

TASK 1:-

SIMPLE LINEAR REGRESSION

Steps / Procedures

- IMPORT LIBRARIES
- UPLOAD DATA FILES(CSV) FROM THE LOCAL DRIVE IN GOOGLE COLLAB
- READ AND PRINT CSV FILE
- FIND MEAN OF THE RAINFALL AND YIELD FROM THE GIVEN DATASETS
- USE THE FORMULA OF LEAST SQUARE METHOD TO FIND M AND C

$$m = \frac{\sum_{i=1}^n (x_i - \bar{x})(y_i - \bar{y})}{\sum_{i=1}^n (x_i - \bar{x})^2}$$

$$c = \bar{y} - m\bar{x}$$

- PLOT THE VALUES AND REGRESSION LINE
- THE GIVEN FIGURE Fig1 IS OBTAINED FROM THE COLLAB PROGRAMMING CODE

```
[49887.87816724 30996.27816724 29358.27816724 50927.87816724  
27143.07816724 53897.07816724 50579.47816724 37262.27816724  
37106.27816724 44968.67816724 30044.67816724 31563.07816724  
40652.67816724 43918.27816724 28500.27816724 26737.47816724  
26134.27816724 25614.27816724 33606.67816724 32842.27816724  
59726.27816724 29124.27816724 44386.27816724 29098.27816724  
37626.27816724 34922.27816724 44131.47816724 46783.47816724  
47038.27816724 35598.27816724 31230.27816724 44438.27816724  
21766.27816724 35702.27816724 26498.27816724 31750.27816724  
27954.27816724 27694.27816724 41786.27816724 25146.27816724  
43606.27816724 33362.27816724 41994.27816724 44178.27816724  
32883.87816724 32634.27816724 27278.27816724 26966.27816724  
28474.27816724 28110.27816724 42358.27816724 43190.27816724]
```

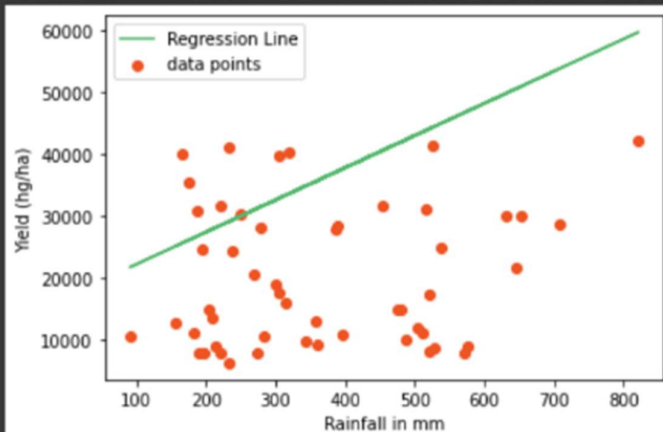


FIG1:- DATA AND LINE OF REGRESSION

- USE THE EQN $Y = MX + C$ TO FIND THE PREDICTED CROP YIELD IN YEAR 2022 IN JODHPUR BY THE GIVEN DATA SET RAINFALL 560 MM

crop yield in year 2022 is 46154.27816724092 hg/ha

- USE THE FORMULA TO FIND MSE AND MAE

$$MSE = \frac{1}{n} \sum_{i=1}^n (Y_i - \hat{Y}_i)^2$$

$$MAE = \frac{1}{n} \sum_{i=1}^n |Y_i - \hat{Y}_i|$$

MSE= 424444227.7396561

- MAE= 35770.69739801019

- REFERENCES:-

<https://dphi.tech/blog/tutorial-on-linear-regression-using-least-squares/>

<https://www.youtube.com/watch?v=lzGKRSvs5HM>

TASK 2:-

MULTI VARIANT REGRESSION

STEPS / PROCEDURES

- IMPORT LIBRARIES
- READ THE DATA SET WITH THE HELP OF A PANDA OBJECT
- IDENTIFY DEPENDENT VARIABLES AND INDEPENDENT VARIABLES (THE PRICE OF THE CAR)
- DATA CLEANING INCLUDES REPLACING '?' MISSING DATA AND OUTLIERS

