## **WGU D208 PA 1**

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## **Part I: Research Question**

**A1. Question:** How much on average will a customer be charged per month? Is it possible to predict this using multiple regression analysis?

**A2. Objectives and Goals:** Predicting with confidence the amount of revenue per customer will be a significant question for companies, corporations, and stakeholders as it is part of sales forecasting. This figure/knowledge allows stakeholders to make efficient decisions on how company invests, grows, and creates overall valuation of the company (**Kripa Mahalingam 2020**).

## Part II: Method Justification

## **B1.** Assumptions of Multiple Regression Model

- i. Linear Relationship: Independent and Dependent variables will have an approximate linear relationship
- ii. Homoscedasticity: residual variance will be equal for each of the explanatory variables
- iii. Independent Errors: residuals will be uncorrelated
- iv. Variance in Predictors: explanatory variables results must vary within a range
- v. Multicollinearity: there may be at least two or likely more variables that are highly correlated

#### **B2.** Benefits of Chosen Tools

The tools leveraged in this analysis will be Python along with various packages such as scikit-learn. I choose to use this programming language since Python has an abundance of packages for ease of processing and interpreting data as well as visualizing capabilities. Python is also has the ability to integrate into other programs such as Java or C++ which can be significant in joint projects. Finally, Python can deliver and run code with greater speed than other programs such as R which will be time efficient when regards to the codes in this analysis.

I will also be leveraging Jupyter notebook to display and present the coding as well as outputs. Jupyter notebook has both the ease of understanding the codes and outputs as well as being sharable. Independent cell by cell running capabilities presented in the program provides additional understanding of what each cell does. Finally, it is also very secure as it does not store the data on local machines and is protective of data sensitive information.

## **B3. Appropriate Technique Justification**

We are utilizing the multiple regression technique in our analysis since there are a variety of independent variables in our churn data collection that have possible relationships with our dependent

variable of Monthly Charge. This is where a multiple regression analysis shines, since it allows us to not only be flexible in which independent variables to take into consideration, but also to describe how the changes in each of these has to the changes in the dependent Monthly Charge variable.

We can also control variables by predicting the effects of changing one independent variable on the dependent, while simultaneously holding all other independent variables constant. Thus, giving us the insights into separating complex research questions from our data source.

The coefficients that we obtain from our results of each independent variables will be immensely helpful to the corporation as they are able to see clearly which independent variables positively and negatively impact the Monthly Charge, and therefore make proper resource allocation decisions based on these findings.

# **Part III: Data Preparation**

## C1. Data Preparation Goals and Manipulation

- i. Obtaining the churn data set into jupyter notebooks via read\_csv code
- ii. Address any repetitions, irrelevant, duplicated, inconsistent, or unnecessary data
- iii. Impute missing data values with statistically significant calculations to keep data accuracy intact
- iv. Identify outliers and remove them if they are more than 3 standard deviations above or below the mean
- v. Test and Train our data set to give us a prediction on customer monthly charges with respect to our explanatory variables

The goal for the preparation stage of the analysis is data cleaning to ensure that we are dealing with accurate and correct data, free from any errors that may influence our prediction outcome via ii.

The goal for the manipulation stage of the analysis is to first ensure that we have a complete and appropriate data set, by means of imputation and disregard for missing values and outliers respectively as shown in step iii.

These preparation and manipulation stages will set us up for success when we then test and train our data to gain a prediction on our desired variable of Monthly Charge

## **C2. Summary Statistics**

Out of the 10,000 observations, we decided to remove a couple variables that were deemed no relation to our target variable "MontlyCharge". Thus, CaseOrder, Customer\_id, Interaction, UID, City, State, Country,Zip,Lat,Lng,Population, Area, TimeZone, Marital, and PaymentMethod were all removed, leaving only 18 variables left.

In order to ensure that our regression analysis could be completed, we also changed the categorical binary outputs on select variables from yes/no to numeric 1/0.

Finally, when running the describe function for our new cleaned data set, we see that average children = 2, Age = 53, Income = \$39806, Outage\_Sec\_perweek = 10, Email = 12, Contacts = 0.99, Yearly\_equip\_failure = 0.39, and tenure = 34.52.

## C3. Steps used to Prepare Data

- i. Upload given Churn\_Clean dataset CSV file via python programming language and create a churn data frame
- ii. Observe the dataset columns and rows and understand the relationships between the independent variables and the dependent variable "MonthlyCharge"
- iii. Rename survey questions into more descriptive labels, thus making it easier to keep track of and understand
- iv. Get initial statistics of the dataframe via describe and dtypes method to further understand the data before getting into cleaning and manipulation
- v. Reduce the dataset by removing independent variables that have little/no relation to our dependent variable of interest. We would like to leave in only significant and meaningful data in our analysis as to get an accurate outcome
- vi. Ensure that missing variables are imputed with significant values via descriptive statistics such as mean. This keeps the integrity of the dataset and will be much more meaningful than leaving it blank/removing them
- vii. Ensure that outliers are removed that are greater than 3 standard deviations away from the mean
- viii. Utilize dummy variables for our binary categorical values from "yes/no" to "0/1". This will change the data type from string to numerical which is necessary for our multiple regression analysis
- ix. Observe both univariate and bivariate graphical visualizations
- x. The final prepared data will be saved as Final\_Churn\_Clean

```
#importing the necessary libraries
import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
%matplotlib inline

import pylab
from pylab import rcParams
import statismodels.api as sm
import statistics
from scipy import stats

import sklearn
from sklearn import preprocessing
from sklearn.linear_model import train_test_split
```

```
from sklearn import metrics
from sklearn.metrics import classification report
from scipy.stats import chisquare
from scipy.stats import chi2 contingency
#uploading our initial churn dataset into the pandas dataframe
churn clean df =
pd.read csv(r"C:\Users\andre\OneDrive\Desktop\churn clean.csv")
#re-labeling the Survey Questions as to make it more meaningful instead of the
generic 1-7 labling originally done
churn clean df.rename (columns = { 'Item1': 'Timely Response',
'Item2': 'Timely Fixes', 'Item3': 'Timely Replacements',
'Item4':'Reliability','Item5':'Options','Item6':'Respectful Response','Item7':'
Couteous Exchange',
                        'Item8': 'Evidence Of Active Listening'}, inplace =
True)
#observe the dataset and get some descriptive statistics before implementing
cleaning and manipulation
churn clean df.shape
churn clean df.describe()
#based off of observations between relationships between the independent
variables and our dependent variable "MonthlyCharge",
#remove less significant columns in order to reduce dataset and make it easier
for analysis
churn clean df = churn clean df.drop (columns = ['CaseOrder',
'Customer id', 'Interaction', 'UID', 'City', 'State', 'County', 'Zip', 'Lat', 'Lng', 'Po
pulation','Area','TimeZone','Marital','PaymentMethod'])
#addressing any missing data
missing data churn df = churn clean df.isnull().sum()
missing data churn df
#we will now transform our binary categorical variables into dummy variables
taking on either a value of 0 or 1
churn clean df ['DummyGender'] = [1 if v =='Male' else 0 for v in
churn clean df['Gender']]
churn clean df ['DummyChurn'] = [1 if v == 'Yes' else 0 for v in
churn clean df['Churn']]
churn clean df ['DummyTechie'] = [1 if v == 'Yes' else 0 for v in
churn clean df['Techie']]
churn clean df ['DummyContract'] = [1 if v == 'Two Year' else 0 for v in
churn clean df['Contract']]
churn clean df ['DummyPort modem'] = [1 if v == 'Yes' else 0 for v in
churn clean df['Port modem']]
```

