German Credit Data Analysis:

The given German Credit dataset contains 1000 observations of 30 variables. The variable RESPONSE indicates whether a certain applicant is "Good" or "Bad" with a 1 or a 0 respectively. Proportion of Good to Bad = Sum (Good) / Sum(Good + Bad) = 700

➤ Steps taken In R, sum(GERMANCREDIT1_\$RESPONSE) = 700 Hence, out of 1000 cases 70% of the applicants are good.

1. Dealing with Missing Values

Yes, there are missing values.

Even though the description of the dataset mentions the presence of 0's and 1's from NEW_CAR to RETRAINING, there were no 0's present in the given dataset. Assuming the missing values were '0', I decided to impute them into the dataset.

> Steps taken in R,

```
\label{eq:car_constraint} $\operatorname{GERMANCRDIT}_{na}(\operatorname{GERMANCRDIT}_{na}) = 0$$ GERMANCREDIT_{used_car_is.na}(\operatorname{GERMANCREDIT}_{used_car_is.na}) = 0$$ GERMANCREDIT_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}) = 0$$ GERMANCREDIT_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANCRDIT}_{used_car_is.na}(\operatorname{GERMANC
```

In column "age" there were values missing. Since it is numerical data, the median of all the values of AGE was taken and imputed into the missing values, this will preserve the natural median of the set.

➤ Steps taken in R
GERMANCREDIT1 \$AGE[is.na(GERMANCREDIT1 \$AGE)] <-

median(GERMANCREDIT1_\$AGE, na.rm= TRUE)

In column "PERSONAL_STATUS", there were 300 values missing. The mode of the values in Personal_Status was taken as it is a categorical data and imputed into the missing rows.

> Steps taken in R

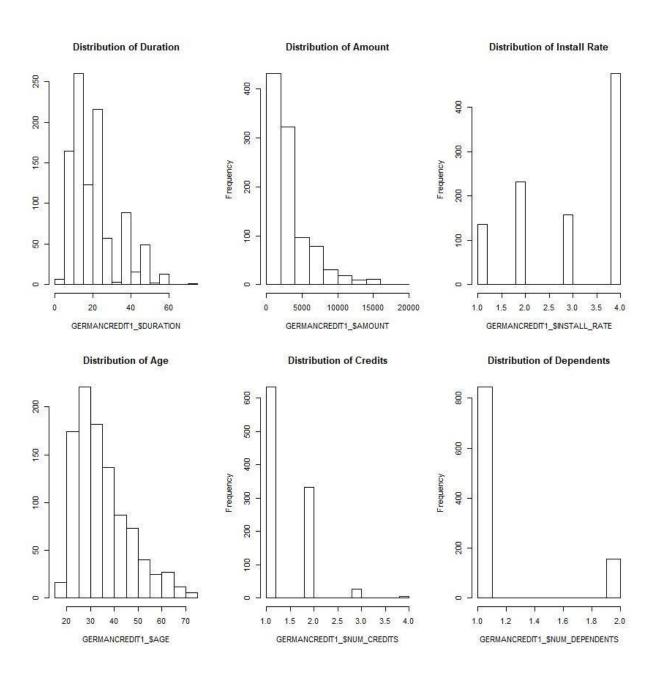
GERMANCREDIT1_\$PERSONAL_STATUS[is.na(GERMANCREDIT1_\$PERSONAL_STATUS)] <- mode(GERMANCREDIT1_\$PERSONAL_STATUS, na.rm=TRUE)

Description of numerical Variables:

