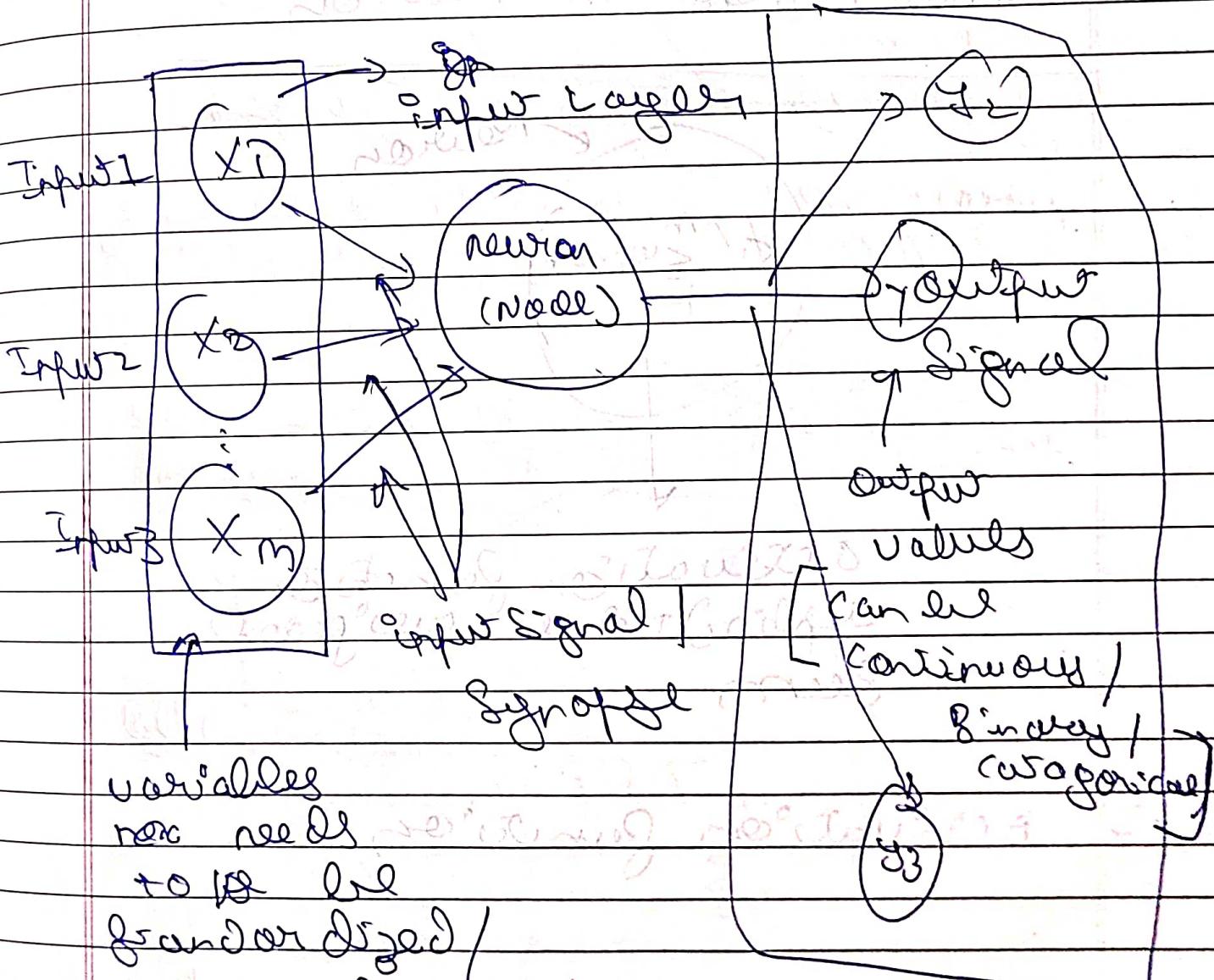


How to

Artificial Neural Networks

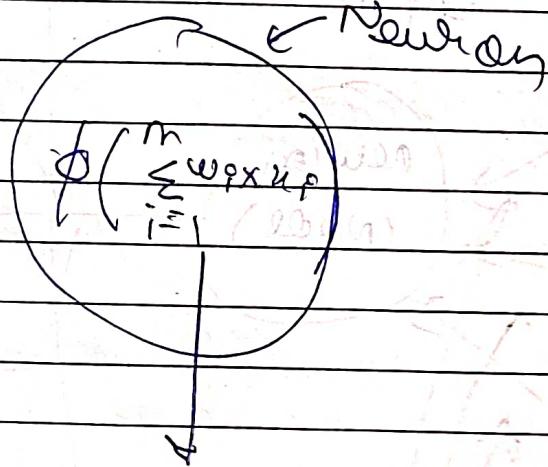
Neurons



all Signapses have weights

By using Neural network
decoding a certain signal
is important and easier
if true

