



Review Test Submission: Quiz 4

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Unit	Discrete Structures
Test	Quiz 4
Started	6/06/17 9:23 AM
Submitted	6/06/17 9:23 AM
Status	Completed
Attempt Score	0 out of 100 points
Time Elapsed	0 minute
Instructions	You will have 2 attempts. The higher score will count to your mark. The deadline is Friday May 5, at 11:59pm.
Results Displayed	All Answers, Correct Answers

Question 1

0 out of 5 points

True or false: $(A \rightarrow B) \wedge B \models A$

Answers: True

✔ False

Question 2

0 out of 5 points

True or false: $(A \vee \neg B) \wedge B \models A$ Answers: ✔ True

False

Question 3

0 out of 5 points

True or false: $(A \wedge B) \wedge C \models B$ Answers: ✔ True

False

Question 4

0 out of 5 points

True or false: $(A \rightarrow B) \wedge (A \rightarrow C) \models A \rightarrow (B \wedge C)$

Answers: ☒ True
☐ False

Question 5

0 out of 5 points

True or false: $(A \rightarrow (B \wedge C)) \wedge \neg B \models \neg C$

Answers: ☐ True
☒ False

Question 6

0 out of 5 points

Logical implications can be used to make a substitution:

Answers: ☐ only in proofs, where the right hand side of the logical implication is known to be true.



only in cases where the left hand side of the logical implication is known to be true, such as in a proof.

wherever the left hand side of the logical implication appears in a Boolean formula.

not ever. Logical implications cannot be used to make substitutions.

Question 7

0 out of 5 points

The following proof is incomplete.

$$\begin{array}{l} A \rightarrow B \\ B \rightarrow C \\ \hline B \\ A \rightarrow C \\ \text{?????} \end{array}$$

Which of the following propositions *cannot* be the conclusion?

Answers:

☒ $\neg C$

☐ $B \wedge C$

☐ $\neg C \rightarrow \neg A$

☐ C

Question 8

0 out of 5 points

The following proof is incomplete.

$$\begin{array}{l} A \vee \neg B \\ \neg A \\ \text{?????} \end{array}$$

Which of the following propositions *can* be the conclusion?

Answers:

☐ $\neg A \rightarrow B$

☐ $\neg A \wedge B$

☐ B

☒ $\neg B$

Question 9

0 out of 5 points

Which of the following statements does not describe a valid way of adding new lines to a proof:

Answers: Adding the right hand side of a logical implication if the left hand side already appears in the proof

Forming the AND of two lines that already appear

☒ Making a substitution using a logical implication

Making a substitution using a logical equivalence

Question 10

0 out of 5 points

Determine the truth value of the following fully quantified predicate:

$$\forall x \in \{-1, 0, 1\} (x^2 = x)$$

Answers: True

☒ False

Question 11

0 out of 5 points

Determine the truth value of the following fully quantified predicate:

$$\exists x \in \{-1, 0, 1\} \forall y \in \{-1, 1\} (y^2 = x)$$

Answers: ☒ True

False

Question 12

0 out of 5 points

Determine the truth value of the following fully quantified predicate:

$$\forall x \in \{-1, 0, 1\} \exists y \in \{-1, 1\} (y^2 = x)$$

Answers: True


☒ False

Question 13


0 out of 5 points


Which statement most accurately describes the following predicate?

$$\forall x \exists y p(x, y)$$

Answers: The predicate has a free parameter x 

The predicate is not well formed.

 The predicate is fully quantified.

The predicate has a free parameter y 


Question 14



0 out of 5 points

Which statement most accurately describes the following predicate?

$$\forall x p(x, y)$$

Answers: The predicate is not well formed.

The predicate has a free parameter x 

 The predicate has a free parameter y 


The predicate is fully quantified.

Question 15


0 out of 5 points


Which statement most accurately describes the following predicate?

$$\forall x \exists x p(x, y)$$

Answers:  The predicate is not well formed.

The predicate is fully quantified.

The predicate has a free parameter y 


The predicate has a free parameter x 

Question 16


0 out of 5 points


Choose the english sentence which most closely gives the meaning of



$$\exists z \in \mathbb{N} (x = yz \wedge y \neq x \wedge z \neq x)$$

Answers: y and z are divisors of x 



x is a composite number 

x is prime 

 y divides x 


Question 17



0 out of 5 points


Choose the english sentence which most closely gives the meaning of

$$\exists y \in \mathbb{N} (x = y^2)$$

Answers: x is a composite number 

x is prime 

 x is a square 


y is a square 

Question 18

0 out of 5 points

Which of the following has the same meaning as $S \cap T \neq \emptyset$?

Answers: $\forall x \in S \cup T (x \in S)$

 $\exists x \in T (x \in S)$

$\exists x \in T (x \notin S)$

$\forall x \in S (x \in T)$

Question 19

0 out of 5 points

Which of the following has the same meaning as $S \subseteq T$?

Answers:

$\exists x \in T (x \notin S)$

$\exists x \in T (x \in S)$

$\forall x \in S \cup T (x \in S)$

$\forall x \in S (x \in T)$



Question 20

0 out of 5 points

Which of the following most accurately describes the use of a proof?

Answers: A proof demonstrates that the conclusion must be true.



A proof shows that the premises together logically imply the conclusion.

A proof shows that the OR of all the premises logically implies the conclusion.

A proof is only useful for demonstrating the validity of syllogisms.

Tuesday, 6 June 2017 9:23:11 AM AEST

← OK