



# 1 The Riemann Hypothesis

Consider the function:

$$\zeta(s) = \sum \frac{1}{n^s}$$

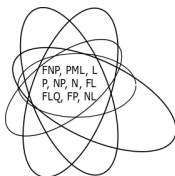
We wish to find places where  $\zeta(s) = 1$ .  
Plug in  $s = 1$ , and we're done.  
This has application in the distribution  
of the single prime number, 1.

# 1 P vs. NP

One provides a solution to the Boolean  
satisfiability problem.

True=1, False=1, Formula=1

In fact, every-  
thing is  $O(1)$ :



# 1 Yang-Mills Mass Gap

We wish to prove that for any compact  
simple gauge group  $G$ , a non-trivial  
quantum Yang-Mills theory exists on  
 $\mathbb{R}^1$  and has a mass gap  $\Delta > 0$ .  
Unfortunately, there is only one quan-  
tum Yang-Mills theory on  $\mathbb{R}^1$ , and it  
is trivial.

# 1 Poincaré Conjecture

Let  $M$  be a manifold. Then  $M = \{1\}$ .  
So:

**Thm. 1.1.** *There is only one mani-  
fold, and it is isomorphic to itself.*

The Poincaré conjecture immediately  
follows.

(One could also use some Ricci Flow  
with surgery.)

# 1 Navier Stokes

$$\rho \frac{DV}{Dt} = -\nabla p + \nabla \cdot \tau + \rho g$$

Wow, this simplifies greatly<sup>1</sup>

$$1 \frac{Df}{D1} = -\nabla 1 + \nabla \cdot 1 + 1$$

<sup>1</sup>see Section 1 for more details

# 1 BSD Conjecture

Dear reader,  
I'll be perfectly honest with you,  
and tell you outright that I have no  
idea what the BSD conjecture even  
talks about.  
All I know that it holds true over  
the field with one element, and that's  
all that's important.  
Sincerely,  
– Assaf Bar-Natan

# 1 Hodge Conjecture

Let  $M$  be a complex Kähler manifold,  
with cohomology ring:

$$H^1(M, 1) = \bigoplus_{1+1=1}^1 H^{1,1}(M) = 1$$

Every  $N \subseteq M$  is algebraic<sup>1</sup>, so all  
cohomology classes in  $H^{1,1}(M)$  come  
from subvarieties.

<sup>1</sup>ie solves the polynomial equation  $1 = 1$

# 1 Bonus: Collatz Conjecture

Proof by picture:

