0.333

left son=30436 (2 obs) right son=30437 (1 obs)

Primary splits:

```
Married splits as RL, improve=1.333333, (0 missing)
Education splits as LR, improve=1.333333, (0 missing)
ApplicantIncome < 4154 to the right, improve=1.333333, (0 missing)
CoapplicantIncome < 2491 to the left, improve=1.333333, (0 missing)
LoanAmount < 82.5 to the right, improve=1.333333, (0 missing)
```

Node number 15219: 3 observations

predicted class=1 expected loss=0 P(node) =0.007832898

class counts: 0 3

probabilities: 0.000 1.000

Node number 15220: 15 observations, complexity param=0.01016949

predicted class=0 expected loss=0.4 P(node) =0.03916449

class counts: 9 6

probabilities: 0.600 0.400

left son=30440 (11 obs) right son=30441 (4 obs)

Primary splits:

Dependents splits as LLRR, improve=1.3363640, (0 missing)

ApplicantIncome < 5463.5 to the left, improve=1.3363640, (0 missing)

Married splits as LR, improve=0.7714286, (0 missing)

CoapplicantIncome < 1355.5 to the left, improve=0.7714286, (0 missing)

Loan\_Amount\_Term < 270 to the right, improve=0.7714286, (0 missing)

Surrogate splits:

Married splits as LR, agree=0.8, adj=0.25, (0 split)

ApplicantIncome < 4971 to the left, agree=0.8, adj=0.25, (0 split)

Node number 15221: 7 observations

predicted class=1 expected loss=0 P(node) =0.01827676

class counts: 0 7

probabilities: 0.000 1.000

Node number 15222: 65 observations, complexity param=0.006355932

predicted class=1 expected loss=0.2 P(node) =0.1697128

class counts: 13 52

probabilities: 0.200 0.800

left son=30444 (1 obs) right son=30445 (64 obs)

Primary splits:

ApplicantIncome < 9981.5 to the right, improve=1.3000000, (0 missing)

CoapplicantIncome < 1517 to the left, improve=0.9454545, (0 missing)

LoanAmount < 126.5 to the right, improve=0.9176471, (0 missing)

Loan\_Amount\_Term < 270 to the right, improve=0.5288136, (0 missing)

Property\_Area splits as L-R, improve=0.4034483, (0 missing)

Node number 15223: 10 observations

predicted class=1 expected loss=0 P(node) =0.02610966

class counts: 0 10

probabilities: 0.000 1.000

Node number 15224: 3 observations

predicted class=0 expected loss=0 P(node) =0.007832898

class counts: 3 0

probabilities: 1.000 0.000

Node number 15225: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 15226: 2 observations, complexity param=0.004237288

predicted class=0 expected loss=0.5 P(node) =0.005221932

class counts: 1 1

probabilities: 0.500 0.500

left son=30452 (1 obs) right son=30453 (1 obs)

Primary splits:

ApplicantIncome < 2736 to the right, improve=1, (0 missing)

LoanAmount < 62.5 to the right, improve=1, (0 missing)

Loan\_Amount\_Term < 240 to the right, improve=1, (0 missing)

Property\_Area splits as L-R, improve=1, (0 missing)

Node number 15227: 8 observations

predicted class=1 expected loss=0 P(node) =0.02088773

class counts: 0 8

probabilities: 0.000 1.000

Node number 15228: 1 observations

predicted class=0 expected loss=0 P(node) =0.002610966

class counts: 1 0

probabilities: 1.000 0.000

Node number 15229: 2 observations

predicted class=1 expected loss=0 P(node) =0.005221932

class counts: 0 2

probabilities: 0.000 1.000

Node number 30436: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 30437: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 30440: 11 observations, complexity param=0.008474576

predicted class=0 expected loss=0.2727273 P(node) =0.02872063

class counts: 8 3

probabilities: 0.727 0.273

left son=60880 (10 obs) right son=60881 (1 obs)

Primary splits:

Loan\_Amount\_Term < 270 to the right, improve=1.1636360, (0 missing)

Property\_Area splits as L-R, improve=0.9350649, (0 missing)

Dependents splits as RL--, improve=0.6136364, (0 missing)

Education splits as RL, improve=0.3636364, (0 missing)

Self\_Employed splits as RL, improve=0.3636364, (0 missing)

Node number 30441: 4 observations, complexity param=0.004237288

predicted class=1 expected loss=0.25 P(node) =0.01044386

class counts: 1 3

probabilities: 0.250 0.750

left son=60882 (2 obs) right son=60883 (2 obs)

Primary splits:

ApplicantIncome < 5463.5 to the left, improve=0.5000000, (0 missing)

LoanAmount < 97 to the left, improve=0.5000000, (0 missing)

Gender splits as RL, improve=0.1666667, (0 missing)

Dependents splits as --RL, improve=0.1666667, (0 missing)

Self\_Employed splits as LR, improve=0.1666667, (0 missing)

Node number 30444: 1 observations

predicted class=0 expected loss=0 P(node) =0.002610966

class counts: 1 0

probabilities: 1.000 0.000

Node number 30445: 64 observations, complexity param=0.006355932

predicted class=1 expected loss=0.1875 P(node) =0.1671018

class counts: 12 52

probabilities: 0.188 0.813

left son=60890 (54 obs) right son=60891 (10 obs)

Primary splits:

CoapplicantIncome < 1517 to the left, improve=0.8333333, (0 missing)

LoanAmount < 242 to the right, improve=0.8333333, (0 missing)

Dependents splits as LRLR, improve=0.6666667, (0 missing)

ApplicantIncome < 3446.5 to the left, improve=0.4898305, (0 missing)

Loan\_Amount\_Term < 270 to the right, improve=0.4655172, (0 missing)

Surrogate splits:

ApplicantIncome < 3422 to the right, agree=0.875, adj=0.2, (0 split)

LoanAmount < 109.5 to the right, agree=0.859, adj=0.1, (0 split)