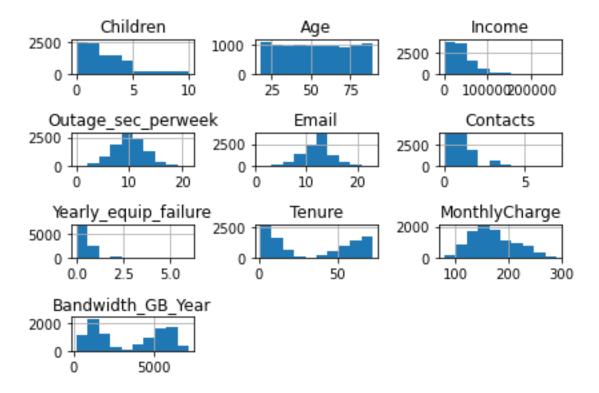
```
churn clean df ['DummyTablet'] = [1 if v == 'Yes' else 0 for v in
churn clean df['Tablet']]
churn clean df ['DummyInternetService'] = [1 if v == 'Fiber Optic' else 0 for v
in churn clean df['InternetService']]
churn clean df ['DummyPhone'] = [1 if v == 'Yes' else 0 for v in
churn clean df['Phone']]
churn clean df ['DummyMultiple'] = [1 if v == 'Yes' else 0 for v in
churn clean df['Multiple']]
churn clean df ['DummyOnlineSecurity'] = [1 if v == 'Yes' else 0 for v in
churn clean df['OnlineSecurity']]
churn clean df ['DummyOnlineBackup'] = [1 if v == 'Yes' else 0 for v in
churn clean df['OnlineBackup']]
churn clean df ['DummyDeviceProtection'] = [1 if v == 'Yes' else 0 for v in
churn clean df['DeviceProtection']]
churn clean df ['DummyTechSupport'] = [1 if v == 'Yes' else 0 for v in
churn clean df['TechSupport']]
churn clean df ['DummyStreamingTV'] = [1 if v == 'Yes' else 0 for v in
churn clean df['StreamingTV']]
churn clean df ['DummyStreamingMovies'] = [1 if v == 'Yes' else 0 for v in
churn clean df['StreamingMovies']]
churn clean df ['DummyPaperlessBilling'] = [1 if v == 'Yes' else 0 for v in
churn clean df['PaperlessBilling']]
#now we will drop the original (Yes/No) categorical variables as we essentially
already created a duplicate of them with binary 0 or 1 values
churn clean df = churn clean df.drop (columns = ['Gender',
'Churn', 'Techie', 'Contract', 'Port modem', 'Tablet', 'InternetService', 'Phone', 'Mu
ltiple','OnlineSecurity','OnlineBackup','DeviceProtection','TechSupport','Strea
mingTV', 'StreamingMovies', 'PaperlessBilling'])
#now we will double check the columns to see if we have just the dummy
variables to avoid duplications
churn clean df.columns
```

#### C4. Univariate and Bivariate Visualizations

## i. Univariate Visualizations

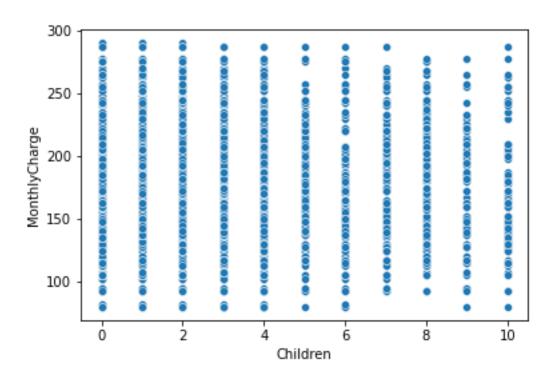
#we will use histograms for our Univariate continuous variable analysis visualizations as they are extremely insightful into understanding the distribution of the data

```
churn_clean_df[['Job', 'Children', 'Age', 'Income', 'Outage_sec_perweek', 'Ema
il', 'Contacts', 'Yearly_equip_failure', 'Tenure', 'MonthlyCharge', 'Bandwidth
_GB_Year']].hist()
plt.tight_layout()
```

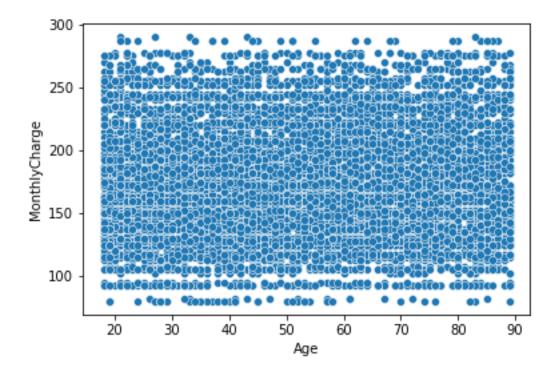


## ii. Bivariate Visualizations

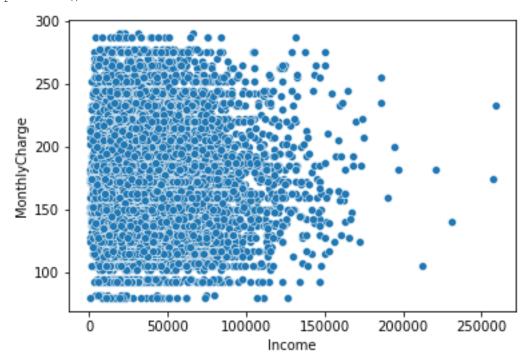
#Bivariate Scatter plots to observe relationship between the independent
variables and the dependent variable "MonthlyCharge"
sns.scatterplot(x=churn\_clean\_df['Children'],
y=churn\_clean\_df['MonthlyCharge'])
plt.show()



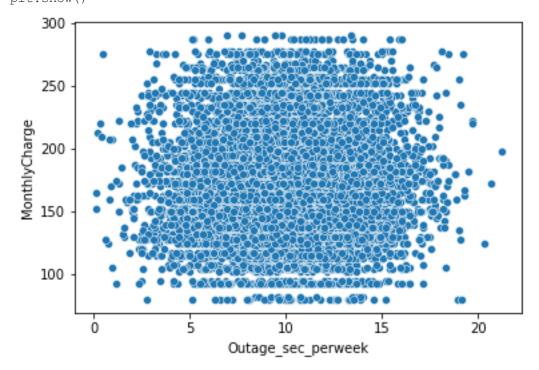
sns.scatterplot(x=churn\_clean\_df['Age'], y=churn\_clean\_df['MonthlyCharge'])
plt.show()