V1: Duration, V2: Amount, V3: Install Rate, V3: Age, V4: Num Credits, V5: Dependants

| | Vl | V2 | V3 | V4 | V5 | V6 |
|----------------|-------------|--------------|------------|-------------|------------|------------|
| median | 18.0000000 | 2.319500e+03 | 3.00000000 | 33.0000000 | 1.00000000 | 1.00000000 |
| mean | 20.9030000 | 3.271156e+03 | 2.97300000 | 35.4610000 | 1.40700000 | 1.15500000 |
| SE.mean | 0.3813332 | 8.925924e+01 | 0.03537686 | 0.3580289 | 0.01826704 | 0.01145016 |
| CI. mean. 0.95 | 0.7483059 | 1.751571e+02 | 0.06942149 | 0.7025749 | 0.03584617 | 0.02246912 |
| var | 145.4150060 | 7.967212e+06 | 1.25152252 | 128.1846637 | 0.33368468 | 0.13110611 |
| std.dev | 12.0588145 | 2.822625e+03 | 1.11871467 | 11.3218666 | 0.57765447 | 0.36208577 |
| coef.var | 0.5768940 | 8.628830e-01 | 0.37629152 | 0.3192766 | 0.41055755 | 0.31349417 |
| > | | | | | | |

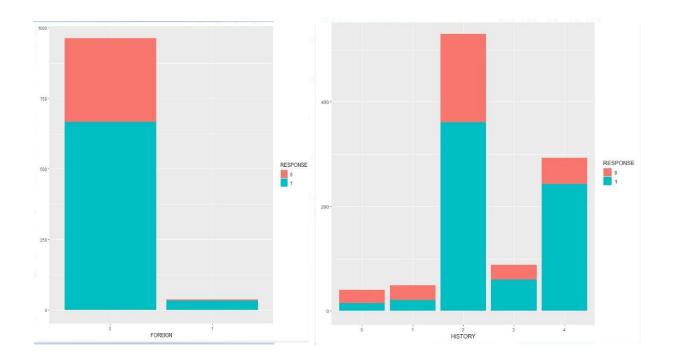
Distribution of Numeric Variables:



Distribution is skewed right for Duration, Amount, Age and Credits which indicates that the mean is greater that the median. Distribution of Dependents and Install Rate is a normally distributed curve

Frequencies of Categorical Variables:

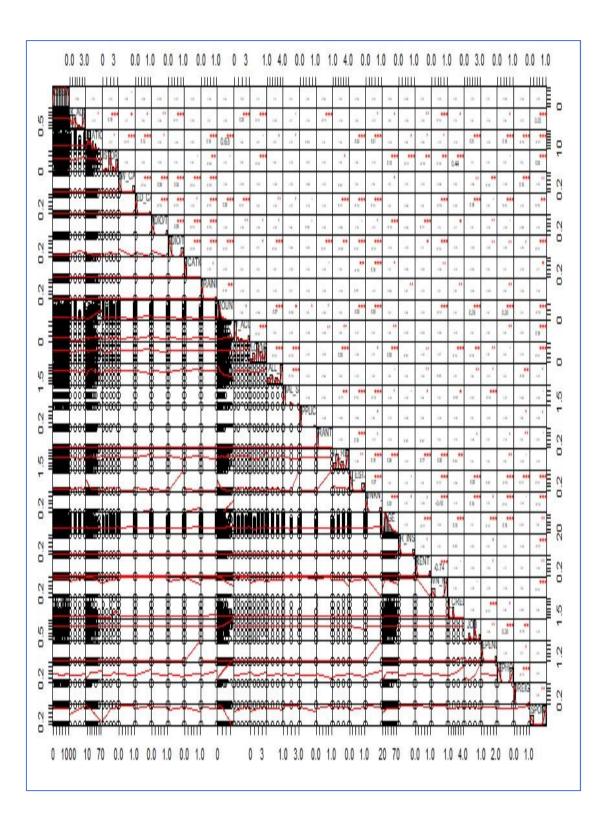
```
> table(GERMANCREDIT1_$CHK_ACCT) > table(GERMANCREDIT1_$NEW_CAR)
 0 1 2 3
                                 766 234
274 269 63 394
                                 > table(GERMANCREDIT1_$USED_CAR)
> table(GERMANCREDIT1_$CHK_ACCT)
                                   0
                                      1
 0 1 2 3
                                 897 103
274 269 63 394
                                  > table(GERMANCREDIT1_$FURNITURE)
> table(GERMANCREDIT1_$HISTORY)
 0 1 2 3 4
                                   0 1
40 49 530 88 293
                                 819 181
> table(GERMANCREDIT1_$SAV_ACCT)
                                 > table(GERMANCREDIT1_$'RADIO/TV')
 0 1 2 3 4
                                   0 1
603 103 63 48 183
                                 720 280
> table(GERMANCREDIT1_$EMPLOYMENT)
                                 > table(GERMANCREDIT1_$EDUCATION)
 0 1 2 3 4
                                   0
62 172 339 174 253
                                 950 50
> table(GERMANCREDIT1_$PRESENT_RESIDENT) > table(GERMANCREDIT1_$RETRAINING)
 1 2 3 4
130 308 149 413
                                  903 97
```



