

ADVERTISING

GROUP MEMBERS:

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INTRODUCTION

The effect of three of the most common (and classic) types of advertisements:

- TV Ads
- Radio Ads
- Newspaper Ads

on companies' sales



DATASET

- The dataset chosen is Advertising Dataset of Sales with respect to TV, radio and newspaper advertisements budgets [Advertising Dataset | Kaggle](#) .
- The sales are in thousands of units and the budget is in thousands of dollars.

a several data points of each variable

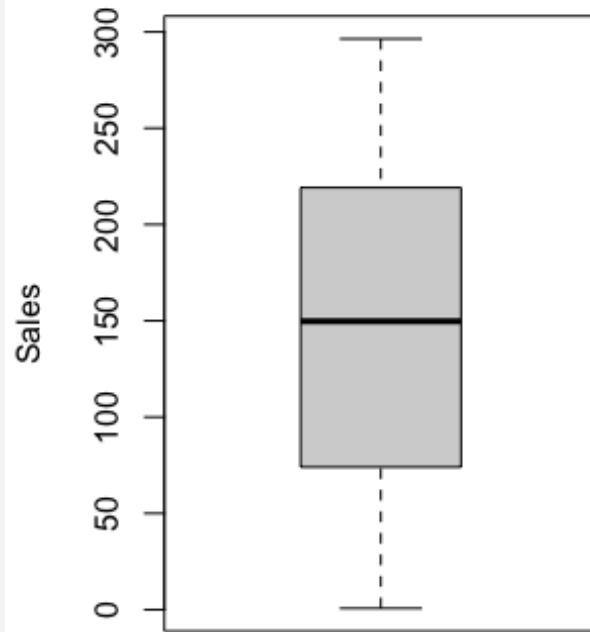
```
> str(advertising_data)
'data.frame':  200 obs. of  4 variables:
 $ TV      : num  230.1 44.5 17.2 151.5 180.8 ...
 $ Radio   : num  37.8 39.3 45.9 41.3 10.8 48.9 32.8 19.6 2.1 2.6 ...
 $ Newspaper: num  69.2 45.1 69.3 58.5 58.4 75 23.5 11.6 1 21.2 ...
 $ Sales   : num  22.1 10.4 12 16.5 17.9 7.2 11.8 13.2 4.8 15.6 ...
```

The data retrieved from:

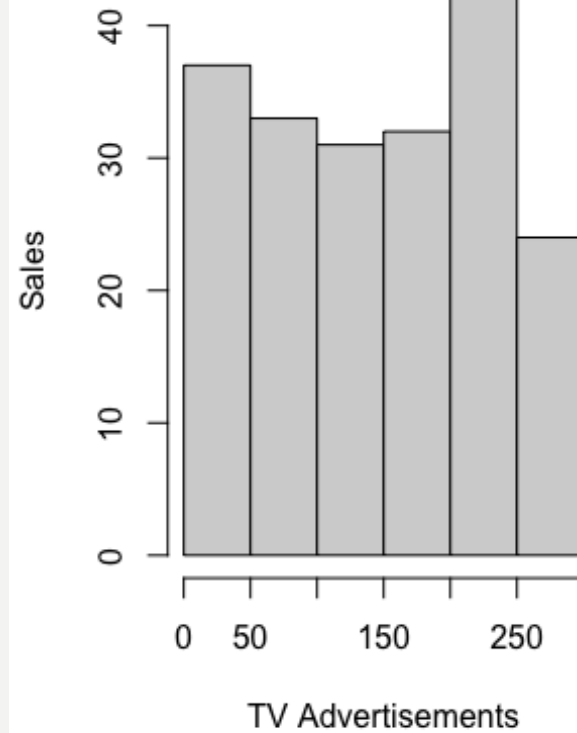
<https://www.kaggle.com/datasets/ashydv/advertising-dataset>

