

## Lab 2

This lab is an exercise of `auto` and `decltype`. In this lab, **all declarations of all variables including function parameters and return type must be declared by `auto` or `decltype`**. This lab has three parts as follows:

1. Declare three global variables (`gA`, `gB`, and `gC`) by `auto` or `decltype` to store the **maximum** values of `int`, `unsigned int`, and `unsigned long long` respectively. And `cout` them.

2. Write a function named **`isPrime`** that can check whether a 64-bit unsigned integer, **`n`**, is a prime or not. The speed of `isPrime` must be limited to equal or less than  $n^{0.5}$ .

[Hint]

If  $n = ab$ , and  $a \leq b$ , where  $n$ ,  $a$ , and  $b$  are integers. Assuming that  $a^2 > n$ , then  $n = ab \geq a^2 > n$  causes contrary. Therefore,  $a^2 \leq n$ .

3. Given an integer  $n = 10^k x_k + 10^{k-1} x_{k-1} + \dots + 10^0 x_0$ , please implement the following equation:

$$\text{digitSum}(n) = x_k^{x_k} + x_{k-1}^{x_{k-1}} + \dots + x_0^{x_0} ,$$

where  $0^0 = 1$ .

For `gA`, `gB`, and `gC` declared in Part 1, you should design three functions with different parameter types to implement `digitSum(n)`. That means you are requested to design three versions of `digitSum(n)` that can deal with `gA`, `gB`, and `gC`, respectively. Finally, using `isPrime` to check whether `digitSum(gA)`, `digitSum(gB)`, and `digitSum(gC)` are primes.