

Introduction

- ❑ The logical addresses in TCP/IP protocol suite are IP addresses
- ❑ Physical address is usually implemented in hardware
 - ◆ Ex) 48-bit MAC addresses in Ethernet and Token ring protocols, which are imprinted on the NIC installed in the host or router

Introduction (cont'd)

□ Mapping a logical address to its corresponding physical address

◆ Static mapping

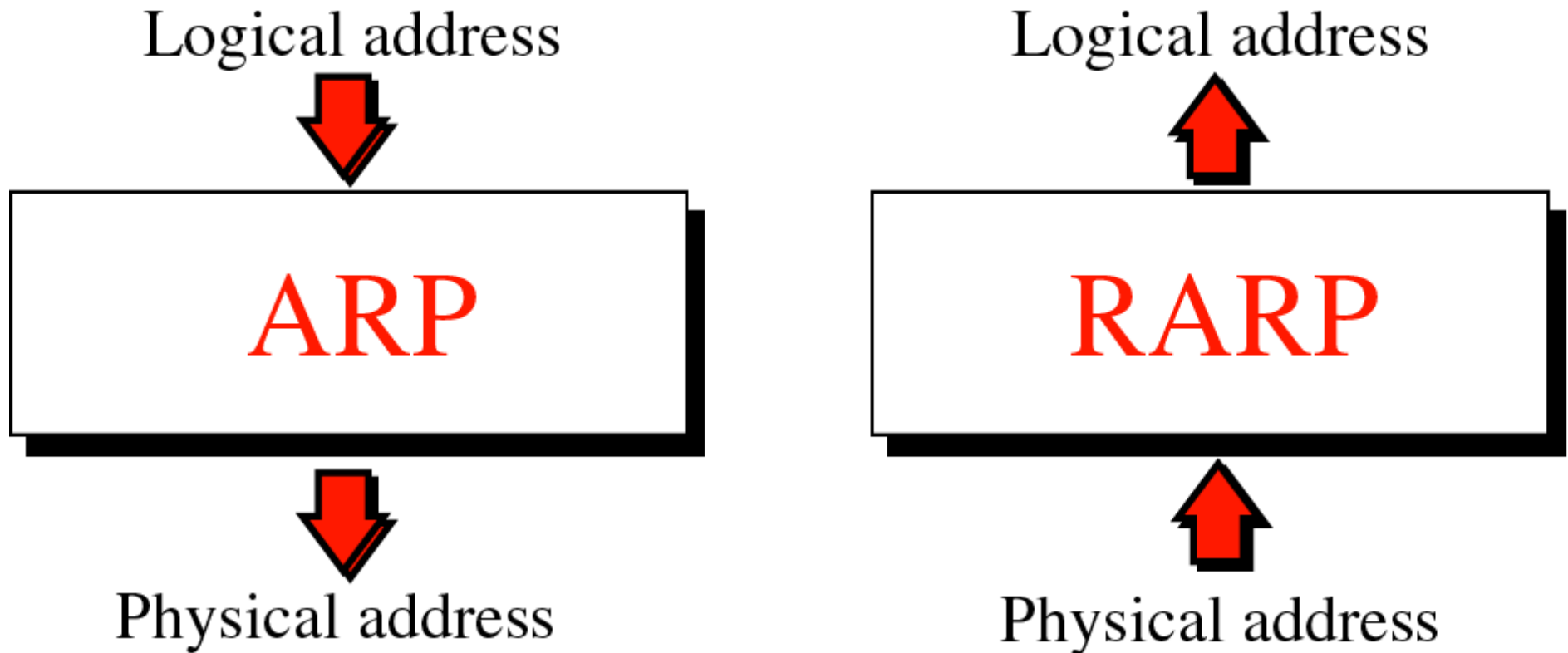
- means creating a table that associates a logical address with a physical address
- need to update periodically

◆ Dynamic mapping

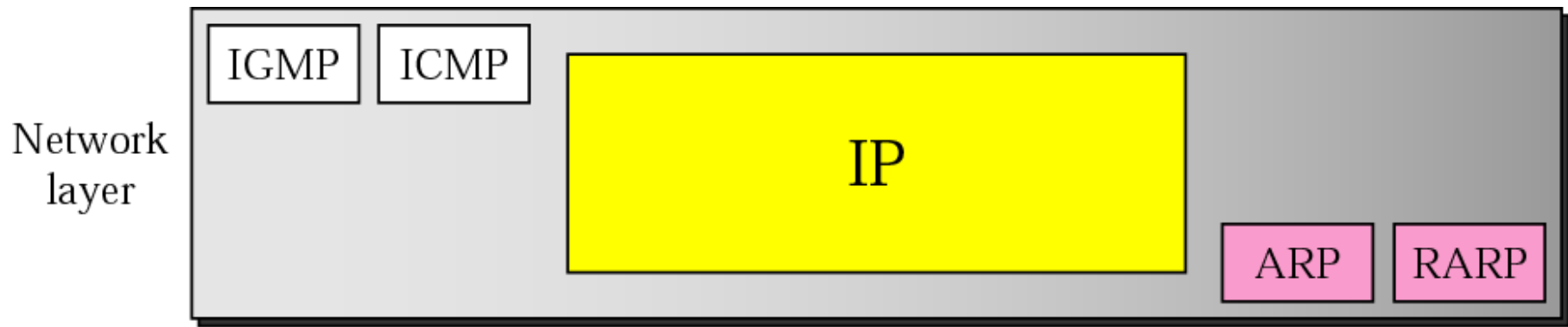
- each time a machine knows one of the two addresses (logical or physical), it can use a protocol to find the other one
- ARP (address resolution protocol), RARP (reverse address resolution protocol)

