# Data Science - Lecture 10 Practical Issues of Classification

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#### **Practical Issues of Classification**

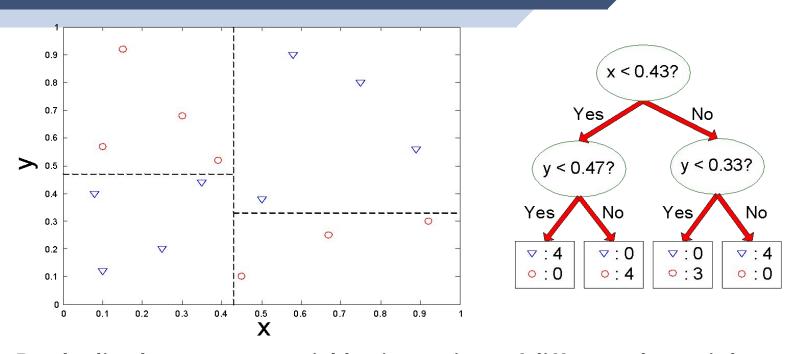
- Underfitting and Overfitting
- Missing Values
- Data Fragmentation

#### **Practical Issues of Classification**

- Underfitting and Overfitting
- Missing Values

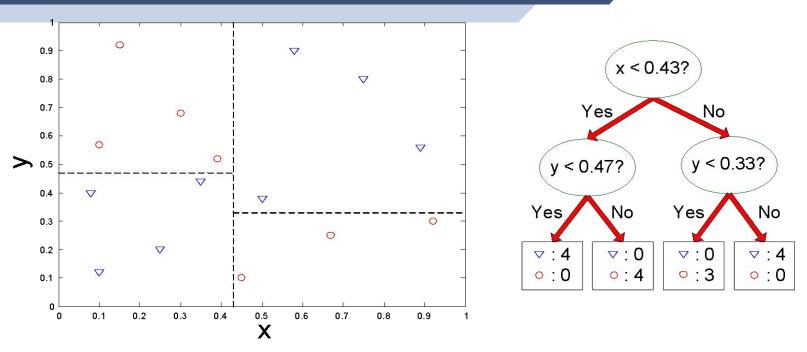
Data Fragmentation

# **Decision Boundary**



 Border line between two neighboring regions of different classes is known as decision boundary

# **Decision Boundary**

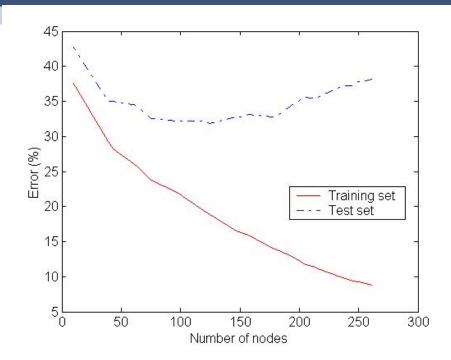


 Decision boundary is parallel to axes because test condition involves a single attribute at-a-time

### Overfitting and Underfitting

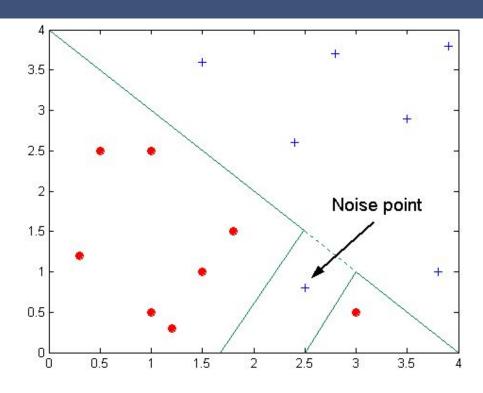
- Overfitting results in decision trees that are more complex than necessary
- Training error no longer provides a good estimate of how well the tree will perform on previously unseen records
- Need new ways for estimating errors
- Underfitting: when model is too simple, both training and test errors are large

