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2. (a)
i. \Pi_{eid}(\sigma_{aname='boeing}(Aircraft) \bowtie Certified))
ii. \Pi_{ename}(\sigma_{aname='boeing'}(Aircraft) \bowtie Certified \bowtie Employees)
\text{iii. } \Pi_{aid}(Aircraft \bowtie_{crusingrange >= \ distance} (\sigma_{from='Bonn'\ AND\ to='Madras'}(F\ lights)))
iv. \Pi_{\text{fino}} (\sigma_{\text{salary}>100000 \text{ AND distance} < \text{cruising range}}Employees \bowtie Certified \bowtie Aircraft \bowtie
Flights)
v. R1 = \Pi_{ename}(Employees \bowtie Certified \bowtie \sigma_{cruisingrange > 3000}(Aircraft))
    R2 = \prod_{ename} (Employees \bowtie Certified \bowtie \sigma_{name='hoeing}(Aircraft))
    R3 = R1 - R2
vi. R1 = \rho E1 (Employees)
     R2 = \rho E2 (Employees)
     R3 = \prod_{E2.eid} (E1 \bowtie_{E1.salary>E2.salary} E2)
     R4 = \prod_{eid} E1
     R5 = R4-R3
vii. R1 = Employees
      R2 = \rho_{R2(eid2, ename2, salary2)}(Employees)
      R3 = (R1 \bowtie_{salary < salary 2} R2)
      R4 = R1 - R3
       R5 = R1 - R4
      R6 = \rho_{R6(eid6, ename6, salary6)}(R5)
      R7 = \prod_{eid, ename, salary} (R5 \bowtie_{salary \leq salary \leq R6})
      R8 = \prod_{eids} (R5 - R7)
viii. No relational algebra because there is no way to use count in RA.
ix. R1 = \prod_{eid. aid} ((Employees \bowtie Certified) \bowtie Aircraft)
      R2 = \rho_{R2(eid2, aid2)}(R1)
      R3 = \rho_{R3(eid3, aid3)}(R1)
       R4 = \rho_{R3(eid4, aid4)}(R1)
       R5 = R1 \bowtie_{aid} != aid2 AND eid=eid2 R2
      R6 = R5 \bowtie_{aid} != aid2 \text{ AND } aid2 != aid3 \text{ AND } eid=eid3 \text{ R3}
      R7 = R6 \bowtie_{aid} != aid2 \text{ AND } aid2 != aid3 \text{ AND } aid3 != aid4 \text{ AND } eid=eid4 R4
       R8 = \Pi_{eid}(R6 - R7)
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x. No relational algebra because there is no way to use sum in RA