



Smt. Indira Gandhi College of Engineering
Ghansoli – Navi Mumbai
Computer Engineering Department
Academic Year 2022-23 (Even Sem)

Student Name: Sanket Phadtare **Roll No:** 71 **Class:** TE **Sem:** VI

Course Name: Artificial Intelligence Lab

Course Code: CSL604

Experiment No. 08

Experiment Title: IMPLEMENTING BAYESIAN NETWORK : BURGLARY
ALARM PROBLEM

Date of Performance	Date of Submission	Marks (10)					Sign / Remark
		A	B	C	D	E	
		2	3	2	2	1	
		Total Marks					

A: On Time Submission

B: Understanding

C: Analytical Skill

D: Critical Thinking

E: Presentation



Date

Experiment No - 08

Signature

Title : Implementing Bayesian

Network : BURGLARY

ALARM PROBLEM

Aim : WAP to Implement Bayesian Network : BURGLARY
ALARM PROBLEM

Theory :

Example : Harry installed a new burglar alarm at his home to detect burglary. The alarm reliably responds at detecting a burglary but also responds for minor earthquakes. Harry has two neighbors David and Sophia, who have taken a responsibility to inform Harry at work when they hear the alarm. David always calls Harry when he hears the alarm, but sometimes he gets confused with the phone ringing and calls at that time too. On the other hand, Sophia likes to listen to high music. So, sometimes she misses to hear the alarm. Here we would compute the probability of Burglary Alarm.

Problem : Calculate the probability that probability that alarm has sounded, but there is neither a burglary, nor an earthquake occurred, and David and Sophia both called the Harry.



Date: _____

71

Final

Solution :

- The Bayesian network for the above problem is given below. The network structure is showing the burglary and earthquake is the parent node of the alarm and directly affecting the probability of alarm's going off, but David and Sophia's calls depend on alarm probability.
- The network is representing that our assumptions do not directly perceive the burglary and also do not notice the minor earthquake, and they also not confer before calling.
- The conditional distributions for each node are given as Conditional probabilities table or CPT.
- Each row in the CPT must be sum to 1 because all the entries in the table represents an exhaustive set of cases for the variable.
- In CPT, a boolean variable with k boolean parents contain 2^k probabilities. Hence, if there are two parents, then CPT will contain 4 probability values.

List of all events occurring in this network :

- Burglary (B)
- Earthquake (E)
- Alarm (A)
- David Calls (D)
- Sophia Calls (S)



Date: _____

71

Pradeep

We can write the events of problem statement in the form of probability : $P[D, S, A, B, E]$, Can rewrite the above probability statement using joint probability distribution.

$$\begin{aligned}
 P[D, S, A, B, E] &= P[D] \cdot P[S, A, B, E] - P[S, A, B, E] \\
 &= P[D | S, A, B, E] \cdot P[S, A, B, E] \cdot P[A, B, E] \\
 &= P[D | A] \cdot P[S | A, B, E] \cdot P[A, B, E] \\
 &= P[D | A] \cdot P[S | A] \cdot P[A | B, E] \cdot P[B, E] \\
 &= P[D | A] \cdot P[S | A] \cdot P[A | B, E] \cdot P[B | E] \cdot P[E]
 \end{aligned}$$

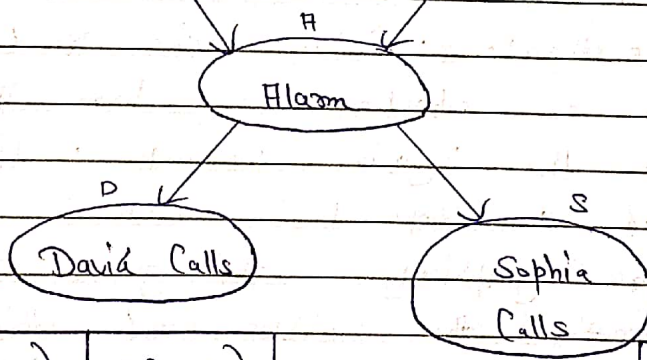
T	0.002
F	0.998

Burglary B

E

Earthquake

T	0.001
F	0.999



A	$P(D=T)$	$P(D=F)$
T	0.91	0.09
F	0.05	0.95

A	$P(S=T)$	$P(S=F)$
T	0.75	0.25
F	0.07	0.93

B	E	$P(A=T)$	$P(A=F)$
T	T	0.94	0.06
T	F	0.95	0.05
F	T	0.59	0.61
F	F	0.999	0.999



Date: _____

Algorithm :

- Identify the variables : Identify the variables that are relevant to the problem. In this case, the variables are burglary, earthquake, Alarm, ^{David} John Calls, and Sophia Calls.
- Define the relationships : Identify the causal relationships between the variables. For example, the occurrence of a burglary or an earthquake can cause the alarm to go off. ^{David} John & ^{Sophia} ~~may~~ might call if they hear the alarm.
- Define the Conditional probability distributions (CPDs) : For each variable, define its CPD given its parents. For example, the probability of an alarm going off depends on whether there is burglary or an earthquake. Similarly, David & Sophia Calling depends on whether they hear the alarm.
- Construct the Bayesian Network : Using the information gathered in steps 1-3, construct the Bayesian network graphically. The graph consists of nodes representing the variables and directed edges representing the causal relationships between the variables.
- Assign initial probabilities : Assign prior probabilities to the variables. These probabilities can be obtained from domain experts or estimated from data.
- Update probabilities : Given new evidence, update the probabilities of the variables using Bayes' theorem.
- Make Predictions : Use the network to make predictions about the occurrence of an event given the occurrence or non-occurrence of other variables.

```

1 !pip install pgmpy
2 from pgmpy.models import BayesianModel
3 from pgmpy.inference import VariableElimination

