Complex Cash Flows and Excel to the Rescue



The NPV Method: Let's try a problem together

Your New Office Rabbit Ridge Winery Palisade, Colorado



Let's do a problem together...

Part 1: Rabbit Ridge Wineries is evaluating a grape crushing machine for use at its vineyard on the Western Slope of Colorado.

Smart Crush			\$23,000		
First Cost	\$52,000				
Annual O&M Costs	15,000	Net			
Annual Revenues	38,000	Benefits	0 1 2 3 4 5		
Useful Life	5 years				
		-	\$52,000		

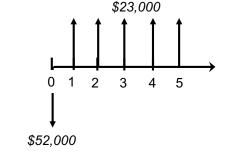
Should Rabbit Ridge make the investment? Rabbit Ridge has a Hurdle Rate = 12%.

Finding the Net Present Value...

Solution: determine the NPV for the machine at 12%.

	Smart Crush		
First Cost	\$52,000		
Annual O&M Costs	15,000		
Annual Revenues	38,000		
Useful Life	5 years		

$$PV_{Inflows} = A \left[\frac{(1+i)^{N} - 1}{i(1+i)^{N}} \right]$$



$$PV_{Inflows} = $23,000 \left[\frac{(1+0.12)^5 - 1}{0.12(1+0.12)^5} \right] = $82,915$$

PV (Investment)
$$=$$
 \$52,000

$$NPV = $30,915$$

NPV > 0, so this project is economically viable.

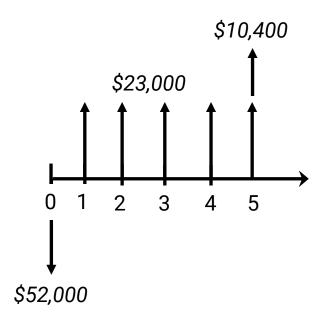
The Smart Crush Project has a positive NPV, meaning its benefits exceeds its costs (on a discounted cash flow basis at the company's discount rate).

Rabbit Ridge should purchase Smart Crush as its grape crushing machine.

Let's do a problem together...

Part 2: What if you can sell the equipment for 20% of its original value?

	Smart Crush		
First Cost	\$52,000		
Annual O&M Costs	\$15,000		
Annual Revenues	\$38,000		
Salvage Value (20%)	\$10,400		
Useful Life	5 years		



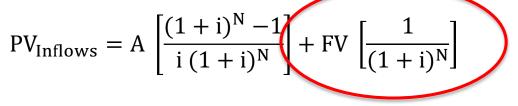
How does this change the NPV?

Finding the Net Present Value...

Solution: determine the NPV for the machine at 12%.

	Smart Crush		
First Cost	\$52,000		
Annual O&M Costs	15,000		
Annual Revenues	38,000		
Salvage Value	10,400		
Useful Life	5 years		

\$10,400



$$PV_{Inflows} = 23,000 \left[\frac{(1+0.12)^5 - 1}{0.12 (1+0.12)^5} \right] + \$10,400 \left[\frac{1}{(1+0.12)^5} \right]$$

$$PV_{Inflows} = $82,915 + $5,901$$

= \$88,816

PV (Investment)
$$=$$
 \$52,000

NPV = \$36,816

NPV is even higher, although not by much.

When Cash Flows are Not So Uniform...

We have formulae when A's are all the same value.

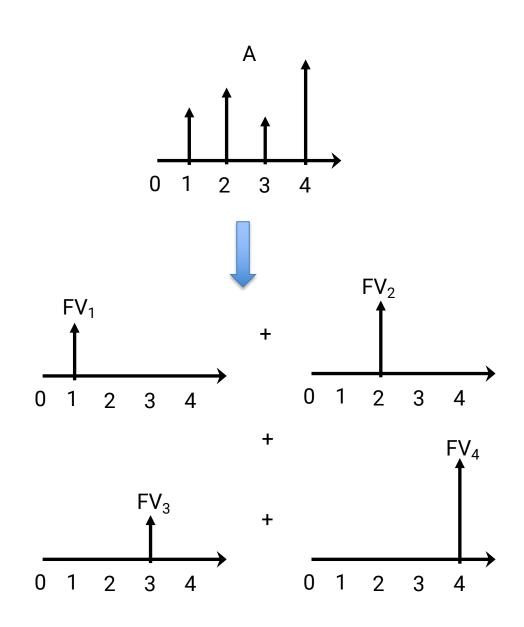
What about when they are not?

Option 1: Determine the PV for each cash inflow one at a time, treating each individual "A" as a future value, FV

$$PV_1 = FV_1 / (1+i)^1$$

 $PV_2 = FV_2 / (1+i)^2$
 $PV_3 = FV_3 / (1+i)^3$
 $PV_4 = FV_4 / (1+i)^4$
 $PV_{inflow} = PV_1 + PV_2 + PV_3 + PV_4$

Option 2: Let the NPV function in Excel do this for you...



NPV Function in Excel...

NPV: determines the net present value [sort of, as we'll see!] of an investment by discounting a series of future cash flows (positive or negative) at a discount rate.

Format: NPV(rate, values).

rate: The discount rate.

values: The cash flows starting in Year 1 (excluding the Initial Investment at Time = 0).

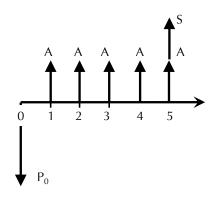
The cash flows must occur at the end of the periods.

While Excel calls NPV the Net Present Value, it is really the Present Value of all the future cash flows, similar to the PV function, now accounting for any value (positive or negative).

