

**Submission Instruction:** Please submit this homework on Canvas in a single pdf format. The filename should be "HWXX\_FullName\_RedID.pdf" (ex. HW02\_JamesGault\_12345678.pdf).  
Please copy your Matlab code in the given box. Adjust the box size as needed.  
Please also submit all your m files separately. **Don't zip them.**

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**Iteration (Write your code in the box.)**

1. Write a function with header  $[M] = \text{myNMax}(A, N)$  where  $M$  is an array consisting of the  $N$  largest elements of  $A$ . You may use MATLAB's max function. You may also assume that  $N$  is less than the length of  $M$ , that  $A$  is a one-dimensional array with no duplicate entries, and that  $N$  is a strictly positive integer smaller than the length of  $A$ . ( / 10)

Test Cases:

```
>> x = [7,9,10,5,8,3,4,6,2,1]
>> M = myNMax(x,3)
M=
    10    9    8
```

```
function [M] = myNMax(A,N)
M=[];
for k=1:N
    M = [M,max(A)];
    A(A == max(A))=[];
end
end
```

2. The interest,  $i$ , on a principle,  $P_0$ , is a payment for allowing the bank to use your money. Compound interest is accumulated according to the formula  $P_n = (1 + i)P_{n-1}$ , where  $n$  is the compounding period, usually in months or years. Write a function with header  $[years] = \text{mySavingPlan}(P_0, i, goal)$  where  $years$  is the number of years it will take  $P_0$  to become  $goal$  at  $i\%$  interest compounded annually. ( / 10)

Test Cases:

```
>> y = mySavingPlan(1000, 0.05, 2000)
```

```
y = 15
>> y = mySavingPlan(1000, 0.07, 2000)
y = 11
>> y = mySavingPlan(500, 0.07, 2000)
y = 21
```

```
function [years] = mySavingPlan(P0, i, goal)
P = P0;
years = 0;
while P < goal
    years = years + 1;
    P = P*(1+i);
end
end
```

3. A number is prime if it is divisible without remainder only by itself and 1. The number 1 is not prime. Write a function with header [out] = myIsPrime(n) where out is 1 if n is prime and 0 otherwise. You may assume that n is a strictly positive integer. Hint: Use pre-defined function “rem(a, b)” that returns the remainder after division of a by b. For example, the result “rem(6.5, 3)” is 0.5 ( / 10)

```
function [out] = myIsPrime(n)
if n > 1
    for i = 2:((n/2)+1)
        if (rem(n,i) == 0) & (n/i ~= 1)
            out = 0;
            break
        else
            out = 1;
        end
    end
else
    out = 0;
end
end
```

**1D array (Write your code in the box.)**

4. Write a function with header [TemC] = myF2C(TemF) to convert fahrenheit to celsius. This function should work for one number, or an array of numbers to be converted. ( / 10)

```
function [TemC] = myF2C(TemF)
    TemC=[]
    for k=1:length(TemF)
        TemC = [TemC,(TemF-32)*(5/9)];
    end
end
```

5. Write a function with header[indices] = myWithinTolerance(A, a, tol) where indices is an array of the indices in A such that  $|A - a| < tol$ . You may assume that A is a one-dimensional double array and that a and tol are  $1 \times 1$  doubles. ( / 10)

Test Cases:

```
>> I = myWithinTolerance([0 1 2 3], 1.5, .75)
I =
    2      3
>> I = myWithinTolerance(0: .01 : 1, 0.5, .03)
I =
    48 49 50 51 52 53
```

```
function [indices] = myWithinTolerance(A, a, tol)
    indices = []
    for k = 1:length(A)
        if abs(A(k)-a) < tol
            indices = [indices,k];
        end
    end
end
```

6. Write a function with header [boundedA] = myBoundingArray(A, top, bottom) where boundedA is equal to the array A wherever bottom < A < top, boundedA is equal to bottom wherever A <= bottom, and boundedA is equal to top wherever A >= top. You may assume that A is a one-dimensional double array and that top and bottom are  $1 \times 1$  doubles. ( / 10)

Test Cases:

```
>> A = myBoundingArray(-5:5, 3, -3)
```

```
A =
-3 -3 -3 -2 -1 0 1 2 3 3 3
```

```
>> x = linspace(0,2*pi,10)
>> A = myBoundingArray(sin(x), .5, -.5)
```