ARP and RARP

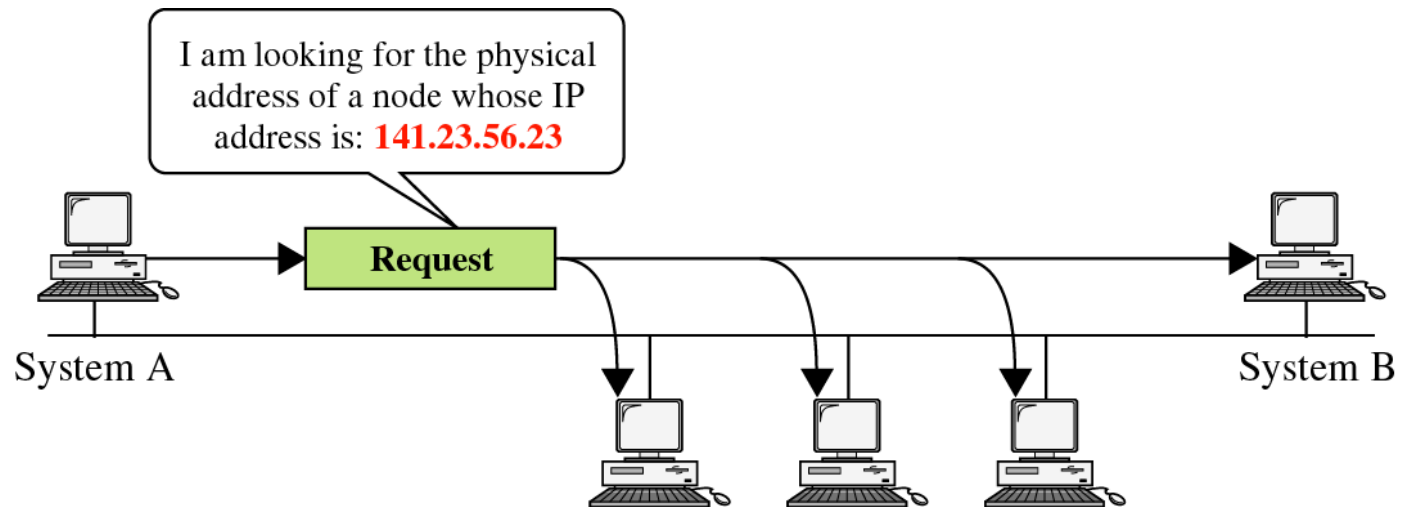
- ❑ ARP (address resolution protocol)
- ❑ RARP (reverse address resolution protocol)



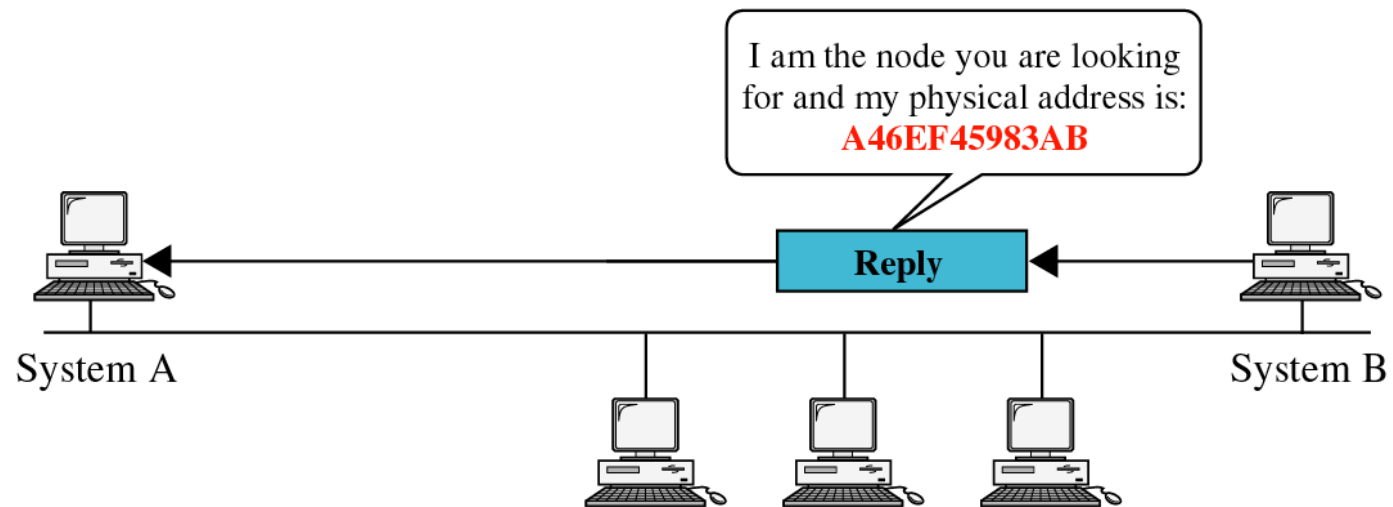
Position of ARP and RARP in TCP/IP Protocol Suite



ARP Operation



a. ARP request is broadcast



b. ARP reply is unicast

ARP Operation (cont'd)