There is a huge proportion of applicants having the history of -existing credits paid back duly till now. The visualization shows the number of cases who have returned the credit duly till now and the ones who have not. This can be an important predictor to realize which applicants could be possible 'bad' credit cases. Also notice that there is a large base of new applicants without a checking account

Attempted to see which of the independent variables have the highest correlation so as to help formulate our model going forward. It can be seen that there are many highly correlated variables.

On the bottom of the diagonal the bivariate scatter plots with a fitted line are displayed, top half of the diagonal displays the significance level as stars



It can be suspect that the Credit history, Average balance in savings account, Instalment rate as % of disposable income and Checking account status will show at most importance in the outcome in Response. Since the variables are highly correlated this assumption could be incorrect.

Decision Tree:

30 Decision trees were developed on the full data. Different combinations of minsplit, maxdepth and cp were applied. The top four with the highest accuracy is given in the data below. The second model shows the highest accuracy with 75%

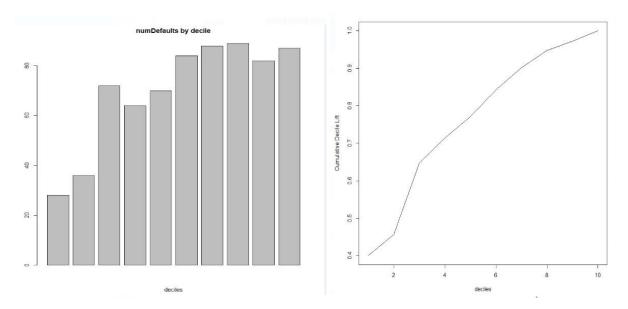
| Models Generated | Accuracy |
|------------------|----------|
| Model 1 | 0.715 |
| Model 2 | 0.75 |
| Model 3 | 0.715 |
| Model 4 | 0.73 |

The parameters were chosen such that the (maxdepth)max levels of the trees were long enough for the classification to be accurate but not at the risk of overfitting. I also wanted (minsplit) the minimum number of observations that must exist in a node for a spilt to be attempted to be low along with moderate range of cp which decides whether to split if the result does not produce any improvement in fit.

The parameters present in the top four chosen models are given in the below table.

| Models Generated | Parameters Chosen | |
|------------------|---|-----|
| Model 1 | rpModel1<- rpart(RESPONSE~., data GERMANCREDIT1 , method="class") | П |
| Model 2 | rpModel2<- rpart(RESPONSE~., data | = |
| | GERMANCREDIT1_, method="class",maxdepth =1 minspilt=15, xv | |
| | =10,cp=.01,parms=list(split='information') | |
| Model 3 | rpModel3<- rpart(RESPONSE~., data | = |
| | GERMANCREDIT1_, method="class",maxdepth =1 minspilt=40, xval =10,parms=list(split='gini') | 5, |
| Model 4 | rpModel4<- rpart(RESPONSE~., data | = |
| | GERMANCREDIT1_, method="class",maxdepth = | =5, |
| | minspilt=50, xv | al |
| | =15,cp=.02,parms=list(split='information') | |

During simulation it was focused primarily on the minsplit and maxdepth on our training dataset. Having a minsplit greater than 15 lowered the accuracy given and had more levels which increased the complexity.