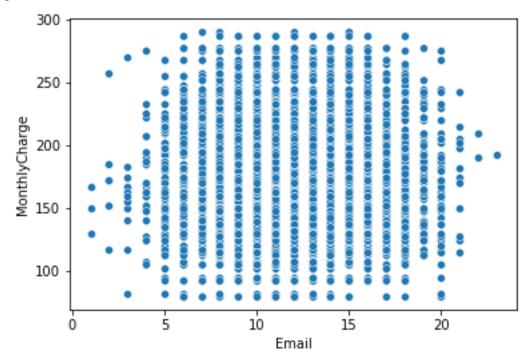
sns.scatterplot(x=churn\_clean\_df['Income'], y=churn\_clean\_df['MonthlyCharge'])
plt.show()



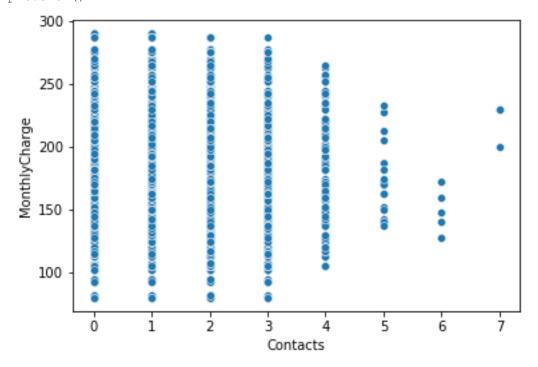
sns.scatterplot(x=churn\_clean\_df['Outage\_sec\_perweek'], y=churn\_clean\_df['Monthl
yCharge'])
plt.show()



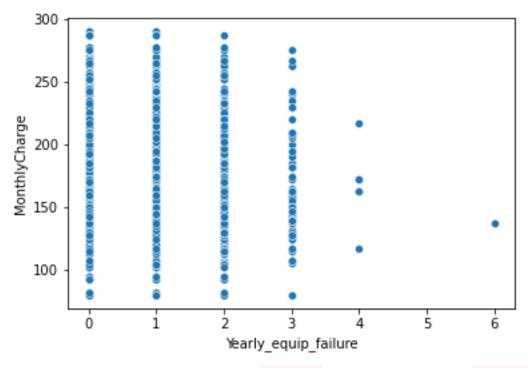
sns.scatterplot(x=churn\_clean\_df['Email'], y=churn\_clean\_df['MonthlyCharge'])
plt.show()



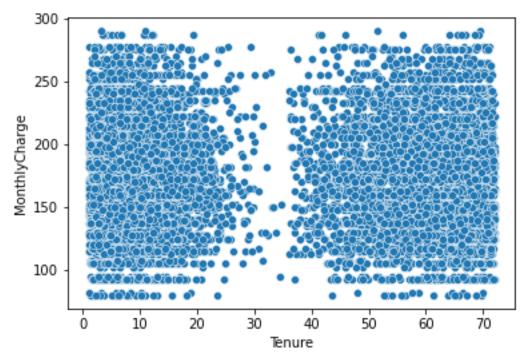
sns.scatterplot(x=churn\_clean\_df['Contacts'], y=churn\_clean\_df['MonthlyCharge'])
plt.show()



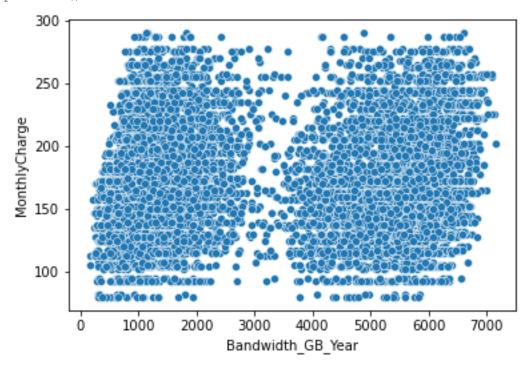
sns.scatterplot(x=churn\_clean\_df['Yearly\_equip\_failure'], y=churn\_clean\_df['Mont
hlyCharge'])
plt.show()



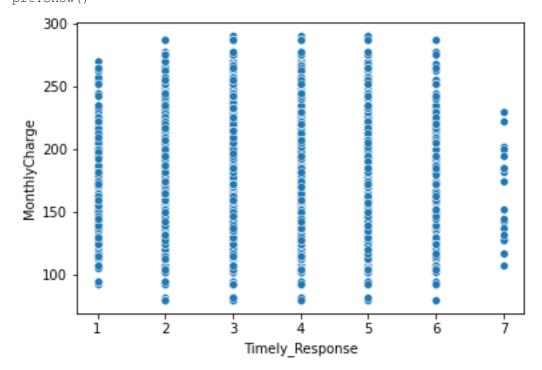
sns.scatterplot(x=churn\_clean\_df['Tenure'], y=churn\_clean\_df['MonthlyCharge'])
plt.show()



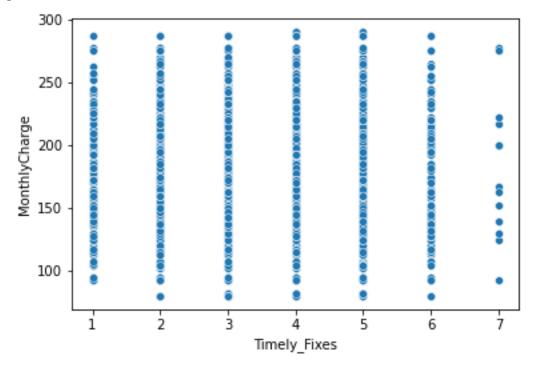
sns.scatterplot(x=churn\_clean\_df['Bandwidth\_GB\_Year'], y=churn\_clean\_df['Monthly
Charge'])
plt.show()



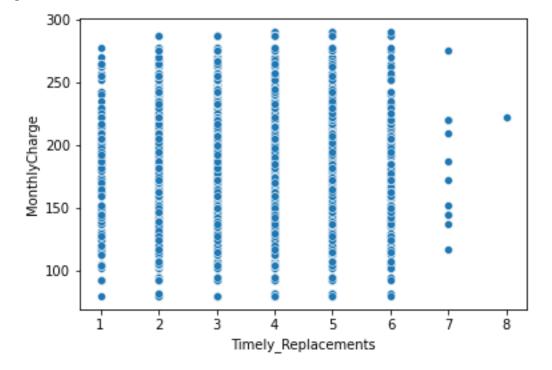
sns.scatterplot(x=churn\_clean\_df['Timely\_Response'],y=churn\_clean\_df['MonthlyCh
arge'])
plt.show()



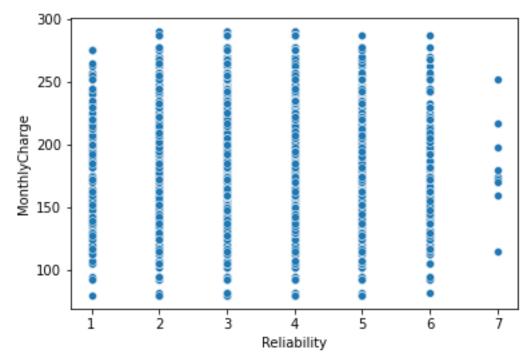
sns.scatterplot(x=churn\_clean\_df['Timely\_Fixes'], y=churn\_clean\_df['MonthlyCharg
e'])
plt.show()