I =

```
0 0.5000 0.5000 0.5000 0.3420 -0.3420 -0.5000 -0.5000 -0.5000 -0.0000
```

```
function [boundedA] = myBoundingArray(A, top, bottom)
    boundedA = []
    for k = 1:length(A)
        if A(k) < bottom
            boundedA = [boundedA,bottom];
        elseif A(k) > top
            boundedA = [boundedA,top];
        elseif (A(k) >= bottom) && (A(k) <= top)
            boundedA = [boundedA,A(k)];
        end
    end
end
```

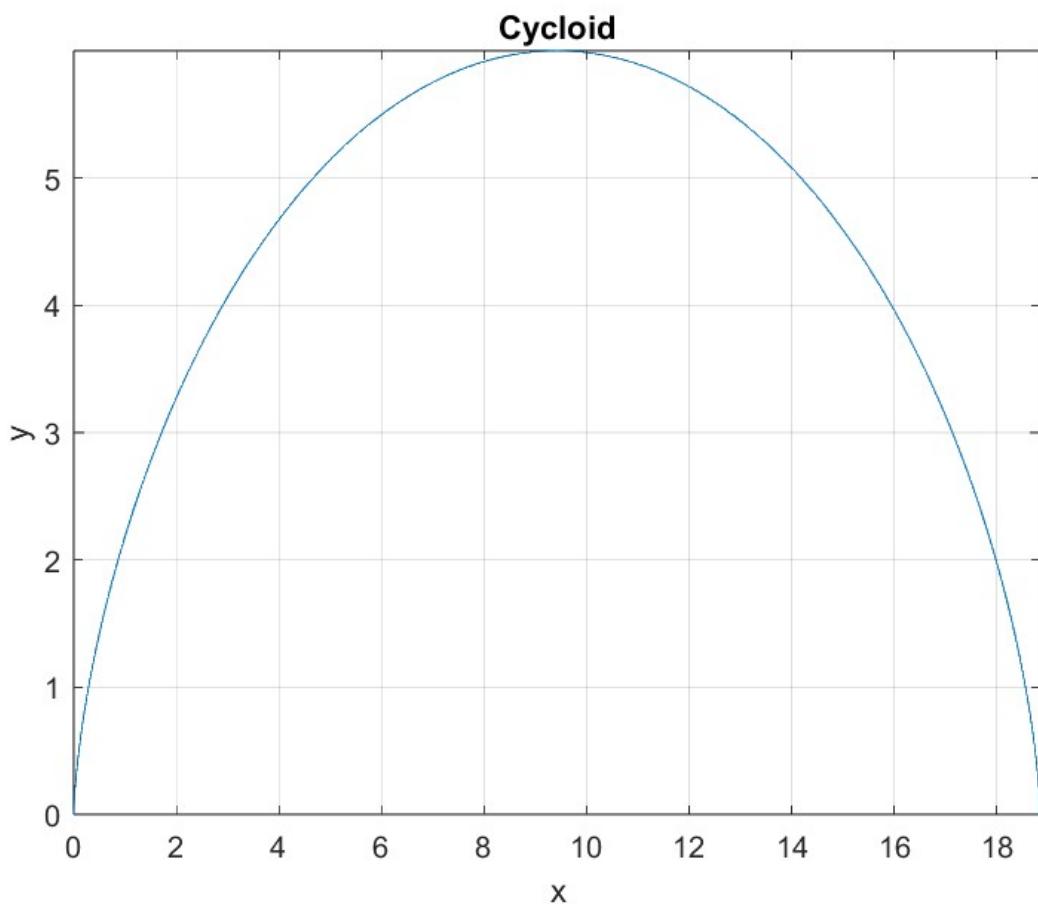
### Plotting (Write your code in the box.)