what happens in neurons



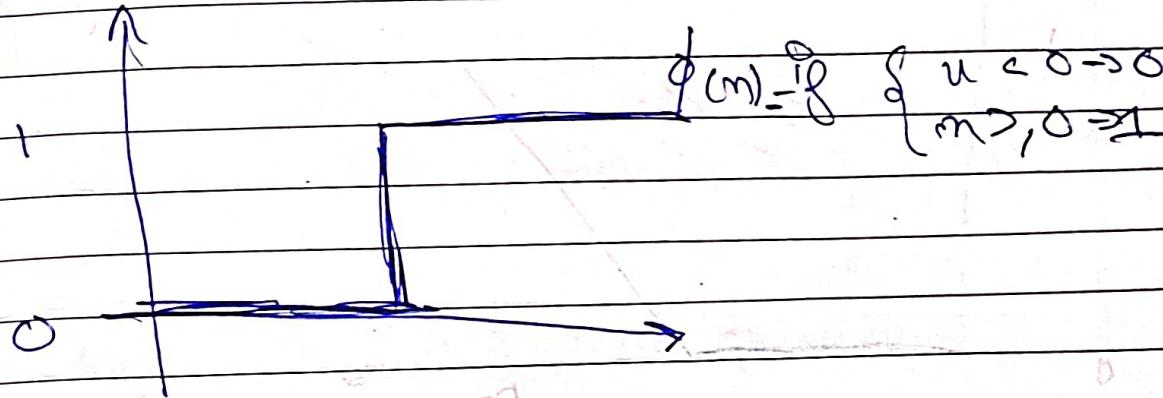
activation function
applied to a weighted sum

→ Activation functions

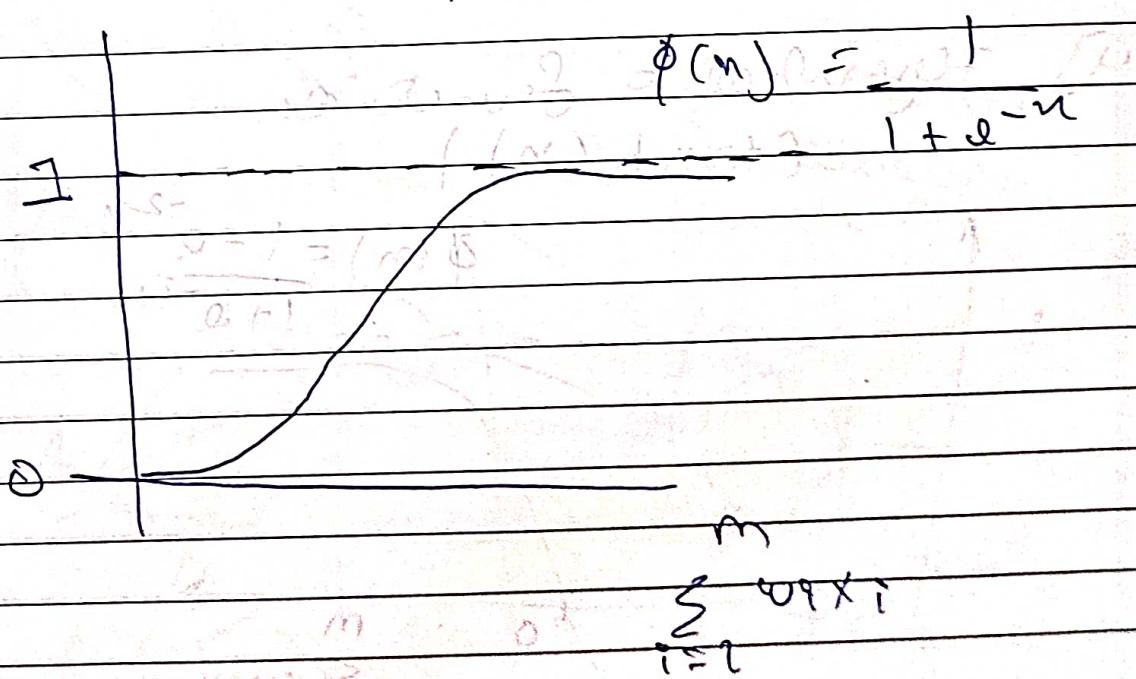
Types

1) threshold function

$$\text{output}(n) = \phi(n)$$

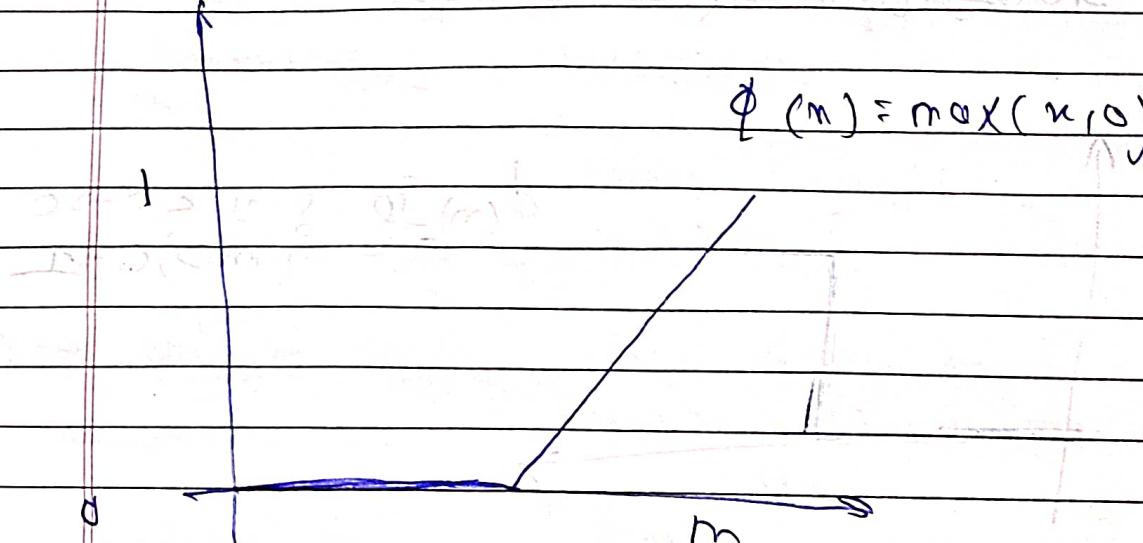


2) Sigmoid function (very useful in final layer)