Node number 30452: 1 observations

predicted class=0 expected loss=0 P(node) =0.002610966

class counts: 1 0

probabilities: 1.000 0.000

Node number 30453: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

class counts: 0 1

probabilities: 0.000 1.000

Node number 60880: 10 observations, complexity param=0.005649718

predicted class=0 expected loss=0.2 P(node) =0.02610966

class counts: 8 2

probabilities: 0.800 0.200

left son=121760 (5 obs) right son=121761 (5 obs)

Primary splits:

ApplicantIncome < 3812.5 to the right, improve=0.8000000, (0 missing)

Property\_Area splits as L-R, improve=0.5333333, (0 missing)

Dependents splits as RL--, improve=0.3428571, (0 missing)

Married splits as RL, improve=0.2000000, (0 missing)

Education splits as RL, improve=0.2000000, (0 missing)  
 Surrogate splits:  
 Dependents splits as RL--, agree=0.8, adj=0.6, (0 split)  
 Married splits as RL, agree=0.7, adj=0.4, (0 split)  
 Self\_Employed splits as RL, agree=0.7, adj=0.4, (0 split)  
 LoanAmount < 80.5 to the right, agree=0.7, adj=0.4, (0 split)  
 Property\_Area splits as L-R, agree=0.7, adj=0.4, (0 split)

Node number 60881: 1 observations  
 predicted class=1 expected loss=0 P(node) =0.002610966  
 class counts: 0 1  
 probabilities: 0.000 1.000

Node number 60882: 2 observations, complexity param=0.004237288  
 predicted class=0 expected loss=0.5 P(node) =0.005221932  
 class counts: 1 1  
 probabilities: 0.500 0.500  
 left son=121764 (1 obs) right son=121765 (1 obs)  
 Primary splits:  
 ApplicantIncome < 4765.5 to the right, improve=1, (0 missing)  
 LoanAmount < 97 to the left, improve=1, (0 missing)

Node number 60883: 2 observations  
 predicted class=1 expected loss=0 P(node) =0.005221932  
 class counts: 0 2  
 probabilities: 0.000 1.000

Node number 60890: 54 observations, complexity param=0.006355932  
 predicted class=1 expected loss=0.2222222 P(node) =0.1409922  
 class counts: 12 42  
 probabilities: 0.222 0.778  
 left son=121780 (2 obs) right son=121781 (52 obs)  
 Primary splits:  
 ApplicantIncome < 3446.5 to the left, improve=2.5128210, (0 missing)  
 CoapplicantIncome < 1420.5 to the right, improve=1.2549020, (0 missing)  
 Dependents splits as LRLR, improve=0.7229518, (0 missing)  
 LoanAmount < 242 to the right, improve=0.6666667, (0 missing)  
 Loan\_Amount\_Term < 270 to the right, improve=0.5442177, (0 missing)

Node number 60891: 10 observations  
 predicted class=1 expected loss=0 P(node) =0.02610966  
 class counts: 0 10  
 probabilities: 0.000 1.000

Node number 121760: 5 observations  
 predicted class=0 expected loss=0 P(node) =0.01305483  
 class counts: 5 0  
 probabilities: 1.000 0.000

Node number 121761: 5 observations, complexity param=0.005649718  
 predicted class=0 expected loss=0.4 P(node) =0.01305483

```

class counts:      3      2
probabilities: 0.600 0.400
left son=243522 (4 obs) right son=243523 (1 obs)
Primary splits:
  Gender           splits as  RL,           improve=0.9, (0 missing)
  ApplicantIncome  < 3675    to the left, improve=0.9, (0 missing)
  Education        splits as  RL,           improve=0.4, (0 missing)
  CoapplicantIncome < 643.5  to the right, improve=0.4, (0 missing)
  LoanAmount       < 77      to the left, improve=0.4, (0 missing)

```

```

Node number 121764: 1 observations
predicted class=0 expected loss=0 P(node) =0.002610966
class counts:      1      0
probabilities: 1.000 0.000

```

```

Node number 121765: 1 observations
predicted class=1 expected loss=0 P(node) =0.002610966
class counts:      0      1
probabilities: 0.000 1.000

```

```

Node number 121780: 2 observations
predicted class=0 expected loss=0 P(node) =0.005221932
class counts:      2      0
probabilities: 1.000 0.000

```

```

Node number 121781: 52 observations, complexity param=0.006355932
predicted class=1 expected loss=0.1923077 P(node) =0.1357702
class counts:      10     42
probabilities: 0.192 0.808
left son=243562 (3 obs) right son=243563 (49 obs)
Primary splits:

```

```

  CoapplicantIncome < 1420.5 to the right, improve=1.4327580, (0 missing)
  LoanAmount        < 242    to the right, improve=0.8205128, (0 missing)
  ApplicantIncome   < 4183.5 to the right, improve=0.5016722, (0 missing)
  Dependents        splits as  LRLR,       improve=0.4615385, (0 missing)
  Loan_Amount_Term  < 270    to the right, improve=0.4091653, (0 missing)

```

```

Node number 243522: 4 observations, complexity param=0.005649718
predicted class=0 expected loss=0.25 P(node) =0.01044386
class counts:      3      1
probabilities: 0.750 0.250
left son=487044 (3 obs) right son=487045 (1 obs)
Primary splits:

```

```

  ApplicantIncome  < 3675    to the left, improve=1.5000000, (0 missing)
  LoanAmount       < 90      to the left, improve=0.5000000, (0 missing)
  Education        splits as  RL,           improve=0.1666667, (0 missing)
  CoapplicantIncome < 643.5  to the right, improve=0.1666667, (0 missing)
  Property_Area    splits as  L-R,          improve=0.1666667, (0 missing)

```

```

Node number 243523: 1 observations
predicted class=1 expected loss=0 P(node) =0.002610966

```

```
class counts:    0    1
probabilities: 0.000 1.000
```

Node number 243562: 3 observations, complexity param=0.006355932  
predicted class=0 expected loss=0.333333 P(node) =0.007832898

```
class counts:    2    1
probabilities: 0.667 0.333
```

left son=487124 (2 obs) right son=487125 (1 obs)

