

Computer Engineering Department

BIM 309 – Artificial Intelligence

House Price Prediction with Linear Regression

<u>Prepared By</u> Necip Şükrü Aşık

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"Linear regression was developed in the field of statistics and is studied as a model for understanding the relationship between input and output numerical variables, but has been borrowed by machine learning. It is both a statistical algorithm and a machine learning algorithm." [2]

In this assignment, I tried to predict how house prices change based on features using a dataset of house prices and home features by using Linear Regression.

Libraries I used:

```
    import numpy as np
    import pandas as pd
    import matplotlib.pyplot as plt
    from sklearn import metrics
    from sklearn.metrics import r2_score
    from sklearn.model_selection import train_test_split
    from sklearn.linear model import LinearRegression
```

I transferred the file to the dataset with read_csv, then I split independent variable to x and dependent variable to y :

Index	price
0	221900
1	538000
2	180000
3	604000
4	510000
5	1225000
6	257500
7	291850
8	229500
9	323000
10	662500
11	468000
l	

Index	lot_area	living_area	num_floors	num_bedrooms	um_bathroom	waterfront
0	5650	1180				0
1	7242	2570			2.25	0
2	10000	770				0
3	5000	1960				0
4	8080	1680				0
5	101930	5420		4	4.5	0
6	6819	1715			2.25	0
7	9711	1060			1.5	0
8	7470	1780				0
9	6560	1890			2.5	0
10	9796	3560			2.5	0
11	6000	1160				0
12	19901	1430	1.5	3	1	a

Şekil 2. X variables

Şekil 1.Y variables

After writing the independent and dependent variable, I allocated 20% of the data to the test and 80% to training . I used "random_state=0" for take same sequence each time to see results clearly. I called "LinearRegression()" as "lr". Then I built the model by taking the "X_train" and "Y_train" :

- 1. X_train, X_test, Y_train, Y_test = train_test_split(x, y, test_size=0.2, random_stat e=0)
- 2.
- 3. regressor = LinearRegression()
- 4. regressor.fit(X_train, Y_train)

Index	price
5268	495000
16909	635000
16123	382500
12181	382500
12617	670000
19024	1001000
5063	1100000
9888	713000
2774	416000
3197	401000
10315	402000
13059	255000
I	

Index	price
17384	297000
722	1578000
2680	562100
18754	631500
14554	780000
16227	485000
6631	340000
19813	335606
3367	425000
21372	490000
3268	732000
20961	389700
J	

Şekil 4. Y_test

Index	lot_area	living_area	num_floors	านm_bedrooms	ıum_bathroom	waterfront
17384	1650	1430	3	2	1.5	0
722	51836	4670	2	4	3.25	0
2680	3700	1440	1	2	0.75	0
18754	2640	1130	1	2	1	0
14554	9603	3180	2	4	2.5	0
16227	3436	1650	2	3	2.5	0
6631	28000	1720	1	3	2.75	0
19813	4600	2538	2	3	2.5	0
3367	5440	2460	2	4	2.5	0
21372	2975	4460	3		3.5	0
3268	11300	2360	1	4	1.75	0
20961	3581	1720	2	3	2.5	0
21456	1049	1020	3	2	1.5	0

Şekil 5. X_test

Index	lot_area	living_area	num_floors	num_bedrooms	ıum_bathroom	waterfront	
5268	5510	1570	1	3	1	0	19
16909	11000	1780	1	3	2.5	0	19
16123	9862	1090	1	3	1.5	0	19
12181	7079	2210	2	4	2.5	0	19
12617	4763	1800	2	3	2.5	0	19
19024	8000	3100	1.5	4	2	0	19
5063	60123	5070	2	4	3.75	0	20
9888	4000	1180	1.5	1	1	0	19
2774	5372	1800	2	3	2.5	0	19
3197	12523	3010	1	4	1.75	0	19
10315	7620	2770	1	5	2.75	0	19
13059	8528	1240	1	3	1.5	0	19
17021	4000	1990	1 Cokil 6 V tra	2	1.75	A	10