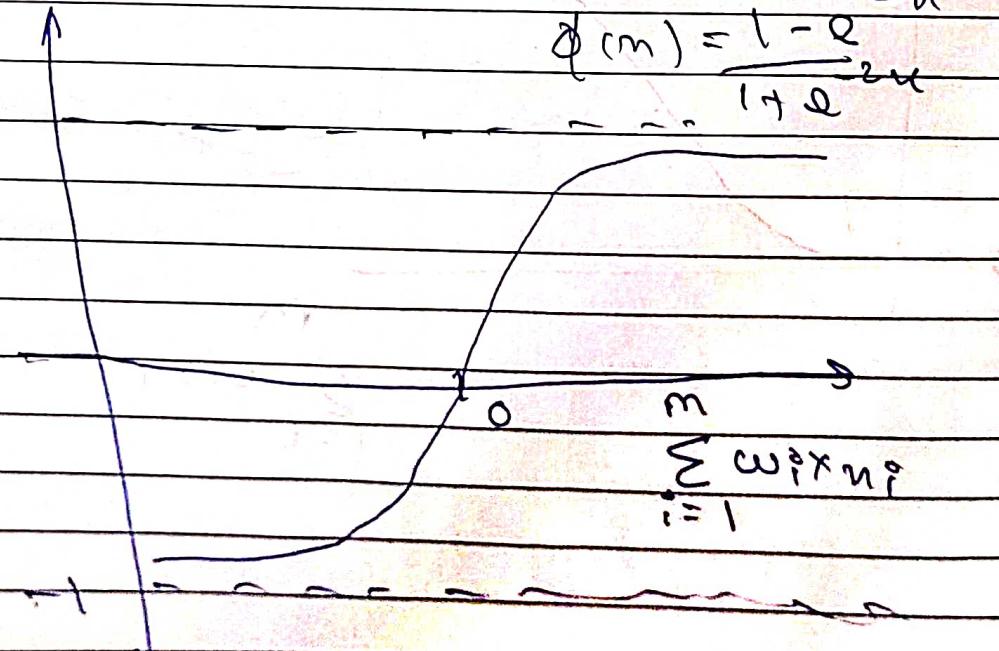
3) Rectifier function
(one of the most used)

$$\phi(m) = \max(n, 0)$$



4) Hyperbolic function
(tanh(n))

