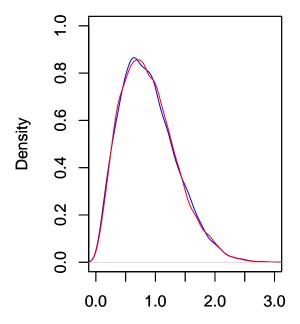
# 1-simulations

### Astha

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#### R Markdown

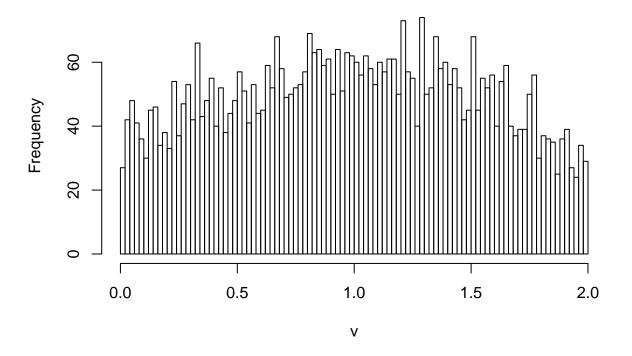
```
#Inverse Trransforms
set.seed(124345)
NSim <- 10^4
U <- runif(NSim)
X <- sqrt(-log(U))
Y <- rweibull(10000, shape = 2, scale = 1)
par(mfrow = c(1,2))
plot(density(X), xlim =c(0,3), ylim = c(0,1), main = "", xlab=NA, col = "blue")
par(new = TRUE)
plot(density(Y), xlim =c(0,3), ylim = c(0,1), main = "", xlab=NA, col = "red")
#par(new = TRUE)</pre>
```



```
#Accept Reject Method
set.seed(123456)
NSim1 <- 10^4
f <- function(y) {
   r <- 3/10 * ((-(y)^2) + 2*y + 1)
```

```
return(r)
}
y <- runif(NSim1, max = 2, min = 0)
x <- runif(NSim1, max = 1, min = 0)
v <- y[x<f(y)]
hist(v, breaks = 100)</pre>
```

## Histogram of v



```
#Monte Carlo Simulation for Heteroskedasticity
set.seed(12345)
b0 <- 0.2
b1 <- 0.5
reps <- 500
n <- 1000
sigma.est<-numeric(reps)</pre>
par.est <- matrix(NA, nrow = reps, ncol = 2)</pre>
X2 <- runif(n,-1,1)</pre>
gamma < -5
for(i in 1:reps) {
  Y2 \leftarrow b0 + b1*X2 + rnorm(n,0, ((exp(X2*gamma))/50))
  model \leftarrow lm(Y2 \sim X2)
  sigma.est[i]=summary(model)$sigma
  par.est[i,1]<-model$coef[1]</pre>
  par.est[i,2]<-model$coef[2]</pre>
mean(sigma.est)
```

#### ## [1] 0.6503022

```
plot(density(par.est[,1]), lty=2, xlab=NA, main="", xlim = c(0,1), ylim=c(0,20), col="red")
par(new=TRUE)
plot(density(par.est[,2]), lty=2, xlab=NA, main="", xlim = c(0,1), ylim=c(0,20), col="blue")
```

