

#Symmetric

DES

- ↳ Advanced Encryption standard.
- ↳ Performs block by block encryptions
- ↳ Keyed permutation
- ↳ Works on 128 bit (16 byte) blocks & 128 bit key known as AES-128.
- ↳ We can perform that permutation in reverse using that key
- ↳ One to one correspondence ↳ Bijection ↳
- ↳ 128 bit key = Large to Boute force
- ↳ There is technique to reduce security from 128 bit to 126.1 bits
- ↳ Technically better than Boute force.
- ↳ Brute force attack → Best single key attack against AES
- ↳ Grover's algo (for Quantum) could theoretically cut security of symmetric cipher in half.
- ↳ So using AES 256 is recommended.

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Structure of AES.

↳ Begins with key-schedule algo & then runs 10 rounds over a state. Starting state is plain text block represented as 4×4 matrix.

(1) key Schedule.

(2) Initial key addition

↳ Add Round key - the bytes of first round key are XOR'd with bytes of state.

(3) Round - this phased is looped 10 times, for 9 main rounds & one final round.

↳ Subbytes - Each byte of state is substituted for different byte according to lookuptable (S-box).

↳ Shift rows - Last 3 rows of state matrix are transposed

↳ Mix columns

↳ Add Round key.

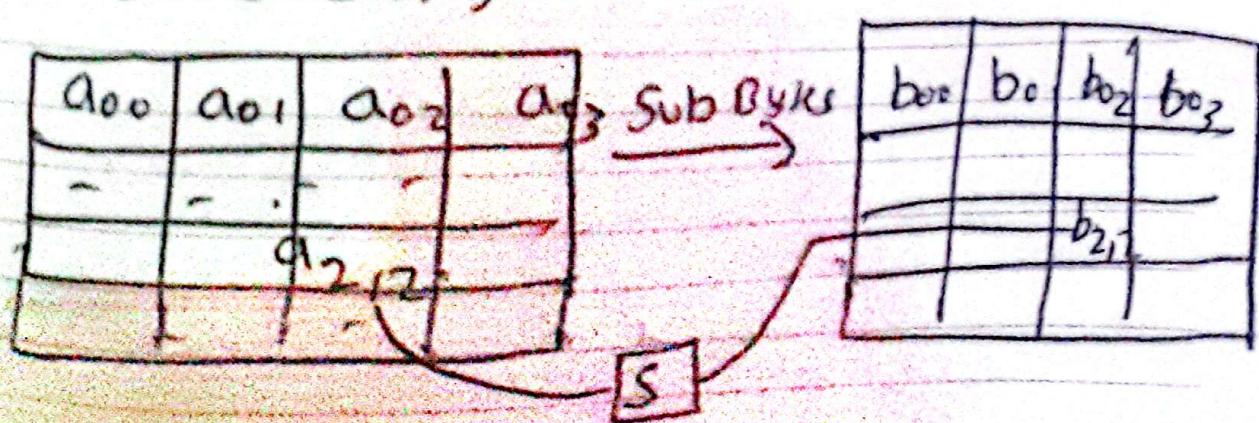
#Key Expansion Phase

↳ Takes 16 byte key & produces 11 4×4 matrices called round keys.

↳ The Initial Key Addition Phase has single AddRoundkey step. which XOR's our current state with current round key.

↳ AddRoundkey also occurs as final step in each round its what makes it keyed permutation.

First step of each AES round is SubBytes. It involves taking each byte of state matrix & substituting it for different byte in 16×16 lookuptable (substitution or S-Box).



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AES = Not perfect. Fast lookup in S-box is shortcut for performing very non-linear functions on input bytes. This function involves taking modular inverse in Galois field 2^8 & applying transformation which has been tweaked for max confusion.

$$F(x) = 06x^{fe} + 09x^{fd} + f9x^{fb} + 26x^{f7} \\ + f4x^{ef} + 01x^{df} + b6x^{bf} + 88x^{bc} + 63.$$

Diffusion.

↳ Without diffusion, same byte in same position would get same transformation each round.

↳ Ideal amount of diffusion causes change of one bit in plaintext to lead to a change in statistically half bits of ciphertext. It's called Avalanche effect.

↳ Shift Rows & MixColumns steps combine to achieve diffusion.

↳ Shift Rows is simple as it says, MixColumns is complex & achieves it by matrix multiplication of state matrix & preset matrix.

