```
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     RV X~N(ux=0, 0x2=4)
                                       XIW
       W \sim N(uw^2, ow^2 = 2)
      1/=X+W
                                   We know V~N(M,02)
 E(V) = E(X+W)
                               Vor(V)=Var(X+W)
       = E(X)+ E(W)
                                       = Var(X) + Var(W) + 2(ov(X, W)
                                      = 4 + 2 + 0
       = 0+2
   V~ Normal (u=2, 02=6)
b) Z = V - M Z_X = X - u_X
= V - 2
= X - 0
= 2
                                  P((X1>3)=P(X>3)+P(X<-3) = P(M_X+O_XZ_X>3)+P(M_X+O_XZ_X<-8)
                                          = P(Z_{x} > \frac{3-0}{2}) + P(Z_{x} < \frac{-3-0}{2})
                                         =1-\frac{\rho(Z_{x}\leq\frac{3}{2})+\rho(Z_{x}<-\frac{3}{2})}{-1-0.93319+0.06681}
                                         = 0.13362
P(|V|>3) = P(V>3) + P(V<-3)
            = P(2+56Zv >3) + P(2+56Zv <-3)
            =P(Z_{v}>3-2)+P(Z_{v}<-3-2)
           =1-P(Z_v \leq 0.41) + P(Z_v < -2.04)
           =1-0.65910 + 0.02068
          = 0.36158
```

$$P(Y \leq y) = P(-Jy \leq X \leq Jy) \qquad \text{for } y \geq 0$$

$$= P(X \leq Jy) - P(X \leq Jy)$$

$$= \int_{-\infty}^{\sqrt{y}} \frac{1 - \frac{y}{y}}{2\sqrt{\eta}} \frac{1}{\eta} \frac{1}{\eta}$$

$$\frac{1}{2\sqrt{\pi}} \left(-\frac{\sqrt{e^{-\frac{\sqrt{y}}{4}}} \left(-\frac{1}{4} \frac{1}{2\sqrt{y}} \right) + 4e^{\frac{\sqrt{y}}{4}} \left(\frac{1}{4} \frac{1}{2\sqrt{y}} \right) \right) \\
= \frac{1}{2\sqrt{\pi}} \left(e^{-\frac{\sqrt{y}}{4}} \cdot \frac{1}{2\sqrt{y}} + e^{\frac{\sqrt{y}}{4}} \frac{1}{2\sqrt{y}} \right) \\
= \frac{1}{4\sqrt{\pi}y} \left(e^{-\frac{\sqrt{y}}{4}} + e^{\frac{\sqrt{y}}{4}} \right)$$