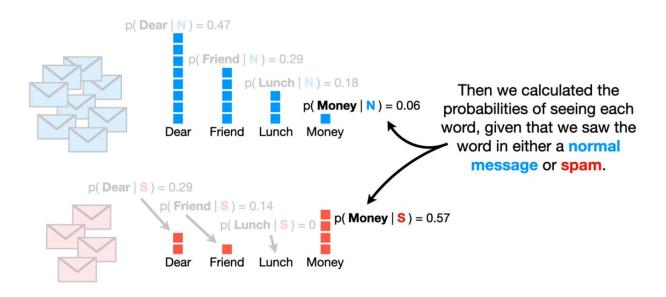
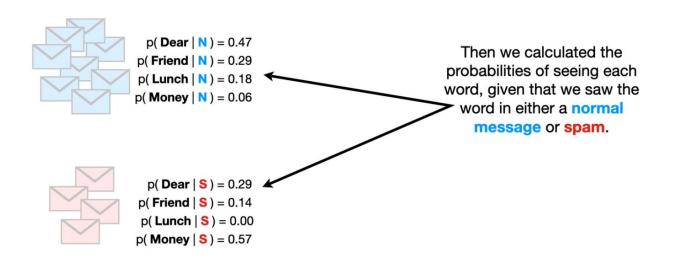
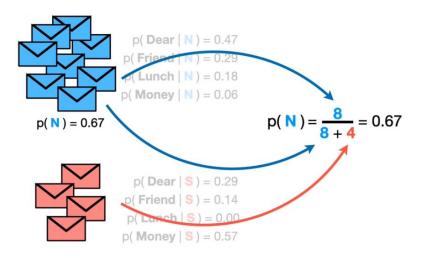
Naïve Bayes and its explanation

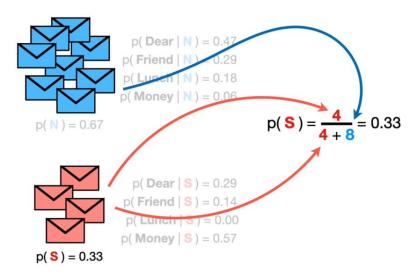
ASAD ASHRAF KAREL



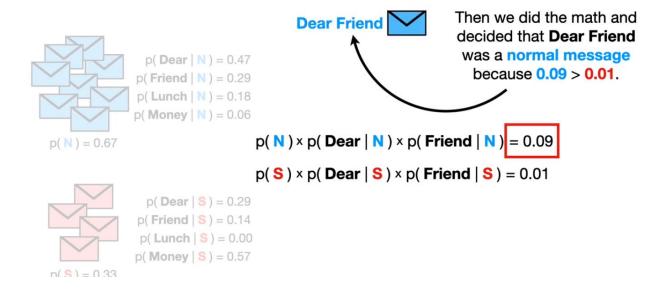




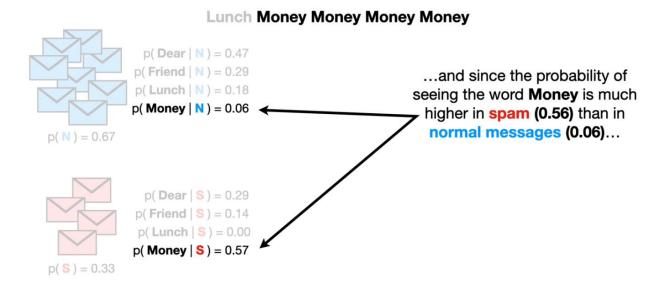
This guess can be anything between **0** and **1**, but we based ours on the classifications in the **Training Dataset**.



Then made the same sort of guess about the probability of seeing spam.



Let's see a complicated example:



Hence p(Money|S) > p(Money|N), hence we can conclude that, the message is from spam.

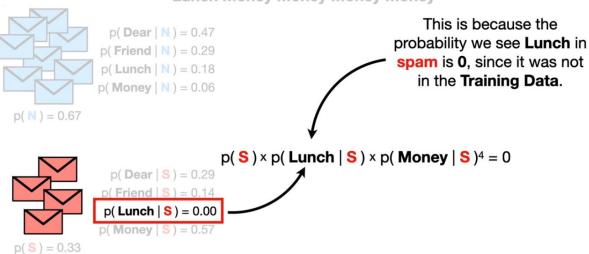
Calculations:

Lunch Money Money Money



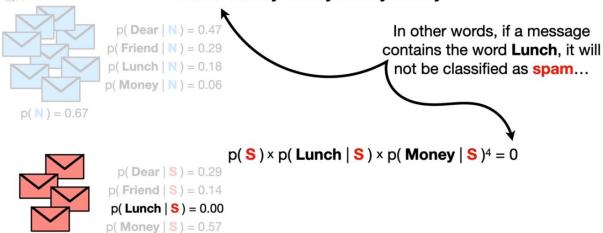


Lunch Money Money Money



Conclusion:

Lunch Money Money Money



Lunch Money Money Money Money



...and that means we will always classify the messages with **Lunch** in them as **normal**, no matter how how many times we see the word **Money**.

$$p(N) \times p(Lunch | N) \times p(Money | N)^4 = 0.000002$$

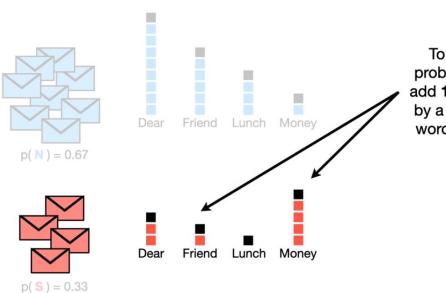
 $p(S) \times p(Lunch \mid S) \times p(Money \mid S)^4 = 0$



p(S) = 0.33

p(Dear | S) = 0.29 p(Friend | S) = 0.14 p(Lunch | S) = 0.00 p(Money | S) = 0.57

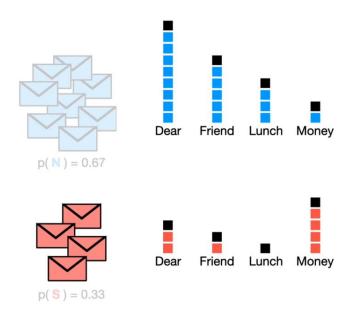
To avoid 'Lunch' is zero; let's add the one more word in each class:



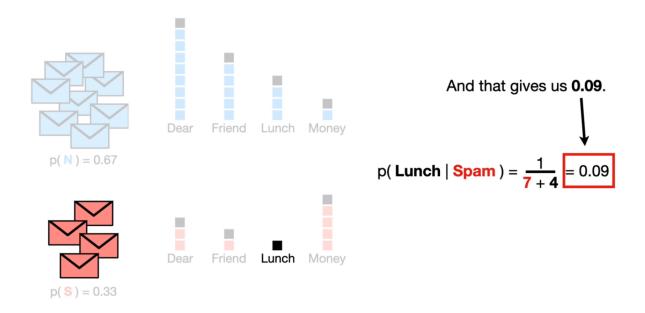
To work around this problem, people usually add 1 count, represented by a **black box**, to each word in the histograms.

Let suppose the increment is alpha (α):

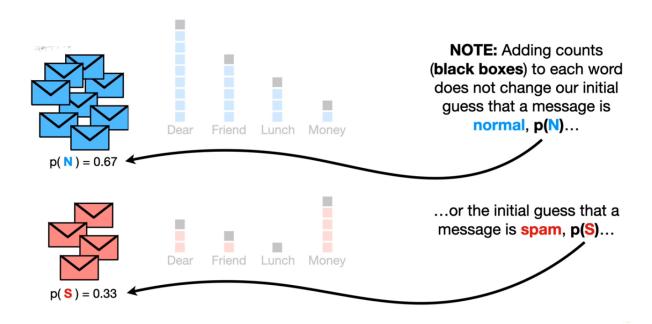
Let's here $\alpha = 1$



Anyway, now when we calculate the probabilities of observing each word, we never get **0**.



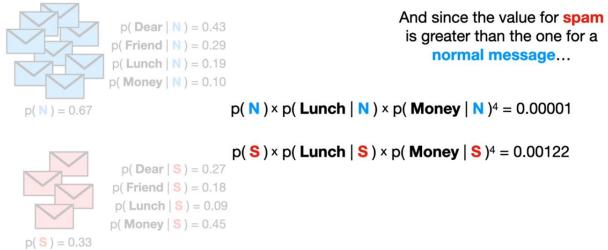
Hence



Moreover the actual count has not changed hence still p(N) and p(S) has not even changed.

After the calculation:





0.00122 > 0.00001, hence we classify the massage as spam.

It is said Naïve Bayes, because it separates the classes very well by scoring each class. It fixes the score for every class by likelihood into the training data, it recognizes by the score only as shown above.

It has high bias (due to high values) and low variance (in practice).