Data Analysis

Box Plot

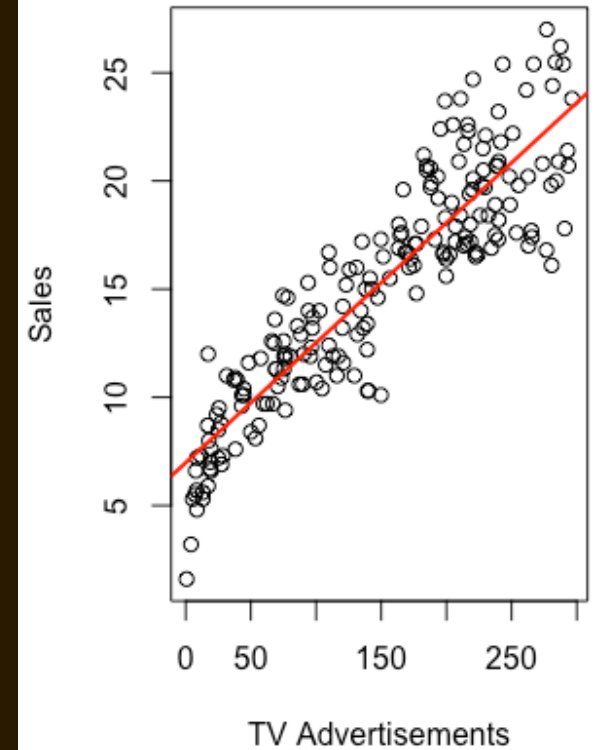


Histogram



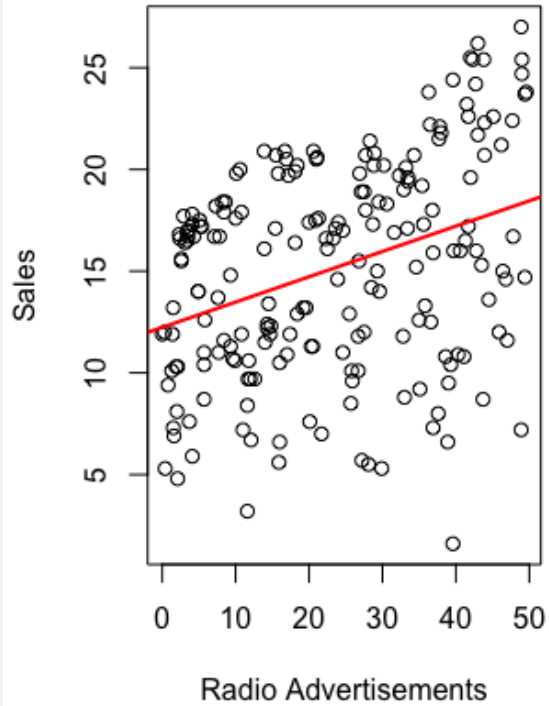
TV ADVERTISEMENTS BUDGET VS SALES

Scatter Plot with Linear Regression

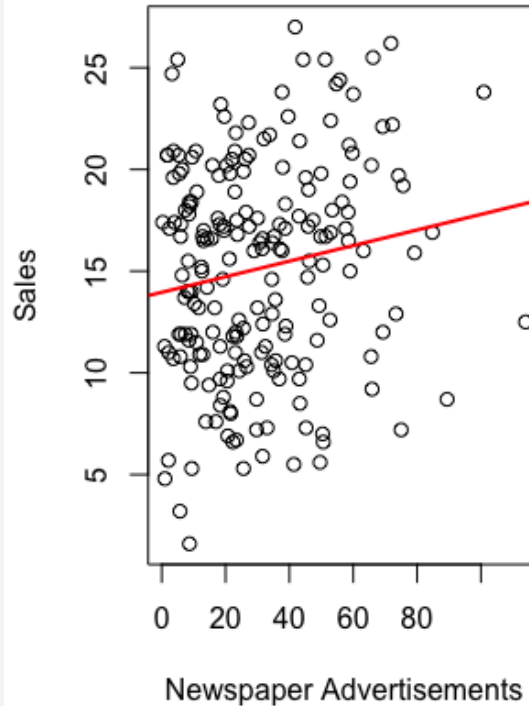


Strong Positive Linear Relationship

Scatter Plot with Linear Regression



Scatter Plot with Linear Regression