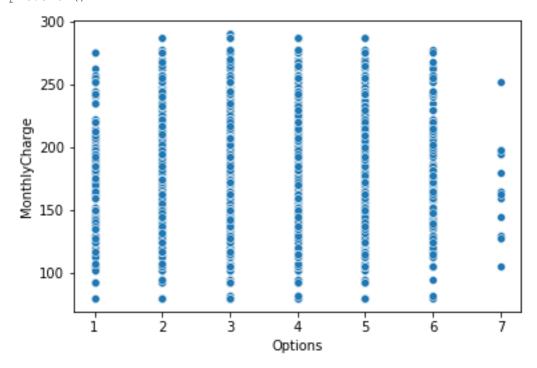
sns.scatterplot(x=churn\_clean\_df['Timely\_Replacements'],y=churn\_clean\_df['Month
lyCharge'])
plt.show()



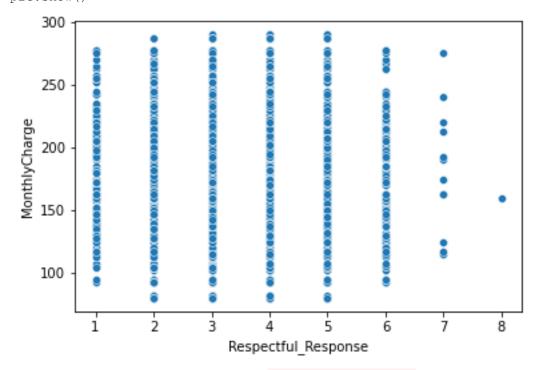
sns.scatterplot(x=churn\_clean\_df['Reliability'], y=churn\_clean\_df['MonthlyCharge
'])
plt.show()



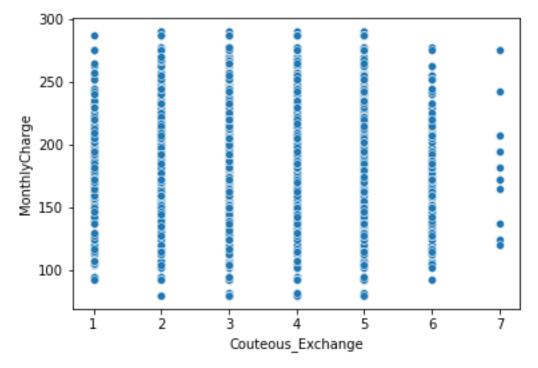
 $\verb|sns.scatterplot(x=churn_clean_df['Options'], y=churn_clean_df['MonthlyCharge']|)| \\ \verb|plt.show()|$ 



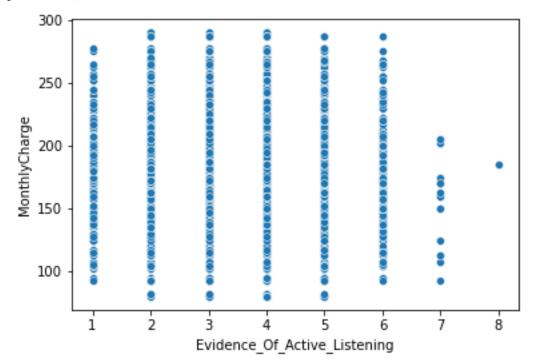
sns.scatterplot(x=churn\_clean\_df['Respectful\_Response'],y=churn\_clean\_df['Month
lyCharge'])
plt.show()



sns.scatterplot(x=churn\_clean\_df['Couteous\_Exchange'], y=churn\_clean\_df['Monthly
Charge'])
plt.show()



sns.scatterplot(x=churn\_clean\_df['Evidence\_Of\_Active\_Listening'],y=churn\_clean\_
df['MonthlyCharge'])
plt.show()



## **C5. Copy of Prepared Data Set**

## (attached)

#we will now prepare the cleaned data set for multiple regression analysis
churn clean df.to csv('final churn clean.csv')

# **Part IV: Model Comparison & Analysis**

### **D1.** Initial Multiple Regression from all Predictors

```
#we will now create an initial multiple regresssion with all variables stated
in part C2 (without dummy variables)
final_churn_clean_df['intercept'] = 1
lm_MonthlyCharge =
sm.OLS(final_churn_clean_df['MonthlyCharge'],final_churn_clean_df[['Children','
Age','Income','Outage_sec_perweek','Email','Contacts','Yearly_equip_failure','T
enure','Bandwidth_GB_Year','Timely_Response','Timely_Fixes',
'Timely_Replacements',
'Reliability','Options','Respectful Response','Couteous Exchange',
```

## 'Evidence\_Of\_Active\_Listening','intercept']]).fit()

print(lm\_MonthlyCharge.summary())

## OLS Regression Results

			========
====			
Dep. Variable:	MonthlyCharge	R-squared:	0.276
Model:	OLS	Adj. R-squared:	0.275
Method:	Least Squares	F-statistic:	224.1
Date:	Thu, 22 Jul 2021	<pre>Prob (F-statistic):</pre>	0.00
Time:	16:23:41	Log-Likelihood:	
-50171.			
No. Observations:	10000	AIC:	
1.004e+05			
Df Residuals:	9982	BIC:	
1.005e+05			
Df Model:	17		
Covariance Type:	nonrobust		
	=======================================		

========			========	========	
=======		coef	std err	t	P> t
[0.025	0.975]				
Children	0 005	-2.7385	0.175	-15.611	0.000
	-2.395	0.0050	0.010	1.6.100	0.000
Age	0.001	0.2952	0.018	16.189	0.000
	0.331	1 006 05	1 2 25	0 0 1 1	0 000
Income	1 45 05	-1.096e-05	1.3e-05	-0.844	0.398
-3.64e-05		0.0401	0 100	1 000	0 0 10
Outage_sec_	•	0.2431	0.123	1.976	0.048
	0.484	0 0422	0 101	0 250	0 700
Email	0 000	0.0433	0.121	0.358	0.720
	0.280	0 1400	0 270	0 206	0.700
Contacts	0 502	-0.1428	0.370	-0.386	0.700
	0.583	0 4407	0.575	-0.781	0.435
Yearly_equi		-0.4497	0.575	-0.781	0.433
Tenure	0.678	-6.8947	0.113	-61.163	0.000
	-6.674	-6.8947	0.113	-01.103	0.000
Bandwidth G		0.0840	0.001	61.585	0.000
0.081	0.087	0.0040	0.001	01.303	0.000
Timely_Resp		1.5024	0.524	2.869	0.004
0.476		1.5024	0.524	2.003	0.004
Timely Fixe		-0.2776	0.491	-0.566	0.572
-1.240		0.2770	0.131	0.000	0.372
Timely Repl		-0.5958	0.450	-1.323	0.186
_	0.287	3.3333	0.100	1,010	0.100
Reliability		-0.0642	0.403	-0.159	0.873
-0.853		0.0012	3.100	3.233	2.070
Options		-0.5080	0.418	-1.215	0.224
-	0.312				

