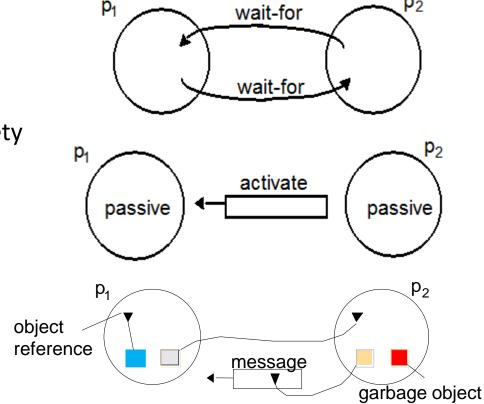
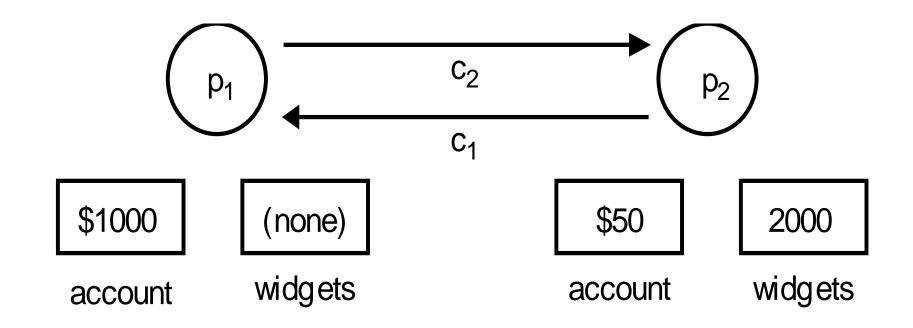
## Tutorial week 5

## Global Snapshot

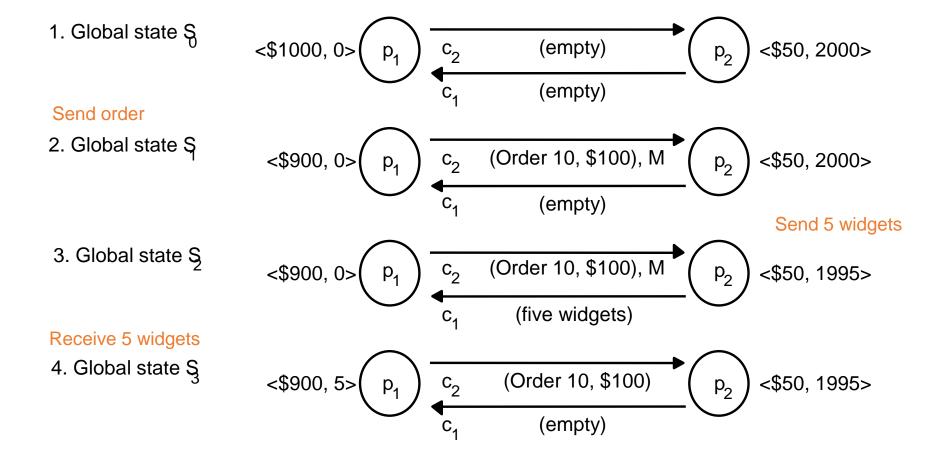
- What: Take a snapshot of the global computation
  - Global state = states of all processes + states of all communication channels
- Why?
  - Useful for debugging
  - Useful for backup/check-pointing
  - Useful for calculating global predicate: liveness and safety
  - Useful for deadlock detection
  - Useful for rollback recovery
  - Useful for termination detection
  - Useful for garbage collection



## Global Snapshot: Trading Example



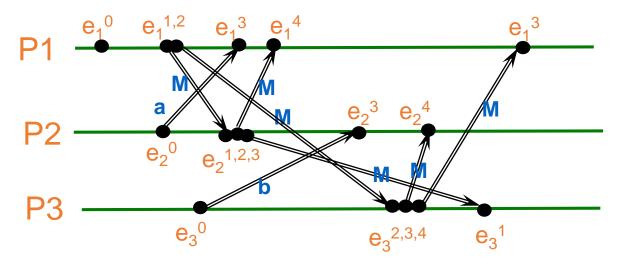
#### Execution of the Processes



(M = Marker Message)

## Chandy-Lamport Snapshot Algorithm

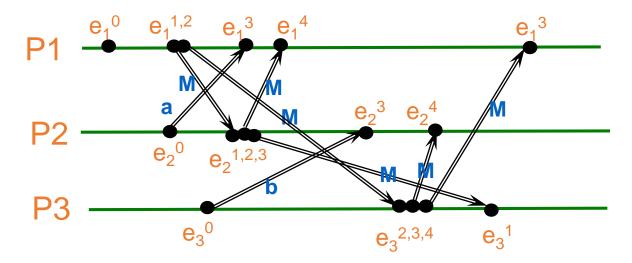
## Example



- 1. P1 initiates snapshot: records its state (S1); sends Markers to P2 & P3; turns on recording for channels  $Ch_{21}$  and  $Ch_{31}$
- 2. P2 receives Marker over  $Ch_{12}$ , records its state (S2), sets  $state(Ch_{12}) = \{\}$  sends Marker to P1 & P3; turns on recording for channel  $Ch_{32}$
- 3. P1 receives Marker over  $Ch_{21}$ , sets  $state(Ch_{21}) = \{a\}$
- 4. P3 receives Marker over  $Ch_{13}$ , records its state (S3), sets  $state(Ch_{13}) = \{\}$  sends Marker to P1 & P2; turns on recording for channel  $Ch_{23}$