Primary splits:

```
ApplicantIncome < 4183.5 to the right, improve=1.333330, (0 missing)
LoanAmount      < 143.5  to the left,  improve=1.333330, (0 missing)
Dependents      splits as -LR-,        improve=0.333333, (0 missing)
Education       splits as RL,          improve=0.333333, (0 missing)
CoapplicantIncome < 1438.5 to the left, improve=0.333333, (0 missing)
```

Node number 243563: 49 observations, complexity param=0.006355932  
predicted class=1 expected loss=0.1632653 P(node) =0.1279373

```
class counts:    8   41
probabilities: 0.163 0.837
```

left son=487126 (4 obs) right son=487127 (45 obs)

Primary splits:

```
LoanAmount      < 242    to the right, improve=0.9877551, (0 missing)
Dependents      splits as LRLR,        improve=0.8472146, (0 missing)
ApplicantIncome < 4568.5 to the right, improve=0.5877551, (0 missing)
CoapplicantIncome < 1020 to the left,  improve=0.4353741, (0 missing)
Loan_Amount_Term < 270    to the right, improve=0.2968460, (0 missing)
```

Node number 487044: 3 observations

predicted class=0 expected loss=0 P(node) =0.007832898

```
class counts:    3    0
probabilities: 1.000 0.000
```

Node number 487045: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

```
class counts:    0    1
probabilities: 0.000 1.000
```

Node number 487124: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

```
class counts:    2    0
probabilities: 1.000 0.000
```

Node number 487125: 1 observations

predicted class=1 expected loss=0 P(node) =0.002610966

```
class counts:    0    1
probabilities: 0.000 1.000
```

Node number 487126: 4 observations, complexity param=0.006355932

predicted class=0 expected loss=0.5 P(node) =0.01044386

```
class counts:    2    2
probabilities: 0.500 0.500
```

left son=974252 (2 obs) right son=974253 (2 obs)

Primary splits:

Dependents	splits as	LR-R,	improve=2.0000000, (0 missing)
Married	splits as	LR,	improve=0.6666667, (0 missing)
ApplicantIncome	< 8002.5	to the left,	improve=0.6666667, (0 missing)
CoapplicantIncome	< 120	to the left,	improve=0.6666667, (0 missing)
LoanAmount	< 248.5	to the left,	improve=0.6666667, (0 missing)

Node number 487127: 45 observations, complexity param=0.005649718

predicted class=1 expected loss=0.1333333 P(node) =0.1174935

class counts: 6 39

probabilities: 0.133 0.867

left son=974254 (24 obs) right son=974255 (21 obs)

Primary splits:

Property_Area	splits as	L-R,	improve=0.5785714, (0 missing)
Dependents	splits as	LRLR,	improve=0.4571429, (0 missing)
ApplicantIncome	< 4568.5	to the right,	improve=0.4000000, (0 missing)
LoanAmount	< 134.5	to the left,	improve=0.3919028, (0 missing)
CoapplicantIncome	< 1020	to the left,	improve=0.2947368, (0 missing)

Surrogate splits:

Dependents	splits as	LRRR,	agree=0.689, adj=0.333, (0 split)
ApplicantIncome	< 7512	to the left,	agree=0.622, adj=0.190, (0 split)
Self_Employed	splits as	RL,	agree=0.600, adj=0.143, (0 split)
Loan_Amount_Term	< 270	to the right,	agree=0.600, adj=0.143, (0 split)
Married	splits as	LR,	agree=0.578, adj=0.095, (0 split)

Node number 974252: 2 observations

predicted class=0 expected loss=0 P(node) =0.005221932

class counts: 2 0

probabilities: 1.000 0.000

Node number 974253: 2 observations

predicted class=1 expected loss=0 P(node) =0.005221932

class counts: 0 2

probabilities: 0.000 1.000

Node number 974254: 24 observations, complexity param=0.005649718

predicted class=1 expected loss=0.2083333 P(node) =0.06266319

class counts: 5 19

probabilities: 0.208 0.792

left son=1948508 (4 obs) right son=1948509 (20 obs)

Primary splits:

LoanAmount	< 183.5	to the right,	improve=0.8166667, (0 missing)
ApplicantIncome	< 4468.5	to the right,	improve=0.6944444, (0 missing)
Education	splits as	RL,	improve=0.4500000, (0 missing)
CoapplicantIncome	< 1105	to the left,	improve=0.4166667, (0 missing)
Gender	splits as	LR,	improve=0.2500000, (0 missing)

Surrogate splits:

ApplicantIncome	< 7320.5	to the right,	agree=0.875, adj=0.25, (0 split)
-----------------	----------	---------------	----------------------------------

Node number 974255: 21 observations, complexity param=0.004237288



predicted class=1 expected loss=0.04761905 P(node) =0.05483029

class counts: 1 20

probabilities: 0.048 0.952

left son=1948510 (4 obs) right son=1948511 (17 obs)

Primary splits:

ApplicantIncome < 4641	to the left,	improve=0.40476190, (0 missing)
Dependents splits as RRLR,		improve=0.23809520, (0 missing)
LoanAmount < 134.5	to the left,	improve=0.15476190, (0 missing)
Married splits as RL,		improve=0.03809524, (0 missing)
Education splits as LR,		improve=0.02976190, (0 missing)

Surrogate splits:

CoapplicantIncome < 981.5	to the right,	agree=0.952, adj=0.75, (0 split)
Education splits as RL,		agree=0.857, adj=0.25, (0 split)

Node number 1948508: 4 observations, complexity param=0.005649718

predicted class=0 expected loss=0.5 P(node) =0.01044386

class counts: 2 2

probabilities: 0.500 0.500

left son=3897016 (1 obs) right son=3897017 (3 obs)

Primary splits:

Gender splits as LR,	improve=0.6666667, (0 missing)
Dependents splits as R-L-,	improve=0.6666667, (0 missing)
Education splits as RL,	improve=0.6666667, (0 missing)
Self_Employed splits as RL,	improve=0.6666667, (0 missing)
ApplicantIncome < 6391.5	to the left, improve=0.6666667, (0 missing)

Node number 1948509: 20 observations, complexity param=0.005649718

predicted class=1 expected loss=0.15 P(node) =0.05221932

class counts: 3 17

probabilities: 0.150 0.850

left son=3897018 (11 obs) right son=3897019 (9 obs)

Primary splits:

LoanAmount < 134.5	to the left,	improve=0.7363636, (0 missing)
Dependents splits as LRR-,		improve=0.3857143, (0 missing)
ApplicantIncome < 4468.5	to the right,	improve=0.3857143, (0 missing)
Self_Employed splits as LR,		improve=0.3000000, (0 missing)
Education splits as RL,		improve=0.2666667, (0 missing)

Surrogate splits:

ApplicantIncome < 5494	to the left,	agree=0.7, adj=0.333, (0 split)
Self_Employed splits as LR,		agree=0.6, adj=0.111, (0 split)
CoapplicantIncome < 1235	to the left,	agree=0.6, adj=0.111, (0 split)

Node number 1948510: 4 observations, complexity param=0.004237288

predicted class=1 expected loss=0.25 P(node) =0.01044386

class counts: 1 3

probabilities: 0.250 0.750

left son=3897020 (1 obs) right son=3897021 (3 obs)

Primary splits:

Education splits as LR,	improve=1.5, (0 missing)
ApplicantIncome < 4585	to the right, improve=1.5, (0 missing)
CoapplicantIncome < 520	to the left, improve=1.5, (0 missing)

Dependents	splits as	-RL-,	improve=0.5, (0 missing)
LoanAmount	< 134.5	to the left,	improve=0.5, (0 missing)

Node number 1948511: 17 observations

predicted class=1 expected loss=0 P(node) =0.04438642

class counts: 0 17

probabilities: 0.000 1.000

Node number 3897016: 1 observations

predicted class=0 expected loss=0 P(node) =0.002610966

class counts: 1 0

probabilities: 1.000 0.000

Node number 3897017: 3 observations, complexity param=0.005649718

predicted class=1 expected loss=0.333333 P(node) =0.007832898

class counts: 1 2

probabilities: 0.333 0.667

left son=7794034 (1 obs) right son=7794035 (2 obs)

Primary splits:

Dependents	splits as	R-L-,	improve=1.333333, (0 missing)
Education	splits as	RL,	improve=1.333333, (0 missing)
ApplicantIncome	< 6391.5	to the left,	improve=1.333333, (0 missing)
CoapplicantIncome	< 500	to the right,	improve=1.333333, (0 missing)
LoanAmount	< 187.5	to the left,	improve=1.333333, (0 missing)

Node number 3897018: 11 observations, complexity param=0.005649718

predicted class=1 expected loss=0.272727 P(node) =0.02872063

class counts: 3 8

probabilities: 0.273 0.727

left son=7794036 (2 obs) right son=7794037 (9 obs)

Primary splits:

LoanAmount	< 132.5	to the right,	improve=2.5858590, (0 missing)
Dependents	splits as	LRR-,	improve=0.6136364, (0 missing)
ApplicantIncome	< 4208	to the right,	improve=0.6136364, (0 missing)
Self_Employed	splits as	LR,	improve=0.3636364, (0 missing)
CoapplicantIncome	< 605	to the left,	improve=0.3636364, (0 missing)

Node number 3897019: 9 observations

predicted class=1 expected loss=0 P(node) =0.02349869

class counts: 0 9

probabilities: 0.000 1.000

Node number 3897020: 1 observations

predicted class=0 expected loss=0 P(node) =0.002610966

class counts: 1 0

probabilities: 1.000 0.000

Node number 3897021: 3 observations

predicted class=1 expected loss=0 P(node) =0.007832898

class counts: 0 3

probabilities: 0.000 1.000

Node number 7794034: 1 observations  
predicted class=0 expected loss=0 P(node) =0.002610966  
class counts: 1 0  
probabilities: 1.000 0.000

Node number 7794035: 2 observations  
predicted class=1 expected loss=0 P(node) =0.005221932  
class counts: 0 2  
probabilities: 0.000 1.000

Node number 7794036: 2 observations  
predicted class=0 expected loss=0 P(node) =0.005221932  
class counts: 2 0  
probabilities: 1.000 0.000

Node number 7794037: 9 observations, complexity param=0.004237288  
predicted class=1 expected loss=0.1111111 P(node) =0.02349869  
class counts: 1 8  
probabilities: 0.111 0.889  
left son=15588074 (3 obs) right son=15588075 (6 obs)  
Primary splits:  
Gender splits as LR, improve=0.4444444, (0 missing)  
ApplicantIncome < 4617.5 to the left, improve=0.2777778, (0 missing)  
Married splits as RL, improve=0.1777778, (0 missing)  
LoanAmount < 111 to the right, improve=0.1777778, (0 missing)  
Dependents splits as LRR-, improve=0.1111111, (0 missing)  
Surrogate splits:  
LoanAmount < 111 to the right, agree=0.778, adj=0.333, (0 split)

Node number 15588074: 3 observations, complexity param=0.004237288  
predicted class=1 expected loss=0.3333333 P(node) =0.007832898  
class counts: 1 2  
probabilities: 0.333 0.667  
left son=31176148 (1 obs) right son=31176149 (2 obs)  
Primary splits:  
Married splits as RL, improve=1.333333, (0 missing)  
ApplicantIncome < 4791.5 to the left, improve=1.333333, (0 missing)  
LoanAmount < 116 to the left, improve=1.333333, (0 missing)

Node number 15588075: 6 observations  
predicted class=1 expected loss=0 P(node) =0.0156658  
class counts: 0 6  
probabilities: 0.000 1.000