====				
Kurtosis:	2.486	Cond. No.	======	5.40e+05
Skew:	0.147	Prob(JB):		1.89e-32
Prob(Omnibus):	0.000	Jarque-Bera (J	B):	146.097
Omnibus:	241.815	Durbin-Watson:		1.972
	=======	========	======	=======
108.312 124.092				
intercept	116.2018	4.025	28.870	0.000
-1.251 0.269				
Evidence Of Active Listening	-0.4908	0.388	-1.266	0.206
-1.042 0.555				
Couteous Exchange	-0.2433	0.407	-0.598	0.550
-0.942 0.746				
Respectful Response	-0.0982	0.431	-0.228	0.820

#### Notes:

- [1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
- [2] The condition number is large, 5.4e+05. This might indicate that there are

strong multicollinearity or other numerical problems.

```
#now we will create a multiple regression with all the variables including
dummy variables
final churn clean df['intercept'] = 1
lm MonthlyCharge all =
sm.OLS(final churn clean df['MonthlyCharge'], final churn clean df[['Children','
Age', 'Income', 'Outage sec perweek', 'Email', 'Contacts', 'Yearly equip failure', 'T
enure', 'Bandwidth GB Year', 'DummyGender',
       'DummyChurn', 'DummyTechie', 'DummyContract', 'DummyPort_modem',
       'DummyTablet', 'DummyInternetService', 'DummyPhone', 'DummyMultiple',
       'DummyOnlineSecurity', 'DummyOnlineBackup', 'DummyDeviceProtection',
       'DummyTechSupport', 'DummyStreamingTV', 'DummyStreamingMovies',
       'DummyPaperlessBilling', 'Timely Response', 'Timely Fixes',
'Timely Replacements',
'Reliability', 'Options', 'Respectful Response', 'Couteous Exchange',
                        'Evidence Of Active Listening', 'intercept']]).fit()
print(lm MonthlyCharge all.summary())
```

#### OLS Regression Results

			==
====			
Dep. Variable:	MonthlyCharge	R-squared: 0.96	57
Model:	OLS	Adj. R-squared: 0.96	6
Method:	Least Squares	F-statistic:	
8740.			
Date:	Thu, 22 Jul 2021	Prob (F-statistic): 0.0	0 (
Time:	17:03:35	Log-Likelihood:	
-34791.			

No. Observations: 10000 AIC: 6.965e+04
Df Residuals: 9966 BIC: 6.990e+04

Df Model: 33 Covariance Type: nonrobust

		============			
		coef			
[0.025	0.975]				
Children		-1.1885	0.040	-29.774	0.000
-1.267	-1.110	0 1005	0 004	21 004	0.000
Age 0.122	0 120	0.130/	0.004	31.294	0.000
Income	0.139	2 4216-06	2 796-06	0.867	0.386
	7.9e-06	2.1210 00	2.750 00	0.007	0.300
Outage sec		-0.0036	0.026	-0.135	0.892
-0.055					
Email		-0.0030	0.026	-0.116	0.908
-0.054	0.048				
Contacts	0.000	-0.0670	0.080	-0.841	0.400
	0.089	-0.0973	0.124	-0.786	0.432
-0.340	uip_failure 0.145	-0.0973	0.124	-0.700	0.432
Tenure	0.145	-3.1806	0.043	-74.060	0.000
	-3.096	3.1333	0,010	, 1, 000	0.000
Bandwidth	GB Year	0.0390	0.001	75.206	0.000
0.038	0.040				
DummyGende		-2.8079	0.162	-17.375	0.000
	-2.491	0 4574	0.000	10 200	0.000
DummyChurn 1.991	2.924	2.4574	0.238	10.320	0.000
DummyTechi		0.1853	0 211	0.877	0.380
-0.229	0.599	0.1000	0.211	0.077	0.000
DummyContr		0.4834	0.188	2.574	0.010
0.115	0.852				
DummyPort_	-	-0.2077	0.157	-1.319	0.187
-0.516	0.101	0 1077	0 170	0 740	0.450
DummyTable -0.465	0.210	-0.1277	0.172	-0.742	0.458
	netService	34.8859	0.206	168.947	0.000
34.481		01.0003	0.200	100.517	0.000
DummyPhone		-0.3759	0.271	-1.387	0.165
-0.907	0.155				
DummyMulti	-	29.4633	0.165	179.037	0.000
29.141	29.786	0.0006	0 170	1 655	0.000
DummyOnlin	0.052	-0.2806	0.170	-1.655	0.098
DummyOnlin		18.7465	0.166	113.217	0.000
18.422	19.071	10.7400	0.100	110.21	0.000
	ceProtection	9.1251	0.164	55.481	0.000
8.803	9.448				
DummyTechS		12.2992	0.163	75.545	0.000
11.980	12.618				

DummyStreamingTV	32.7847	0.199	164.396	0.000
32.394 33.176				
DummyStreamingMovies	43.4914	0.197	220.667	0.000
43.105 43.878				
DummyPaperlessBilling	0.1274	0.160	0.796	0.426
-0.186 0.441				
Timely_Response	-0.0860	0.113	-0.762	0.446
-0.307 0.135				
Timely_Fixes	0.2169	0.106	2.053	0.040
0.010 0.424				
Timely_Replacements	0.0093	0.097	0.096	0.923
-0.181 0.199				
Reliability	0.0592	0.087	0.683	0.494
-0.111 0.229				
Options	0.0339	0.090	0.376	0.707
-0.143 0.210				
Respectful_Response	-0.0733	0.093	-0.791	0.429
-0.255 0.108				
Couteous_Exchange	-0.0080	0.088	-0.091	0.928
-0.180 0.164				
Evidence_Of_Active_Listening	-0.0708	0.083	-0.849	0.396
-0.234 0.093				
intercept	62.9387	0.937	67.153	0.000
61.102 64.776				
====		=======	======	=======
Omnibus:	39029.228	Durbin-Wats	on:	1.997
Prob(Omnibus):	0.000	Jarque-Bera	(JB):	1370.373
Skew:	0.024	Prob(JB):	, , -	2.67e-298
Kurtosis:	1.187	Cond. No.		5.87e+05

# ==== Notes:

- [1] Standard Errors assume that the covariance matrix of the errors is correctly specified.
- [2] The condition number is large, 5.87e+05. This might indicate that there are

strong multicollinearity or other numerical problems.

The R^2 of this model is 0.967. This means that the model explains about 97% of the variance which is high but not shocking since we have most of the original variables considered. At the bottom of the statistics, it indicates a condition number of 5.87e+05 which is very large and suggests strong multicollinearity in this model.

### D2. Justify Selection Procedure for Reducing Initial Model

As stated above, the R^2 value of the initial multiple regression model is high at 97%. However, this does not necessarily mean that all of the variables taken into account are significant. Infact, in this next step we can take out several of the variables and still have a high R^2 value, leaving only significant variables in place while removing the insignificant ones.

