

Parallel Computing

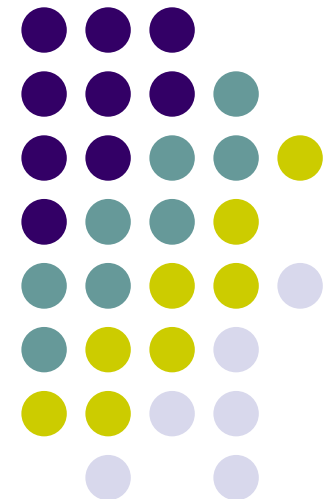
Molecular Dynamics Simulations: A short overview

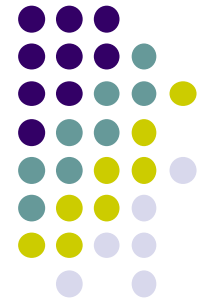
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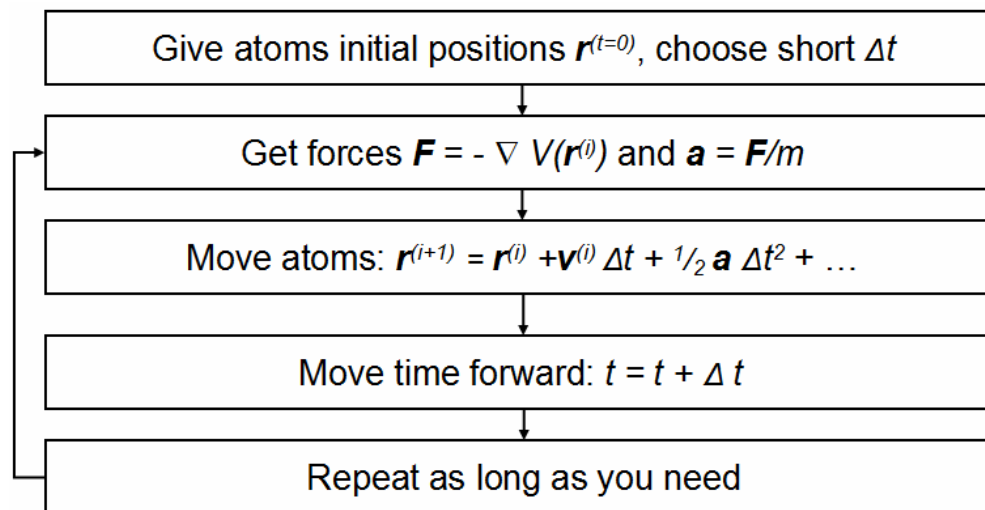


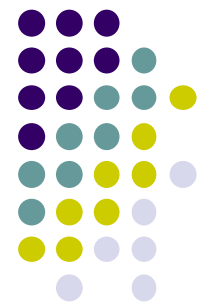


Molecular Dynamics (MD) Simulations

- A molecular dynamics simulation aims to compute thermodynamic properties of a material (such as pressure)
- The dynamics can be approximated by classical mechanics: N particles are moving according to the laws of Newton's mechanics, with each particle feeling a force generated by the N-1 other particles

Simplified code skeleton of a simulation





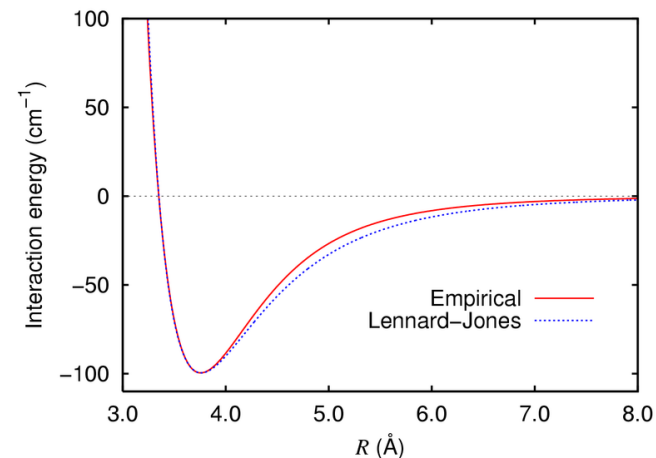
MD Simulations

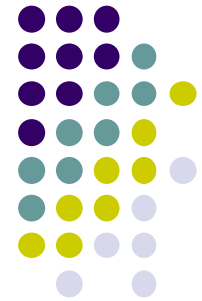
Lennard-Jones potential

- Simplified model to describe interactions among particles:

$$\phi(r) = 4\epsilon \left[\left(\frac{\sigma}{r} \right)^{12} - \left(\frac{\sigma}{r} \right)^6 \right]$$

- r – distance between particles
- ϵ = field depth
- σ = distance where the field is null
- ϵ and σ are specific for each material (commonly set to 1 in simulations)





MD Simulations

Simulation Model (simplified)

- The system energy is the sum of Potential and Kinetic energy

- The potential energy (V) is the sum the interactions between all pairs of particles

$$V(r_1, \dots, r_N) = \sum_i \sum_{j>i} \phi(|r_i - r_j|)$$

- Kinetic energy is computed using the particles velocity

$$K(t) = \frac{1}{2} \sum_i m_i [v_i(t)]^2$$

- Forces between particles are given by the gradient of the potential (e.g., Lennard-Jones potential)

$$\mathbf{F}(r) = -\nabla V(r) = -\frac{d}{dr} V(r) \hat{\mathbf{r}} = 4\epsilon \left(12 \frac{\sigma^{12}}{r^{13}} - 6 \frac{\sigma^6}{r^7} \right) \hat{\mathbf{r}}$$