The decile chart and lift curve obtained was the mirror image of what is ideally used to asses them. The decile chart obtained starts with lowest to highest instead of it being the other way around. The same is seen in the lift curve, the curve has an increasing slope instead of a curve where the slope is decreasing

Pruning Table of Model 2: This table tells us the information about the pruning done by the algorithm

No, this is not a reliable model as it hasn't been tested on unseen data yet.

Tried two different approaches at splitting. One using information and another using gini. As it can be seen from the table below, both of the, have similar accuracy. Hence we chose information tables to be carried on in our study. Result of Decision trees with 'information' at a 50/50 split on data

| Models | СР | Maxdepth | Minspilt | Train Accuracy | Test Accuracy |
|--------|-------|----------|----------|----------------|---------------|
| Model1 | 0.01 | 10 | 10 | .81 | .715 |
| Model2 | .01 | 15 | 15 | .76 | .75 |
| Model3 | .0001 | 15 | 40 | .80 | .715 |
| Model4 | .02 | 5 | 50 | .74 | .75 |

Result of Decision trees with 'gini' at a 50/50 split on data

| Models | СР | Maxdepth | Minspilt | Train Accuracy | Test Accuracy |
|--------|-------|----------|----------|----------------|---------------|
| Model1 | 0.01 | 10 | 10 | .805 | .715 |
| Model2 | .01 | 15 | 15 | .7675 | .745 |
| Model3 | .0001 | 15 | 40 | .803 | .715 |
| Model4 | .02 | 5 | 50 | .74 | .73 |

Performance Measures:

It can be seen from the table that the model with the highest AUC is Model 2.

| Models | Precision | | Sensitivity | | Recall | | AUC |
|--------|-----------|-------|-------------|-------|--------|-------|-------|
| | 0 | 1 | 0 | 1 | 0 | 1 | |
| Model1 | .5757 | .7425 | .400 | .8131 | .3064 | .8985 | .6519 |
| Model2 | .6222 | .7806 | .5283 | .8259 | .4516 | .8768 | .6764 |
| Model3 | .5531 | .7647 | .4770 | .8041 | .4193 | .8478 | .6920 |
| Model4 | .6111 | .7560 | .4489 | .8211 | .3548 | .8985 | .6736 |

In Model 2 contains these following parameters. Having minspilt at 15 prunes the tree without over-fitting it. It also performs better on unseen data.

| CP=.01 | Maxdepth=15 | Minsplit=15 |
|--------|-------------|-------------|

C5.0

Experimented with many different types of parameters on the test data only the rules provided below showed some changes to our accuracy measures.

Results:

Tree1:

Accuracy=.7

| | True | |
|-----------|------|-----|
| Predicted | 0 | 1 |
| 0 | 21 | 19 |
| 1 | 41 | 119 |

Tree2:

Accuracy=.705

| | True | |
|-----------|------|-----|
| Predicted | 0 | 1 |
| 0 | 17 | 14 |
| 1 | 45 | 124 |

Tree3:

Accuracy= .705

| | True | |
|-----------|------|-----|
| Predicted | 0 | 1 |
| 0 | 17 | 14 |
| 1 | 45 | 125 |

Chose Tree2 out of Tree2 and Tree3 since they displayed almost the same results. Considered Tree 2 to be the best model and below are the rules defined by the given model.