# **Underfitting and Overfitting**



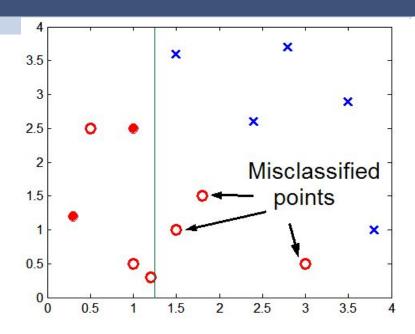
Underfitting: when model is too simple, both training and test errors are large

# Overfitting due to Noise



Decision boundary is distorted by noise point

#### Overfitting due to Insufficient Examples



- Insufficient number of training records in the region causes the decision tree to predict the test examples using other training records that are irrelevant to the classification task

#### **How to Address Overfitting**

- Pre-Pruning (Early Stopping Rule)
  - Stop the algorithm before it becomes a fully-grown tree
  - Typical stopping conditions for a node:
    - Stop if all instances belong to the same class
    - Stop if all the attribute values are the same
  - More restrictive conditions:
    - Stop if number of instances is less than some user-specified threshold
    - ◆ Stop if expanding the current node does not improve impurity measures (e.g., Gini or information gain).

# How to Address Overfitting...

#### Post-pruning

- Grow decision tree to its entirety
- Trim the nodes of the decision tree in a bottom-up fashion
- If generalization error improves after trimming, replace sub-tree by a leaf node.
- Class label of leaf node is determined from majority class of instances in the sub-tree

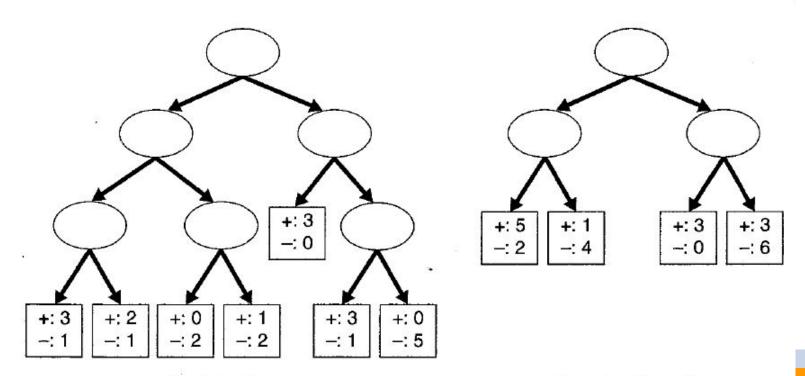
- Re-substitution errors: error on training ( $\Sigma$  e(t))
- Generalization errors: error on testing (Σ e'(t))
- Methods for estimating generalization errors:
  - Optimistic approach: e'(t) = e(t)

- Methods for estimating generalization errors:
  - Pessimistic approach:
    - $\bullet$  For each leaf node: e'(t) = (e(t)+0.5)
    - $\bullet$  Total errors: e'(T) = e(T) + N × 0.5 (N: number of leaf nodes)
    - For a tree with 30 leaf nodes and 10 errors on training (out of 1000 instances):

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Training error = 10/1000 = 1\%
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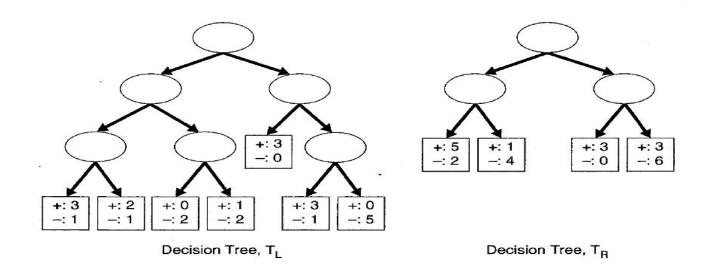
Generalization error =  $(10 + 30 \times 0.5)/1000 = 2.5\%$ 

- Methods for estimating generalization errors:
  - ◆ Reduced error pruning (REP):
  - uses validation dataset to estimate generalization error
  - Validation set is part of training data used for preliminary validation of model during the learning process