Date:

Sun Mon Tue Wed Thu Fri Sat

$C(x)$

a_{00}	a_{01}	a_{02}	a_{03}
a_{10}			
a_{20}			
a_{30}			

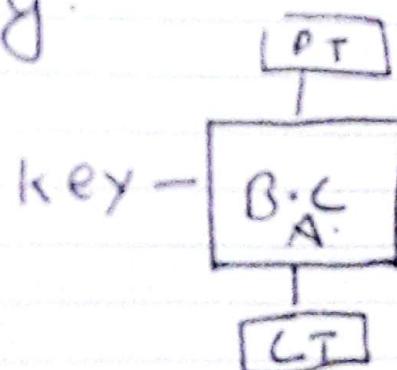
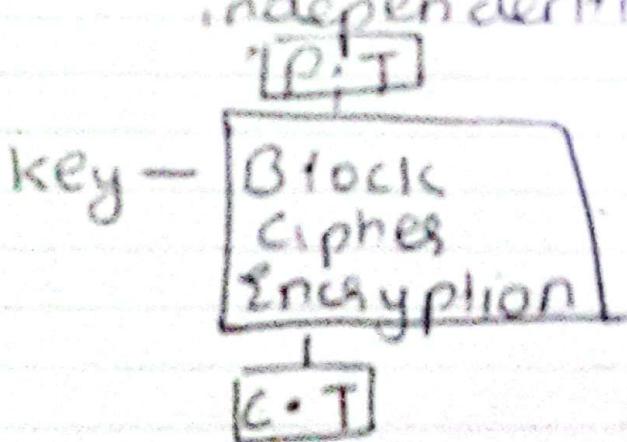
b_{01}
b_{11}
b_{21}
b_{31}

Mixcolumns

ECB

↳ Electronic code block

↳ Each Block encrypted independently.



↳ VULN

↳ ECB mode encrypts identical plaintext blocks to identical ciphertext blocks.

↳ No randomization IV.

↳ Chosen Plaintext Attack

↳ Byte-Byte Extraction.

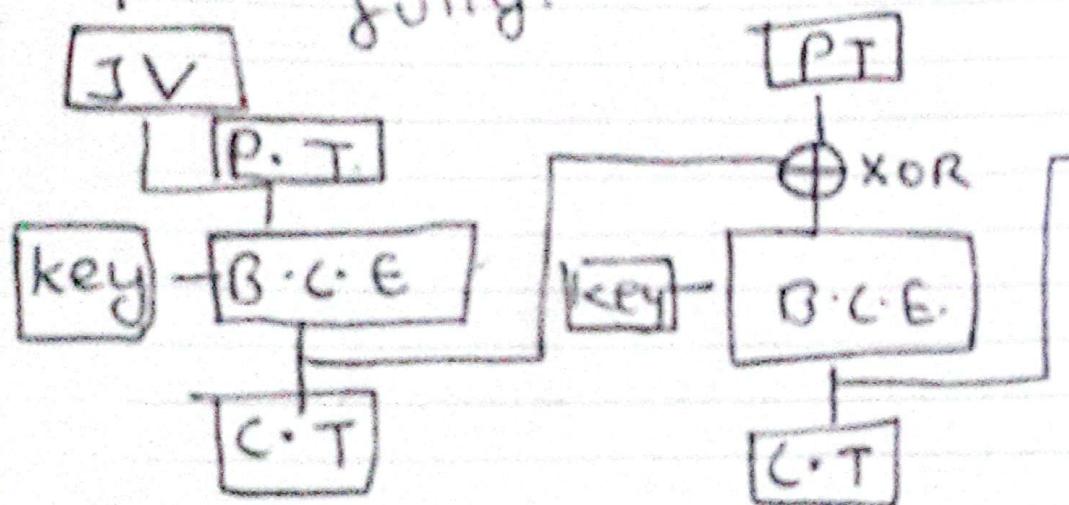
Date → Initialization Vector.

CBC → Cipher Block-Chaining.

↳ Code block cipher.

↳ Dependent on previous block.

↳ Secure than ECB but not fully.



↳ Vulnerabilities

↳ Padding oracle

↳ Bit flipping

ECB CBC WIF → flag

↳ Lets u encrypt in CBC but lets decrypt in ECB.

$$C_0 = IV, \quad C_i = AES-CBC-ENCL(P_i)$$

Decrypt only in ECB

$$D(C_i) = AES-ECB-DEC(C_i)$$

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We need to recover flag using ECB decryption.