7. A cycloid is the curve traced by a point located on the edge of a wheel rolling along a flat surface. The (x,y) coordinates of a cycloid generated from a wheel with radius, r, can be described by the parametric equations:

$$\begin{aligned}x &= r(\phi - \sin\phi) \\y &= r(1 - \cos\phi)\end{aligned}$$

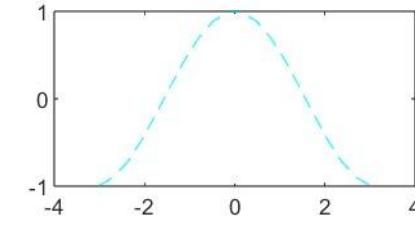
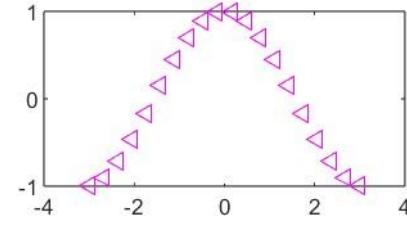
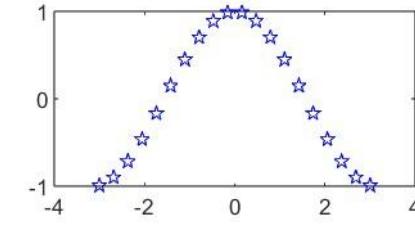
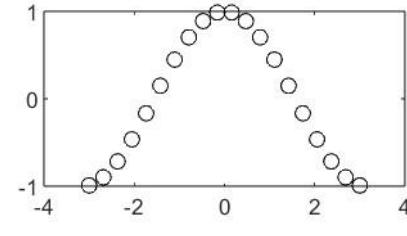
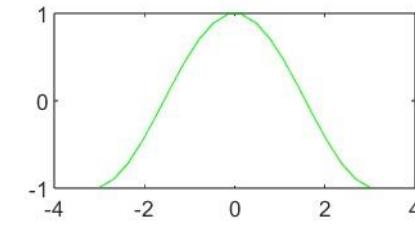
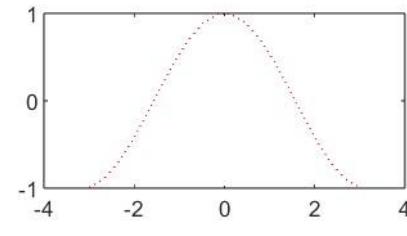
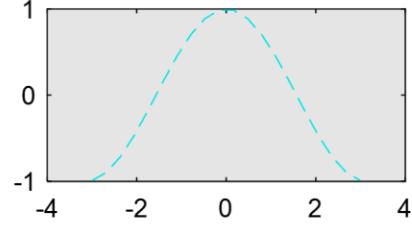
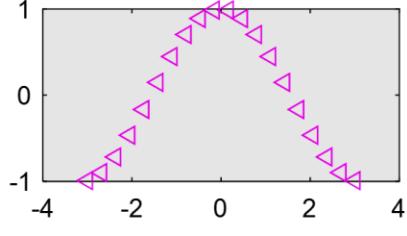
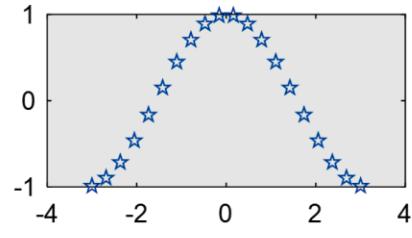
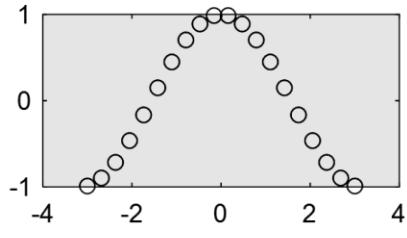
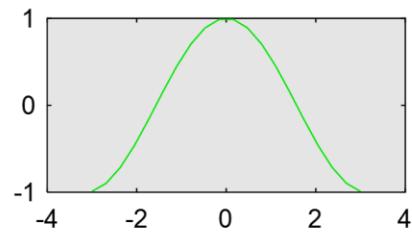
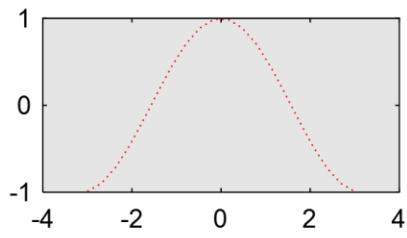
where  $\phi$  is the number of radians that the wheel has rolled through.