index	symboling	normalized-losses	make	fuel-type	aspiration	num-of-doors	body-style	drive-wheels	engine-location	wheel-base	length	width	height	curb-weight	eng
0	3	?	alfa-romero	gas	std	two	convertible	rwd	front	88.6	168.8	64.1	48.8	2548	doh
1	3	?	alfa-romero	gas	std	two	convertible	rwd	front	88.6	168.8	64.1	48.8	2548	doh
2	1	?	alfa-romero	gas	std	two	hatchback	rwd	front	94.5	171.2	65.5	52.4	2823	ohc
3	2	164	audi	gas	std	four	sedan	fwd	front	99.8	176.6	66.2	54.3	2337	ohc
4	2	164	audi	gas	std	four	sedan	4wd	front	99.4	176.6	66.4	54.3	2824	ohc

- DIVIDING THE DATA INTO TRAIN AND TEST DATA
- MAKING FEATURE MATRIX AND THETA MATRIX
- MAKING COST FUNCTION (NOTE:- GOAL IS TO MAXIMIZATION OF THE COST FUNCTION)

- MAKING GRADIENT DESCENT FUNCTION
- MAXIMIZING THE COST FUNCTION

ing	normalized- losses	make	fuel- type	aspiration	num- of- doors	body- style	drive- wheels	engine- location	wheel- base	...	engine- size	fuel- system	bore	stroke	compression- ratio	horsepower	peak- rpm	ci
3	103	2	0	1	1	0	1	1	88.6	...	130	0	17	28	9.0	25	4	
3	103	2	0	1	1	0	1	1	88.6	...	130	0	17	28	9.0	25	4	
1	103	2	0	1	1	2	1	1	94.5	...	152	0	26	19	9.0	36	4	
2	164	9	0	1	2	4	0	1	99.8	...	109	0	20	3	10.0	11	10	
2	164	9	0	1	2	4	2	1	99.4	...	136	0	20	3	8.0	7	10	
...
-1	95	13	0	1	2	4	1	1	109.1	...	141	0	29	20	9.5	4	20	
-1	95	13	0	0	2	4	1	1	109.1	...	141	0	29	20	8.7	56	2	
-1	95	13	0	1	2	4	1	1	109.1	...	173	0	30	27	8.8	43	10	
-1	95	13	1	0	2	4	1	1	109.1	...	145	1	38	3	23.0	58	12	
-1	95	13	0	0	2	4	1	1	109.1	...	141	0	29	20	9.5	4	20	

FIG2. CLEANED DATA

```
[58] (164, 23)
Final value of theta =
[4.0521238589705455e+133 4.417103769436437e+132 3.210798282435659e+133
 6.310393508102201e+133 1.2047377266709173e+134 2.153540803111886e+133
 3.998608272259483e+133 4.0451080586482074e+135 7.142656173300054e+135
 2.6864452588086375e+135 2.1826405509252533e+135 1.0827495801242705e+137
 1.5838663854536586e+134 4.032918713291077e+133 5.395378261128599e+135
 7.105373811350715e+133 7.79044473005342e+134 6.748308251701769e+134
 4.163794747427944e+134 1.1393579903726368e+135 3.886208607845247e+134
 9.813257537061921e+134 1.2010808292857039e+135]
First 5 values from cost_history = [5.32700289e+14 6.38364302e+25 7.64987350e+36 9.16726772e+47
1.09856454e+59]
Last 5 values from cost_history = [1.98699214e+236 2.38112290e+247 2.85343164e+258 3.41942540e+269
4.09768711e+280]

[59] y_pred = X_test.dot(thetax[1:])
y_pred += thetax[0]
# sum((y_test-y_pred)**2)/(2*m)
# sum((y_pred-np.mean(y_train))**2)/sum((y_train-np.mean(y_train))**2)
sum((y_pred-np.mean(train_df['price']))**2)/sum((train_df['price']-np.mean(train_df['price']))**2)

6.789112675931917e+276
```

FIG2. FINAL VALUE OF THETA.