Şekil 6. X_train

The machine does not know the "y_test" values. I give the machine "x_test" and find the prediction of "y_test". I combine the "y_test" (true values) with the predicted values with DataFrame so I can compare easily:

```
1. prediction = regressor.predict(X_test)
2. act_pred = pd.DataFrame({'Actual': Y_test, 'Predicted': prediction})
```

Index	Actual	Predicted
17384	297000 Actual	385431
722	1578000	1.29183e+06
2680	562100	498648
18754	631500	382516
14554	780000	776521
16227	485000	384773
6631	340000	500011
19813	335606	613658
3367	425000	563255
21372	490000	1.17106e+06
3268	732000	522205
20961	389700	380152

Şekil 7. act_pred

"R-squared gives you the percentage variation in y explained by x-variables. The mean squared error tells you how close a regression line is to a set of points. It does this by taking the distances from the points to the regression line (these distances are the "errors") and squaring them. Root Mean Square Error (RMSE) is the standard deviation of the residuals (prediction errors). Residuals are a measure of how far from the regression line data points are; RMSE is a measure of how spread out these residuals are. In other words, it tells you how concentrated the data is around the line of best fit."[1]

I find the errors with "y_test" and "predictions" values so I can see how accurate the predictions are :

```
1. print(act_pred)
2. print('R2:',r2_score(act_pred["Actual"],act_pred["Predicted"]))
3. print('MSE:', metrics.mean_squared_error(Y_test, prediction))
4. print('RMSE:', np.sqrt(metrics.mean_squared_error(Y_test, prediction)))
```

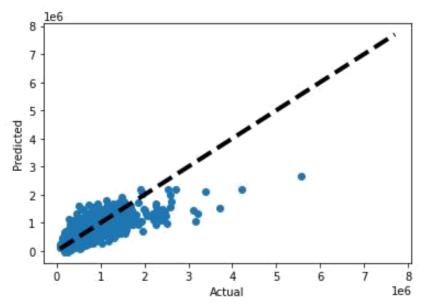
	Actual	Predicted	
17384	297000	3.854307e+05	
722	1578000	1.291834e+06	
2680	562100	4.986484e+05	
18754	631500	3.825159e+05	
14554	780000	7.765211e+05	
5427	844000	8.236249e+05	
16547	335500	2.714028e+05	
4585	369950	3.498274e+05	
17762	300000	2.916120e+05	
16323	575950	4.220961e+05	
[4323	rows x 2	columns]	
R2: 0.	562477964	5691738	
MSE: 5	203198836	4.79344	
RMSE:	228105.21	336609876	

Şekil 8. Results of R-Squared, MSE, RMSE

Plots:

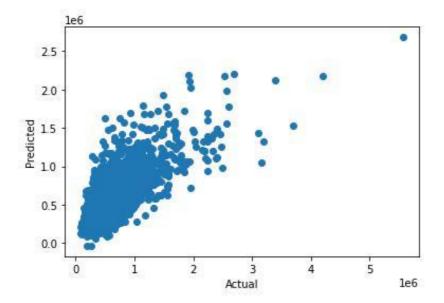
I used the variable "ax" for single a Axes. I showed the distribution with "act_pred["Actual"] " and "act_pred["Prediction"]". Line 3 draws a linear line from start to finish for easy interpretation:

```
1. fig,ax = plt.subplots()
2. ax.scatter(act_pred["Actual"],act_pred["Predicted"])
3. ax.plot([y.min(), y.max()], [y.min(), y.max()], 'k')
4. ax.set_xlabel('Actual')
5. ax.set_ylabel('Predicted')
6. plt.show()
7.
```



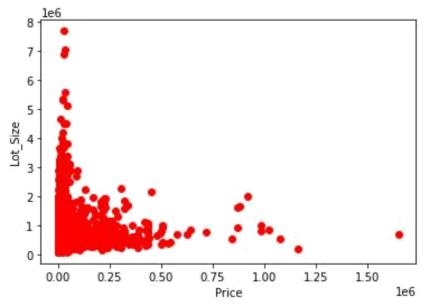
Graph without line:

```
1. plt.scatter(act_pred["Actual"], act_pred["Predicted"]);
2. plt.xlabel('Actual')
3. plt.ylabel('Predicted')
4. plt.show()
```