$$\phi(m) = \frac{e^{-2m}}{1 + e^{-2m}}$$



① Suppose we have a binary input variable

$y = \phi(\sum_{i=1}^m w_i x_i)$

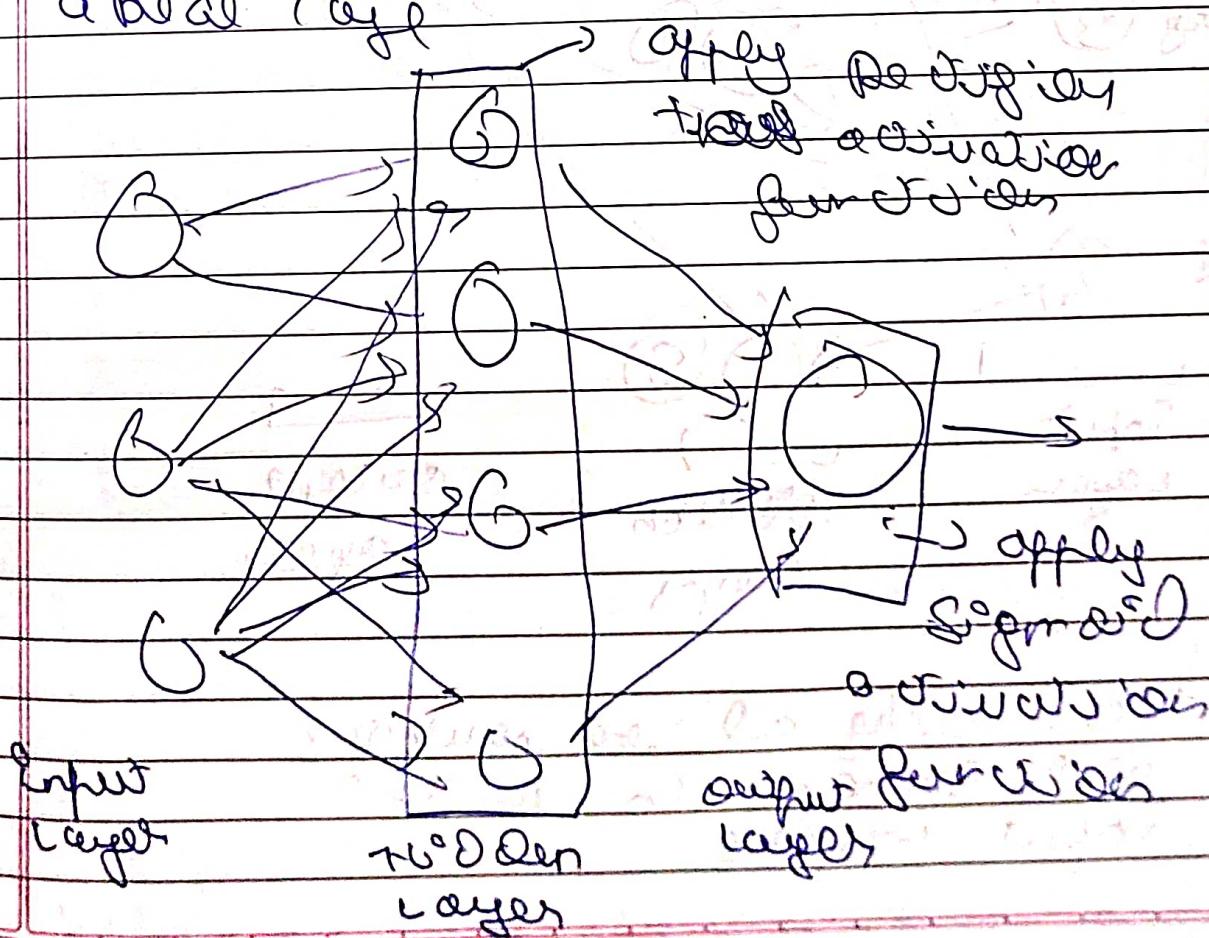
threshold function

$$y = 0 \text{ or } 1$$

Sigmoid function $P(Y=1) = \phi(\sum_{i=1}^m w_i x_i)$

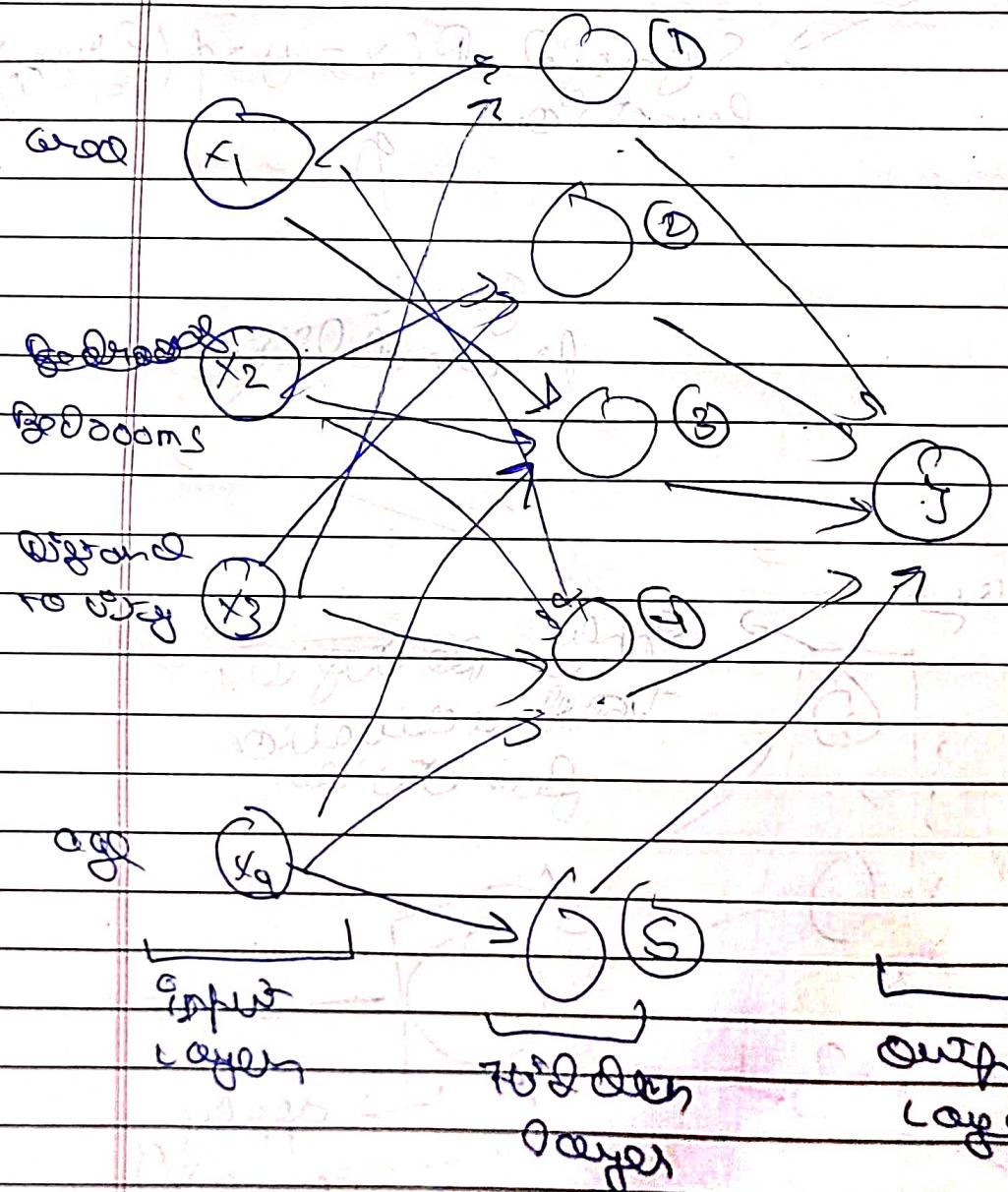
give probability

② A neural layer



How do neural network work

Suppose we want to predict property valuations



Technically all the neurons
are connected to all the
input layers

But for a review - only some
connections are imp

and O ~~the~~ There are and
so dooms ~~the~~ Digs are imp
because there m~~is~~
dig ~~the~~ Be corollaries,
to dig ~~the~~ that of all go
age ~~the~~ for from ~~the~~
area in creasey

