



**SVKM's NMIMS**  
**MUKESH PATEL SCHOOL OF TECHNOLOGY MANAGEMENT & ENGINEERING /**  
**SCHOOL OF TECHNOLOGY MANAGEMENT & ENGINEERING**

**Academic Year: 2021-22**

Programme: B. Tech / MBA Tech (Computer)

Year: II Semester: IV

Subject: Theoretical Computer Science

Date: 12 April 2022

Marks: 100

Time: 10.00 am to 1.00 pm

Durations: 3 (hrs)

No. of Pages: 3

**Final Examination**

**Instructions:** Candidates should read carefully the instructions printed on the question paper and on the cover of the Answer Book, which is provided for their use.

- 1) Question No. 1 is compulsory.
- 2) Out of remaining questions, attempt any 4 questions.
- 3) **In all 5 questions to be attempted.**
- 4) All questions carry equal marks.
- 5) **Answer to each new question to be started on a fresh page.**
- 6) **Figures in brackets on the right hand side indicate full marks.**
- 7) Assume Suitable data if necessary.

<b>Q1</b>		Solve the following	
CO-2; SO-1,2 ; BL-III	a.	Identify Formal Language and its class by constructing various derivation trees by considering following grammar G. G: $S \rightarrow aSa \mid bSb \mid \epsilon$	[5]
CO-1 ; SO-1 ; BL-IV	b.	Distinguish between pushdown automata and deterministic <i>finite</i> automata	[5]
CO- 2; SO- 1,2; BL-I,II	c.	What are the various closure properties of context-free languages? Explain	[5]
CO-1,2 ; SO- 1,2; BL-I,II	d.	Define and explain universal Turing machine	[5]
<b>Q2</b> CO-1,3; SO-1,2; BL-I,VI	a.	What is formal definition of Turing Machine? Construct a Turing machine to create a copy of the input over {a,b}	[10]

CO-1,3; SO-1,2; BL-I,VI	b.	What is formal definition of pushdown automata (PDA)? Design a PDA for accepting a language $L = \{a^n b^{2n} \mid n \geq 1\}$ .	[10]															
<b>Q3</b> CO-3; SO-2; BL-VI	a.	Construct DFA in which number of 'a' is divisible by 3 and number of 'b' is divisible by 2, $L = \{n_a(w) = 0 \bmod 3 \text{ and } n_b(w) = 0 \bmod 2\}$	[10]															
CO-3; SO-2; BL- II, III	b.	Explain Greibach Normal Form (GNF), Consider the following grammar G, apply GNF and construct the equivalent grammar in GNF. $S \rightarrow AB$ $A \rightarrow BS \mid a$ $B \rightarrow SA \mid b$	[10]															
<b>Q4</b> CO-1,3; SO-1,2; BL-I,VI	a.	How Moore machine is different from Mealy machine? Give the Mealy and Moore Machine for the following processes, "For input from $(0+1)^*$ , If inputs end in 101, the output is x, if the input ends in 110, the output is y; otherwise the output is z".	[10]															
CO-2; SO-1,2; BL-II	b.	Differentiate between Type 0, Type 1, Type 2, and Type 3 Grammar.	[5]															
CO-2; SO-1,2; BL-I,II	c.	What is Halting Problem? Explain	[5]															
<b>Q5</b> CO-1,2; SO-1,2; BL-I,III	a.	What is Arden's Theorem? Apply Arden's theorem to convert the following DFA to RE. <table border="1"> <tr> <td><math>Q \backslash \Sigma</math></td> <td>0</td> <td>1</td> </tr> <tr> <td><math>\rightarrow q_0</math></td> <td>-</td> <td><math>q_1</math></td> </tr> <tr> <td><math>q_1</math></td> <td><math>q_2</math></td> <td><math>q_1</math></td> </tr> <tr> <td><math>q_2</math></td> <td><math>q_2</math></td> <td><math>q_3</math></td> </tr> <tr> <td><math>q_3^*</math></td> <td><math>q_2</math></td> <td><math>q_1</math></td> </tr> </table>	$Q \backslash \Sigma$	0	1	$\rightarrow q_0$	-	$q_1$	$q_1$	$q_2$	$q_1$	$q_2$	$q_2$	$q_3$	$q_3^*$	$q_2$	$q_1$	[10]
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CO-1,3; SO-1,2; BL-I,VI	b.	What is Context Free Grammar (CFG)? Construct CFG for the following languages i) $L = (011 + 100)^*$ ii) $L = (0^* 1 0^* 1 0^*)$	[5]															

CO-1,3; SO-1,2; BL-1,III	c	Write the Formal definition of Moore Machine. Convert the given transition table in Moore machine to Mealy machine. <table><tr><td>Q</td><td><math>\Sigma=0</math></td><td><math>\Sigma=1</math></td><td><math>\Delta</math></td></tr><tr><td><math>\rightarrow A</math></td><td>E</td><td>C</td><td><math>\epsilon</math></td></tr><tr><td>B</td><td>E</td><td>C</td><td>1</td></tr><tr><td>C</td><td>B</td><td>F</td><td>0</td></tr><tr><td>D</td><td>B</td><td>F</td><td>1</td></tr><tr><td>E</td><td>D</td><td>B</td><td>0</td></tr><tr><td>F</td><td>G</td><td>E</td><td>0</td></tr><tr><td>G</td><td>G</td><td>E</td><td>1</td></tr></table>	Q	$\Sigma=0$	$\Sigma=1$	$\Delta$	$\rightarrow A$	E	C	$\epsilon$	B	E	C	1	C	B	F	0	D	B	F	1	E	D	B	0	F	G	E	0	G	G	E	1	[5]
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Q6		Consider the following Language L. $L = \{WW^R \mid W \in (a, b)^*, \text{ and } W^R \text{ is the reverse of } W\}$																																	
CO-2,3; SO-1,2; BL-III,VI	a	Design the grammar for language L and identify its class.	[5]																																
CO-2; SO-1,2; BL-III	b	Using above grammar, For the string 'ababbaba' find the following i) leftmost derivation ii) derivation tree	[5]																																
CO-3; SO-2; BL-VI	c	Design a Pushdown Automata to recognize language L.	[5]																																
CO-3; SO-2; BL-VI	d	Construct Turing Machine to recognize language L.	[5]																																