Implementation:

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# Dijkstra's Algorithm in Python
import sys
# Providing the graph
vertices = [[0, 0, 1, 1, 0, 0, 0],
        [0, 0, 1, 0, 0, 1, 0],
        [1, 1, 0, 1, 1, 0, 0],
        [1, 0, 1, 0, 0, 0, 1],
        [0, 0, 1, 0, 0, 1, 0],
        [0, 1, 0, 0, 1, 0, 1],
        [0, 0, 0, 1, 0, 1, 0]
edges = [[0, 0, 1, 2, 0, 0, 0],
      [0, 0, 2, 0, 0, 3, 0],
      [1, 2, 0, 1, 3, 0, 0],
      [2, 0, 1, 0, 0, 0, 1],
      [0, 0, 3, 0, 0, 2, 0],
      [0, 3, 0, 0, 2, 0, 1],
      [0, 0, 0, 1, 0, 1, 0]
# Find which vertex is to be visited next
def to be visited():
  global visited and distance
  v = -10
  for index in range(num_of_vertices):
     if visited and distance[index][0] == 0 \setminus
        and (v < 0 \text{ or visited and distance}[index][1] <=
           visited and distance[v][1]):
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v = index
  return v
num of vertices = len(vertices[0])
visited and distance = [[0, 0]]
for i in range(num of vertices-1):
  visited_and_distance.append([0, sys.maxsize])
for vertex in range(num of vertices):
  # Find next vertex to be visited
  to visit = to be visited()
  for neighbor index in range(num of vertices):
    # Updating new distances
    if vertices[to visit][neighbor index] == 1 and \
         visited and distance[neighbor index][0] == 0:
       new distance = visited and distance[to visit][1] \
         + edges[to visit][neighbor index]
       if visited_and_distance[neighbor_index][1] > new_distance:
         visited and distance[neighbor index][1] = new distance
    visited and distance[to visit][0] = 1
```

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# Printing the distance for distance in visited_and_distance: print("Distance of ", chr(ord('a') + i), \\ " from source vertex: ", distance[1]) \\ i = i + 1
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Output:

Distance of a from source vertex: 0
Distance of b from source vertex: 3
Distance of c from source vertex: 1
Distance of d from source vertex: 2
Distance of e from source vertex: 4
Distance of f from source vertex: 4
Distance of g from source vertex: 3