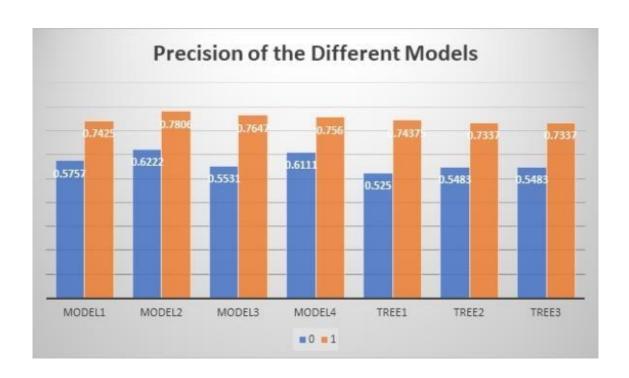
Iterated through multiple parameters and through different accuracies. The precision, recall and F1 measure of our Trees.

| Trees | Precision | | Recall | | F1 | | AUC |
|--------|-----------|--------|--------|-------|-------|-------|-------|
| | 0 | 1 | 0 | 1 | 0 | 1 | |
| Tree1 | .525 | .74375 | .3337 | .8625 | .4117 | .7986 | .6519 |
| Treel2 | .5483 | .7337 | .2741 | .8985 | .3655 | .8078 | .6764 |
| Tree3 | .5483 | .7337 | .2741 | .8985 | .3655 | .8078 | .6920 |
| | | | | | | | |

Result Rules:

```
Rule 1: (12, lift 3.1)
                                Rule 3: (9, lift 3.1)
                                          DURATION > 15
        CHK_ACCT in {0, 1}
                                          DURATION <= 21
                                         USED_CAR = 0
        HISTORY = 0
                                         SAV\_ACCT = 0
                                         EMPLOYMENT = 2
        OWN_RES = 0
                                          GUARANTOR = 0
        -> class 0 [0.929]
                                          PROP_UNKN_NONE = 0
                                          NUM_CREDITS <= 1
                                         NUM_DEPENDENTS <= 1
                                         -> class 0 [0.909]
Rule 2: (23/1, lift 3.1)
                                 Rule 4: (8, lift 3.0)
        CHK_ACCT in {0, 1}
                                         OBS > 111
        DURATION > 47
                                          CHK\_ACCT in \{0, 1\}
                                          HISTORY in {1, 2, 3}
        EDUCATION = 0
                                          SAV\_ACCT = 0
                                         EMPLOYMENT = 3
        SAV\_ACCT = 0
                                         REAL_ESTATE = 0
                                         JOB = 2
        -> class 0 [0.920]
                                          NUM_DEPENDENTS <= 1
                                          -> class 0 [0.900]
```

Included a bar graph that is able to provide visually clearer changes in precision among the different rpart trees and C5.0 trees. There very minute changes among the trees.



Yes, there is instability in the models. Which is - using different seeds the accuracy changes along with changes in the confusion matrix. For demonstration purpose, Tree1 is used

Tree1: (Original)

 $\mathbf{Seed} = \mathbf{123}$

Accuracy=.7

| | True | |
|-----------|------|-----|
| Predicted | 0 | 1 |
| 0 | 21 | 19 |
| 1 | 41 | 119 |

Tree1.1

Seed = 321

Accuracy=.716

| | True | |
|-----------|------|----|
| Predicted | 0 | 1 |
| 0 | 50 | 31 |
| 1 | 41 | 78 |

Tree1.2

Seed = 276

Accuracy = .722

| | True | |
|-----------|------|----|
| Predicted | 0 | 1 |
| 0 | 61 | 26 |
| 1 | 27 | 86 |

Tree1.3

$\mathbf{Seed} = \mathbf{500}$

Accuracy= .722

| 1100000000 1722 | | | |
|-----------------|------|----|--|
| | True | | |
| Predicted | 0 | 1 | |
| 0 | 59 | 26 | |
| 1 | 46 | 69 | |

Tree1.4

$\mathbf{Seed} = \mathbf{453}$

Accuracy=.708

| | True | | |
|-----------|---------------|------|--|
| Predicted | 0 | 1 | |
| 0 | 46 | 36 | |
| _1 | 49 | 69 | |
| | | | |
| | C 41 4 1 1 41 | 1 '1 | |

