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count += (num&1)

Class KRGZB 2<sup>10</sup>

(y<sub>2</sub>, g) (x<sub>3</sub>, x)  
(x<sub>2</sub>, x) (y<sub>3</sub>, g)

Q. we define  $f(x, y)$  as number of different corresponding bits in the binary representation of x and y. For exam 4, 5 - ple  $f(2, 7) = 2$ , since the binary represen- tation of 2 and 7 are 010 and 111. The first and third bit differ by So,  $f(2, 7) = 2$ , since.

Test case :-

~~INPUT~~ [1, 3, 5]

Ans

output = 8

~~INPUT~~ = 2, 3

output = 2.

Approach :-

- i) First we will take XOR of two numbers
- ii) ~~If (val > 0)~~ Then we will check the set bits of it and store it in count, and
- iii) Right shift the ~~val~~ value (comes from XOR) by by 1.

Brute force :-

$f(x, y) \{$

int num = x ^ y;

while (num > 0) {

~~if~~ count += (num & 1);

num >> 1;

}

return count;

main() {

for (int i = 0; i < n; i++) {

for (int j = i + 1; j < n; j++) {

int value+ = ~~f(i, j)~~ (num[i], num[j]) \cdot mod;

}

cout << value;

}

→ optimal approach :-

long long do(vector<int> &num) {

long long mod = ~~1e+7~~;

long long n = num.size();

long long ans = 0;

for(int b=0; b<32; b++) {

long long count = 0;

for(int i=0; i<n; i++) {

if (~~num[i] & b~~ ~~(i < b)~~) {

count++;

}

long long zeroes = n - zeroes;

ans = (ans + ((count + zeroes) % mod) \* 2) % mod;

}

}

time complexity :-  $O(n \times 32)$

=  $O(n)$ .