



INTRODUCTION TO THREE PHASE SYSTEM

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Learning Outcomes:

After the ending of the lesson, students will be able to know,

- About **Single phase**, **Two phase** and **polyphase system**.
- The difference between **single phase**, **two phase** and **three phase systems**
- The **characteristics** of three phase system
- The **advantages** of **three phase system** over **single phase system**
- About **balance** and **unbalance system**
- About the procedure of determining **phase sequences** of a system

Single Phase Vs Two Phase

Single Phase System

- ❑ System has only one phase angle
- ❑ The magnitude of the sources are same or different
- ❑ The phase difference between each sources are zero

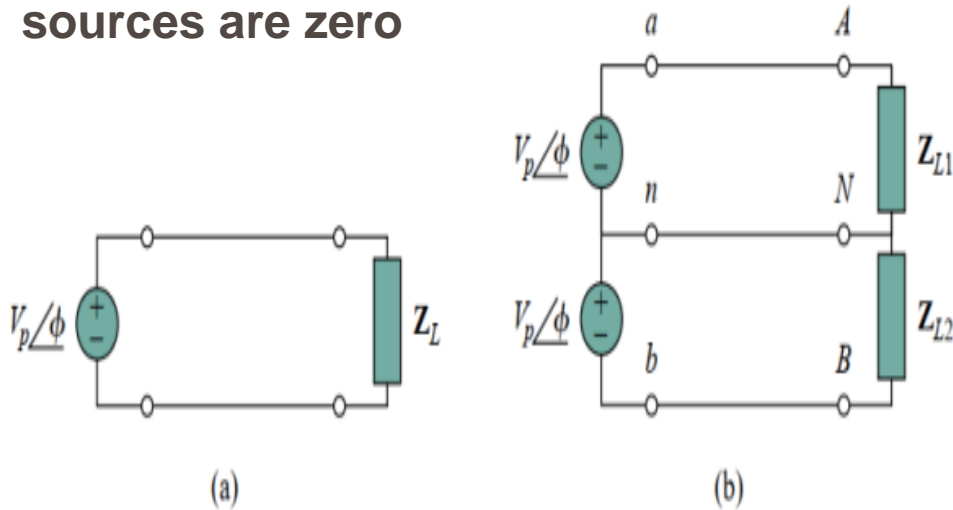


Fig. 1. Single-phase systems: (a) two-wire type, (b) three-wire type

Two Phase System

- System has two phase angles
- The magnitude of the sources are same or different
- The phase difference between each sources are 90 degrees