As we can see some of the trees provide the same accuracy, while some do not. However the range of accuracies given are close to the original

Variable importance for rpart and C5.0 models

Partitioned the data into three different splits: 50/50, 70/30 & 80/20. The measurements of the different variables taken across the model and tree have similar values. It can be concluded that a large training dataset is not a necessary factor, one can work with only the 50% of the dataset and still get similar results.

rpart:

| | Accuracy | Precision | 1 | Recall | Recall F1 | | | AUC | Optimal Threshold |
|-------|----------|-----------|-------|--------|-----------|-------|-------|-------|----------------------|
| | | 0 | 1 | 0 | 1 | 0 | 1 | | |
| 50/50 | .71 | .60 | .7222 | .1935 | .9420 | .2926 | .8176 | .6077 | .4749 |
| 70/30 | .705 | .5319 | .7581 | .4032 | .8405 | .4587 | .7972 | .6361 | .0695 |
| 80/20 | .685 | .4938 | .8951 | .6451 | .7028 | .5594 | .7548 | .7034 | .0857 |

C5.0

| | Accuracy | Precision | 1 | Recall | | F1 | | AUC | Optimal Threshold |
|-------|----------|-----------|-------|--------|-------|-------|-------|-------|----------------------|
| | | 0 | 1 | 0 | 1 | 0 | 1 | | |
| 50/50 | .72 | .5460 | .765 | .345 | .876 | .422 | .786 | .587 | .1405 |
| 70/30 | .715 | .514 | .714 | .326 | .845 | .424 | .756 | .567 | .1405 |
| 80/20 | .718 | .5250 | .7437 | .3387 | .8623 | .4117 | .7986 | .5785 | .1405 |

Model 1: Variable Importance using the same parameters but with a 50/50 split

| CHK_ACCT | DURATION | HISTORY | AMOUNT | SAV_ACCT | AGE | OBS |
|--------------------|---------------|---------|----------|------------|---------|-----|
| 27 | 12 | 11 | 11 | 9 | 6 | 4 |
| INSTALL_RATE PRE | SENT_RESIDENT | NEW_CAR | USED_CAR | EMPLOYMENT | RADIOTV | 308 |
| 4 NUM_CREDITS P | ROP_UNKN_NONE | 2 | 2 | 2 | 2 | 1 |

Model 2: Variable Importance using the same parameters but with a 70/30 split

| | | | | | | ariable importance |
|--------|---------|-------------|------------------|----------------|------------|--------------------|
| AG | AMOUNT | SAV_ACCT | DURATION | OBS | HISTORY | CHK_ACCT |
| 199 | 5 | 8 | 9 | 10 | 13 | 34 |
| NEW_CA | RADIOTV | NUM_CREDITS | PRESENT_RESIDENT | USED_CAR | GUARANTOR | RETRAINING |
| | 2 | 2 | 2 | 2 | 2 | 2 |
| | | | | PROP_UNKN_NONE | EMPLOYMENT | OTHER_INSTALL |
| | | | | 1 | 1 | 1 |

Model 3: Variable Importance using the same parameters but with a 80/20 split

| variable importance | | | | | | |
|---------------------|---------|-------------|------------|----------------|-------------|-----------|
| CHK_ACCT | HISTORY | SAV_ACCT | 085 | DURATION | AMOUNT | GUARANTOR |
| 45 | 12 | 10 | 8 | 7 | 5 | 4 |
| PRESENT_RESIDENT | RADIOTV | NUM_CREDITS | EMPLOYMENT | PROP_UNKN_NONE | REAL_ESTATE | |
| 3 | 2 | 1 | 1 | 1 | 1 | |

Analysis: The model almost has all the top three variables in common. The top variables according us are-Checking Account, History & Duration. I agree with this logic as customers with more money in the checking account and a good history with the bank is likely to be a 'good' credit holder.

| Probability Threshold | Accuracy | Accuracy of Model2 with cost |
|-----------------------|----------|------------------------------|
| .3 | .738 | .74 |
| .4 | .741 | ,773 |
| .6 | .741 | .773 |
| .7 | .741 | .665 |
| .8 | .701 | .637 |

The accuracy of the model reduces with the increase in the prediction threshold value. This can also be validated by the given cost matrix where there is a loss of 500DM incorrectly predicted values.