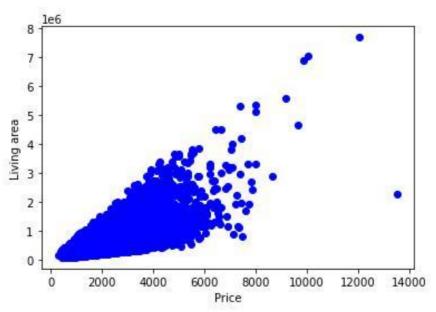


Graphs of features by price:

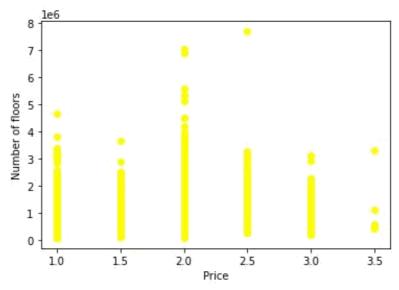
```
1. plt.scatter(x["lot_area"],y,color='red')
2. plt.xlabel('Price')
3. plt.ylabel('Lot_Size')
4. plt.show()
```



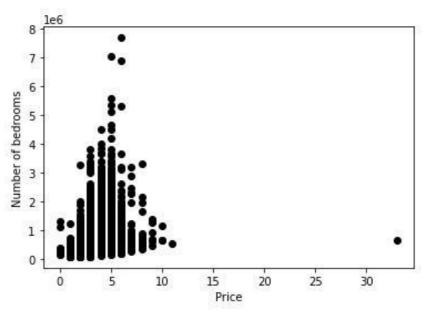
Şekil 9. Graph of"lot_area" vs "price"



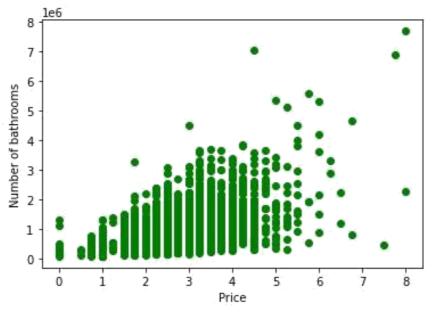
Şekil 10.Graph of "living_area" vs "price"



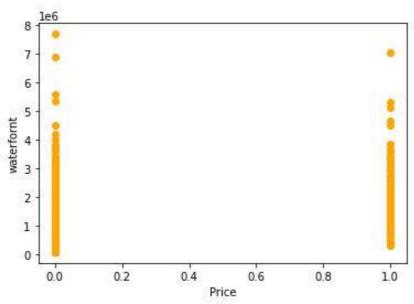
Şekil 11. Graph of "num_floors" vs "price"



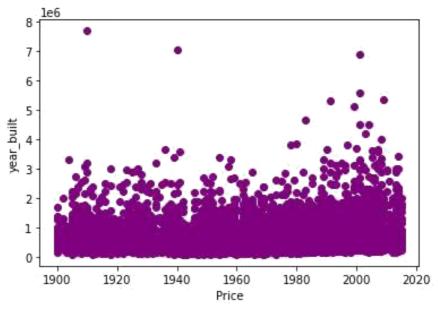
Şekil 12. Graph of "num_bedrooms" vs "price"



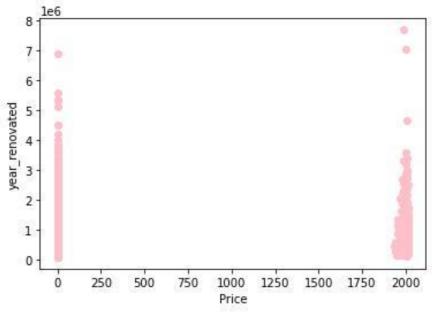
Şekil 13. Graph of "num_bathrooms" vs "price"



Şekil 14. Graph of "waterfront" vs "price"



Şekil 15. Graph of "year_built" vs "price"



Şekil 16. Graph of "year_renovated" vs "price"

References:

- [1] https://www.statisticshowto.com/
- [2] https://machinelearningmastery.com/linear-regression-for-machine-learning/