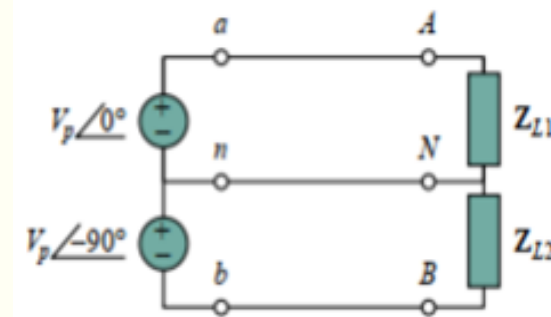


Fig. 2. Two-phase systems three-wire type

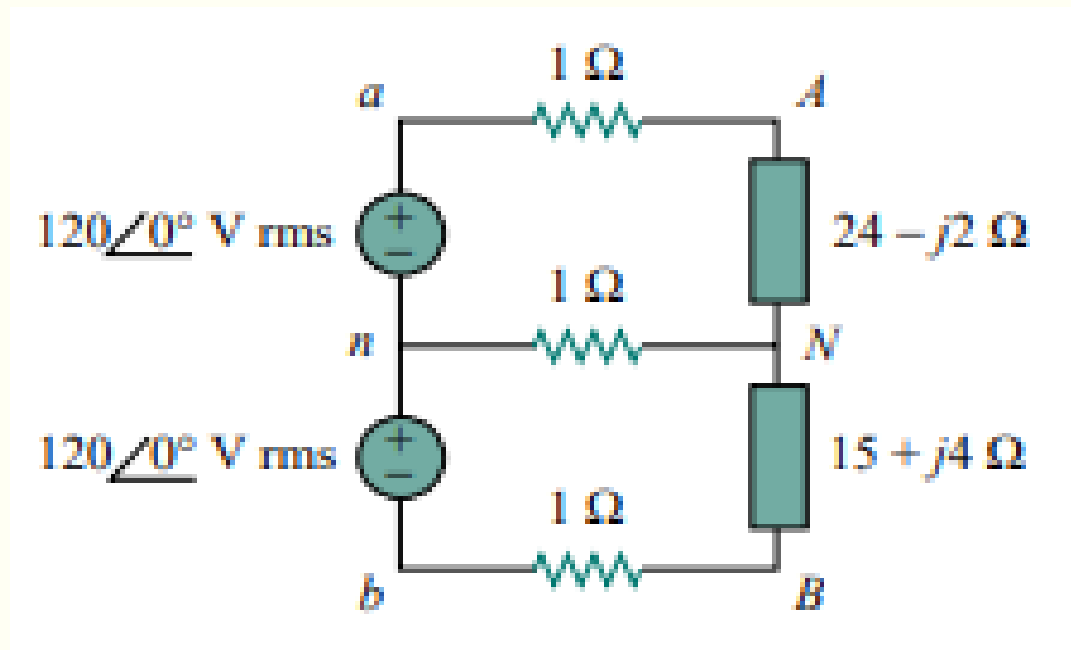


QUESTION SESSION_1

Only for Three Students

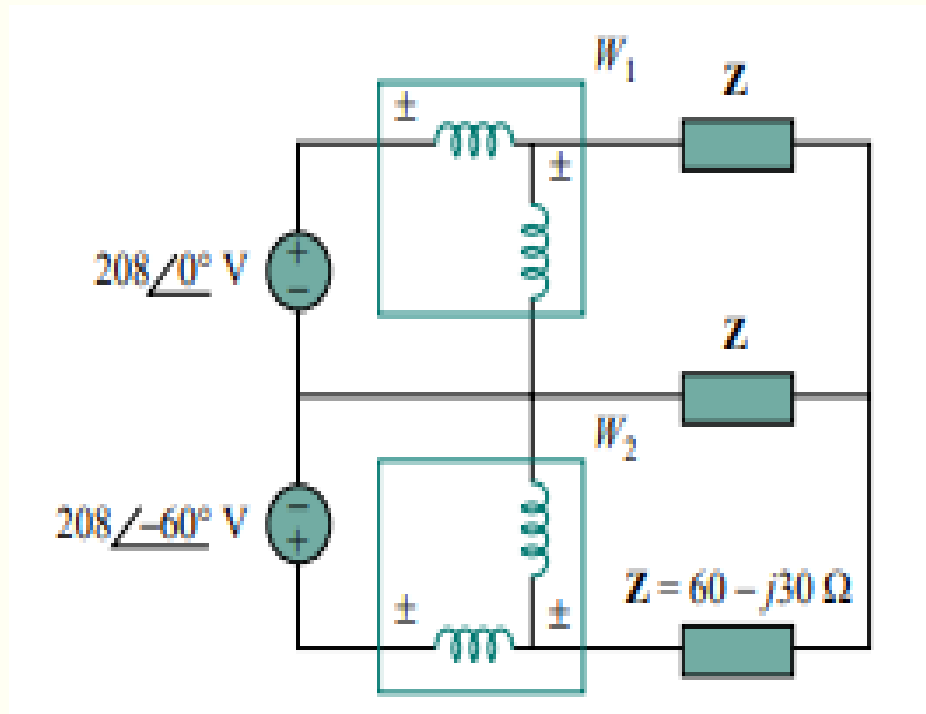
Question Session

Which kind of system has shown in the following figure?