REFERENCE:-

https://sathishgunjal.com/machine_learning/

KRISH NAYAK NOTES

TASK3:-

POLYNOMIAL REGRESSION STEPS

/ PROCEDURES

- IMPORT LIBRARIES
- READ THE DATA SET WITH THE HELP OF A PANDA OBJECT
- DRAW THE LINEAR REGRESSION MODEL 1 FOR THE GIVEN DATASET
- LINEAR REGRESSION MODEL ALGO IS SAME AS IN TASK1

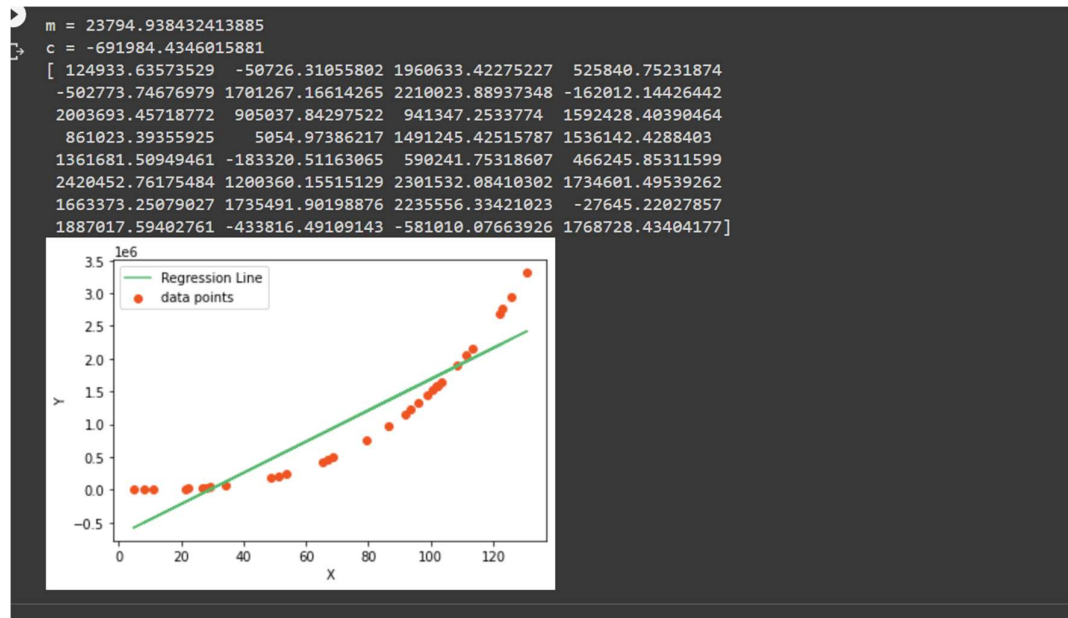


FIG1: Linear Regression Model

- MADE POLYNOMIAL REGRESSION MODEL 2 OF DEGREE 2

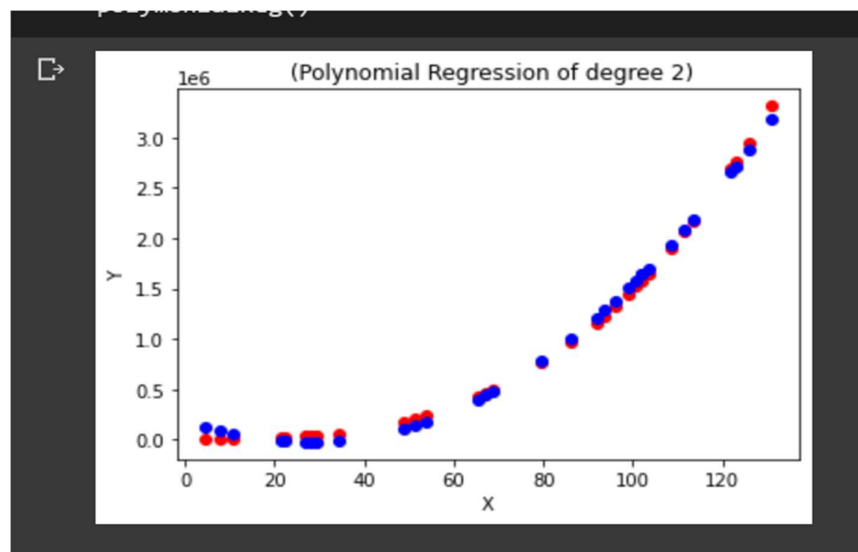


Fig2:- Polynomial Regression (Degree 2) []