for ③

in a area a lot of families
might prefer a property
with good and more
amenities and less age

for ⑤

indicate some corollaries

we know that more age
less value

review however if the
Higson's it suddenly
becomes more valuable

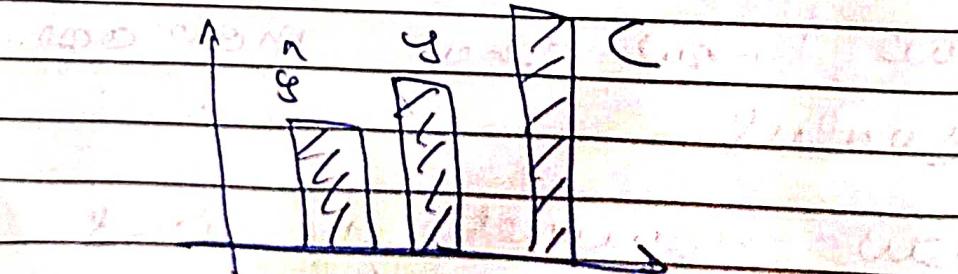
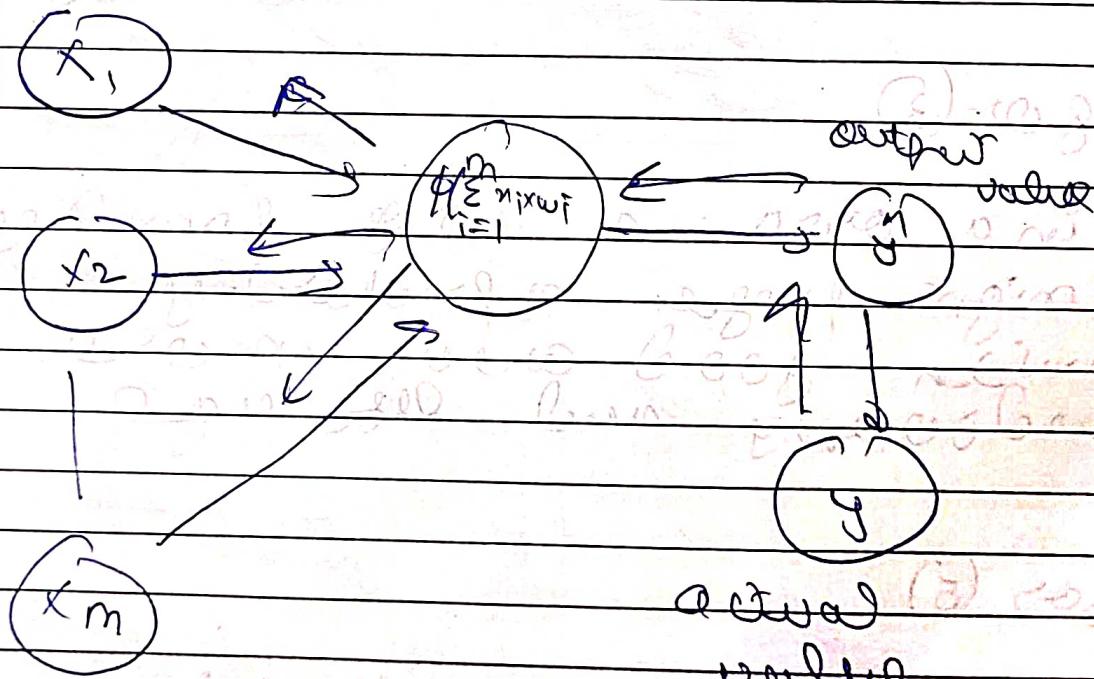
so ⑤ only a ~~adjuster~~

~~when to give priority~~

(Basic fully ~~fixed~~ Den I prefer
 call only we to make
 our model feasible)

→ How do we deal with error

Learning along



for a \hat{y} value if
predicted y is
compared with the actual
value

after this the cost is
calculated

$$c = \frac{1}{2} (y - \hat{y})^2$$

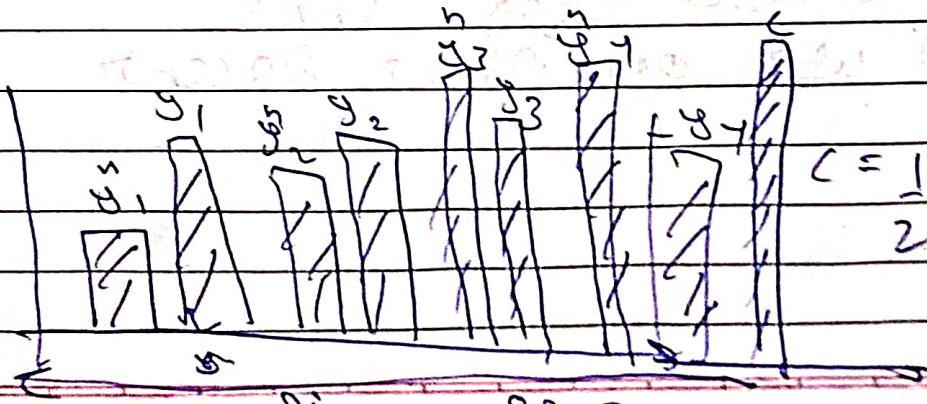
(can also
be any
other
function)

now we want to minimize
the cost function so we
send this info back to the
neural network which
then re-adjusts weights