Question Session

Which kind of system has shown in the following figure?



Three Phase System

- It has **same or different amplitude** but **same frequency**
- out of phase with each other by **120°**

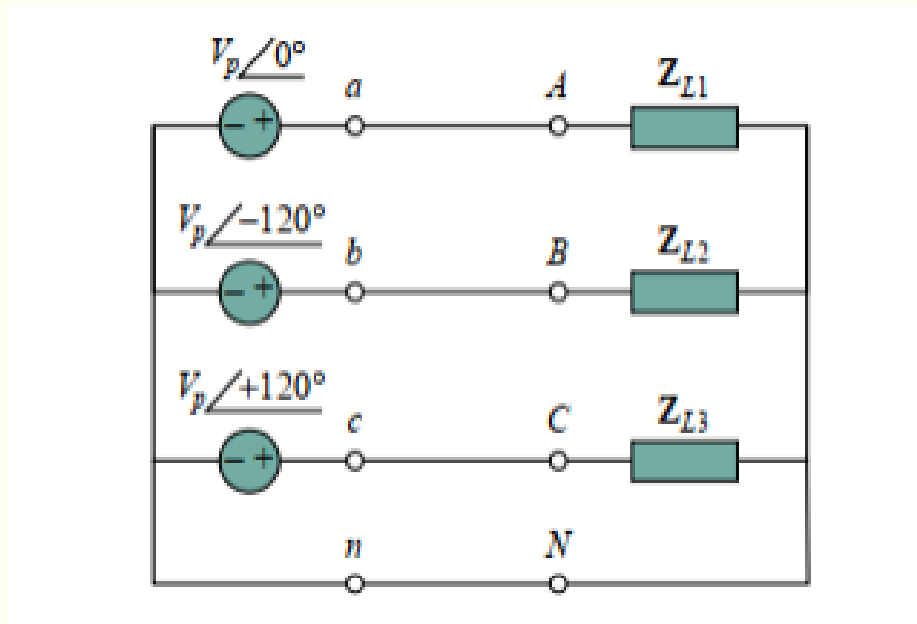
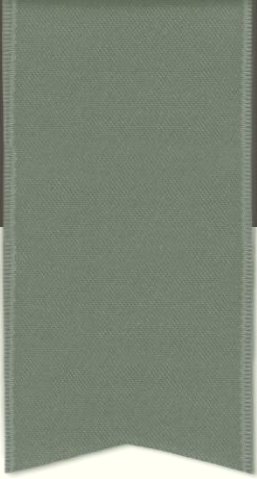
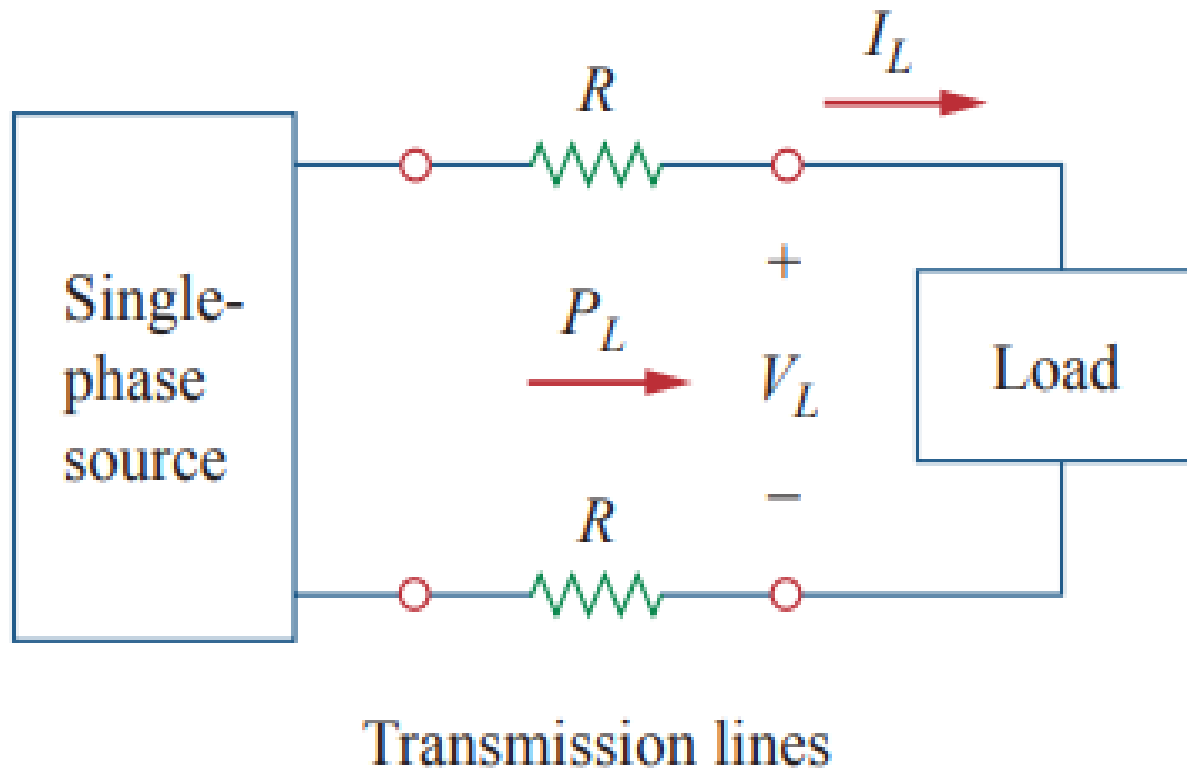