## Example

S1, S2, S3, ch<sub>12</sub>, ch<sub>21</sub>, ch<sub>13</sub>



- 5. P2 receives Marker over  $Ch_{32}$ , sets  $state(Ch_{32}) = \{b\}$
- 6. P3 receives Marker over Ch<sub>23</sub>, sets state(Ch<sub>23</sub>) = {}
- 7. P1 receives Marker over  $Ch_{31}$ , sets  $state(Ch_{31}) = \{\}$

#### Chandy-Lamport Snapshot Algorithm

1. Initiator process  $P_0$  records its state locally

#### 2. Marker sending rule for process $P_i$ :

After  $P_i$  has recorded its state, for each outgoing channel  $ch_{ij}$ ,  $P_i$  sends one marker message over  $ch_{ij}$  (before  $P_i$  sends any other message over  $ch_{ij}$ )

#### 3. Marker receiving rule for process $P_i$ :

Process  $P_i$  on receipt of a marker over channel  $ch_{ji}$  If  $(P_i$  has not yet recorded its state) it

Records its process state now;

Records the state of  $ch_{ii}$  as empty set;

Starts recording messages arriving over other incoming channels;

else (P<sub>i</sub> has already recorded its state)

 $P_i$  records the state of  $ch_{ji}$  as the set of all messages it has received over  $ch_{ji}$  since it saved its state

## THM

## How to record a consistent snapshot ??

#### Chandy-Lamport Snapshot Algorithm

#### **Assumptions:**

- > No failure, all messages arrive intact, exactly once
- Communication channels are unidirectional and FIFO-ordered
- > There is a comm. channel between each pair of processes
- > Any process may initiate the snapshot (send "Marker")
- > Snapshot does not interfere with normal execution

THM

### Consistent cut

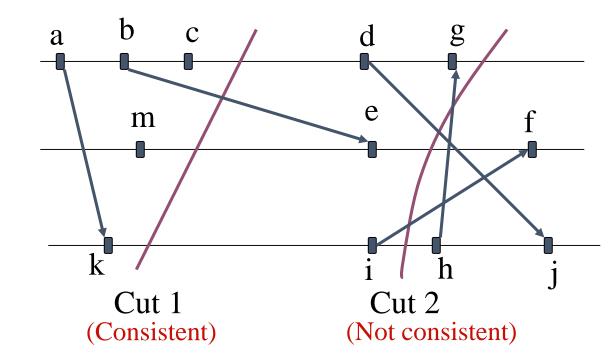
A cut is a set of events.

(a  $\in$  consistent cut C)  $\land$  (b happened before a)  $\Rightarrow$  b  $\in$  C

**P**1

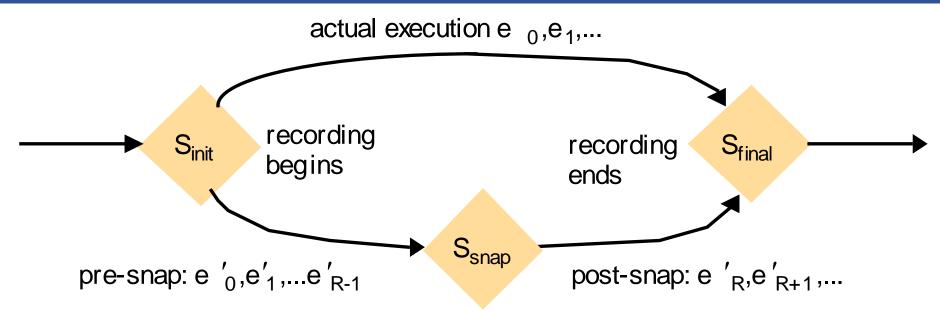
P2

P3



**Consistent snapshot:** The set of states immediately following a *consistent* cut forms a consistent snapshot of a distributed system.

# Reachability between States in Snapshot Algorithm



- The *observed state* is a **feasible state** that is reachable from the *initial configuration*. It may not actually be visited during a specific execution.
- The final state of the original computation is always reachable from the observed state.
- Chandy Lamport algorithm does a partial job. Each process collects a *fragment* of the global state, but these pieces have to be stitched together to form a global state.

#### Run vs Linearization

- A run is a total ordering of events in *H* that is consistent with each  $h_i$ 's ordering
  - E.g.,  $\langle e_1^0, e_1^1, e_1^2, e_1^3, e_2^0, e_2^1, e_2^2, e_3^0 e_3^1, e_3^2 \rangle$
- A linearization is a run consistent with happens-before (→)
  relation in H
  - E.g.,  $\langle e_1^{\ 0}, e_1^{\ 1}, e_3^{\ 0}, e_2^{\ 0}, \dots \rangle$ ,  $\langle e_1^{\ 0}, e_3^{\ 0}, e_1^{\ 1}, e_2^{\ 0}, \dots \rangle$
  - Concurrent events are ordered arbitrarily
  - Linearizations pass through consistent global states
- If there is a linearization that passes through state S and then state S', then S is said to be *reachable* from S