We can achieve this by looking at the P-values of each variable in the initial multiple regression model. If the P-value is higher than the chosen alpha level of 0.05, we can safely assume that they are insignificant and can remove them to reduce the model and thus, making the model easier to work with (**Minitab** 2019).

## D3. Reduced Multiple Regression Model

```
#we will now justify a variable selection for reducing the model so that it
aligns better with the research question. We will do this by removing the
highest p values greater than alpha of 0.05 so that only significant variables
remain
#we see that even after removing the variables above p value 0.05, the R -
square value of 0.967 or 97% of data the model is still able to explain.
final churn clean df['intercept'] = 1
lm MonthlyCharge Reduced =
sm.OLS(final churn clean df['MonthlyCharge'], final churn clean df[['Children','
Age', 'Tenure', 'Bandwidth GB Year', 'DummyGender',
      'DummyChurn', 'DummyContract', 'DummyInternetService', 'DummyMultiple',
       'DummyOnlineBackup', 'DummyDeviceProtection',
      'DummyTechSupport', 'DummyStreamingTV', 'DummyStreamingMovies',
   'Timely Fixes','intercept']]).fit()
print(lm_MonthlyCharge_Reduced.summary())
OLS Regression Results
______
Dep. Variable: MonthlyCharge R-squared:
                                                                  0.967
                  OLS Adj. R-squared:

Least Squares F-statistic:

Fri. 23 Tul 2001
Model:
                                                                  0.967
                                                              1.923e+04
Method:
                 Fri, 23 Jul 2021 Prob (F-statistic):
Date:
0.00
Time:
                           11:42:47 Log-Likelihood:
-34799.
No. Observations:
                               10000 AIC:
                                                              6.963e+04
Df Residuals:
                                9984
                                       BIC:
                                                               6.974e+04
Df Model:
                                  15
Covariance Type: nonrobust
```

coef s	td err	t	DV I + I	
		C	P> t	
-1.1823	0.040	-29.775	0.000	-1.260
0.1298	0.004	31.257	0.000	0.122
-3.1624	0.042	-76.057	0.000	-3.244
0.0388	0.001	77.252	0.000	0.038
-2.8097	0.161	-17.431	0.000	-3.126
2.5053	0.237	10.580	0.000	2.041
0.4919	0.188	2.622	0.009	0.124
34.8258	0.203	171.234	0.000	34.427
29.4748	0.164	179.686	0.000	29.153
18.7675	0.165	113.617	0.000	18.444
9.1530	0.164	55.803	0.000	8.831
12.2984	0.163	75.636	0.000	11.980
32.8196	0.197	166.259	0.000	32.433
43.5178	0.196	222.563	0.000	43.135
0.1164	0.076	1.532	0.126	-0.033
62.3580	0.468	133.179	0.000	61.440
	======		-=====	======
0.000	Jaro Prob	que-Bera (JB):	1	1.999 1381.110 .25e-300 2.48e+04
	0.1298 -3.1624 0.0388 -2.8097 2.5053 0.4919 34.8258 29.4748 18.7675 9.1530 12.2984 32.8196 43.5178 0.1164 62.3580	0.1298	0.1298	0.1298

====

#### Notes:

<sup>[1]</sup> Standard Errors assume that the covariance matrix of the errors is correctly specified.

<sup>[2]</sup> The condition number is large, 2.48e+04. This might indicate that there are

strong multicollinearity or other numerical problems.

### E1. Comparing the Initial and Reduced Multiple Regression Models

Here we find that even after removing 18 variables, with only 15 remaining the R^2 value of the model is exactly the same at 0.967 or 97% capable of explaining the variability. It further emphasizes that the variables with P-values above the 0.05 cut-off were indeed insignificant.

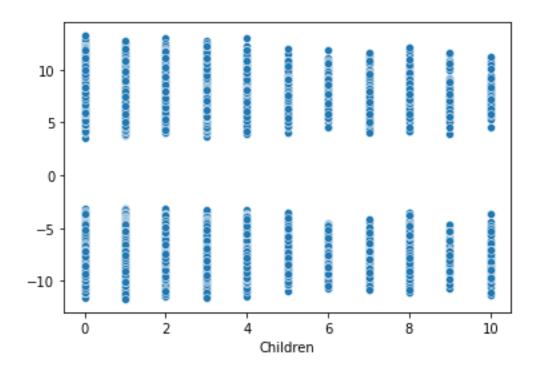
The most statistically significant variables were those with a P-value of 0, which in this case were quite a few with 13 in total:

Children, Age, Tenure, Bandwidth\_GB\_Year, DummyGender, DummyChurn, DummyInternetService, DummyMultiple, DummyOnlineBackup, DummyDeviceProtection, DummyTechSupport, DummyStreamingTV, and DummyStreamingMovies

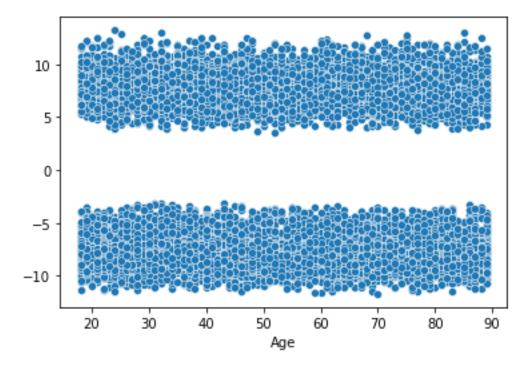
Our New Reduced Multiple Regression Model Equation is as follows:

```
Y=62.3580-1.1823*Children+0.1298*Age-3.1624*Tenure+0.0388*Bandwidth\_GB\_Year-2.8097*DummyGender+2.5053*DummyChurn+0.4919*DummyContract+34.8258*DummyInternetService+29.4748*DummyMultiple+18.7675*DummyOnlineBackup+9.1530*DummyDeviceProtection+12.2984*DummyTechSupport+32.8196*DummyStreamingTV+43.5178*StreamingMovies+0.1164*Timely\_Fixes
```

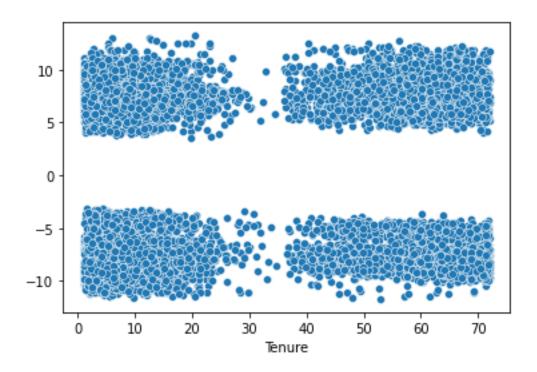
Also as shown below, the residuals express that the model is ideal due to the residuals distributed are trending towards the middle of the plot (Qualtrics 2021)



