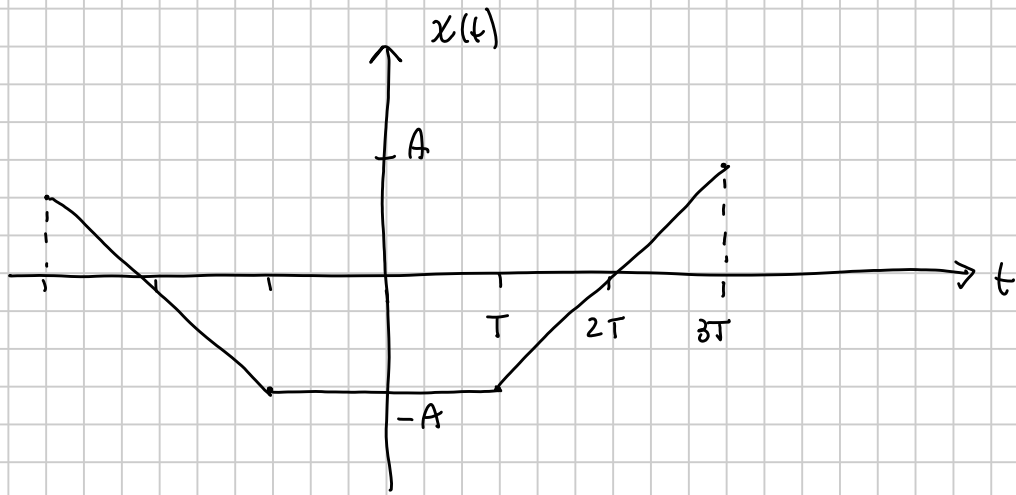


FILA A

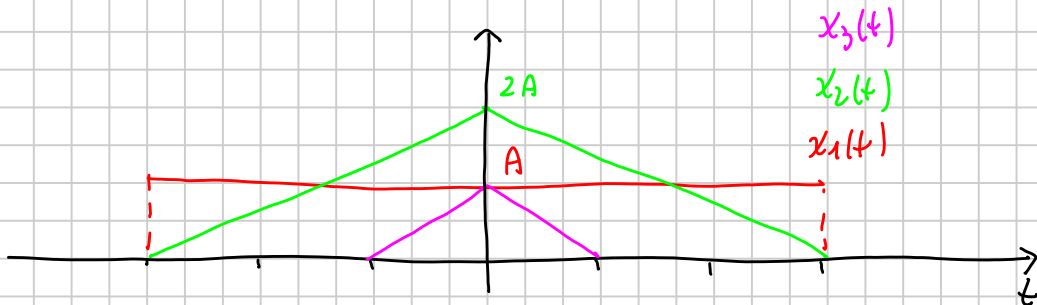


Si può risolvere in due modi:

1) notando che $x(t) = x_1(t) + x_2(t) + x_3(t)$

2) teorema della derivazione

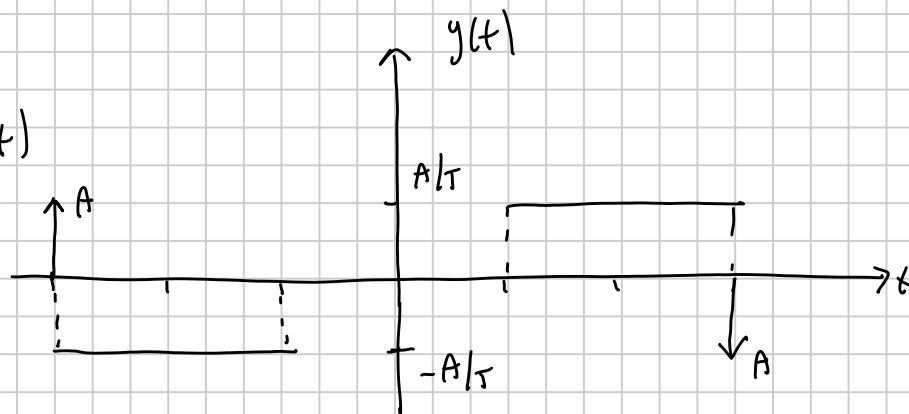
①
$$x(t) = A \operatorname{rect}\left(\frac{t}{6T}\right) - 2A \left(1 - \frac{|t|}{3T}\right) \operatorname{rect}\left(\frac{t}{6T}\right) + A \left(1 - \frac{|t|}{T}\right) \operatorname{rect}\left(\frac{t}{2T}\right)$$



$$X(f) = 6TA \operatorname{sinc}(f6T) - 6AT \operatorname{sinc}^2(f3T) + TA \operatorname{sinc}^2(fT)$$