CBC Encryption working,

$$C_0 = IV$$

$$C_1 = AES-ECB-ENC(CP_1 \oplus IV)$$

$$C_2 = AES-ECB-ENC(CP_2 \oplus C_1), \dots$$

CBC Decryption

$$P_1 = DCC(C_1) \oplus IV$$

$$P_2 = DCC(C_2) \oplus C_1$$

where $DCC(C_i)$ is ECB decryption of that block so if we find $DCC(C_1)$ we can get flag.

① Req 8 CBC enc flag.

$$C = IV || C_1 || C_2 \dots$$

② Split in blocks

$$IV = [0:16]$$

$$C_1 = [16:32]$$

$$C_2 = [32:48]$$

③ $DCC(C_1) = AES^{-1} ECB \text{ dec of } C_1$

④ Recover P using CBC

$$P_1 = D(C_1) \oplus IV$$

$$P_2 = D(C_2) \oplus C_1$$

⑤ Concatenate all blocks for flag.

Flipping cookie

↳ It's using CBC bit flipping attack.

↳ cookie is enc in AES-CBC mode with random IV,

$$C = \text{AES-CBC ENC(cookie, IV)}$$

↳ we can decrypt cookie using AES-CBC, checks if admin = Dave & only return flag.



CBC-Bit-flip

- ECB dec.

$$P = D(C_i) \oplus C_{i-1}$$

↳ $C_0 = IV$

C_i = first cipher block.

Each plaintext block is XOR of ECB dec C-T.

↳ By flipping bits in C_{i-1} & IV for last block, you can flip in P_i . Then it butterfly effect.

Eg:

admin = false; expiry = 12345

We want admin = True;

↳ ① Find block(s) where admin = False is

② Flip "8F" $\rightarrow T$ in prev block

or IV if its first block

③ When dec, serves 5025
"admin = True"

OFB Mode :

- ↳ Output Feedback Mode
- ↳ Turns Block cipher (AES) to Stream cipher.
- ↳ Produces keystream independent of plaintext.

$$\begin{aligned} K_1 &= \text{AES}(\text{KEY}, \text{IV}) \\ K_2 &= \text{AES}(\text{KEY}, K_1) \\ &= \text{AES}(\text{KEY}, K_2) \end{aligned}$$

Encryption / Decr.:

$$C_i = P_i \oplus k_i \quad P_i = C_i \oplus k_i$$

Steps

- ① Keystream depends on key, IV.
- ② XORing known P.T with its C.T reveals keystream.
- ③ If you know part of P.T, you can decrypt other msg using same IV.
- ④ This is similar to one-time pad reuse.

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Symmetry (chall)

① Server gives IV + Cflag

② you can send P·T = "A" * N with same IV, get C known.

③

$$K = C_{\text{known}} \oplus P \cdot T$$

④ Flag = Cflag \oplus K.

Only XOR operations.

#

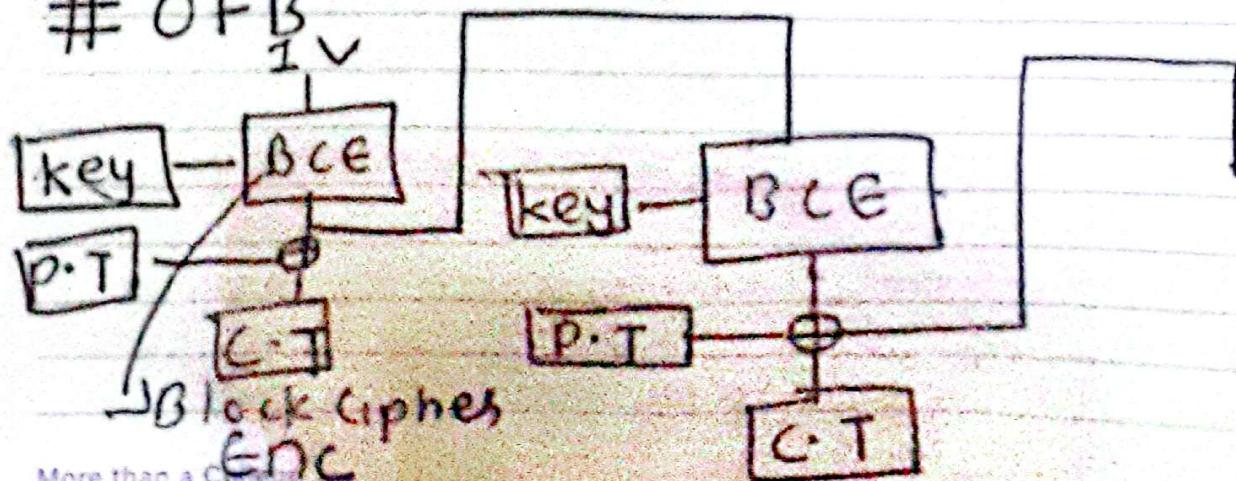
① encrypt-flag \rightarrow get IV + Cflag

