Join

- Can be defined as cross-product followed by selection and projection.
- We have several variants of join.
 - Condition joins
 - Equijoin
 - Natural join

Condition Join

$$R \bowtie_{\mathcal{C}} S = \sigma_{\mathcal{C}} (R \times S)$$

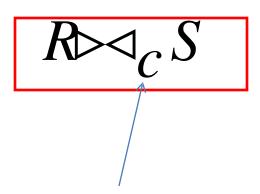
Example: $S1 \triangleright \triangleleft S1.sid < R1.sid$

(sid)	sname	rating	age	(sid)	bid	day
22	dustin	7	45.0	22	101	10/10/96
22	dustin	7	45.0	58	103	11/12/96
31	lubber	8	55.5	22	101	10/10/96
31	lubber	8	55.5	58	103	11/12/96
58	rusty	10	35.0	22	101	10/10/96
58	rusty	10	35.0	58	103	11/12/96

(sid)	sname	rating	age	(sid)	bid	day
22	dustin	7	45.0	58	103	11/12/96
31	lubber	8	55.5	58	103	11/12/96



Equijoin



- Condition consists only of equalities connected by A
- Redundancy in retaining both attributes in result
- •So, an additional projection is applied to remove the second attribute.

Equijoin

Example:

$$S1 > \triangleleft_{R.sid = S.id} R1$$

(sid)	sname	rating	age	(sid)	bid	day
22	dustin	7	45.0	22	101	10/10/96
22	dustin	7	45.0	58	103	11/12/96
31	lubber	8	55.5	22	101	10/10/96
31	lubber	8	55.5	58	103	11/12/96
58	rusty	10	35.0	22	101	10/10/96
58	rusty	10	35.0	58	103	11/12/96

sid	sname	rating	age	bid	day
22	dustin	7	45.0	101	10/10/96
58	rusty	10	35.0	103	11/12/96



Natural Join

- It is an equijoin in which equalities are specified on all fields having the same name in R and S
- We can then omit the join condition.
- Result is guaranteed not to have two fields with the same name.
- If no fields in common, then natural join is simply cross product.

The equijoin expression $S1 \bowtie_{R.sid=S.sid} R1$ is actually a natural join and can simply be denoted as $S1 \bowtie R1$, since the only common field is sid. If the two relations have no attributes in common, $S1 \bowtie R1$ is simply the cross-product.