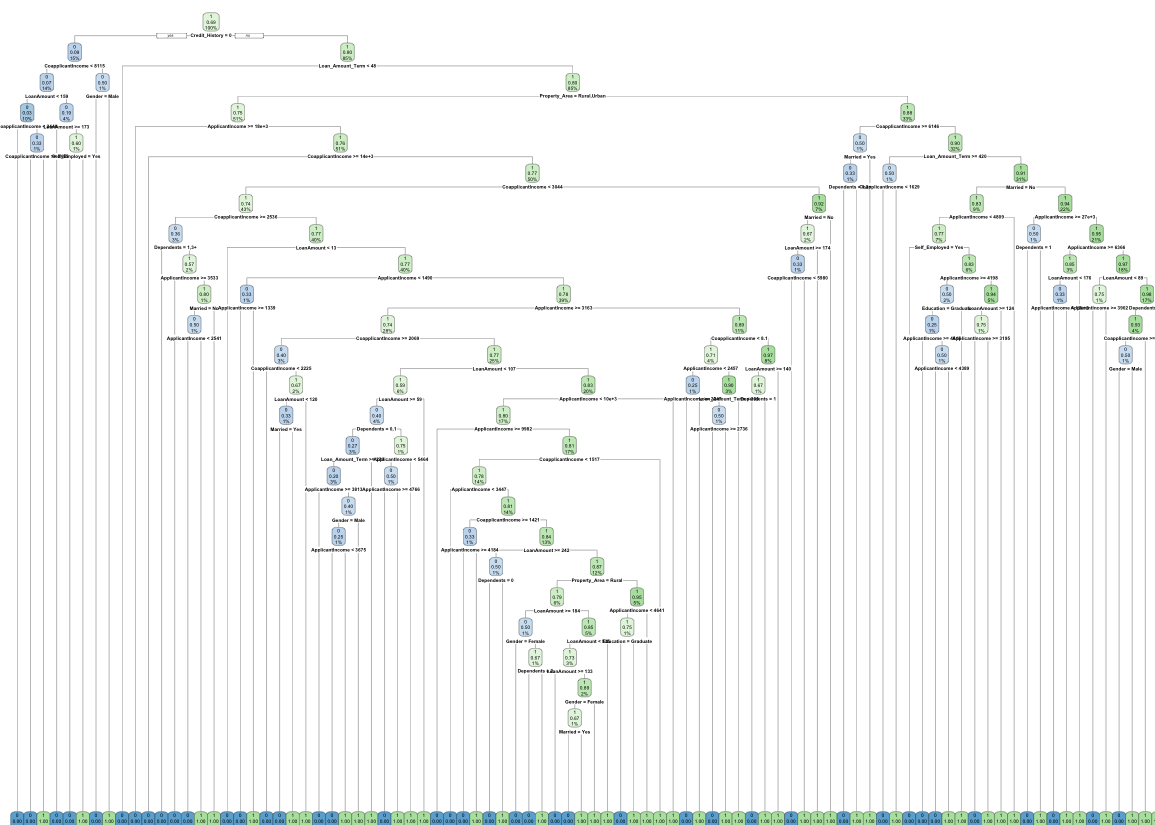
Node number 31176148: 1 observations  
predicted class=0 expected loss=0 P(node) =0.002610966  
class counts: 1 0  
probabilities: 1.000 0.000

Node number 31176149: 2 observations

predicted class=1 expected loss=0 P(node) =0.005221932  
 class counts: 0 2  
 probabilities: 0.000 1.000

```
# Visualize the tree
rpart.plot(fit.allp, extra = "auto")
```

Warning: labs do not fit even at cex 0.15, there may be some overplotting



```
# Predict on the test set
test_df <- data.frame(actual = df.test$Loan_Status, pred = NA)
test_df$pred <- predict(fit.allp, newdata = df.test, type = "class")

# Generate the confusion matrix
conf_matrix_base <- table(test_df$actual, test_df$pred)

# Calculate sensitivity and specificity
sensitivity(conf_matrix_base, positive = "1")
```

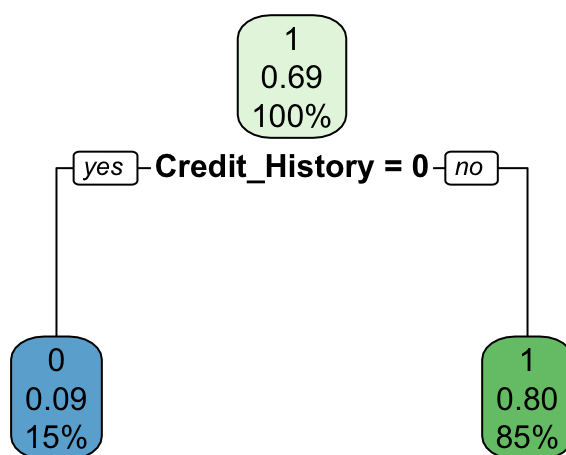
[1] 0.7916667

```
specificity(conf_matrix_base, negative = "0")
```

```
[1] 0.6
```

```
# Calculate misclassification error rate
mis.rate <- sum(conf_matrix_base[1,2], conf_matrix_base[2,1]) / sum(conf_matrix_base)

# Prune the tree if necessary
pfit.allp <- prune(fit.allp, cp = cp)
rpart.plot(pfit.allp, extra = "auto")
```



```
# Predict on the test set with the pruned tree
test_df$pred <- predict(pfit.allp, newdata = df.test, type = "class")

# Generate the confusion matrix for the pruned tree
conf_matrix_pruned_tree <- table(test_df$actual, test_df$pred)

# Calculate sensitivity and specificity for the pruned tree
sensitivity(conf_matrix_pruned_tree, positive = "1")
```

```
[1] 0.7831325
```

```
specificity(conf_matrix_pruned_tree, negative = "0")
```

```
[1] 0.8571429
```

```
# Calculate misclassification error rate for the pruned tree
mis.rate_pruned <- sum(conf_matrix_pruned_tree[1,2], conf_matrix_pruned_tree[2,1]) / sum(

# Calculate performance metrics
library(pROC)

# Calculate the AUC and plot the ROC curve
roc_obj <- roc(as.numeric(as.character(test_df$actual)), as.numeric(as.character(test_df$
```