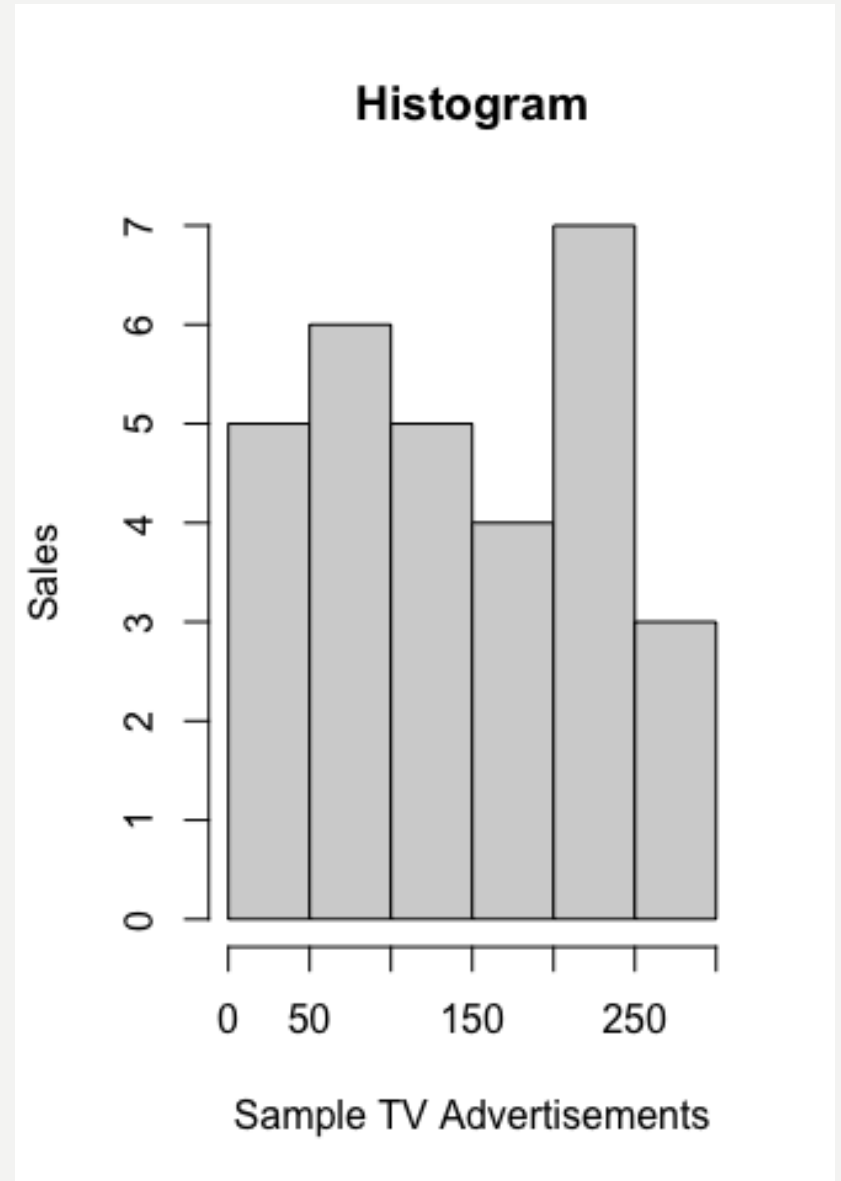


**RADIO AND NEWSPAPER
ADVERTISEMENTS
BUDGET VS SALES**

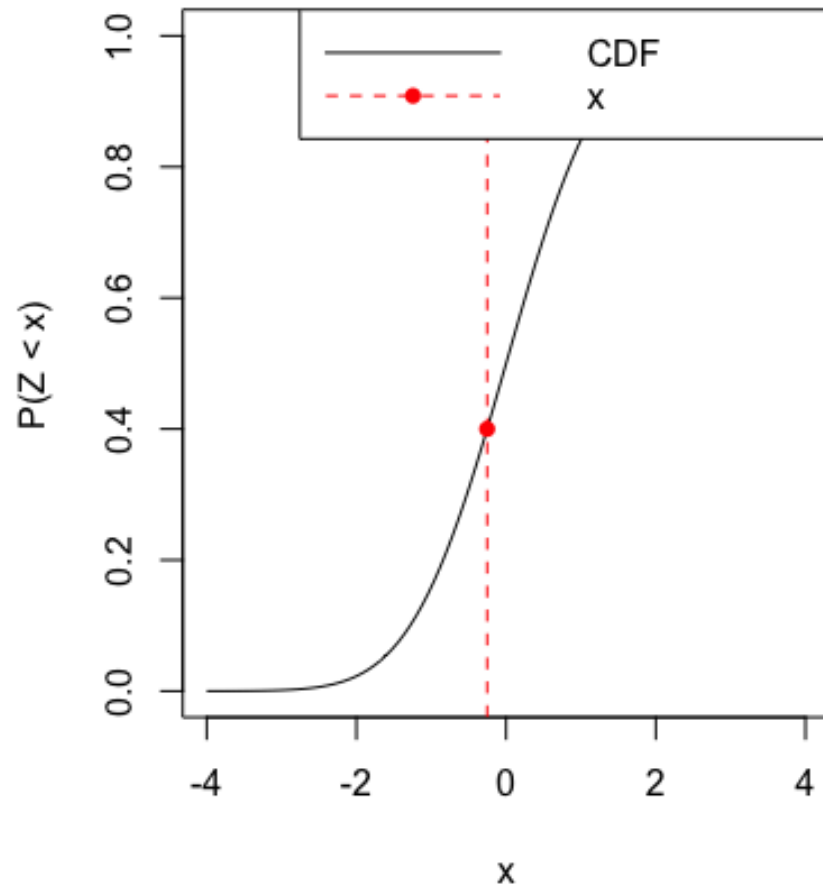
No clear relationship

SAMPLE STATISTICS

- A random sample of size 30
- In both the sample and the population: The highest sales' corresponding TV ads budget of \$200K-\$250K budget of TV advertisements
- The lowest sales correspond to TV ads budget larger than \$250K.
- The other bins relatively show a pattern similar to the population histogram as well.



CDF of Standard Normal Distribution



NORMALITY

The Shapiro-Wilk test proved normal distribution for sales population.

Find x as the value of sales for which the z -value of the data points below it (less than x) would make up 0.4 of the data.