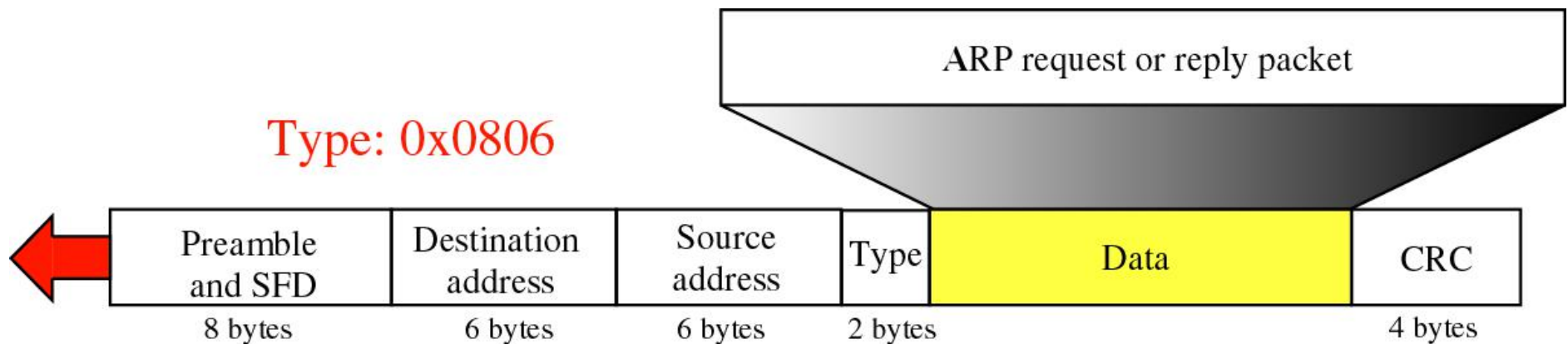
- ❑ An ARP request is **broadcast**; an ARP reply is **unicast**

The Format of ARP packet

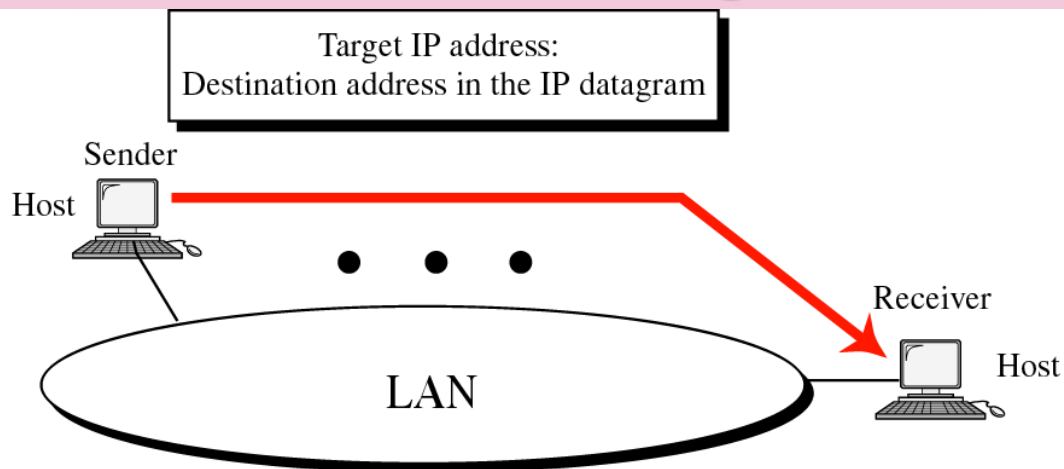
Hardware Type		Protocol Type
Hardware length	Protocol length	Operation Request 1, Reply 2
Sender hardware address (For example, 6 bytes for Ethernet)		
Sender protocol address (For example, 4 bytes for IP)		
Target hardware address (For example, 6 bytes for Ethernet) (It is not filled in a request)		
Target protocol address (For example, 4 bytes for IP)		

Encapsulation of ARP Packet

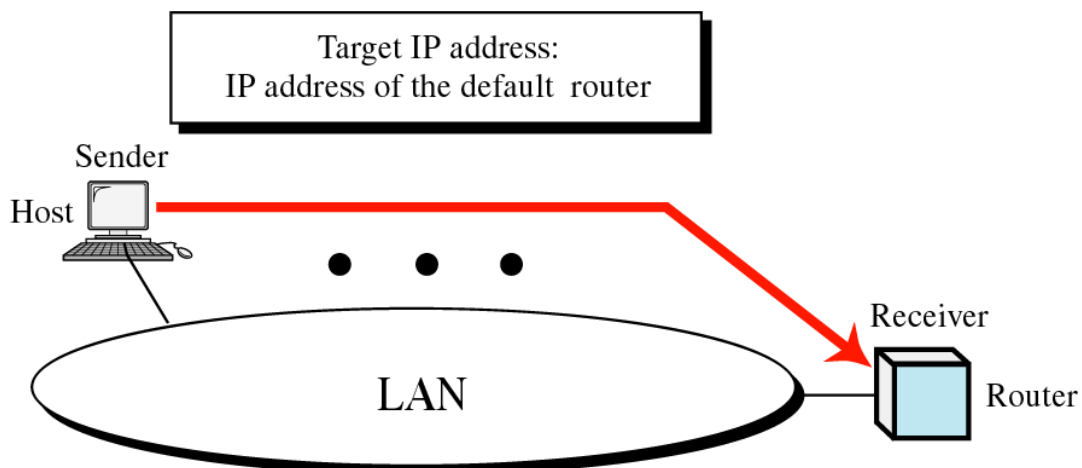
- ❑ encapsulated directly into a data link frame
- ❑ ARP packet encapsulated in an Ethernet frame