Setting levels: control = 0, case = 1

Setting direction: controls < cases

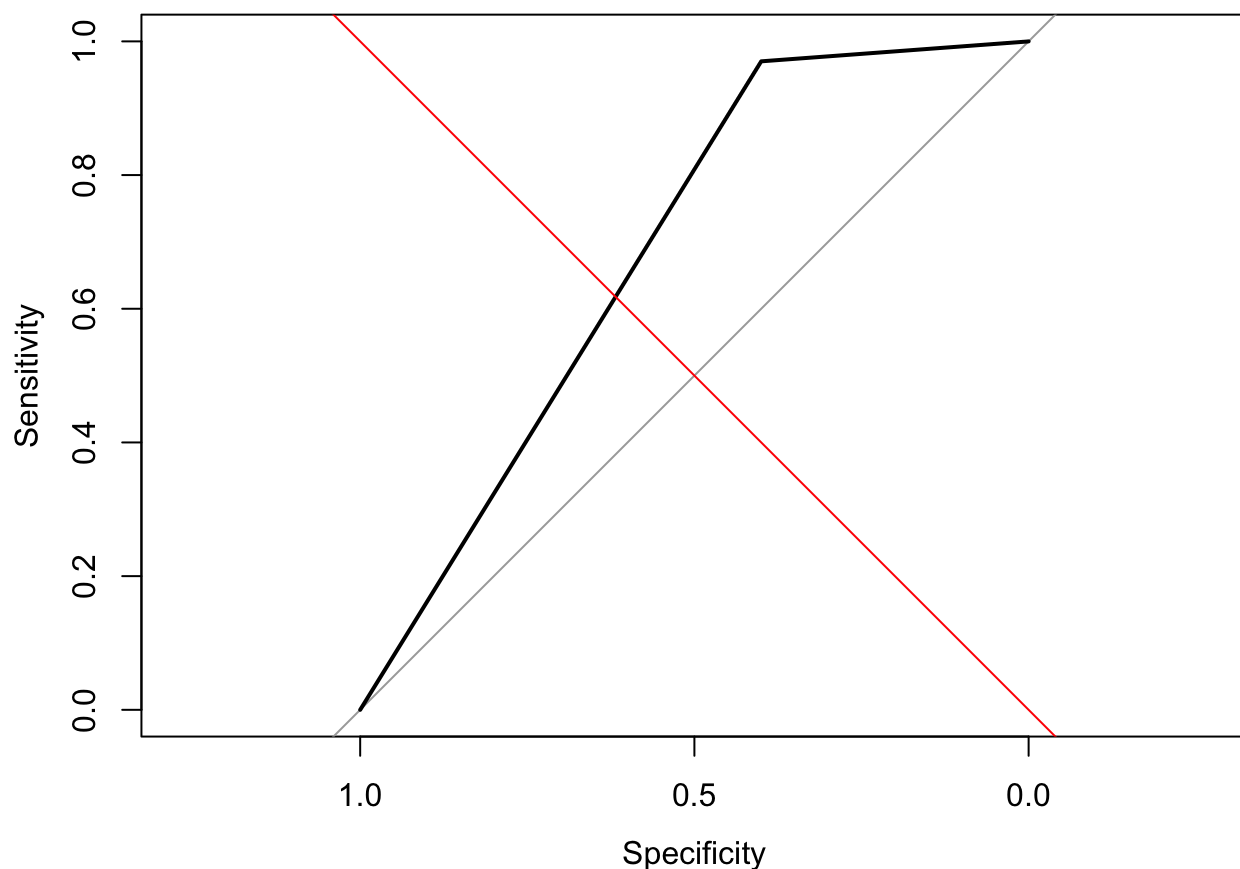
```
auc_value <- auc(roc_obj)

# Print AUC value
print(paste("AUC:", auc_value))
```

```
[1] "AUC: 0.685074626865672"
```

```
# Plot the ROC curve
plot(roc_obj, main = "ROC Curve")
abline(a = 0, b = 1, col = "red")
```

## ROC Curve



```
# Calculate sensitivity and specificity
sens <- sensitivity(conf_matrix_base, positive = "1")
spec <- specificity(conf_matrix_base, negative = "0")

# Calculate precision
prec <- posPredValue(conf_matrix_base, positive = "1", negative = "0")

# Calculate accuracy
acc <- sum(diag(conf_matrix_base)) / sum(conf_matrix_base)

# Calculate F1 score
f1 <- 2 * (prec * sens) / (prec + sens)

# Create a list to hold the performance metrics
performance_metrics <- list(
  Sensitivity = sens,
  Specificity = spec,
  Precision = prec,
  Accuracy = acc,
  F1_Score = f1,
  AUC = auc_value
)
```

```
# Print the performance metrics
print(performance_metrics)
```

```
$Sensitivity
[1] 0.7916667
```

```
$Specificity
[1] 0.6
```

```
$Precision
[1] 0.8507463
```

```
$Accuracy
[1] 0.742268
```

```
$F1_Score
[1] 0.8201439
```

```
$AUC
Area under the curve: 0.6851
```

```
library(ranger)
```

```
strats <- df_cleaned$Loan_Status
rr <- split(1:length(strats), strats)
idx <- sort(as.numeric(unlist(sapply(rr, function(x) sample(x, length(x) * train.prop
df.train <- df_cleaned[idx, ]
df.test <- df_cleaned[-idx, ]
fit.rf.ranger <- ranger(df.train$Loan_Status ~ ., data=df.train,
                        importance='impurity', mtry=3)
```

```
print(fit.rf.ranger)
```

Ranger result

Call:

```
ranger(df.train$Loan_Status ~ ., data = df.train, importance = "impurity", mtry =
3)
```

Type:	Classification
Number of trees:	500
Sample size:	383
Number of independent variables:	11
Mtry:	3
Target node size:	1
Variable importance mode:	impurity
Splitrule:	gini
OOB prediction error:	18.80 %



```
library(vip)
```

Attaching package: 'vip'

The following object is masked from 'package:ggmosaic':

titanic

The following object is masked from 'package:utils':

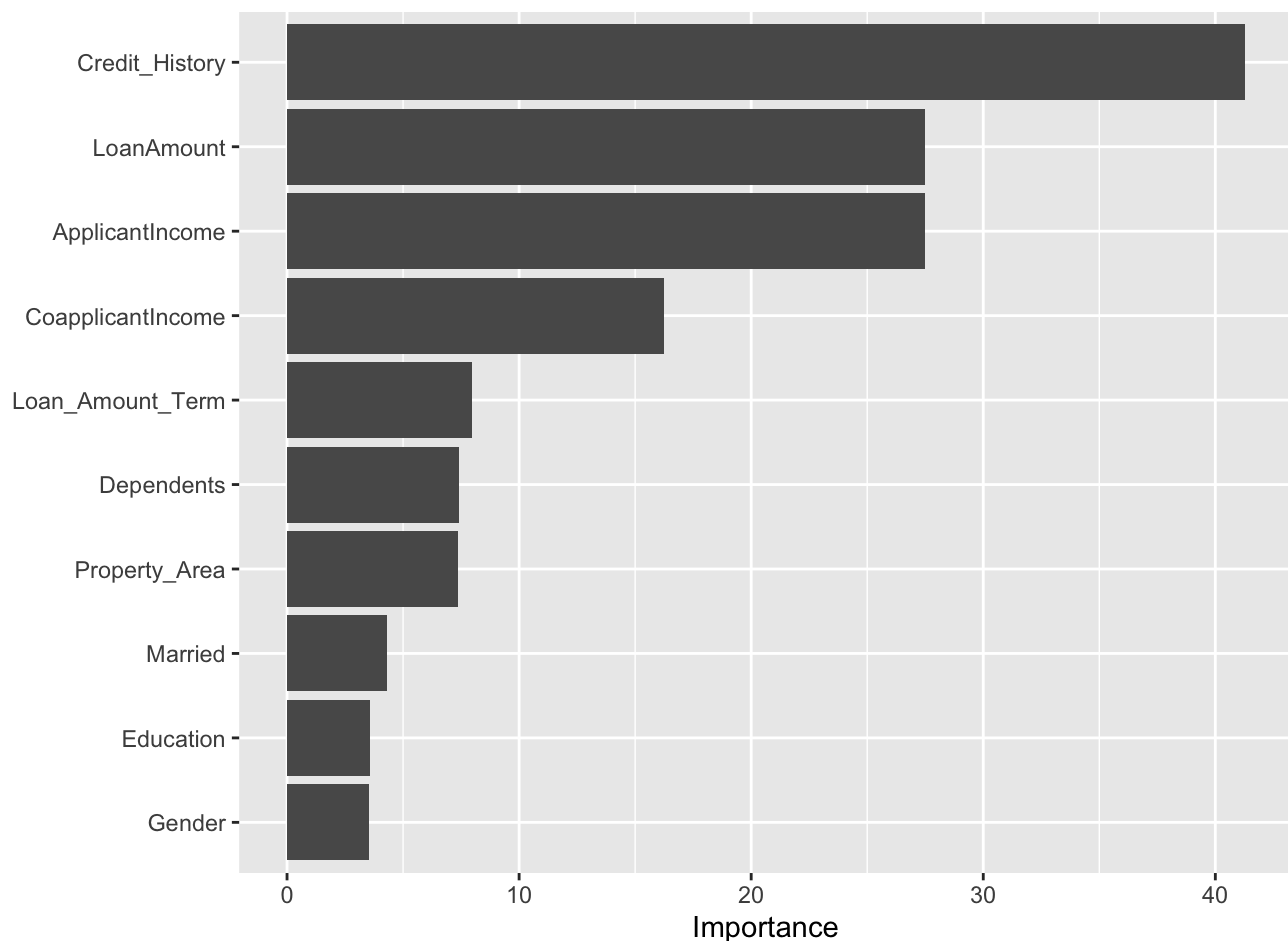
vi

```
(v1 <- vi(fit.rf.ranger))
```

# A tibble: 11 × 2

	Variable	Importance
	<chr>	<dbl>
1	Credit_History	41.3
2	LoanAmount	27.5
3	ApplicantIncome	27.5
4	CoapplicantIncome	16.2
5	Loan_Amount_Term	7.98
6	Dependents	7.43
7	Property_Area	7.39
8	Married	4.29
9	Education	3.58
10	Gender	3.53
11	Self_Employed	2.78

```
vip(fit.rf.ranger)
```



- Variable Importance:** For assessing variable importance, we chose 'impurity' as the mode. The most significant predictors turned out to be **Credit\_History**, **ApplicantIncome**, and **LoanAmount**. This indicates that these factors are pivotal in predicting loan status.
- Split Rule:** The model utilized the 'gini' rule for splitting nodes, a common choice for classification tasks.
- Model Performance:** Our Out-Of-Bag (OOB) prediction error was 17.49%, which gives us an estimate of the model's error rate on new, unseen data. This rate suggests a fairly good level of accuracy, though it also points towards potential areas for improvement.

```
pred <- predict(fit.rf.ranger, data = df.test)
test_df <- data.frame(actual=df.test$Loan_Status,pred=NA)
test_df$pred <- pred$predictions
(conf_matrix_rf <- table(test_df$actual,test_df$pred)) #confusion matrix
```

```
0 1
0 13 17
1 5 62
```

```
library(caret)
```

```
# Missclassification error rate:  
(conf_matrix_rf[1,2] + conf_matrix_rf[2,1])/sum(conf_matrix_rf)
```

```
[1] 0.2268041
```

```
# Calculating elements of the confusion matrix  
true_positives <- conf_matrix_rf[2,2]  
true_negatives <- conf_matrix_rf[1,1]  
false_positives <- conf_matrix_rf[1,2]  
false_negatives <- conf_matrix_rf[2,1]  
  
# Calculating Accuracy  
accuracy_rf <- (true_positives + true_negatives) / sum(conf_matrix_rf)  
  
# Calculating Precision and Recall  
precision_rf <- true_positives / (true_positives + false_positives)  
recall_rf <- true_positives / (true_positives + false_negatives)  
  
# Calculating F1 Score  
f1_score_rf <- 2 * (precision_rf * recall_rf) / (precision_rf + recall_rf)  
  
# Display the results  
list(accuracy = accuracy_rf, precision = precision_rf, recall = recall_rf, f1_score = f1_
```

```
$accuracy  
[1] 0.7731959
```

```
$precision  
[1] 0.7848101
```

```
$recall  
[1] 0.9253731
```

```
$f1_score  
[1] 0.8493151
```