Generate a plot of the cycloid for  $0 \leq \phi \leq 2\pi$  using 1000 increments and  $r = 3$ . Give your plot a title ‘Cycloid’ and label the x-axis and y-axis with “x” and “y,” respectively. Turn the grid on and modify the axis limits to make the plot neat. ( / 10)



```
r=3;
theta = linspace(0,2*pi,1000);
x = r*(theta-sin(theta));
y = r*(1-cos(theta));
plot(x,y)
title('Cycloid');
xlabel('x');
ylabel('y');
grid on;
xlim([min(x) max(x)]);
ylim([min(y) max(y)]);
```

8. Provide your scripts to create the following plot. All the subplots are  $y = \cos(x)$  on the interval  $[-3,3]$  with 20 values in between. ( / 10)



```

x=linspace(-3,3,20)
y=cos(x)

% red doted line
subplot(3,2,1);xlim([-4,4]);ylim([-1,1]);plot(x,y,:r")

% green line
subplot(3,2,2);xlim([-4,4]);ylim([-1,1]);plot(x,y,"g")

% black circle
subplot(3,2,3);xlim([-4,4]);ylim([-1,1]);plot(x,y,"ko")

% blue stars
subplot(3,2,4);xlim([-4,4]);ylim([-1,1]);plot(x,y,"b pentagram")

% magenta triangles
subplot(3,2,5);xlim([-4,4]);ylim([-1,1]);plot(x,y,"m<")

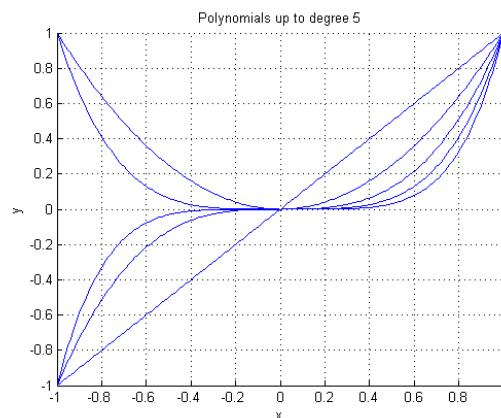
% cyan dashed line
subplot(3,2,6);xlim([-4,4]);ylim([-1,1]);plot(x,y,"--c")

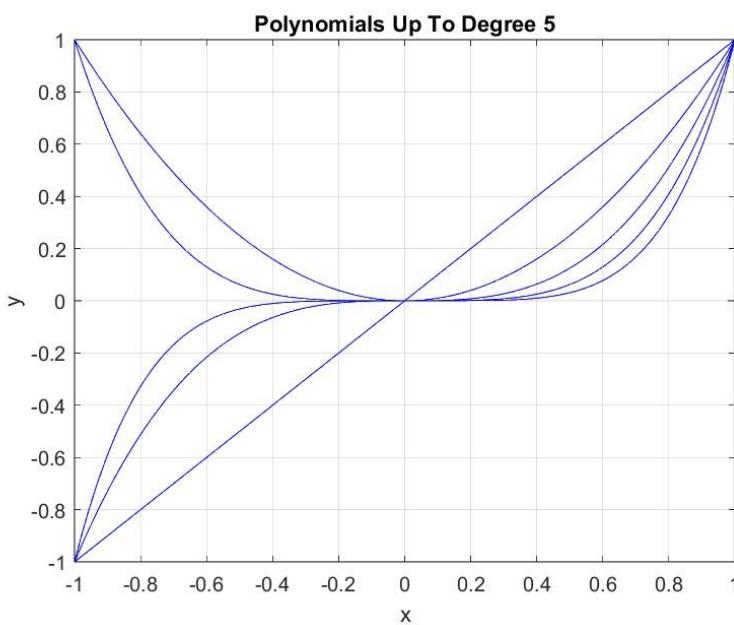
```

9. Write a function with header  $[] = \text{myPolyPlotter}(n,x)$  that plots the polynomials  $p_k(x) = x^k$  for  $k = 1, \dots, n$ . Make sure your plot has axis labels and a title., Hint: use hold on ( / 10)

Test Cases:

`>> myPolyPlotter(5, -1: .01: 1 )`





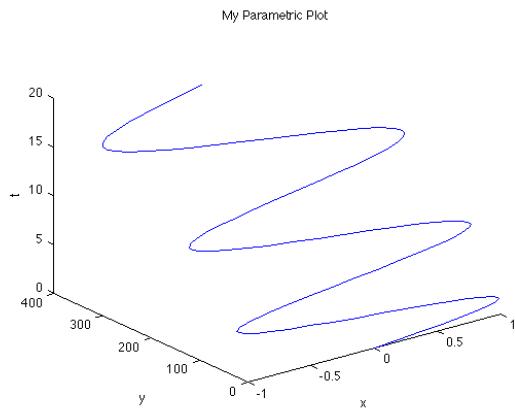
```
function [] = myPolyPlotter(n,x)

y=[];
for k = 1:n
    y = x.^k;
    plot(x, y,"b");
    hold on;
end
hold off;
title(sprintf("Polynomials Up To Degree %d",n));
xlabel('x');
ylabel('y');
grid on;
xlim([min(x) max(x)]);
ylim([min(y) max(y)]);
xticks(min(x):.2:max(x));
yticks(min(y):.2:max(y));
end
```

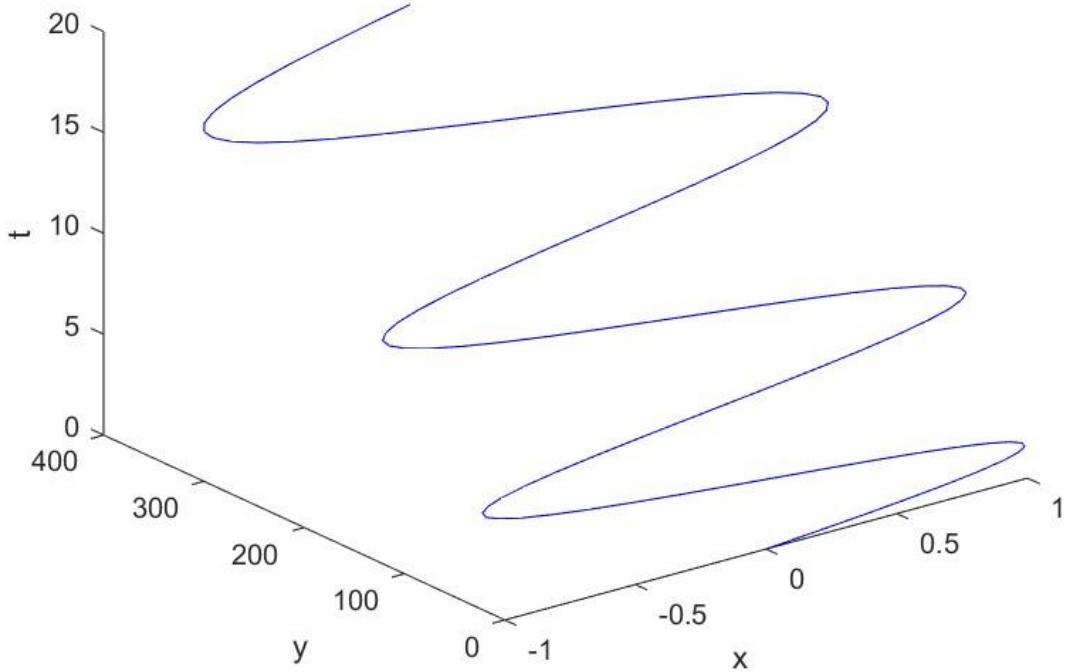
10. Write a function with header [ ] = myParametricPlotter(x,y,t) where x and y are handles to the functions  $x(t)$  and  $y(t)$ , respectively, and t is a one-dimensional array. The function myParametricPlotter should produce the curve  $(x(t),y(t),t)$  in a three-dimensional plot. Be sure to give your plot a title and axis labels. ( / 10)

Test Cases:

```
>> f = @(t) sin(t);  
>> g = @(t) t.^2;  
>> myParametricPlotter(f,g,linspace(0,6*pi,100))
```



**My Parametric Plot**



```
function [] = myParametricPlotter(x,y,t)
    X = x(t);
    Y = y(t);
    plot3(X,Y,t,'b')
    title('My Parametric Plot');
    xlabel('x');
    ylabel('y');
    zlabel('t');
end
```