Four Cases using ARP

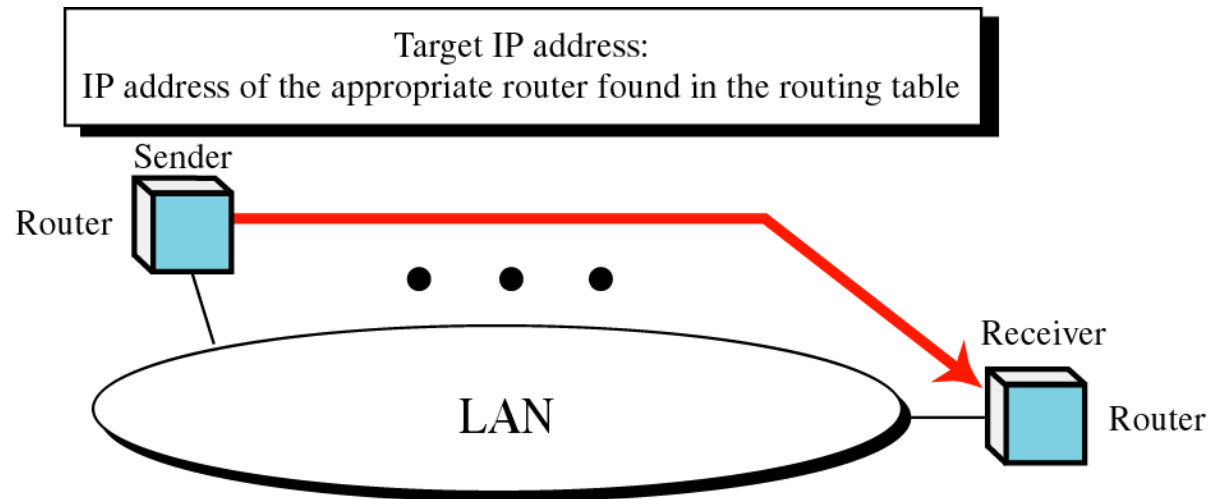


Case 1. A host has a packet to send to another host on the same network.

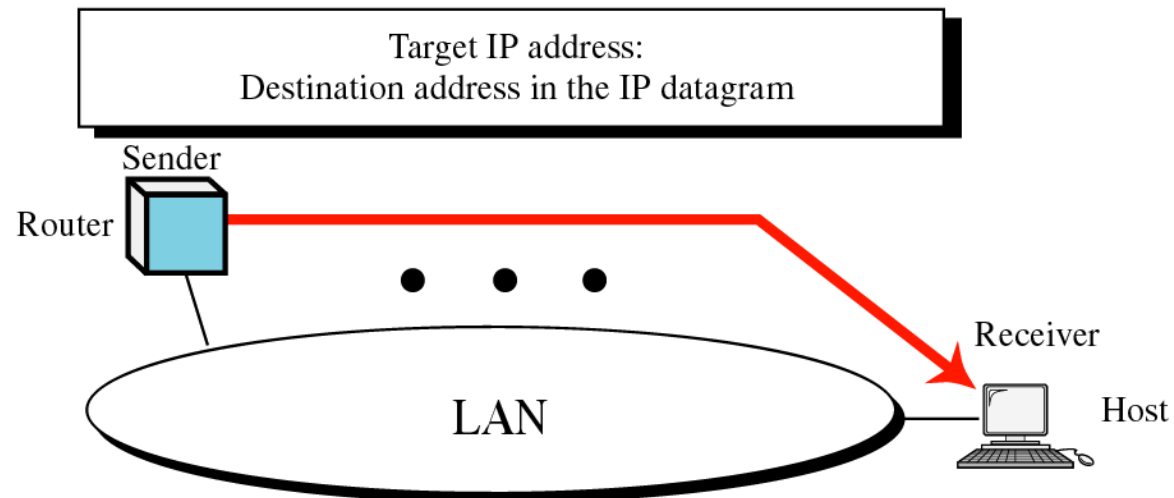


Case 2. A host wants to send a packet to another host on another network.
It must first be delivered to the default router.

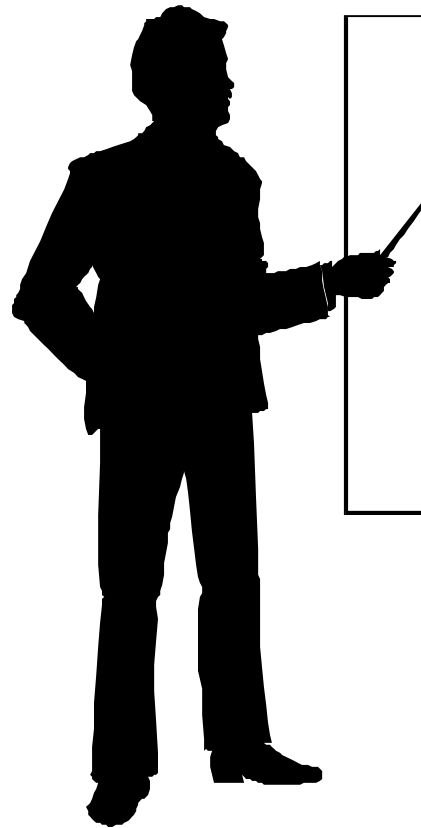
Four Cases using ARP (cont'd)



Case 3. A router receives a packet to be sent to a host on another network.
It must first be delivered to the appropriate router.