[this is for one row]

if we have multiple rows

we say we have 5 rows



$$c = \frac{1}{2} \sum (y - \hat{y})^2$$

after all 4 points are
predicted we calculate
loss and give loss back
to neural network

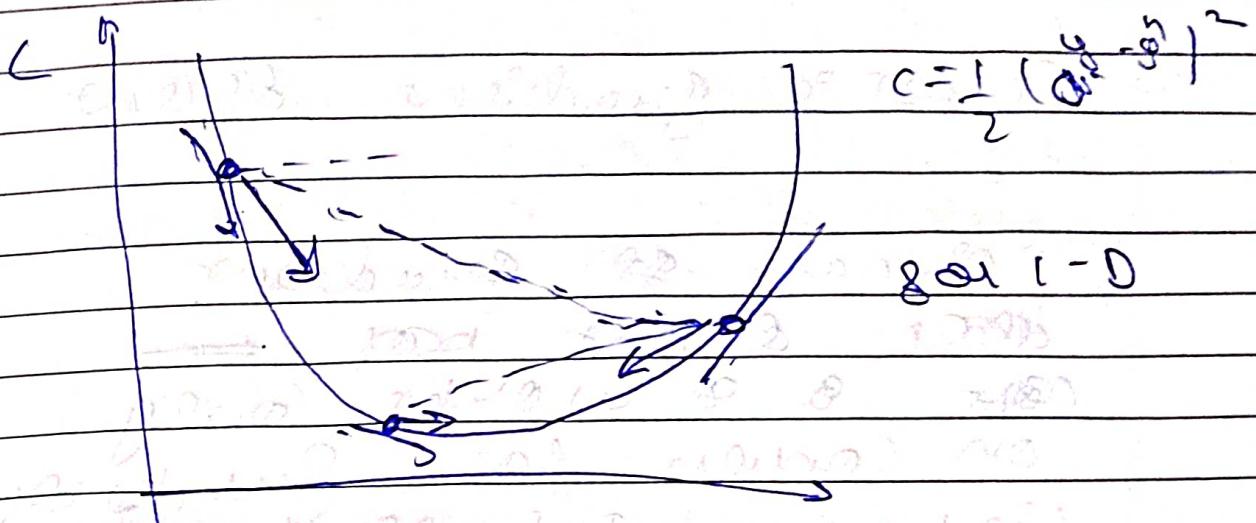
This process of going
back is called back
propagation

→ Back propagation
~~(backward pass of error)~~
~~(backward pass of error)~~

→ Gradient Descent

I will try to write
brief for all the
weights the model
will take exponential
time to train

to avoid this
we use gradient descent



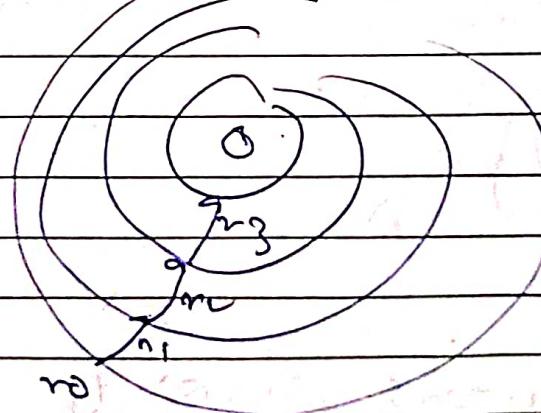
we find slope of the
of the line

If slope is -ve go down
+ve or +ve

If slope is +ve go +sway

This is better + can exert
force

for 2-D



gradient
for client
desc
Recent

→ Sosastic gradient decent

normal gradient

does not help

works only

on convex f(x) - functions

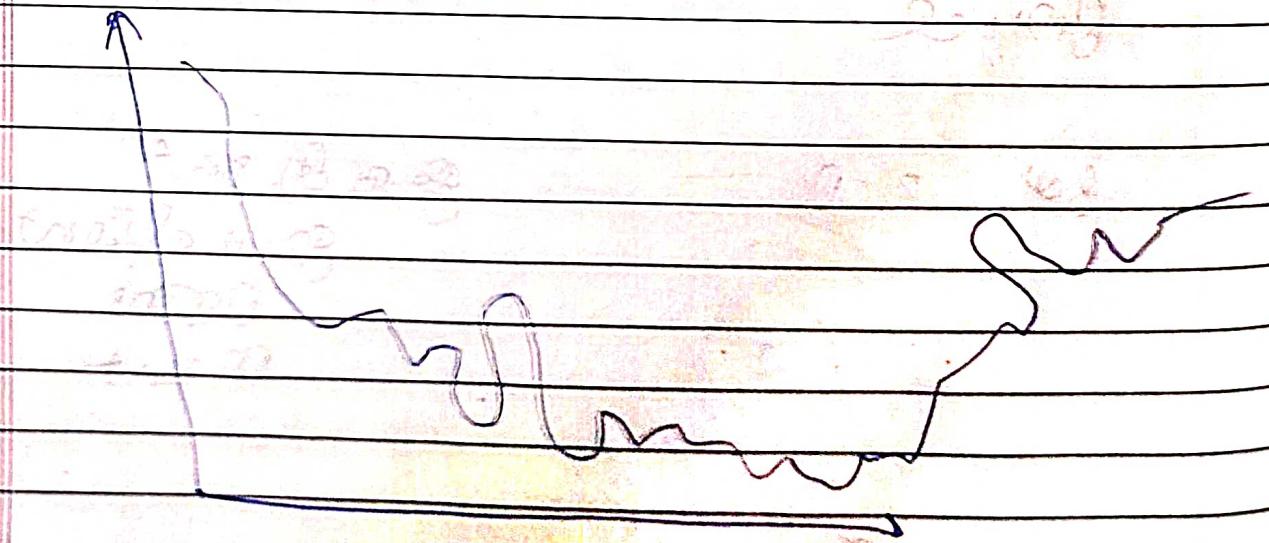
(ie having one global

maximum)

$$\frac{1}{2}(x - \bar{x})^2$$



gradient is flat



is not work

in this type we first one
set the weights and
then gradually process
it in as in Batched Batch

the backpropagation

steps followed

if weight w are assigned
and only with values
use to

2] input layer observations
of your dataset in Input
layer where each feature
is a node