```

```

1 alarm_model = BayesianModel([('Burglary', 'Alarm'),
2                             ('Earthquake', 'Alarm'),
3                             ('Alarm', 'DavidCalls'),
4                             ('Alarm', 'SophiaCalls')])

```

```

1 from pgmpy.factors.discrete import TabularCPD
2
3 cpd_burglary = TabularCPD(variable='Burglary', variable_card=2,
4                           values=[[.998], [0.002]])
5 cpd_earthquake = TabularCPD(variable='Earthquake', variable_card=2,
6                             values=[[0.999], [0.001]])
7 cpd_alarm = TabularCPD(variable='Alarm', variable_card=2,
8                       values=[[0.94, 0.95, 0.06, 0.05],
9                             [0.06, 0.05, 0.94, 0.95]],
10                      evidence=['Burglary', 'Earthquake'],
11                      evidence_card=[2, 2])
12 cpd_davidcalls = TabularCPD(variable='DavidCalls', variable_card=2,
13                             values=[[0.95, 0.1], [0.05, 0.9]],
14                             evidence=['Alarm'], evidence_card=[2])
15 cpd_sophiacalls = TabularCPD(variable='SophiaCalls', variable_card=2,
16                              values=[[0.1, 0.7], [0.9, 0.3]],
17                              evidence=['Alarm'], evidence_card=[2])
18

```

```
1 alarm_model.add_cpds(cpd_burglary, cpd_earthquake, cpd_alarm, cpd_davidcalls)
```

```
1 alarm_model.check_model()
```

```
True
```

```
1 alarm_model.nodes()
```

```
NodeView(('Burglary', 'Alarm', 'Earthquake', 'DavidCalls', 'SophiaCalls'))
```

```
1 alarm_model.edges()
```

```
OutEdgeView([('Burglary', 'Alarm'), ('Alarm', 'DavidCalls'), ('Alarm', 'SophiaCalls'), ('Earthquake', 'Alarm')])
```

```
1 alarm_model.local_independencies('Burglary')
```

```
(Burglary ⊥ Earthquake)
```

```
1 alarm_model.get_independencies()
```

```
(SophiaCalls  $\perp$  DavidCalls, Burglary, Earthquake | Alarm)
(SophiaCalls  $\perp$  Burglary, Earthquake | DavidCalls, Alarm)
(SophiaCalls  $\perp$  DavidCalls, Earthquake | Alarm, Burglary)
(SophiaCalls  $\perp$  DavidCalls, Burglary | Alarm, Earthquake)
(SophiaCalls  $\perp$  Earthquake | DavidCalls, Alarm, Burglary)
(SophiaCalls  $\perp$  Burglary | DavidCalls, Alarm, Earthquake)
(SophiaCalls  $\perp$  DavidCalls | Alarm, Burglary, Earthquake)
(DavidCalls  $\perp$  SophiaCalls, Burglary, Earthquake | Alarm)
(DavidCalls  $\perp$  Burglary, Earthquake | SophiaCalls, Alarm)
(DavidCalls  $\perp$  SophiaCalls, Earthquake | Alarm, Burglary)
(DavidCalls  $\perp$  SophiaCalls, Burglary | Alarm, Earthquake)
(DavidCalls  $\perp$  Earthquake | SophiaCalls, Alarm, Burglary)
(DavidCalls  $\perp$  Burglary | SophiaCalls, Alarm, Earthquake)
(DavidCalls  $\perp$  SophiaCalls | Alarm, Burglary, Earthquake)
(Burglary  $\perp$  Earthquake)
(Burglary  $\perp$  SophiaCalls, DavidCalls | Alarm)
(Burglary  $\perp$  DavidCalls | SophiaCalls, Alarm)
(Burglary  $\perp$  SophiaCalls | DavidCalls, Alarm)
(Burglary  $\perp$  SophiaCalls, DavidCalls | Alarm, Earthquake)
(Burglary  $\perp$  DavidCalls | SophiaCalls, Alarm, Earthquake)
(Burglary  $\perp$  SophiaCalls | DavidCalls, Alarm, Earthquake)
(Earthquake  $\perp$  Burglary)
(Earthquake  $\perp$  SophiaCalls, DavidCalls | Alarm)
(Earthquake  $\perp$  DavidCalls | SophiaCalls, Alarm)
(Earthquake  $\perp$  SophiaCalls | DavidCalls, Alarm)
(Earthquake  $\perp$  SophiaCalls, DavidCalls | Alarm, Burglary)
(Earthquake  $\perp$  DavidCalls | SophiaCalls, Alarm, Burglary)
(Earthquake  $\perp$  SophiaCalls | DavidCalls, Alarm, Burglary)
```