Case 4. A router receives a packet to be sent to a host on the same network.



Distributed Routing

- Two standard **distributed** routing algorithms
 - Link State (LS) routing
 - Distance Vector (DV) routing

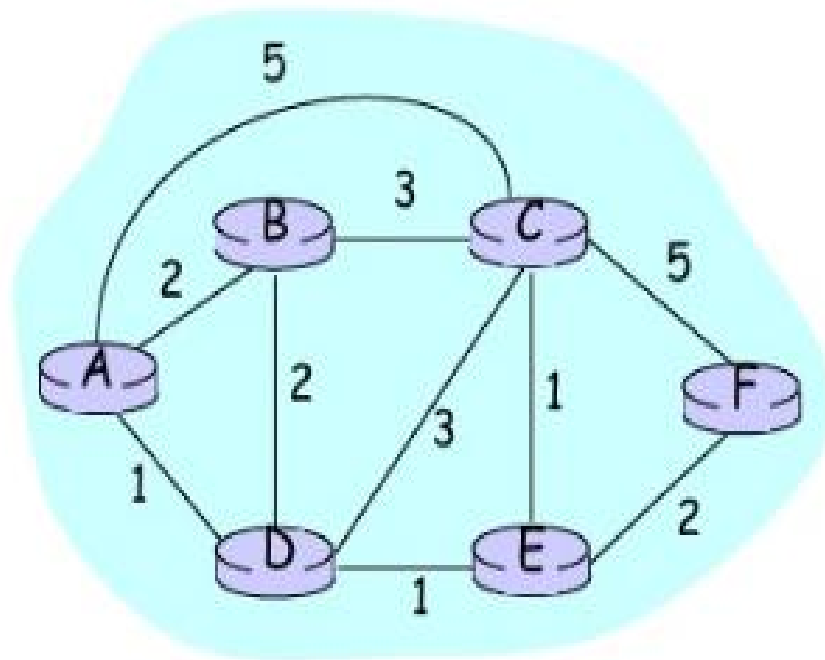
Link State vs Distance Vector

- Both assume that
 - The address of each neighbor is known
 - The **cost** of reaching each neighbor is known
- Both find **global** information
 - By exchanging routing info among neighbors
- Differ in the information exchanged and route computation
 - LS: tells **every** other node its **distances** to **neighbors**
 - DV: tells **neighbors** its **distance** to **every** other node

Link State Algorithm

- Basic idea: Distribute link state packet to all routers
 - Topology of the network
 - Cost of each link in the network
- Each router **independently** computes **optimal** paths
 - From itself to every destination
 - Routes are guaranteed to be **loop free** if
 - Each router sees the same cost for each link
 - Uses the same algorithm to compute the best path

Topology Database: Example



$c(x,y)$	A	B	C	D	E	F
A	0	2	5	1	∞	∞
B	2	0	3	2	∞	∞
C	5	3	0	3	1	5
D	1	2	3	0	1	∞
E	∞	∞	1	1	0	2
F	∞	∞	5	∞	2	0

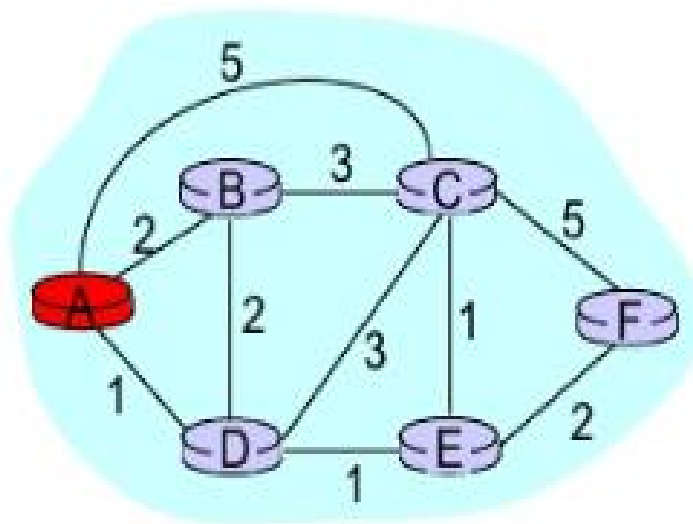
link state database

Algorithm (at Node X)

- Initialization
 - $N = \{X\}$
 - For all nodes V
 - If V adjacent to X , $D(V) = C(X, V)$ else $D(V) = \infty$
- Loop
 - Find U not in N such that $D(U)$ is the smallest
 - Add U into set N
 - Update $D(V)$ for all V not in N
 - $D(V) = \min\{D(V), D(U) + C(U, V)\}$
 - Until all nodes in N

Example: Dijkstra's Algorithm

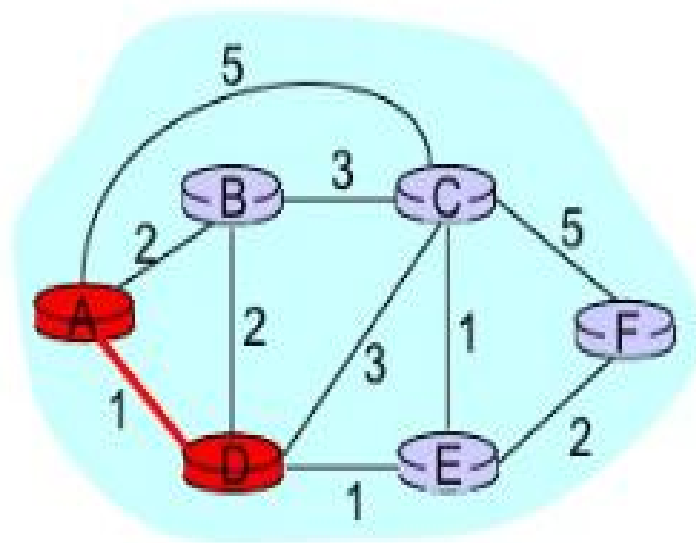
Step	start N	D(B),p(B)	D(C),p(C)	D(D),p(D)	D(E),p(E)	D(F),p(F)
→ 0	A	2,A	5,A	1,A	∞	∞
1						
2						
3						
4						
5						



