

Searching algorithms



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Outlines

- **Introduction**
- **Linear search algorithm**
- **Binary search algorithm**
- **Jump search algorithm**

Introduction

- Searching algorithms help in any searching functionality you need.
- These algorithms are used in **search engines**, search in **websites**, **eCommerce applications**, ...etc.
- Time complexity is very important for searching algorithms.
- **Less time is the best.**
- There are many **types** of searching algorithms:
 - **Linear search**
 - **Binary search**
 - **Jump search**

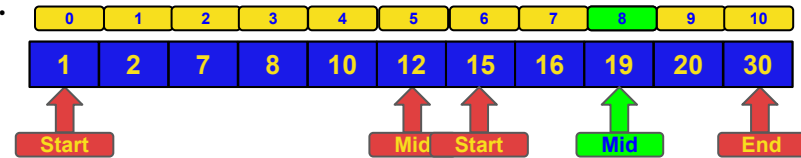
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Binary search algorithm

- **Steps** to make binary search into an array:

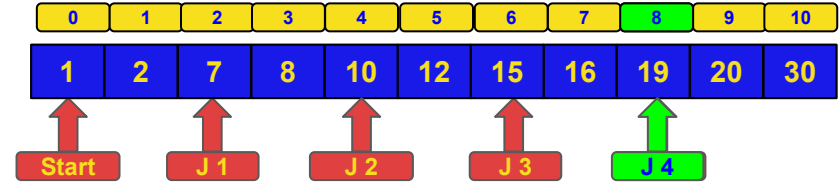
- Sort the array first
- Calculate array mid, $\text{mid} = (\text{start} + \text{end}) / 2$
- Check if the mid element is matched with the value you search for
- If not matched, check if this element is larger than what you search for
- If larger, change the end to be $(\text{mid} - 1)$, then calculate a new mid
- If not larger, change the start to be $(\text{mid} + 1)$, then calculate a new mid
- **Repeat** previous steps **until** you reach the **last element**, or **find a matching element**
- If not matched and the last element ($\text{start} = \text{end} = \text{mid}$), return error not found
- If matched, return the index of that element



Jump search algorithm

- **Steps** to make jump search into an array:

- Sort the array first
- Calculate the jump, $\text{jump} = \min(\sqrt{\text{array_size}}) - 1$
- Check if the first element, index 0, is matched with the value you search for
- If not matched and smaller, add one jump to the index
- If not matched and larger, return error not found
- Check if the current element, index i , is matched with the value you search for
- If not matched and smaller, add **one jump** to the index
- If not matched and larger, make **linear search backwards** till the **previous jump position**
- **Repeat** previous steps **until** you reach the **last element**, or **find a matching element**
- If not matched and the last element, return error not found
- If matched, return the index of that element



Summary

- Now you are familiar with searching algorithms.
- Remember that linear search has $O(n)$ time complexity.
- Remember that binary search has $O(\log n)$ time complexity.
- Remember that jump search has $O(\sqrt{n})$ time complexity.