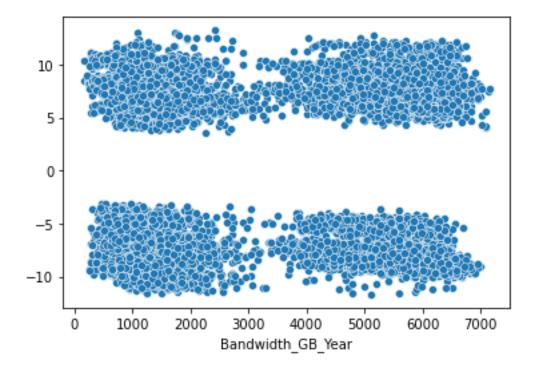
sns.scatterplot(x=final\_churn\_clean\_df['Age'], y=residuals)
plt.show()



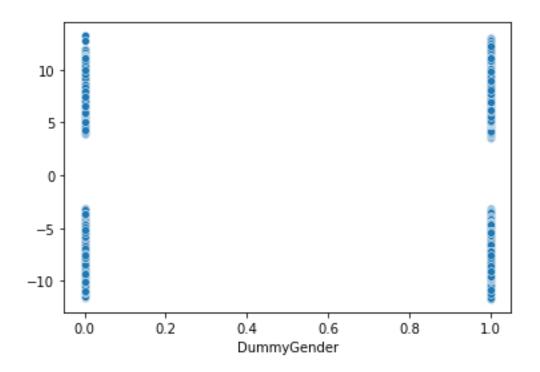
sns.scatterplot(x=final\_churn\_clean\_df['Tenure'], y=residuals)
plt.show()



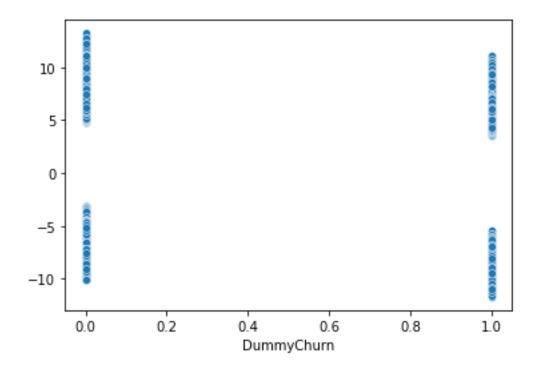
sns.scatterplot(x=final\_churn\_clean\_df['Bandwidth\_GB\_Year'], y=residuals)
plt.show()



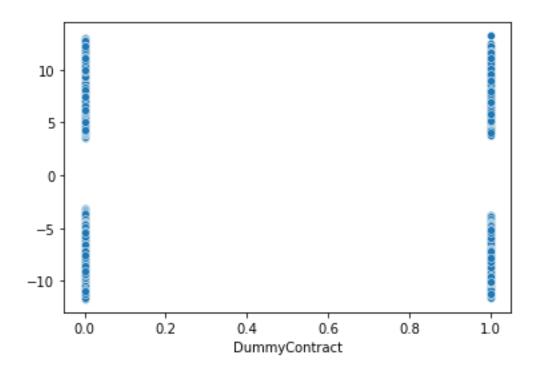
sns.scatterplot(x=final\_churn\_clean\_df['DummyGender'], y=residuals)
plt.show()



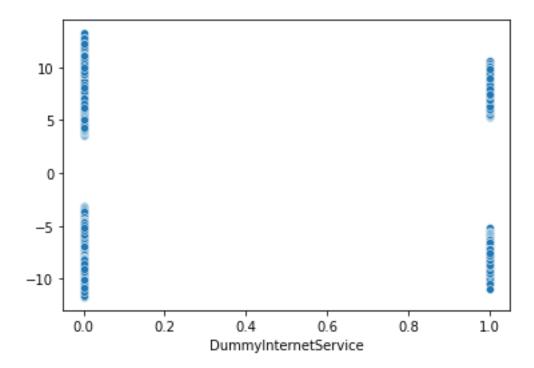
sns.scatterplot(x=final\_churn\_clean\_df['DummyChurn'], y=residuals)
plt.show()



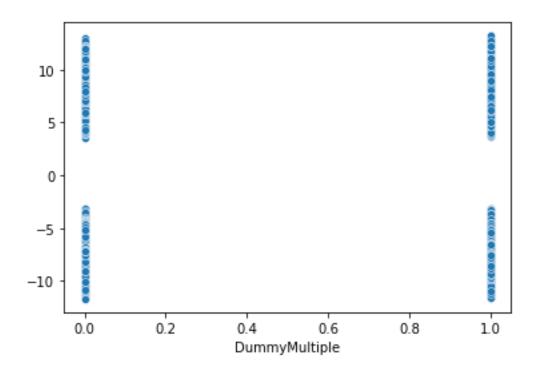
sns.scatterplot(x=final\_churn\_clean\_df['DummyContract'], y=residuals)
plt.show()



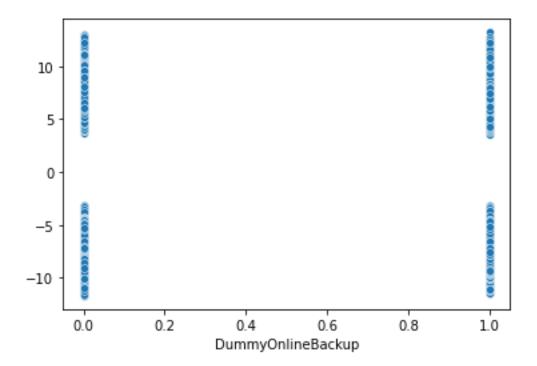
sns.scatterplot(x=final\_churn\_clean\_df['DummyInternetService'], y=residuals)
plt.show()



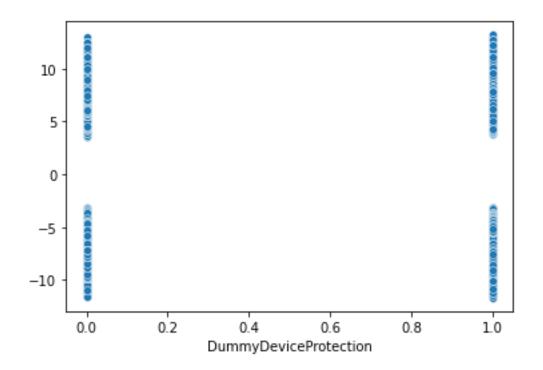
sns.scatterplot(x=final\_churn\_clean\_df['DummyMultiple'], y=residuals)
plt.show()



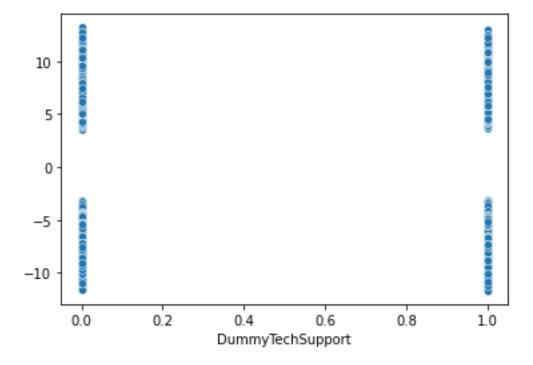
sns.scatterplot(x=final\_churn\_clean\_df['DummyOnlineBackup'], y=residuals)
plt.show()