1 Initialization:

- 2 $N = \{A\};$
- 3 for all nodes v
- 4 if v adjacent to A
- 5 then $D(v) = c(A,v);$
- 6 else $D(v) = \infty;$
- ...

Step	start N	D(B),p(B)	D(C),p(C)	D(D),p(D)	D(E),p(E)	D(F),p(F)
0	A	2,A	5,A	1,A	∞	∞
→ 1	AD		4,D		2,D	∞
2						
3						
4						
5						

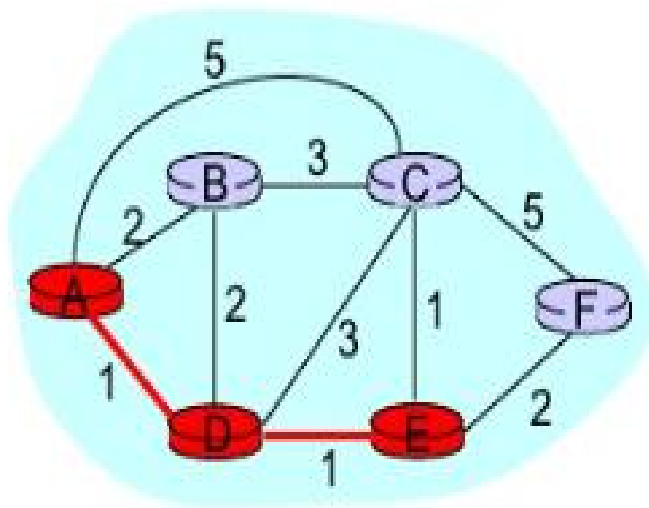


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...
8  Loop
9  find w not in N s.t. D(w) is a minimum;
10 add w to N;
11 update D(v) for all v adjacent
    to w and not in N:
12     D(v) = min( D(v), D(w) + c(w,v) );
13 until all nodes in N;

```

Step	start N	D(B),p(B)	D(C),p(C)	D(D),p(D)	D(E),p(E)	D(F),p(F)
0	A	2,A	5,A	1,A	∞	∞
1	AD		4,D		2,D	∞
→ 2	ADE		3,E			4,E
3						
4						
5						

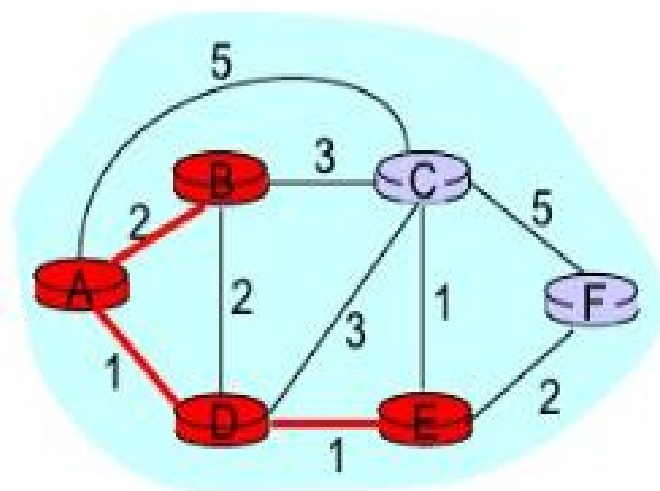


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    to w and not in N:
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13  until all nodes in N;

```

Step	start N	D(B),p(B)	D(C),p(C)	D(D),p(D)	D(E),p(E)	D(F),p(F)
0	A	2,A	5,A	1,A	∞	∞
1	AD		4,D		2,D	∞
2	ADE		3,E			4,E
→ 3	ADEB					
4						
5						