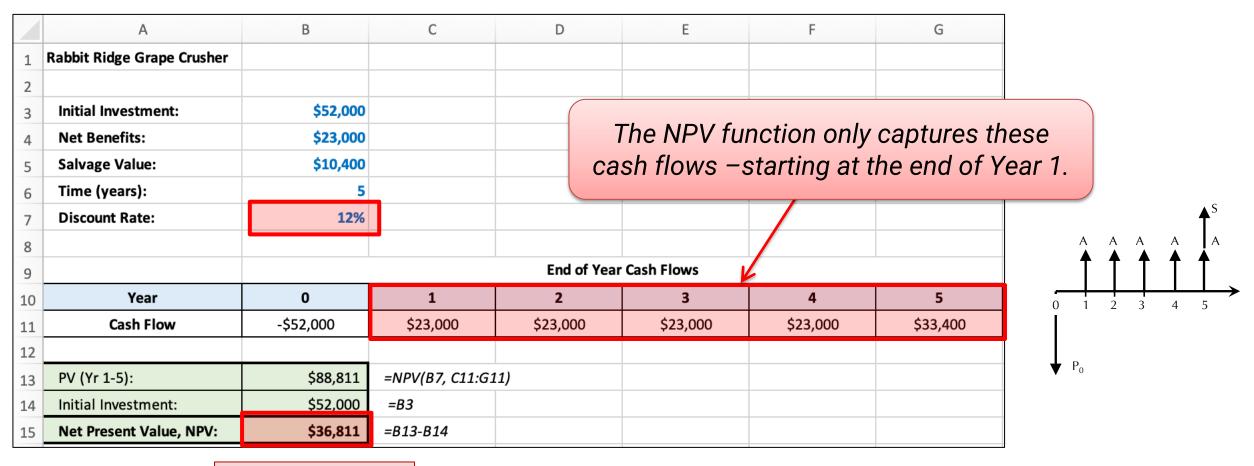
Don't confuse the NPV function with our project valuation formula, NPV = $PV_{inflows} - P_o$ as Excel's NPV function never takes the initial investment at time = 0 into account.

Our Rabbit Ridge Example now with Excel...

	А	В	С	D	Е	F	G	
1	Rabbit Ridge Grape Crusher							
2								
3	Initial Investment:	\$52,000						
4	Net Benefits:	\$23,000						
5	Salvage Value:	\$10,400						
6	Time (years):	5						
7	Discount Rate:	12%						
8								
9		End of Year Cash Flows						
10	Year	0	1	2	3	4	5	
11	Cash Flow	-\$52,000	\$23,000	\$23,000	\$23,000	\$23,000	\$33,400	
12								
13	PV (Yr 1-5):	\$88,811	=NPV(B7, C11:G11)					
14	Initial Investment:	\$52,000	=B3					
15	Net Present Value, NPV:	\$36,811	=B13-B14					



Our Rabbit Ridge Example now with Excel...



 $NPV = PV_{Inflows} - P_0$

Our Rabbit Ridge Example now with Excel...

The toughest part is just keeping the signs straight...

Recall:

$$NPV = PV_{Inflows} - PV_{Outflows}$$

Or in this case:

$$NPV = PV_{Inflows} - P_o$$
 (the Initial Investment)

If you consider the "Initial Investment" as a positive number (because you know you're *spending* the money)

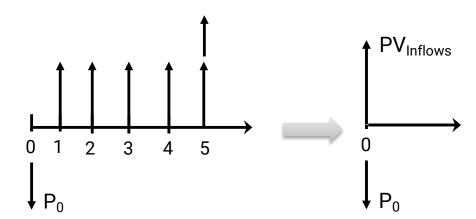


$$NPV = PV_{Inflows} - P_o$$

If you consider the "Initial Investment" as a negative number as part of a cash flow stream:



$$NPV = PV_{Inflows} + (-P_o)$$



Main Takeaways...

The Net Present Value, or NPV, is a widely used metric to determine whether a project is financially worthwhile – do the benefits exceed the costs on a discounted cash flow basis.

The NPV can be easily determined analytically, but only if the future cash flows are the same.

In reality, future cash flows will vary considerably, calling for a spreadsheet approach.

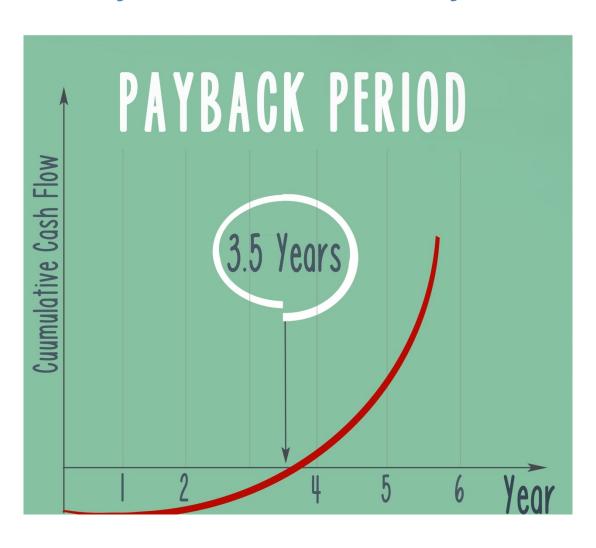
Excel's NPV Function determines the present value of all future cash flows (starting at the end of Year 1), whatever their value and whether they are positive or negative.

However, Excel's NPV function is not Net Present Value. We need to subtract the initial investment to obtain the correct value for Net Present Value.

We will see many more examples in future lessons, incorporating other important project valuation metrics.

Next Time...

Payback Period Analysis



Credits & References

Slide 1: Accounting or Financial Management Software Program on Laptop Screen in Office Desk by Menara Grafis, Adobe Stock (432160164.jpeg).

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