Fig. 3 Three phase four wire system



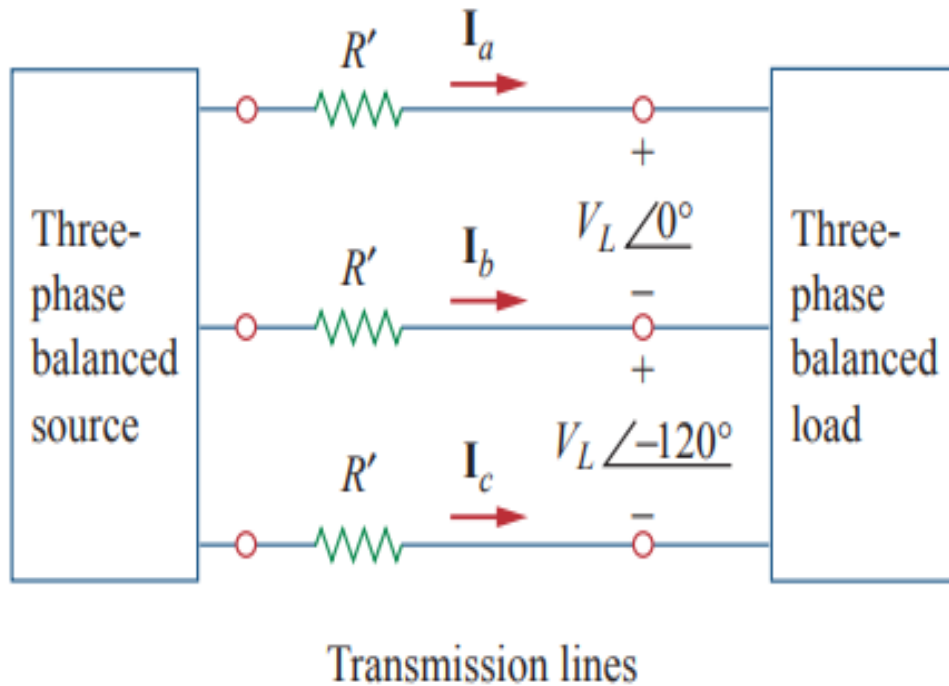
Why 3 phase system instead of single phase?