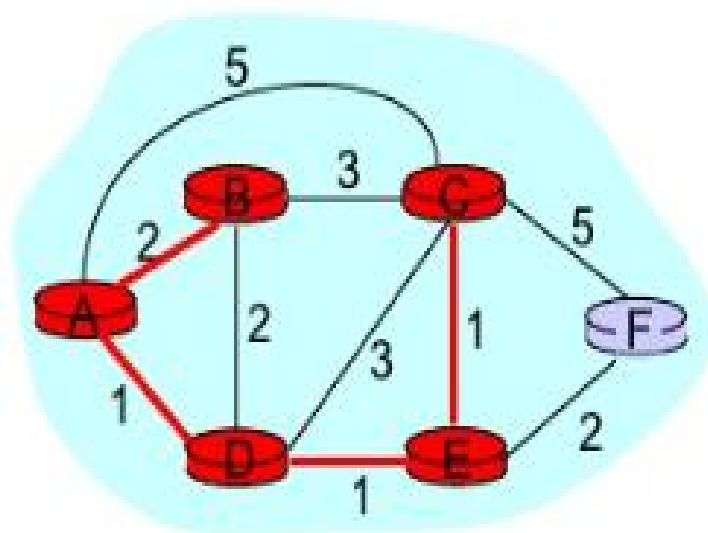


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12       $D(v) = \min( D(v), D(w) + c(w,v) );$ 
13  until all nodes in N;

```

Step	start N	D(B),p(B)	D(C),p(C)	D(D),p(D)	D(E),p(E)	D(F),p(F)
0	A	2,A	5,A	1,A	∞	∞
1	AD		4,D		2,D	∞
2	ADE		3,E			4,E
3	ADEB					
→ 4	ADEBC					
5						

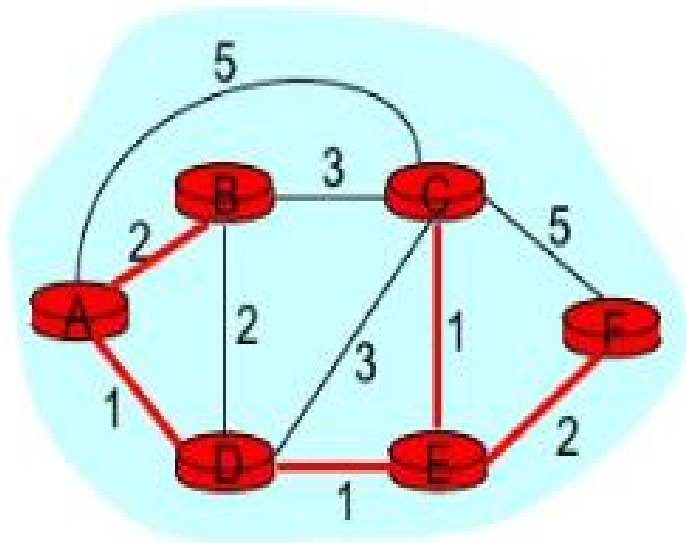