3] forward - from a given
from layer-to-layer the
neurons are activated in a
way that impact of each neuron
is decided by weight

4] compare predicted
result with actual result

5] Back-propagation

6) Repeat steps 1 to 5

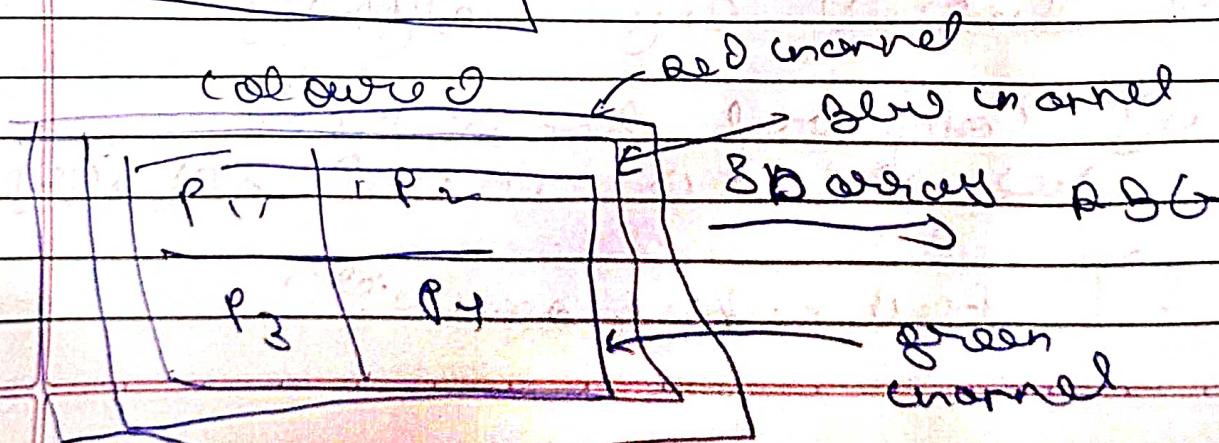
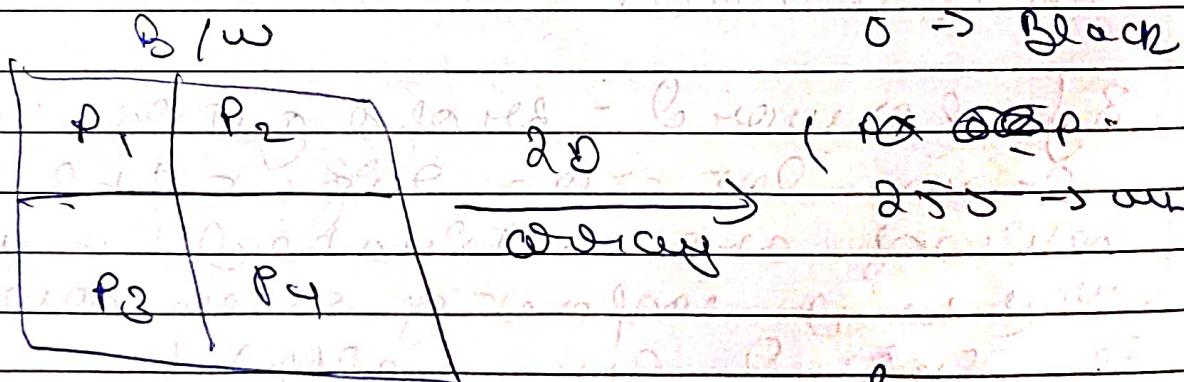
7) Do it ~~multiple~~ times again
and again.

(one time is one epoch)

Convolutional Neural Networks

input \rightarrow CNN see images
flow of CNN

Suppose we have a B/W image and a colored image of 2×2 pixels



Sops Full seen

1] (conv) convolution

2] max Pooling

3] feature

4] full - connection

Convolution

Input -> Filter -> Output

Convolution function

$$1 \otimes g * g) (+) \frac{dg}{dx} \quad \left(g (+) g (+ -x) \frac{dg}{dx} \right)$$

filter when we have our image

size and only keep certain important features this

if done using a feature detector and after doing this we generate a feature map

0g

Using this we have

all 3×3 square

0	0	0	0	0	0	0	0	0
0	1	0	0	0	0	1	0	0
0	0	0	0	0	0	0	1	0
0	0	0	1	0	0	0	0	1
0	1	0	0	0	0	1	0	0
0	0	1	1	1	0	0	0	0
0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0

(cancel)

(X)

Forward
backward/
fill

0	1	0	0	0
0	1	1	1	0
1	0	1	2	1
1	0	2	1	0

perfect
match→ we calculate
multiply
each element / By
corresponding

in matrix multiplication

we can do sum the resulting
(row dot by column up)[left together as rig of unnecessary
stuff]

we can multiply it and make
the (NN) dot product
to verify whether it is flat or not