The optimal threshold taken from the ROC curve for the model with cost matrix is 0.773 and the accuracy is 0.745.

| | | Pred | licted |
|--------|------|-------|--------|
| 3 | 10 | Good | Bad |
| Actual | Good | 0 | 100DM |
| 99 | Bad | 500DM | 0 |

The theoretical threshold is 0.8 and the accuracy for this is 0.685, which is lower than what we computed in the answer above.

After comparing performance of the two new models,

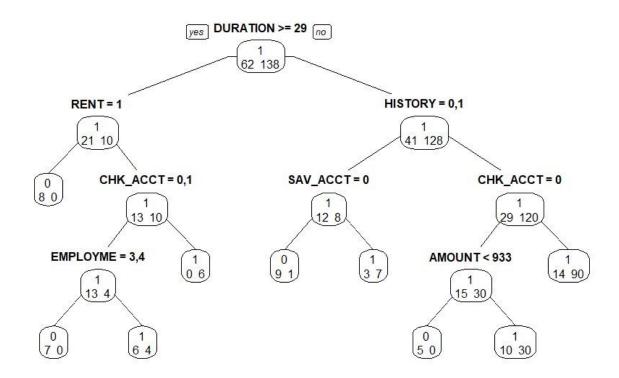
Model2 with a 70/30 split in Rptree category. With cost matrix = .7667, Without cost matrix = .804

Tree2 with 50/50 split in C5.0 category. With cost matrix = .7543, Without cost matrix = .801

The cost matrix depicts the cost for each of the combinations of predicted and actual categories. By default the costs of misclassification is set to 1, this reduces a model's performance

The best Decision tree was obtained by considering various parameters like the split as Information, Cost matrix, Maximal depth of the tree as 10. The variable importance is as given below.

| Variable im | portance | | | | | | |
|-------------|----------|------------|----------|----------|-----------|------------|-----------------|
| Al | MOUNT | CHK_ACCT | SAV_ACCT | DURATION | HISTORY | RENT | EMPLOYMENT |
| | 17 | 12 | 12 | 11 | 11 | 8 | 6 |
| | OBS | RETRAINING | OWN_RES | AGE | TELEPHONE | USED_CAR P | RESENT_RESIDENT |
| | 6 | 4 | 4 | 4 | 2 | 2 | 1 |



The path followed by two pure leaf nodes is as given below:

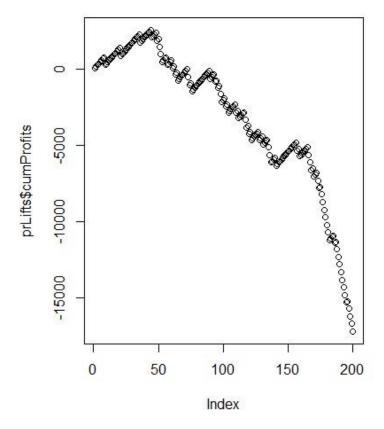
DURATION >> HISTORY>> CHK_ACCT>> AMOUNT – It has a size of 5 which means that there are 5 bad cases and 0 good cases. Probability of good case is 0 and bad case is 1.

DURATION>>RENT>>CHK_ACCT>>EMPLOYMENT-It has a size of 6 which means there are 0 bad cases and 6 good cases. Probability of good cases is 1 and bad case is 0.

The model is implemented based on the predicted probabilities. The data is sorted based on the predicted probability of "Good" Credit and then a cut-off probability is determined based on this list. The values above the cut-off probability are considered acceptable risk values.