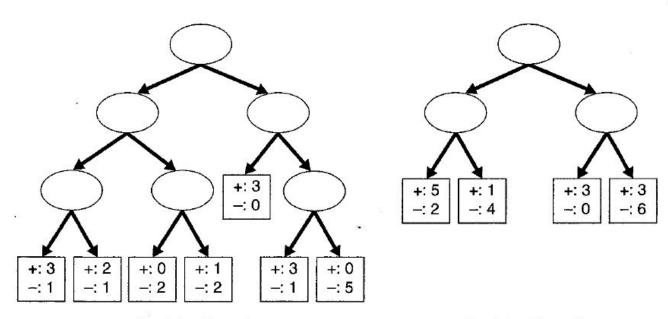


Decision Tree, T<sub>L</sub>

Decision Tree, TR



$$E'(T_1) = (4+7*0.5)/24 = 7.5/24 = 0.3125$$



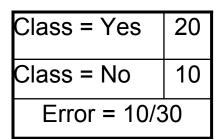
Decision Tree, T<sub>L</sub>

 $E'(T_1) = (4+7*0.5)/24 = 7.5 / 24 = 0.3125$ 

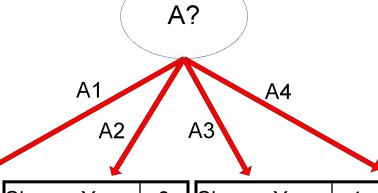
 $E'(T_R) = (6+4*0.5)/24 = 8/24 = 0.3333$ 

Decision Tree, TR

# **Example of Post-Pruning**



Training Error (Before splitting) = 10/30Pessimistic error = (10 + 0.5)/30 = 10.5/30



Class = Yes	8
Class = No	4

Class = Yes	3
Class = No	4

Class = Yes	4
Class = No	1

Class = Yes	5
Class = No	1

#### Occam's Razor

- Given two models of similar generalization errors, one should prefer the simpler model over the more complex model
- For complex models, there is a greater chance that it was fitted accidentally by errors in data

Therefore, one should include model complexity when evaluating a model

#### Minimum Description Length (MDL)

X	У		Yes No	
<b>X</b> <sub>1</sub>	1		0 B?	
X <sub>2</sub>	0		$B_1$ $B_2$	
$X_3$	0	Λ	C? 1	R
X <sub>4</sub>	1		$C_1$ $C_2$	<u>Б</u>
		$\mathcal{A}$		$\prec$
X <sub>n</sub>	1	<b>(</b> )		人,
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X	У
$X_1$	?
$X_2$	?
$X_3$	?
$X_4$	?
X <sub>n</sub>	?

- Cost(Model,Data) = Cost(Data|Model) + Cost(Model)
  - Cost is the number of bits needed for encoding.
  - Search for the least costly model.

#### Minimum Description Length (MDL)

X	У		Yes No	
<b>X</b> <sub>1</sub>	1		0 B?	
X <sub>2</sub>	0		$B_1$ $B_2$	
<b>X</b> <sub>3</sub>	0	٨	C?	2
$X_4$	1	A		) _
		$\mathcal{A}$		$\langle \cdot \rangle$
X <sub>n</sub>	1	<b>(</b> )		(
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X	У
$X_1$	
$X_2$	?
$X_3$	?
$X_4$	?
X <sub>n</sub>	?

- Cost(Data|Model) encodes the misclassification errors.
- Cost(Model) uses node encoding (number of children) plus splitting condition encoding.

#### **Decision Tree Based Classification**

#### Advantages:

- Inexpensive to construct
- Extremely fast at classifying unknown records
- Easy to interpret for small-sized trees
- Accuracy is comparable to other classification techniques for many simple data sets

#### Example: C4.5

- Simple depth-first construction.
- Uses Information Gain
- Needs entire data to fit in memory.
- Unsuitable for Large Datasets.
- You can download the software from:
   http://www.cse.unsw.edu.au/~quinlan/c4.5r8.tar.gz