→ Reusing vector unit
(ReLU)

we apply the ReLU function
function to our forward pass
this is done to handle the
non-linearity (we do not
allow any non-linearities
non-linearity)

Breaking up linearity
is important as we want
our neural model to now
find some lines fruitley

(eg from $A \rightarrow B$ we always
go from blank to
upward)

→ max Pooling

Suppose we want to identify a car in one photo. We inserted it in other id if it works

So we should not care about the position of features and even special evidence

2x2 matrix			
0	1	0	5
0	1	1	0
1	0	1	2
1	4	2	1
0	2	1	0
0	0	1	2
0	1	2	1

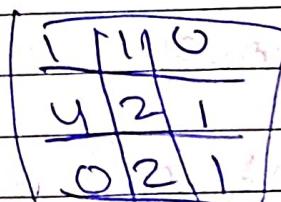
max → 1 1 1 0
pooling → 4 2 1 0 2 1

for any 2×2 matrix
we take the max element

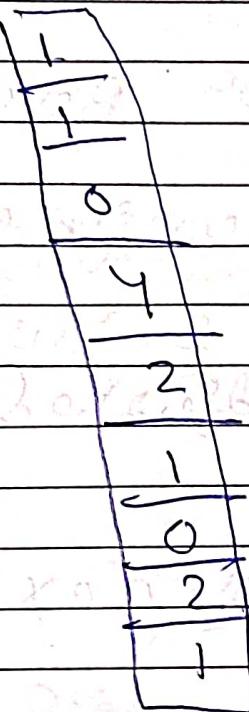
[there are also other pooling like sum pooling but we prefer max pooling]

→ Factoring

we flatten the pool I
forward map and merge
into a column network

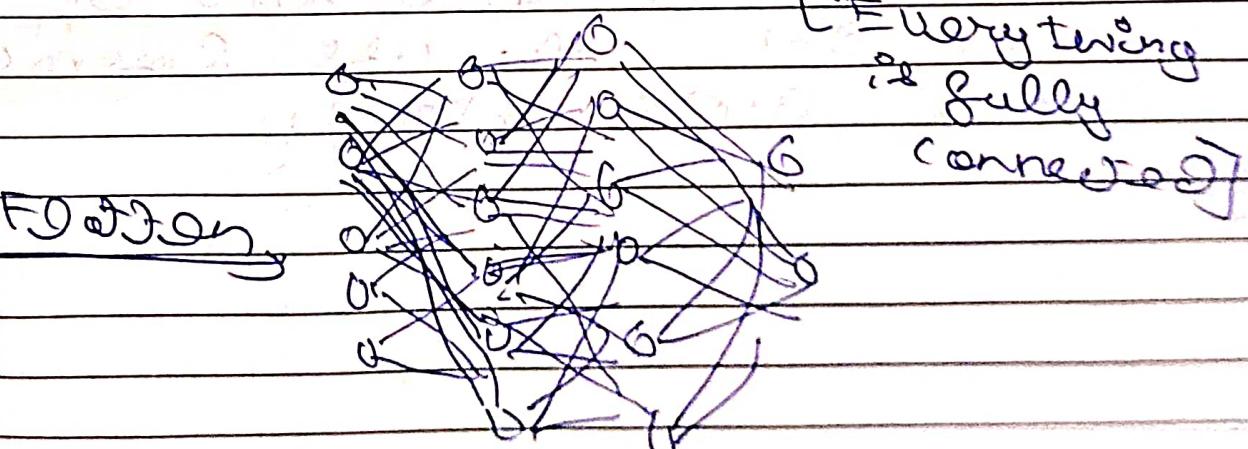


factored



factored forward map

→ Full connection



follows some steps by

ANN

input is given \rightarrow loss / cost function
 \rightarrow error of Backpropagation

After Backpropagation

i) weights are adjusted

ii) feature weights are adjusted

\rightarrow Softmax and cross-entropy

In the neural network
the probabilities given
by the output
layers were added up to
one + make it add up
to one we use Softmax
and cross entropy

$$\sigma_j(z) = \frac{e^{z_j}}{\sum_{i=1}^n e^{z_i}} \quad (\text{helps to make probability add up to one})$$

Sigmoid function

$$L := -\log \left(\frac{e^{y_i}}{\sum_j e^{y_j}} \right)$$

Cross-entropy function

$$H(p, q) = -\sum_n p(n) \log q(n)$$

[this is the (soft) cross-entropy function used to detect error and back propagate]

Deep learning and neural networks
outputs are set values e.g.
and 0.8

NN	$\rightarrow^{(0.7)}$	$\rightarrow^{(0.9)}$		
Row	Dog	Cat	Dog	Cat
Dog	0.4	0.1	1	0
Cat	0.1	0.9	0	1
	0.4	0.6	1	0

this
obs is
incorrectly
predicted

Row	Dog	Cat	Dog	Cat
1	0.6	0.4	1	0
2	0.3	0.7	0	1
3	0.1	0.9	1	0

Classification under 1000)

y_3

y_3

mean squared error

$\sigma^2 = 25$

0.71

Cross - Entropy

$\sigma^2 = 35$

1106

So why use Cross - Entropy

in the first two values are very small so the loss in cross entropy helps to detect those easily

(Cross - Entropy only affects for classifying)

for say we should use mean squared error