```

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8  Loop
9   find w not in N s.t. D(w) is a minimum;
10  add w to N;
11  update D(v) for all v adjacent
    to w and not in N:
12      D(v) = min( D(v), D(w) + c(w,v) );
13  until all nodes in N;

```

Step	start N	D(B),p(B)	D(C),p(C)	D(D),p(D)	D(E),p(E)	D(F),p(F)
0	A	2,A	5,A	1,A	∞	∞
1	AD		4,D		2,D	∞
2	ADE		3,E			4,E
3	ADEB					
4	ADEBC					
→ 5	ADEBCF					



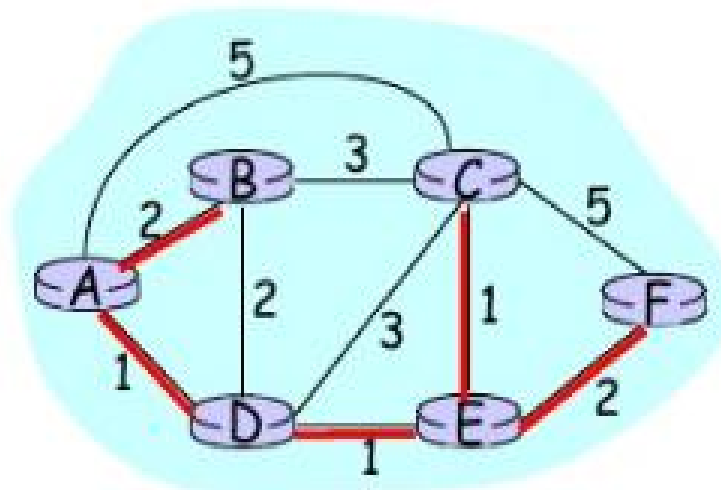
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8  Loop
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13  until all nodes in N;

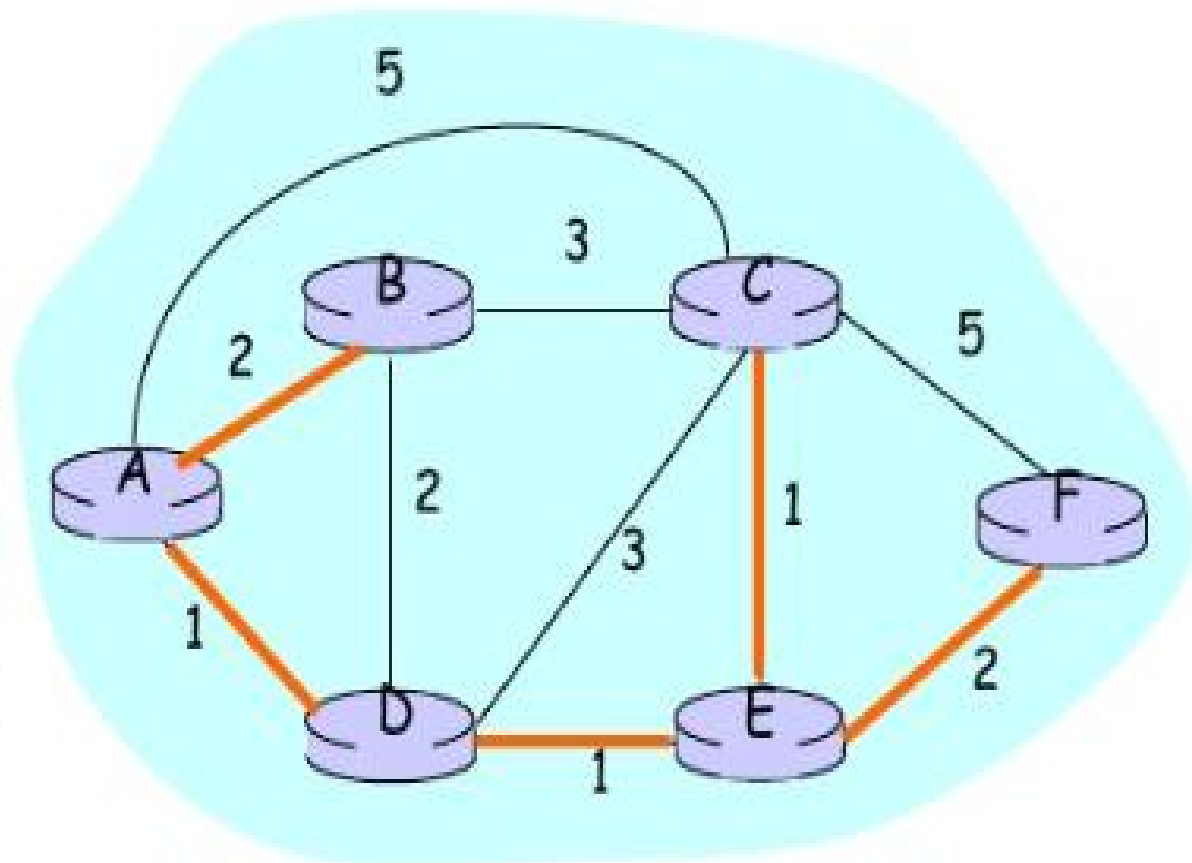
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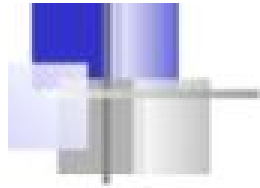
Dijkstra's Algorithm: In a Nutshell

Step	start N	D(B),p(B)	D(C),p(C)	D(D),p(D)	D(E),p(E)	D(F),p(F)
→ 0	A	2,A	5,A	1,A	infinity	infinity
→ 1	AD	2,A	4,D		2,D	infinity
→ 2	ADE	2,A	3,E			4,E
→ 3	ADEB		3,E			4,E
→ 4	ADEBC					4,E
5	ADEBCF					



dest	next
B	B
C	D
D	D
E	D
F	D





Distance Vector Routing

- a) The least-cost route between any two nodes is the route with **minimum distance**.
- b) Each node maintains a vector(table) of **minimum distances** to every node.
- c) The table at **each node also guides the packets** to the desired node by showing the showing the next hop routing.

Example:

Assume each **node as the cities**.

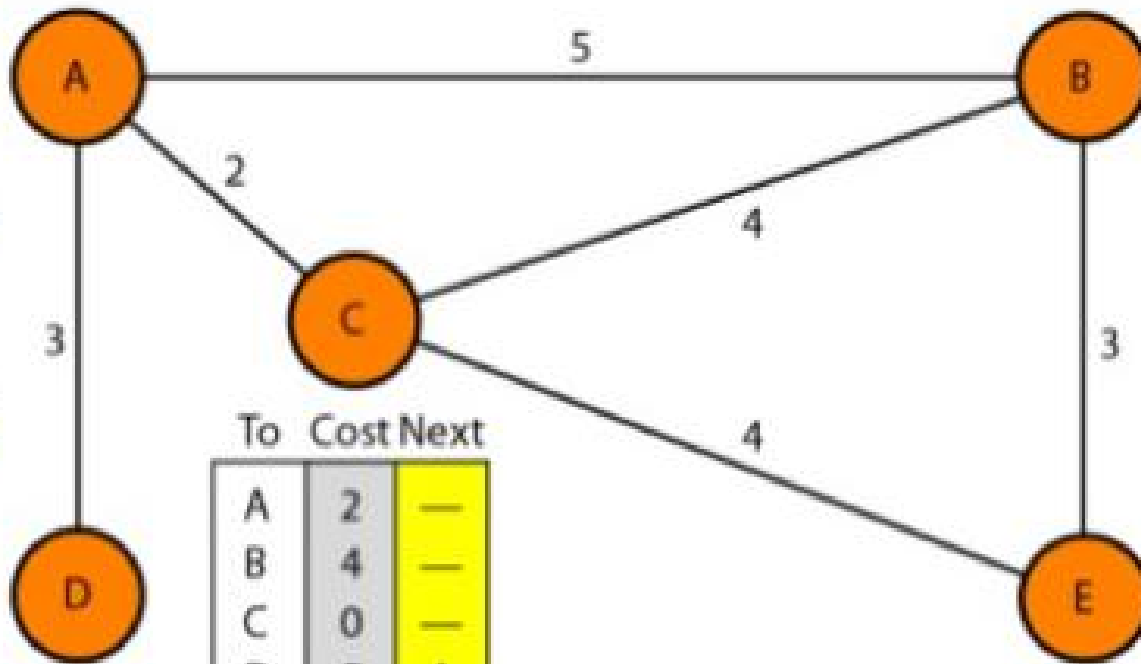
Lines as the roads connecting them.



Final Distance vector routing tables

To	Cost	Next
A	0	—
B	5	—
C	2	—
D	3	—
E	6	C

A's table



To	Cost	Next
A	5	—
B	0	—
C	4	—
D	8	A
E	3	—

B's table

To	Cost	Next
A	3	—
B	8	A
C	5	A
D	0	—
E	9	A

D's table

To	Cost	Next
A	2	—
B	4	—
C	0	—
D	5	A
E	4	—

C's table

To	Cost	Next
A	6	C
B	3	—
C	4	—
D	9	C
E	0	—

E's table