Cost figures can be used to determine the cut-off probability. We can calculate the actual cost for each predicted probability of the validation case. Then the cumulative net cost is calculated for each case. We can find out the maximum net cost from the model and also the cut off value for the predicted probabilities for the future credit applicants.

A graph has been plotted based on the above guidelines.



The graph shows that we are getting a max profit of 5000DM with a probability of 0.868

Various Random Forest models were developed and tested. The table below summarizes the various parameters considered for selecting the best fit model.

| Model | No. of trees (mtry) | OOR error rate (%) | Training Set Response | Validation set Response |
|--------|---------------------|--|--------------------------|-------------------------------|
| Model1 | 5 | 24.01 | 129 0 | 11 2 |
| Model2 | 7 | 25.05 | 0 350 129 0 0 350 | 51 147 13 3 49 146 |
| Model3 | 9 | 26.51 | 129 0 0 350 | 17 3 45 146 |
| Model4 | 16 | 26.51 | 129 0 0 350 | 22 7 40 142 |
| Model5 | 18 | 26.3 | 129 0 0 350 | 22 5 40 144 |
| | | | | |
| | | | | |

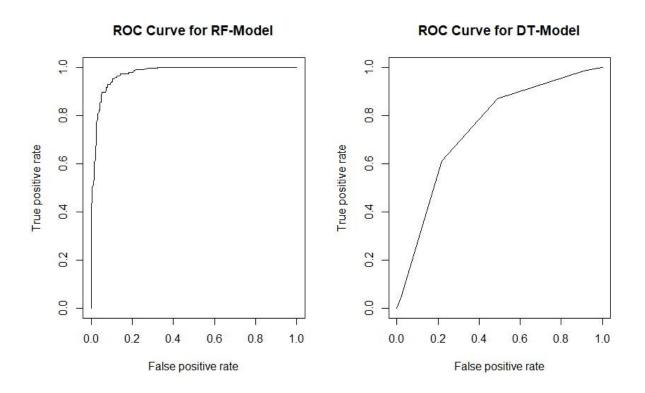
The table given below summarises the performance of each model described above. Based on the analysis, it can be observed that Model5 is the best fit model with an accuracy of 0.7800 and with mtry value of 18.

| Model | Accuracy of the | Precision | Recall | Sensitivity |
|--------|-----------------|---------------|---------------|----------------|
| | Validation data | 0 1 | 0 1 | 0 1 |
| | (%) | | | |
| | | | | |
| Model1 | 0.7488 | 0.8181 0.7238 | 0.1956 0.9797 | 0.3157 0.8326 |
| Model2 | 0.7535 | 0.8333 0.7293 | 0.2173 0.9797 | 0.3448 0.8362 |
| Model3 | 0.7722 | 0.8125 0.7441 | 0.2826 0.9696 | 0.4193 0.8421 |
| Model4 | 0.7777 | 0.7894 0.7539 | 0.3260 0.9595 | 0.4615 0.8444 |
| Model5 | 0.7800 | 0.7619 0.7580 | 0.3482 0.9494 | 0.4776 0.8430 |

Comparing Random Forest Model with Decision Tree Model:

The best fit Decision Tree model based on analysis is the Model2. Now comparing the performance of the best fit Decision Tree Model with the best fit Random Forest model obtained above, we notice that the Random Forest model has a better accuracy than the Decision tree model. The accuracy of the Random Forest model is 0.7772 where as the accuracy of the Decision Tree model is 0.6383.

The ROC plots have been plotted for the best fit Random Forest Model and the best fit Decision Tree model. It can be seen that the false positives increases with in Decision Tree model where as in the Random Forest model it remains constant.



Average profit graphs have been plotted for the best fit Random Forest model and the best fit Decision Tree model. The max-profit obtained for the Random Forest model is 3400 where as for the Decision Tree model it is 1200. This further proves that the Random Forest method is a more efficient method than the Decision Tree method.

