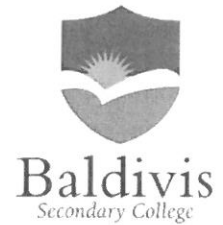


YEAR 12 Essentials Mathematics
Semester 2 2018
Investigation 3 – Compound interest



Name: Answers

Total Marks: _____ / 22 marks
 Total Time: 55 minutes

Full working out must be shown to get full marks.
Attempt all questions

Resources allowed:
1 A4 page, (1 side) of hand written notes, ruler, calculator

Through hard work and a careful savings strategy Stevie and Macca have accumulated \$10,000 each with which they are buying a car.

Stevie's car

2014 Holden Barina CD TM Auto MY14

Odometer: 84,162 km
 Body: Hatch
 Transmission: Automatic
 Engine: 4cyl 1.6L Petrol

\$10,000
 Drive Away
 \$0.495* Excl. Govt. Charges
[Add repayment settings](#)

Macca's car

2014 Audi A3 Ambition Auto quattro MY15

Odometer: 61,000 km
 Body: Hatch
 Transmission: Automatic
 Engine: 4cyl 1.8L Turbo Petrol

\$30,000*
[Add repayment settings](#)

Q1) Macca does not have enough savings to afford car 2 so he will need to organise finance using a 5 year loan for the extra money that he will need. Using the comparison rate below, calculate the total cost of purchasing the \$30,000 car if the loan is compounded monthly (answer to 2 d.p.)

Company	Product	Comparison Rate ⓘ
Promoted		
Latitude Financial Services	Motor Loan	8.10%

$$\begin{aligned}
 & \$20,000 \times \left(1 + \frac{0.081}{12}\right)^{5 \times 12} \\
 & = 29,945.27
 \end{aligned}$$

$$\begin{aligned}
 \text{Total} & = 29,945.27 + 10,000 \\
 & = 39,945.27
 \end{aligned}$$

2 Marks

Q2) Macca will need to ensure he pays back the total cost over the 5 years. Calculate how much he will need to pay fortnightly in order to pay off the total cost. (26 fortnights in a year - answer to 2 d.p.)

$$\begin{aligned} & \$29,945.27 \div (5 \times 26) \\ & = \$230.35 \end{aligned}$$

1 Mark

Q3) Unlike bank accounts that gain value over time, cars lose value over time. We call this reverse interest "depreciation".

Use the formula below to calculate the amount of money each car loses over 5 years if each car loses 10% of its value each year.

- the formula for depreciation is $D = P(1 - \frac{r}{n})^t$.

Stevie's car:

$$\begin{aligned} & 10,000 (1 - 0.1)^5 \\ & = 5,904.5 \end{aligned}$$

Macca's Car:

$$\begin{aligned} & 30,000 (1 - 0.1)^5 \\ & = 17,714 \end{aligned}$$

2 Marks

2 Marks

Use the answers above to fill in the table below.

	Stevie's car	Macca's car
Initial value	10,000	30,000
Total cost of purchase	10,000	39,995.27
Car's value after 5 years	5,904	17,714
Total cost - Car's current value =	4,096	22,281.27

$\frac{1}{2}$ mark each

2 Marks

Q4) From his regular pay, Stevie is able to save \$500 per fortnight, how much is this per year?

$$26 \times 500 = \$13,000$$

1 Marks

Q5) Originally Macca was able to save the same amount as Stevie each fortnight, but now he also needs to pay back his car loan. How much will Macca now be able to save per annum? (*saving – repayment*)

$$13\ 000 - (26 \times 230.35) \\ = \$7010.90$$

2 Marks

Q6) Over the 5 years that Macca has the loan, how much more will Stevie be able to save than Macca?

Stevie

$$13\ 000 \times 5 = \$65\ 000$$

Macca

$$7\ 010.90 \times 5 = \$35\ 054.5$$

$$\text{Stevie saves } (65\ 000 - 35\ 054.5) = \$29\ 945.5 \text{ more}$$

2 Marks

Q7) Stevie and Macca decide to invest their 5 year savings into two different accounts. Stevie invests in a 5% compounding account for 10 years (compounded monthly). Macca invests in a 6.5% simple interest account. What would be the end value of their respective accounts (answer to 2 d.p.)?

Stevie

$$65\ 000 \times \left(1 + \frac{0.05}{12}\right)^{12 \times 10} = \$107\ 055.62$$

2 Marks

Macca

$$35\ 054.5 \times 0.065 \times 10 = \$22\ 785.43$$

$$22\ 785.43 + 35\ 054.5 = \$57\ 839.93$$

2 Marks

Q8) From when Macca and Stevie bought their cars to now, who has made better financial decisions? *Comment on their total wealth, savings, and investment choices.*

Comment is simple ✓
 Comment is correct ✓
 Comment uses total wealth, savings + investment choices ✓
 Comment is comprehensive ✓

4 Marks

End of Investigation