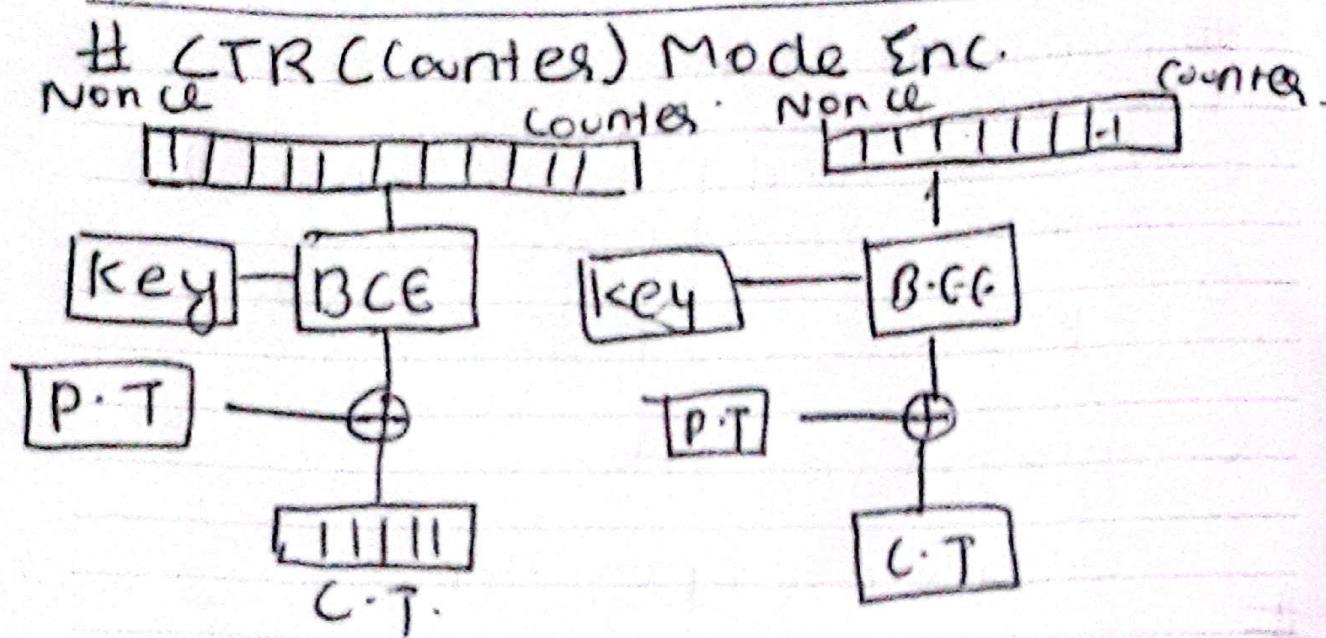
② call encrypt(known P·T, IV) - get Cknown

③ XOR Cknown with Known. P·T - get keystream.

④ XOR Cflag with keystream - get flag.

OFB





- ① AES in CTR mode generates key stream by encrypting counter, IV, nonce, etc.
- ② P.T. is enc by XOR with keystream

$$C_i = P_i \oplus k_i$$

- ③ Decryption is same

$$P_i = C_i \oplus k_i$$

$$K = C \oplus P_{\text{known}}$$

once keystream is known

$$P = C \oplus K$$

Date:

CTR = If any plaintext bytes are known we can recover keystream.

Bean Counter (chall).

① Server implements CTR manually using AES-ECB.

keystream = AES.new(key, AES-ECB).
 .encrypt(ctr.inrement())
xored = P.T block ^ XOR keystream.

② Counter is step up or step down, but for each encryption, you get deterministic keystream.

So we have ^{to recover} PNC and we know PNC always starts from same 16 byte header.

So, first 16 GCT Bytes:

$$K_0 = C_0 \oplus \text{PNC HEADER}$$

Then repeat keystream across file to recover full image.