- These equations cannot be solved exactly, but need to be numerically solved. One commonly used method is the Verlet Integration algorithm:

$$\mathbf{r}(t + \Delta t) = \mathbf{r}(t) + \mathbf{v}(t)\Delta t + (1/2)\mathbf{a}(t)\Delta t^2$$

$$\mathbf{v}(t + \Delta t) = \mathbf{v}(t + \Delta t/2) + (1/2)\mathbf{a}(t + \Delta t)\Delta t$$

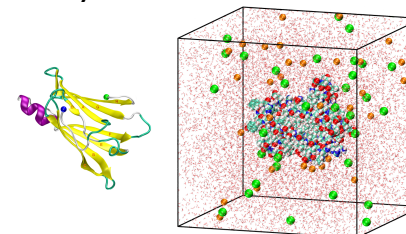
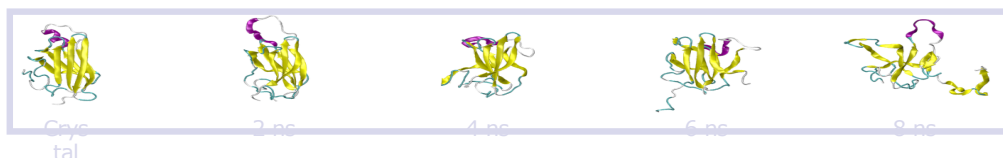
- How to deal with the simulations borders?
 - Replicate the simulation (*periodic boundary conditions*)
 - Other approaches



MD Simulations

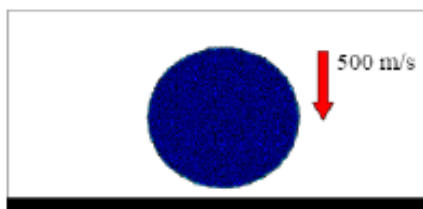
Simulation examples

- **Satellite Tobacco Mosaic Virus – one of the smallest reproducing units in nature**
 - 2006, 1 million atoms for over 50 ns
 - NAMD software (would require 35 years of simulation on a desktop computer at the time)
- **P-Found – L55P-TTR - Transtirretina, “Doença dos Pezinhos” (1:1000 in Portugal)**
 - **2004, 44k atoms** (Protein: 1912 atoms; Water: 3*14137 atoms; Na⁺ Cl⁻: 71 ions)
 - **Computation run time: 4-6 weeks** using 8-12 Pentium-4 CPUs
 - **Binary file capturing the coordinates of all atoms: ≈ 4 GB**
 - **Binary file capturing the coordinates of protein's atoms: ≈ 180 MB**

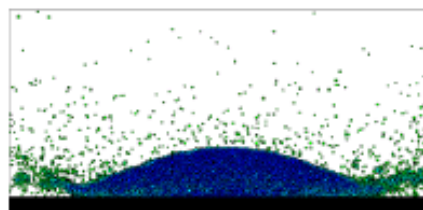


Molecular Dynamics

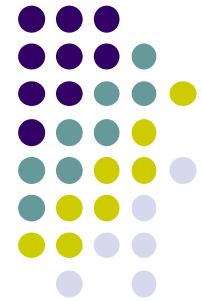
Example: collision of a droplet with a substrate
(by Yasushi Katsumi)



Initial conditions are specified,
 $r_i(t_0)$ and $v_i(t_0)$

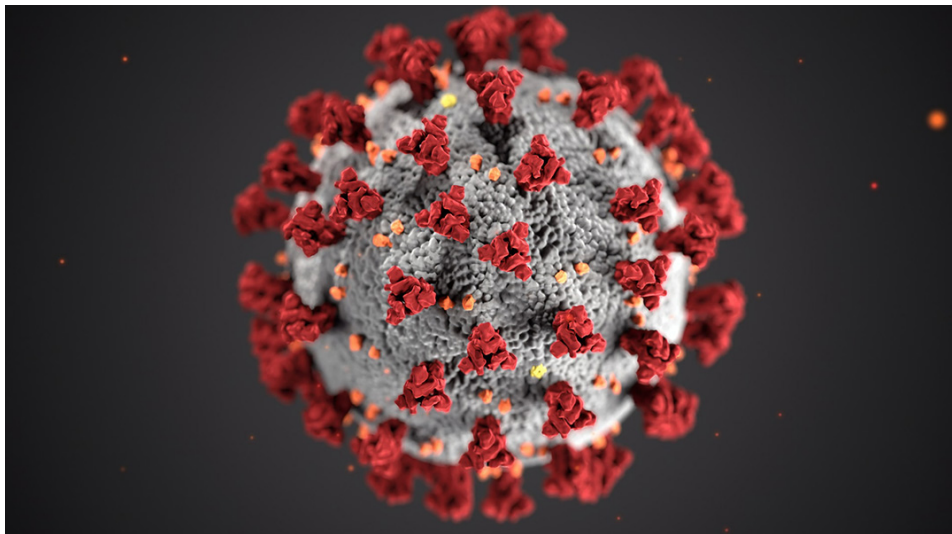


Snapshot from MD simulation at
time $t_n = 100$ ps



MD Simulations

Supercomputer simulates molecular model of SARS-CoV-2



- [Rommie Amaro](#) is leading efforts to build the first complete **all-atom model** of the SARS-COV-2 coronavirus envelope
- The coronavirus model is anticipated contain roughly **200 million atoms**
- The Frontera supercomputer aided efforts of the Amaro Lab on March 12-13, 2020, by running [NAMD](#) molecular dynamics simulations on up to 4,000 nodes, or about **250,000** cores.