- MAKED POLYNOMIAL REGRESSION MODEL 2 OF DEGREE 3

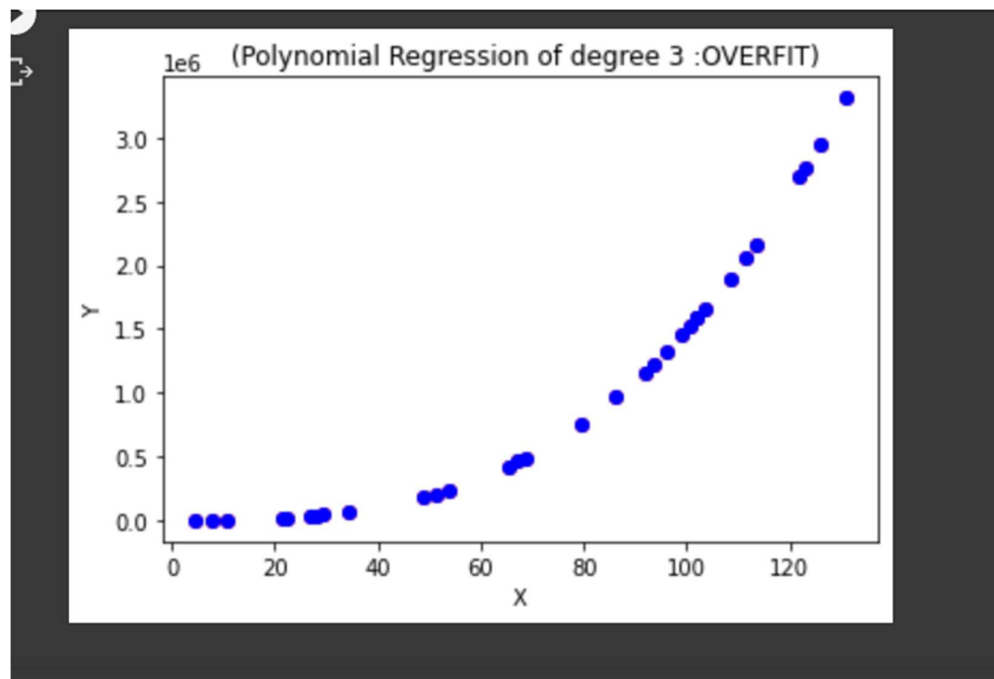


Fig3:-Polynomial Regression Model 3 [OVERFITTING]

HENCE, WE HAVE SEEN FROM THE GRAPH THAT: -

- 1) IN LINEAR REGRESSION, DATASET IS CUTTING AT ONLY 2 POINTS, SO ERROR RATE IS VERY HIGH. SO THE MODEL CANT BE USED FOR PREDICTION
- 2) IN POLYNOMIAL REGRESSION OF DEGREE 2, ERROR RATE IS NOMINAL, AND PREDICTION WILL BE GOOD AS MAX. POINTS ARE OVERLAPPING. AND THE MODEL LOOKS GOOD
- 3) IN POLYNOMIAL REGRESSION OF DEGREE=3, CONDITION OF OVERFITTING IS CLEARLY VISIBLE AS THERE IS NO RED DOTS VISIBLE WHICH IS ACTUAL DATA SET. HENCE POLYNOMIAL REGRESSION OF DEGREE 2 IS BEST FOR MODEL.

Reference:-

- Ref 1:- <https://www.javatpoint.com/machine-learning-polynomial-regression>
- Ref 2:- <https://www.analyticsvidhya.com/blog/2021/07/all-you-need-to-know-about-polynomial-regression/#:~:text=Polynomial%20Regression%20is%20a%20form%20of%20Linear%20regression%20known%20as,also%20badly%20affect%20the%20performance.>

Task5:-

POLYNOMIAL REGRESSION

STEPS / PROCEDURES

5.1.PLOTTING SIGMOID FUNCTIONS

- IMPORT LIBRARIES IN THE PYTHON
- PLOTTING SIGMOID FUNCTION IN RANGE(-10,+10)

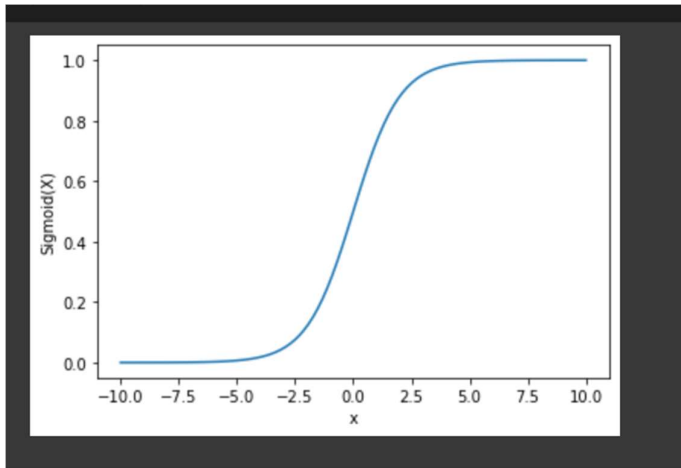


Fig1:- Sigmoid Function

5.2. EXPERIMENT 1:- TO CLASSIFY FROM THE GIVEN GLASS MATERIAL WHETHER IT'S A WINDOW SET OR A NON WINDOW SET USING MAX MIN NORMALISATION

- IMPORT LIBRARIES
- UPLOAD DATA FORMAT FROM LOCAL DRIVE
- CHANGE IT INTO CSV FILE USING PYTHON ALGO

```
✓ glass.data(n/a) - 12117 Bytes, last modified: 10/03/2022 - 100% done
Saving glass.data to glass (2).data
1 1.52101 13.64 4.49 1.10 71.78 0.06 8.75 0.00 0.00 1.1
0 2 1.51761 13.89 3.60 1.36 72.73 0.48 7.83 0.00 0.00 1
1 3 1.51618 13.53 3.55 1.54 72.99 0.39 7.78 0.00 0.00 1
2 4 1.51766 13.21 3.69 1.29 72.61 0.57 8.22 0.00 0.00 1
3 5 1.51742 13.27 3.62 1.24 73.08 0.55 8.07 0.00 0.00 1
4 6 1.51596 12.79 3.61 1.62 72.97 0.64 8.07 0.00 0.26 1
.. ... ..
208 210 1.51623 14.14 0.00 2.88 72.61 0.08 9.18 1.06 0.00 7
209 211 1.51685 14.92 0.00 1.99 73.06 0.00 8.40 1.59 0.00 7
210 212 1.52065 14.36 0.00 2.02 73.42 0.00 8.44 1.64 0.00 7
211 213 1.51651 14.38 0.00 1.94 73.61 0.00 8.48 1.57 0.00 7
212 214 1.51711 14.23 0.00 2.08 73.36 0.00 8.62 1.67 0.00 7

[213 rows x 11 columns]
```

Fig2: uploaded data of Glass

- USE ATTRIBUTES TO THE GIVEN DATA SET
- USE MAX MIN ALGORITHM

- NORMALIZE THE DATA

```
the data after applying min-max normalization
[[0.          0.43283582 0.43759398 ... 0.          0.          1.          ]
 [0.00469484 0.28358209 0.47518797 ... 0.          0.          1.          ]
 [0.00938967 0.22080773 0.42105263 ... 0.          0.          1.          ]
 ...
 [0.99061033 0.41703248 0.54586466 ... 0.52063492 0.          0.          ]
 [0.99530516 0.23529412 0.54887218 ... 0.4984127  0.          0.          ]
 [1.          0.26163301 0.52631579 ... 0.53015873 0.          0.          ]]
```