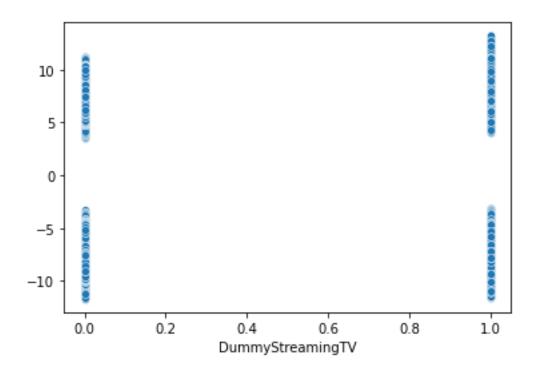
sns.scatterplot(x=final\_churn\_clean\_df['DummyDeviceProtection'], y=residuals)
plt.show()



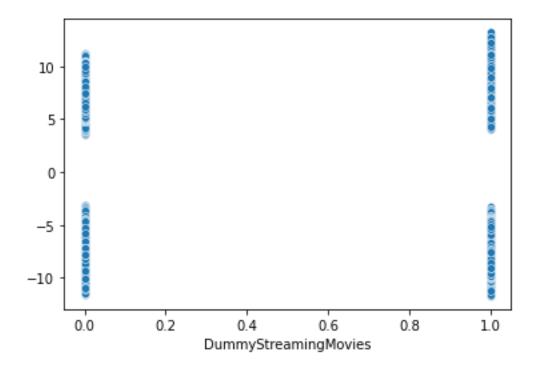
sns.scatterplot(x=final\_churn\_clean\_df['DummyTechSupport'], y=residuals)
plt.show()



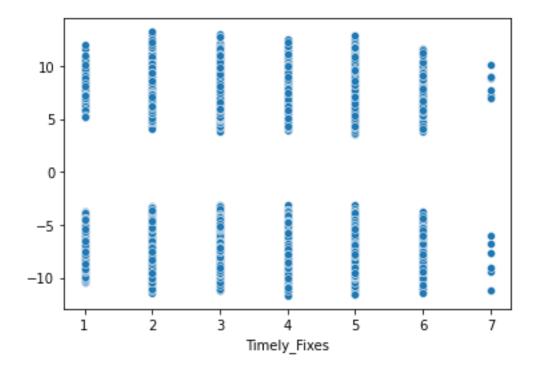
sns.scatterplot(x=final\_churn\_clean\_df['DummyStreamingTV'], y=residuals)
plt.show()



sns.scatterplot(x=final\_churn\_clean\_df['DummyStreamingMovies'], y=residuals)
plt.show()



sns.scatterplot(x=final\_churn\_clean\_df['Timely\_Fixes'], y=residuals)
plt.show()



## E2. Output and Calculations of the Analysis

Outputs and Calculations are provided above

## E3. Code of Multiple Regression Analysis

Code provided above

# **Part V: Data Summary and Implications**

## F1. Results of Data Analysis

The regression equation for the reduced model is as follows

 $\label{eq:contract} Y = 62.3580 - 1.1823*Children + 0.1298*Age - 3.1624*Tenure + 0.0388*Bandwidth\_GB\_Year - 2.8097*DummyGender + 2.5053*DummyChurn + 0.4919*DummyContract + 34.8258*DummyInternetService + 29.4748*DummyMultiple + 18.7675*DummyOnlineBackup + 9.1530*DummyDeviceProtection + 12.2984*DummyTechSupport + 32.8196*DummyStreamingTV + 43.5178*StreamingMovies + 0.1164*Timely\_Fixes$ 

According to the Regression Analysis, it seems that the top 3 coefficients and there for contributors to the change in MonthlyCharge were: StreamingMovies, StreamingTV, Multiple, and InternetService

The Coefficients of each Continuous variable results are as follows:

Children = MonthlyCharge will decrease by 1.1823 units

Age = MonthlyCharge will increase by 0.1298 units

Tenure = MonthlyCharge will decrease by 3.1624 units

Bandwidth\_GB\_Year = MonthlyCharge will increase by 0.0388 units

Gender = MonthlyCharge will decrease by 2.8097 units

Churn = MonthlyCharge will increase by 2.5053 units

Contract = MonthlyCharge will increase by 0.4919 units

InternetService = MonthlyCharge will increase by 34.8258 units

Multiple = MonthlyCharge will increase by 29.4748 units

OnlineBackup = MonthlyCharge will increase by 18.7675 units

DeviceProtection = MonthlyCharge will increase by 9.1530 units

TechSupport = MonthlyCharge will increase by 12.2984 units

StreamingTV = MonthlyCharge will increase by 32.8196 unit

StreamingMovies = MonthlyCharge will increase by 43.5178 units

Timely\_Fixes = MonthlyCharge will increase by 0.1164 units

While all of the above variable's P-values are below alpha level of 0.05, all the variables above except for Timely\_Fixes had a P-Value of 0.00, making them statistically significant.

As far as limitations, it seems that the data set that we have of 10,000 observations is abit small, and so perhaps if we focus more on collection of data to increase the observations, we will have a more accurate prediction of the relationships.

### F2. Recommended Course of Action

When looking at the results of our Regression Analysis, it is shown that the highest coefficient variables in relation to MonthlyCharge were StreamingTV and StreamingMovies. This shows us that a big portion of the service provider is being used for movies and TV shows. To capitalize on this, the company should focus on allocating more resources on making their platform easier, faster and more compatible for entertainment streaming.

If this is pursued, we can be sure that the company will increase the sales numbers per customer with the factor of about 43 units and 32 units respectively for movie and TV streaming.

## **G. Panapto Video**

https://wgu.hosted.panopto.com/Panopto/Pages/Viewer.aspx?id=7ac404c1-59ea-4695-814a-ad71000

## **H. Third Party Code Sources**

Tim McAleer (2020). Interpreting Linear Regression Through Statsmodels. Summary (). <a href="https://medium.com/swlh/interpreting-linear-regression-through-statsmodels-summary-4796d359035a">https://medium.com/swlh/interpreting-linear-regression-through-statsmodels-summary-4796d359035a</a>

Mirko Stojiljkovic (2021). Linear Regression in Python.

https://realpython.com/linear-regression-in-python/#implementing-linear-regression-in-python

W3Schools (2021). Machine Learning – Multiple Regression.

https://www.w3schools.com/python/python ml multiple regression.asp

## I. Acknowledged Sources

Minitab (2019). Model Reduction.

https://support.minitab.com/en-us/minitab-express/1/help-and-how-to/modeling-statistics/regression/supporting-topics/regression-models/model-reduction/

Qualtrics (2021). Interpreting Residual Plots to Improve your Regression.

https://www.qualtrics.com/support/stats-iq/analyses/regression-guides/interpreting-residual-plots-improve-regression/

Kripa Mahalingam (2020). The Importance of Sales Forecasting.

https://www.chargebee.com/blog/importance-of-sales-forecasting/