



Example of graph

The overall complexity : Primary ($O(E + V \log V)$)

Bouns ($O(V + E)$)

Analysis:

Code	Time Complexity
<pre>for i in dff["follower"]: followers.add(i) for i in dff["influncer"]: influncers.add(i)</pre>	$O(E)$ for both loops "add() function is $O(1)$ because Python's set data structure is implemented as a hash table "
<pre>dff.drop_duplicates(inplace=True)</pre>	$O(E)$ which is small that we can't reach to it

<pre> d=dict() for f,i in zip(dff["follower"],dff["influncer"]): if i in d: d[i].followers.append(f) d[i].nof+=1 else: d[i]=node(1,[f],-math.inf) </pre>	<p>$O(E)$: All this</p> <p>check = $o(1)$ as d is a dictionary not a list</p>
<pre> for key in d: if d[key].nof>maxi: famous=key maxi=d[key].nof </pre>	<p>$O(v)$</p>
<pre> sd=sorted(d.items(),key=lambda pair:-pair[1].nof) </pre>	<p>$O(v \log v)$ It's sort by comparsion</p>
<pre> for k in d: d[k].state=-math.inf for n in q: d[n].state=-1 for follwer in q: sus[follwer]=-1 </pre>	<p>Each For will be :$O(V)$</p>
<pre> for n in q: for gc in d[n].followers: if gc in sus: if sus[gc]!=-1: sus[gc]+=1 else: sus[gc]=1 </pre>	<p>It's all :$O(V+E)$</p> <p>It's directed graph so ,$O(v) + O(E)$ =$O(V+E)$</p>
<pre> for k in sus: if sus[k]>=metric: follow_those_people.append((k,sus[k])) </pre>	<p>$O(V)$</p>