$$P(Z < x) = 0.4$$

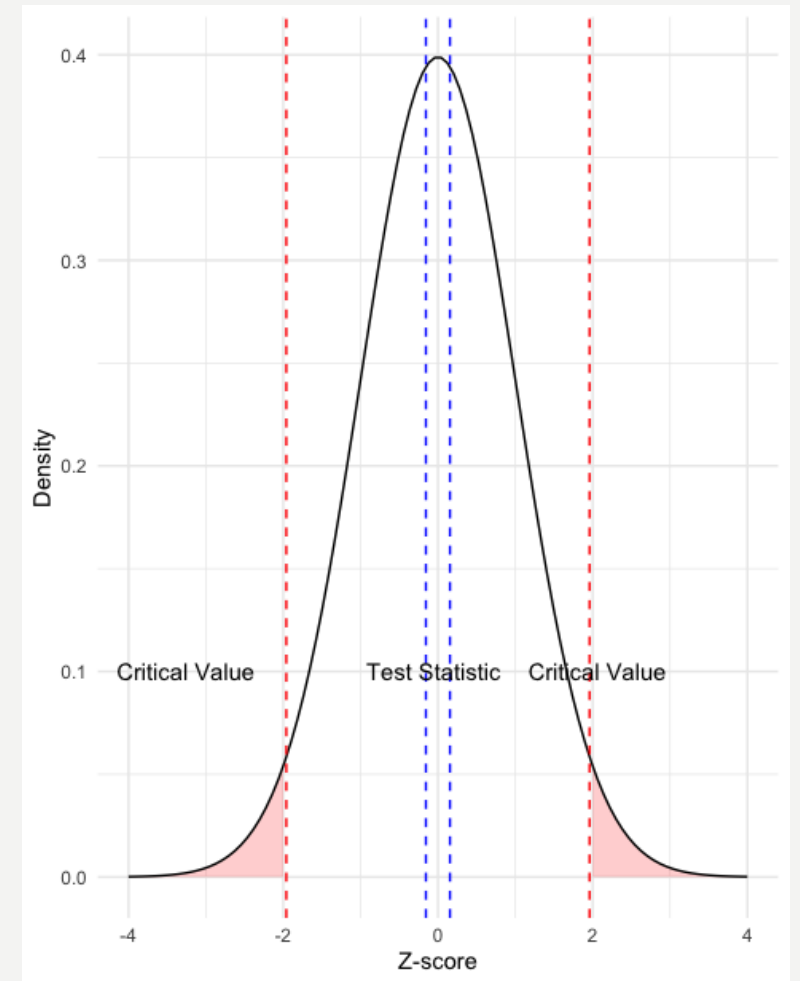
HYPOTHESIS TEST 3

CONFIDENCE INTERVALS

- Claim: The population mean of sales is not equal to 15.13. ($\alpha = 0.05$, $n = 30$)
- $H_0: \mu = 15.13$
- $H_a: \mu \neq 15.13$
- $n = 30 \rightarrow$ CLT \rightarrow normally distributed
- `qnorm()` and `pnorm()` functions

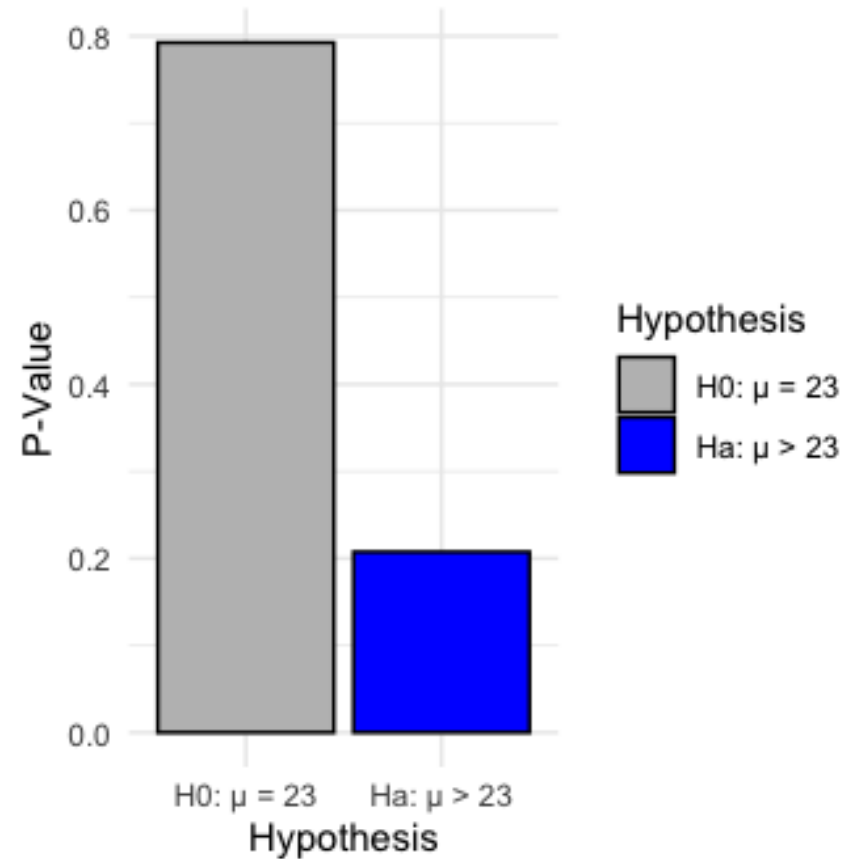
p-value: 0.8764363

Conclusion: Not enough evidence to reject H_0



HYPOTHESIS TEST 2

- Claim: The population mean of Radio is greater than 23. ($\alpha = 0.05$, $n = 20$)
- $H_0: \mu = 23$
- $H_a: \mu > 23$
- `t.test()` function
- P-value = 0.2074528