Let's look into a 2-wire single phase system



$$P_{\text{loss}} = 2I_L^2 R = 2R \frac{P_L^2}{V_L^2}$$

For a three phase system with:
Same power delivered and same line voltage



$$P'_{\text{loss}} = 3(I'_L)^2 R' = 3R' \frac{P_L^2}{3V_L^2} = R' \frac{P_L^2}{V_L^2}$$

$$\frac{P_{\text{loss}}}{P'_{\text{loss}}} = \frac{2R}{R'}$$

$$R = \rho \ell / \pi r^2 \text{ and } R' = \rho \ell / \pi r'^2,$$

$$\frac{P_{\text{loss}}}{P'_{\text{loss}}} = \frac{2r'^2}{r^2}$$

If same power is tolerated in both systems,

$$r^2 = 2r'^2$$

$$\begin{aligned}\frac{\text{Material for single-phase}}{\text{Material for three-phase}} &= \frac{2(\pi r^2 \ell)}{3(\pi r'^2 \ell)} = \frac{2r^2}{3r'^2} \\ &= \frac{2}{3}(2) = 1.333\end{aligned}$$

Conclusion

- Single phase systems use **33% more material** than a 3-phase system to deliver the same power
- So, considerably less material is required to deliver power with a three-phase system than is required for a single phase system

Advantages of Three Phase System

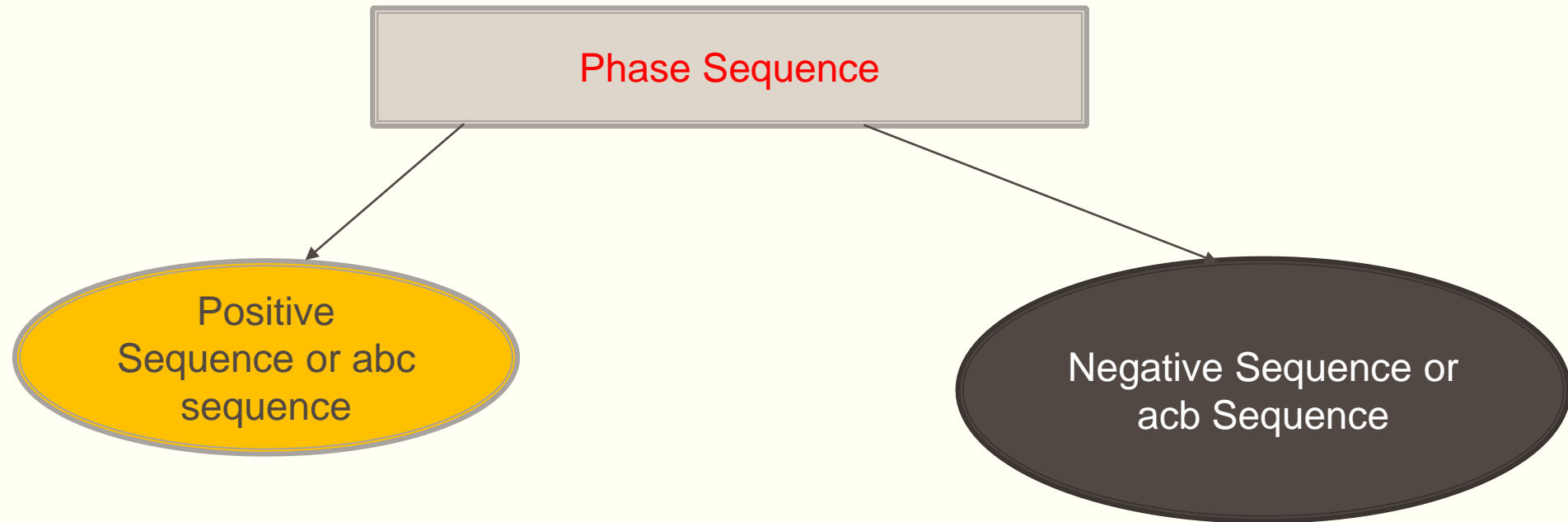
- First, **nearly all electric power is generated and distributed in three-phase**, at the operating frequency of 60 Hz (or $\omega = 377$ rad/s) in the United States or 50 Hz (or $\omega = 314$ rad/s) in some other parts of the world.
- When one phase or two-phase inputs are required, they are taken from the three phase system rather than generated independently.
- The **instantaneous power** in a three-phase system can be **constant** (not pulsating). This results in uniform power transmission and less vibration of three-phase machines.
- for the same amount of power, the three-phase system is **more economical** than the single-phase. Amount of wire required for a three-phase system is less than that required for an equivalent single-phase system.