(2)

$$y(t) = \frac{d}{dt} x(t)$$



$$\int_{-\infty}^{+\infty} y(t) dt = 0 \Rightarrow y(f) = j2\pi f x(f)$$

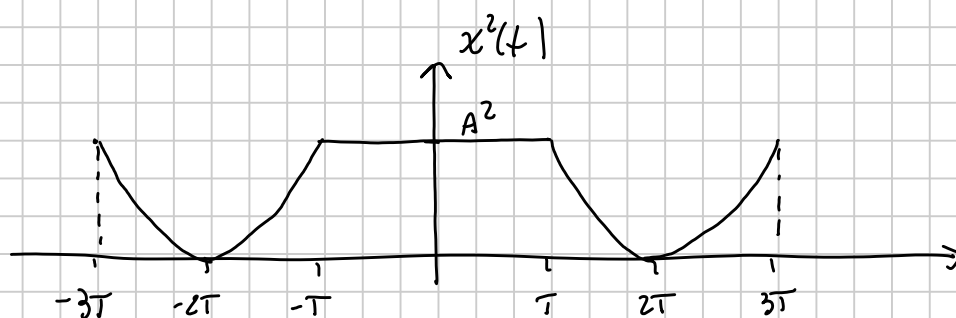
$$x(f) = \frac{y(f)}{j2\pi f}$$

$$y(t) = A \delta(t + 3T) - A \delta(t - 3T) - \frac{A}{T} \text{rect}\left(\frac{t+2T}{2T}\right) + \frac{A}{T} \text{rect}\left(\frac{t-2T}{2T}\right)$$

$$y(f) = 2jA \sin(2\pi f 3T) - 2jA \text{sinc}(f 2T) \sin(2\pi f 2T)$$

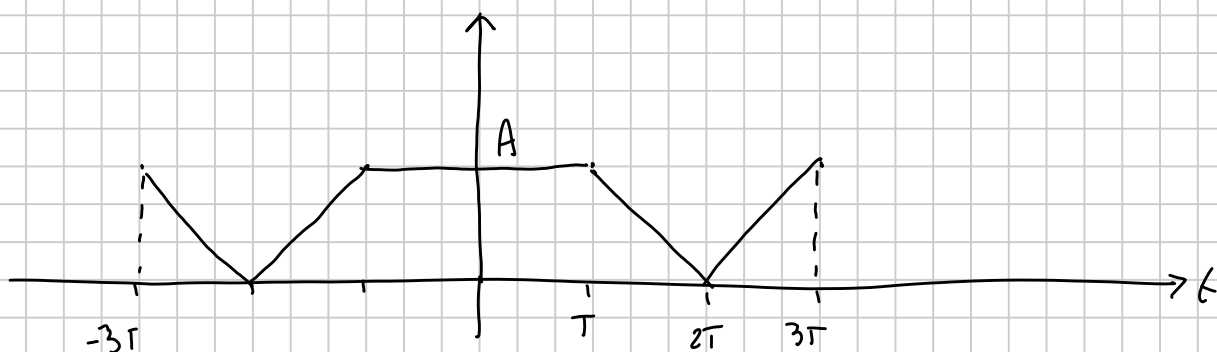
$$x(f) = 6TA \text{sinc}(f 3T) - 4T \text{sinc}^2(f 2T)$$

Seguete ad energia finita poiché non ci sono componenti periodiche e potenza nulla.



$$E_x = 4 \left(\frac{1}{3} \cdot T \cdot A^2 \right) + 2TA^2 = TA^2 \left(\frac{4}{3} + 2 \right) = \frac{10}{3} TA^2$$

FILA B



$$x(t) = A \operatorname{rect}\left(\frac{t}{6T}\right) - A \left(1 - \frac{|t+2T|}{T}\right) \operatorname{rect}\left(\frac{t+2T}{2T}\right) - \\ - A \left(1 - \frac{|t-2T|}{T}\right) \operatorname{rect}\left(\frac{t-2T}{2T}\right)$$

$$X(f) = 6AT \operatorname{sinc}(f6T) - AT \operatorname{sinc}^2(fT) e^{j2\pi f 2T} - AT \operatorname{sinc}^2(fT) e^{-j2\pi f 2T} \\ = 6TA \operatorname{sinc}(f6T) - 2AT \operatorname{sinc}^2(fT) \cos(2\pi f 2T)$$

Oppure si può risolvere con il teorema della modulazione

$$E_x = \frac{10}{3} A^{2T}$$

$$P_x = 0$$