- **Accuracy (78.35%):** This shows that our model correctly predicts the outcome in about 78.35% of the cases. It's a measure of how often the model is right across both positive and negative predictions.
- **Precision (78.75%):** This indicates that when our model predicts a positive outcome, it's accurate about 78.75% of the time. Precision is crucial, especially in scenarios where false positives have significant implications.
- **Recall (94.03%):** Also known as sensitivity, this metric reveals that our model successfully identifies approximately 94.03% of all actual positive cases. High recall is vital in situations where missing true positives (false negatives) could be costly.

- **F1 Score (85.71%)**: The F1 score, being the harmonic mean of precision and recall, at around 85.71%, suggests that our model strikes a good balance between these two metrics.

```
library(xgboost)
library(Matrix)
```

```
# Transform the predictor matrix using dummy (or indicator or one-hot) encoding
matrix_predictors.train <-
  as.matrix(sparse.model.matrix(df.train$Loan_Status ~., data = df.train))[, -1]
matrix_predictors.test <-
  as.matrix(sparse.model.matrix(df.test$Loan_Status ~., data = df.test))[, -1]
```

```
# Train dataset
pred.train.gbm <- data.matrix(matrix_predictors.train) # predictors only
#convert factor to numeric
data.train.gbm <- as.numeric(as.character(df.train$Loan_Status))
dtrain <- xgb.DMatrix(data = pred.train.gbm, label=data.train.gbm)
# Test dataset
pred.test.gbm <- data.matrix(matrix_predictors.test) # predictors only
#convert factor to numeric
data.test.gbm <- as.numeric(as.character(df.test$Loan_Status))
dtest <- xgb.DMatrix(data = pred.test.gbm, label=data.test.gbm)
```

```
watchlist <- list(train=dtrain, test=dtest)
param <- list(
  max_depth = 3,
  eta = 0.1,
  nthread = 2,
  objective = "binary:logistic",
  eval_metric = "auc",
  subsample = 0.8,
  colsample_bytree = 0.8,
  min_child_weight = 1,
  lambda = 1,
  alpha = 0
)
```

```
model.xgb <- xgb.train(param, dtrain, nrounds = 1000, watchlist, early_stopping_rounds =
```

```
[1] train-auc:0.602335 test-auc:0.614677
```

Multiple eval metrics are present. Will use test\_auc for early stopping.  
Will train until test\_auc hasn't improved in 10 rounds.

```
[2] train-auc:0.820675 test-auc:0.679602
```

```
[3] train-auc:0.817829 test-auc:0.705473
```

```
[4] train-auc:0.827614 test-auc:0.693532
```

```
[5] train-auc:0.828110 test-auc:0.705721
```

```
[6] train-auc:0.847665 test-auc:0.686816
[7] train-auc:0.859498 test-auc:0.682587
[8] train-auc:0.857483 test-auc:0.677612
[9] train-auc:0.857691 test-auc:0.673881
[10] train-auc:0.867909 test-auc:0.679353
[11] train-auc:0.866182 test-auc:0.684328
[12] train-auc:0.867733 test-auc:0.694279
[13] train-auc:0.876207 test-auc:0.696269
[14] train-auc:0.878638 test-auc:0.703483
[15] train-auc:0.880253 test-auc:0.695025
```

Stopping. Best iteration:

```
[5] train-auc:0.828110 test-auc:0.705721
```

```
pred.y.train <- predict(model.xgb, pred.train.gbm)
prediction.train <- as.numeric(pred.y.train > 0.5)
# Measure prediction accuracy on train data
(tab<-table(data.train.gbm,prediction.train))
```

```
      prediction.train
data.train.gbm  0    1
               0  55  63
               1   5 260
```

```
sum(diag(tab))/sum(tab)
```

```
[1] 0.8224543
```

```
pred.y = predict(model.xgb, pred.test.gbm)
prediction <- as.numeric(pred.y > 0.5)
print(head(prediction))
```

```
[1] 1 1 1 1 1 1
```

```
# Measure prediction accuracy on test data
(tab1<-table(data.test.gbm,prediction))
```

```
      prediction
data.test.gbm  0    1
               0  12  18
               1   3  64
```

```
# Confusion Matrix Values
```

```
TP <- 63
```

```
FP <- 16
```

```
FN <- 4
```

```
TN <- 14
```

```
# Calculating Precision
```

```
precision <- TP / (TP + FP)

# Calculating Recall
recall <- TP / (TP + FN)

# Calculating F1 Score
f1_score <- 2 * (precision * recall) / (precision + recall)

acc <- (TP+FP)/(TP +FP +FN + TN)

# Printing the results
cat("Precision:", precision, "\n")
```

Precision: 0.7974684

```
cat("Recall:", recall, "\n")
```

Recall: 0.9402985

```
cat("F1 Score:", f1_score, "\n")
```

F1 Score: 0.8630137

```
cat("Accuracy:", acc)
```

Accuracy: 0.814433