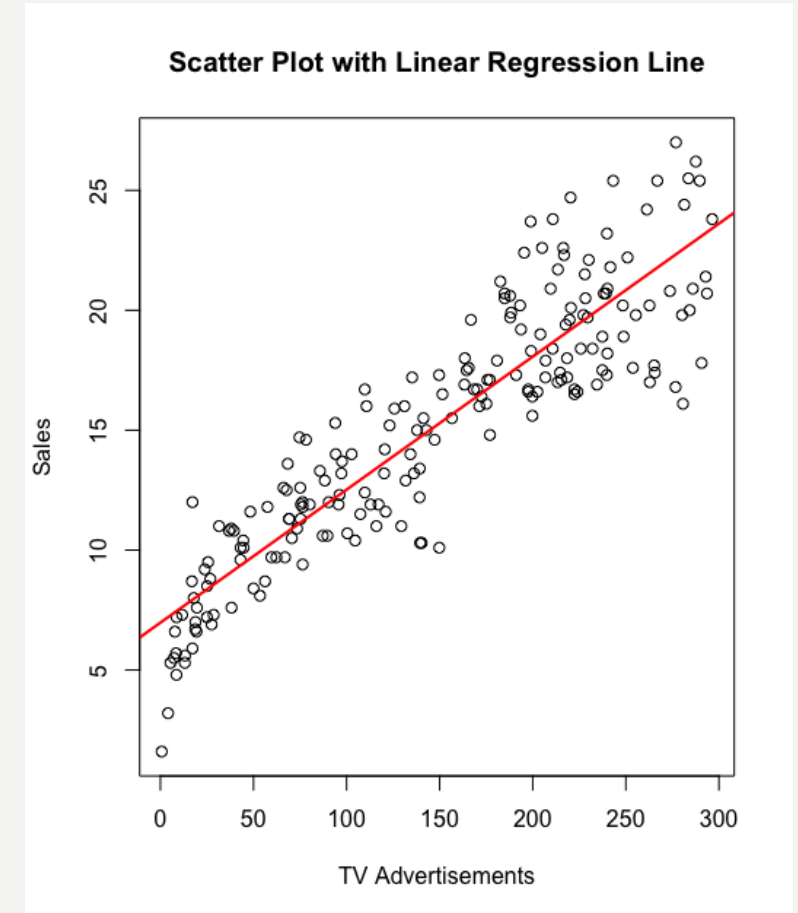


DETECTING THE DISTRIBUTION

- Goodness of fit tests
- The Chi-squared test to see whether the TV Budget population is normally distributed. ($\alpha = 0.05$)
- H_0 : The distribution is normal.
- H_a : The distribution is not normal.
- `Chisq.test()` function
- $P\text{-value} < 2.2e-16 < \alpha$
- Reject H_0 in favor of H_a
- TV Budget population is not normally distributed.

LINEAR REGRESSION

- TV: \$230.1K, Radio: \$37.8K, Newspaper: \$69.2K. The predicted sale?
- Fit the model.
- `predict()`
- Residual error?
- $\text{Observed} - \text{predicted} = |22.1 - 21.2| = 0.9$



ANOVA

- Claim: There is a significant difference in the mean values of the three advertising methods. ($\alpha = 0.05$)
- H_0 : There is no significant difference in the means.
- H_a : There is a significant difference in the means.
- `library("dplyr")`
- `aov()` and `summary()`
- $P\text{-value} < \alpha$
- Conclusion: H_0 is rejected in favor of H_a .
- There is a significant difference in the mean values of the three advertising methods.

APPLICATIONS OF NONPARAMETRIC TESTS

- Single Sample Sign Test: Is there a significant difference in the sample median from the hypothesized value? (sample sales)
- H_0 : There is not a significant difference in the sample median from the hypothesized value.
- H_a : There is a significant difference in the sample median from the hypothesized value.
- $P\text{-value} < \alpha$
- Conclusion: Reject H_0 in favor of H_a .
- There is a significant difference in the sample median from the hypothesized value

**THANK YOU FOR
LISTENING!**