Assignment 1

Compare the advantages and disadvantages of three phase and polyphase systems



Phase Sequence Calculation



Mathematical Expression for Positive Sequence

$$V_{an} = V_p \angle 0^\circ$$

$$V_{bn} = V_p \angle -120^\circ$$

$$V_{cn} = V_p \angle -240^\circ = V_p \angle +120^\circ$$

where V_p is the effective or rms value

Mathematical Expression for Negative Sequence

$$V_{an} = V_p \angle 0^\circ$$

$$V_{cn} = V_p \angle -120^\circ$$

$$V_{bn} = V_p \angle -240^\circ = V_p \angle +120^\circ$$

where V_p is the effective or rms value

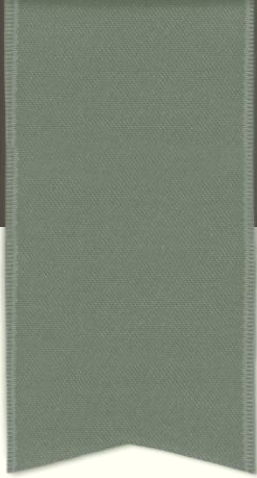
Procedure for determining Phase Sequence

Step 1

We have to draw the vector diagram at first

Step 2

First we have to take Van as reference then rotate in clockwise direction to find the phase sequence



MATHEMATICAL PROBLEM

Problem 1

Given that $V_{bn} = 110 \angle 30^\circ$, find V_{an} and V_{cn} , assuming a positive (*abc*) sequence.

Answer: $110 \angle 150^\circ$, $110 \angle -90^\circ$.

What is the phase sequence of a balanced three-phase circuit for which $V_{an} = 160 \angle 30^\circ$ V and $V_{cn} = 160 \angle -90^\circ$ V? Find V_{bn} .



Determine the phase sequence of the set of voltages

$$v_{an} = 200 \cos(\omega t + 10^\circ)$$

$$v_{bn} = 200 \cos(\omega t - 230^\circ), \quad v_{cn} = 200 \cos(\omega t - 110^\circ)$$

Problem_2

Determine the phase sequence of a balanced three-phase circuit in which $\mathbf{V}_{bn} = 208 \angle 130^\circ \text{ V}$ and $\mathbf{V}_{cn} = 208 \angle 10^\circ \text{ V}$. Obtain \mathbf{V}_{an} .





QUESTION SESSION_2

Only for Two Students

MCQ questions

What is the phase sequence of a three-phase motor for which $\mathbf{V}_{AN} = 220 \angle -100^\circ$ V and $\mathbf{V}_{BN} = 220 \angle 140^\circ$ V?

(a) *abc*

(b) *acb*

If in an *acb* phase sequence, $\mathbf{V}_{an} = 100 \angle -20^\circ$, then \mathbf{V}_{cn} is:

(a) $100 \angle -140^\circ$

(b) $100 \angle 100^\circ$

(c) $100 \angle -50^\circ$

(d) $100 \angle 10^\circ$



READY FOR GROUP STUDY

If it is possible, please turn on your camera