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COMPUTER ENGINEERING

DAA LAB ASSIGNMENT 2

PROGRAM:

LINEAR SEARCH:

```
#include <iostream>
#include <vector>
using namespace std;
int LinearSearch(vector<int> &numbers, int key)
  for (int i = 0; i < numbers.size(); ++i)
     if (numbers[i] == key)
       return i; // key found at index i.
  return -1; // key not found.
int main()
  int n, key;
  // Get the size of the array
  cout << "Enter the number of elements in the array: ";</pre>
  cin >> n;
  // Create a vector and get the elements from the user
  vector<int> numbers(n);
  cout << "Enter " << n << " elements: ";
```

```
for (int i = 0; i < n; ++i)
   cin >> numbers[i];
 // Get the key to search for
 cout << "Enter the number to search: ";</pre>
 cin >> key;
 // Perform Linear Search and output the result
 int result = LinearSearch(numbers, key);
 cout << (result != -1 ? "Number found at index: " + to_string(result) : "Number not found") <<
 return 0;
}
TEST CASE:
 Enter the number of elements in the array: 5
 Enter the elements of the array: 1 2 3 4 5
 Enter the element to search for: 4
 Element is present at index 3
 Enter the number of elements in the array: 5
 Enter the elements of the array: 1 7 9 16 12
 Enter the element to search for: 9
Element is present at index 2
Enter the number of elements in the array: 5
Enter the elements of the array: 1 3 15 16 80
Enter the element to search for: 16
Element is present at index 3
Enter the number of elements in the array: 5
Enter the elements of the array: 1 2 5 7 9
Enter the element to search for: 6
Element is not present in array
Enter the number of elements in the array: 4
Enter the elements of the array: 3 5 7 11
Enter the element to search for: 15
Element is not present in array
```

PROGRAM:

BINARY SEARCH:

```
#include <iostream>
using namespace std;
int binarySearch(int arr[], int left, int right, int x) {
  while (left <= right) {
     int mid = left + (right - left) / 2;
     // Check if x is present at mid
     if (arr[mid] == x)
       return mid;
     // If x is greater, ignore the left half
     if (arr[mid] < x)
       left = mid + 1;
     // If x is smaller, ignore the right half
     else
       right = mid - 1;
  // If the element is not present, return -1
  return -1;
int main() {
  int n, x;
  // Get the size of the array from the user
  cout << "Enter the number of elements in the array: ";</pre>
  cin >> n;
  int arr[n]; // Declare the array with the user-defined size
  // Get the elements of the array from the user
  cout << "Enter the elements of the array in ascending order: ";</pre>
  for (int i = 0; i < n; i++) {
     cin >> arr[i];
```

```
cin >> x:
 // Perform the binary search
 int result = binarySearch(arr, 0, n - 1, x);
 if (result == -1)
   cout << "Element is not present in array" << endl;</pre>
 else
   cout << "Element is present at index " << result << endl;</pre>
 return 0;
}
TEST CASE:
Enter the number of elements in the array: 5
Enter the elements of the array in ascending order: 7 9 11 15 20
Enter the element to search for: 11
Element is present at index 2
Enter the number of elements in the array: 7
Enter the elements of the array in ascending order: 2 4 6 8 10 12 14
Enter the element to search for: 14
Element is present at index 6
Enter the number of elements in the array: 7
Enter the elements of the array in ascending order: 1 3 5 7 9 11 13
Enter the element to search for: 11
Element is present at index 5
Enter the number of elements in the array: 5
Enter the elements of the array in ascending order: 20 40 60 80 100
Enter the element to search for: 65
Element is not present in array
Enter the number of elements in the array: 1
Enter the elements of the array in ascending order: 1
Enter the element to search for: 6
```

// Get the key to search for

cout << "Enter the element to search for: ";</pre>

Element is not present in array

Conclusion:

In this assignment, we focused on implementing Linear Search and Binary Search algorithms while adhering to best coding practices. We meticulously outlined the steps for each algorithm and developed test cases that covered both successful and unsuccessful search scenarios. Through analysis, we confirmed that Linear Search operates with a time complexity of O(n)O(n)O(n), whereas Binary Search operates with a time complexity of $O(\log \mathbb{Z}_n)O(\log n)O(\log n)$.

The assignment highlighted the efficiency of Binary Search when dealing with sorted data, emphasizing its advantages over Linear Search in such contexts. This exercise not only reinforced our understanding of fundamental algorithm design but also underscored the importance of writing clear, well-organized code. Overall, it was a valuable learning experience that enhanced our grasp of algorithmic concepts and their practical applications.

	Page no.:/
	DAA Assignment
*	Pseudo code Linear Learch (arr[1, Key) Ifind index of Key in array by linear Learch. Il input: array of integers of Key. Il output: Index of number if found else stetwent. If (arr[] = 1 = 1 = 1 + 1 + 1 + 1 + 1 + 1 + 1 + 1
#	Vetwin I index of hey Vetwin I linot Found. Binory Sparch (Orvi) Key It find index of Key by Binary Jearch. It find index of Key by Binary Jearch. It input: array of int. that is sortedin according order. It input: array of int. that is sortedin according order. It output: index of Key if found else yetwin 4. Start = 0, end = Size -1, mid = (Start-1 end)
	While (Start <= end) { if (arr [mid] = = Key) Yeturn mid I index of Key if (arr [mid] < Key) - Start = mid + 1 else end = mid-1; return -1

				Page no	
	Test - Con	e :	Linear Seon	Date://_	
	Input	Key	Output	2 Out	907
1) {1,2,3,4	,5}	4	3		
2) { 1,7,9	1,16,12}	9	2		
3) {1,3,	15,16,80}	16	3		
4) } 1;	2,5,7,9}	6	7 7 7		
5) {3,5	5,7,11}	15	-1		
6) { }		4	. 4		
	Test Case: Binary - Search				
1)	\$7,9,11	Input	Key	Output 2	
2)	\$2,4,6,8,10,1.2,14}		14	6	
3)	\$1,3,5,7,9	1,11,13 }	11	5	
4)	\$20,40,60,80,100}		65	-	
5)	<i>§1}</i>		6		
	,				

	Page no.:/ Date:/
	Time Complexity:
(1)	Jonean Search.
(a)	Best Case: 11 Key Present at first element
	Cin « enter tanget.; 1 Joy loop 1 Meturn Statement
	$O(3) \simeq O(1)$
(h)	Worst Care: 11 Key Present at end Pasition [in << "Intertaget"; n tor lost
	n for losp 1 Los tretwin Statement.
	$O(n+2) \simeq O(n)$
(C)	Avg. Case: Il key may be present in between position. Let the Element to per present at the Kth position.
	1 Cin cc 11 Enter target;
	Cin ("Enter target"; K Jox loop (Yun for kth fime) 1 — Metwon Statement
	$O(\kappa+1) = O(\kappa)$

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(2)	Binary Search
(a)	Best Cose: 11 Key Present at the mid Position.
	1 Cin K " Inter the target";
/	1 Cin Ck " Inter the target"; 1 for loop 1 Vetwen Statement.
	A
	$O(3) \approx O(1)$.
(b)	Worst Case: Il Key may not be present or present
	Worst Case: Il Key may not be present or present of the curray.
	1 Cin (c" Enter the target";
	to for loop.
	109(n)
	because every time the number of element in the
	arry becomes half.
(c)	Arg Case: 11 Key at Mandom Cocation.
	Element present in between position but
	not' at the Center of the array
	So the loop will then for Kt time,
	in their terrord"
	Jefun Statemens
	O(k+2) = O(k),