Fig3:-Normalised Data

- CLASSIFIED WINDOW VALUE IN THE FORM OF 0 AND 1

[illegible]

Fig4:- Window Value in 0,1

5.3. SPLITTING THE DATA INTO TEST AND TRAINING DATA . & APPLYING LOGISTIC REGRESSION USING GRAD ND DESC METHOD

- SPLITTING THE DATA INTO THE RATIO 60:40
- FINDING COST FUNCTION
- USE GRADIENT DESCIENT METHOD
- TRAIN THE MODEL USING CALLING SIGMOID FUNCTION, PREDICT FUCTION, LOGLOSS FUNCTION
- THE TRAINED MODEL IS THEN RUN TO GIVE THE OUTPUT, AND THE ERROR AS BELOW: -

```
[5.54886290e-03 4.87269313e-03 5.47445272e-03 1.09659387e-02  
4.52141783e-03 7.37415287e-03 1.11275879e-03 4.83253806e-03  
1.13431866e-05 1.89195845e-03 1.48019265e-02]  
[0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0,  
logitmerriormean= 0.7674418604651171  
  
✓ [136] predict_y_train=[1, 1, 1, 0, 1, 0, 1, 1, 1, 1, 0, 1, 1, 0, 1, 1, 1, 0, 1, 1, 1, 1, 0, 1, 1, 1, 1, 0, 1, 1, 1, 1, 1, 0, 1, 1, 1, 1, 1,
```

Fig5:- Trained Model Data And Error value

5.4:-FIND THE CONFUSION MATRIX AND DISPLAY TEST DATA AND TRAINING DATA GRAPHICALLY AND ROC DIAGRAM

- `array([[10, 1], [0, 43]])`

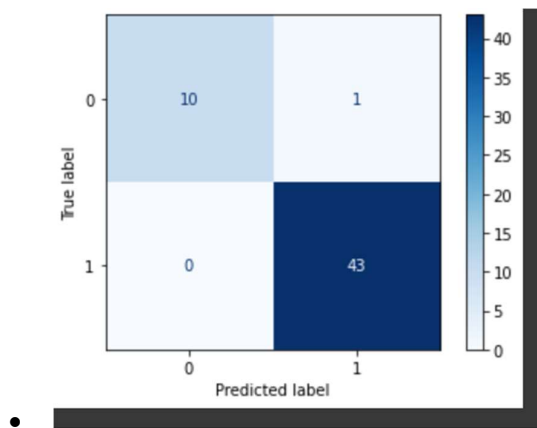


Fig6:-Test Label Vs Predicted Label CONFUSE MATRIX

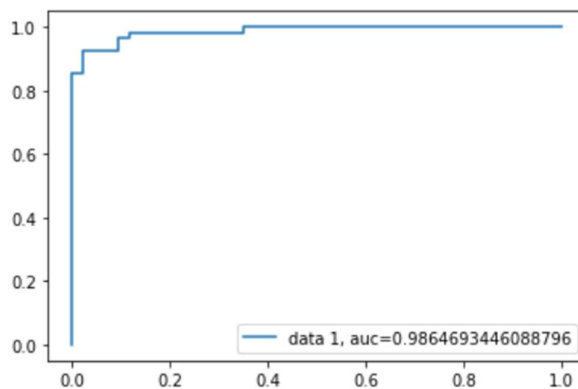


Fig:- ROC Curve with AUC

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Reference:-

<https://towardsdatascience.com/logistic-regression-using-gradient-descent-optimizer-in-python-485148bd3ff2>

<https://towardsdatascience.com/machine-learning-polynomial-regression-with-python-5328e4e8a386>

COLLAB FOLDER LINK

<https://drive.google.com/drive/folders/1H5FW2TZtuhA-C9SQ90dPmrG6TUE6ZF9G?usp=sharing>