

Principle source of optimization (code optimization)

It comes under back end of the compiler reducing the amount of space and runs faster.

→ The code produced by the straight-forward compiling algorithm can often make to run faster and take less space:

→ This improvement means the straight-forward algorithm which takes less space is achieved by the program transformations that are traditionally called as optimizations.

optimization is classified into two categories

1. machine independent optimization —

2. machine dependent optimization —

Machine independent Optimization:-

They are program transformations that improve target code without taking into consideration any properties of target machine. (It transforms the program to improve the target code without taking any help from target machine).

Machine dependent optimization:-

→ These are based on register allocation and utilization of special machine instruction sequence.

⇒ Code optimization techniques

→ Compile time evaluation

→ code motion

→ Variable propagation

→ Induction variable and

→ dead code elimination

strength reduction

To convert the code from the code optimization to code generator
There are 5 steps.

Compile time Evaluation:-

a) $z = \underbrace{5x(45.0 / 5.0)}_{\text{at compile time.}} * y$

b) $x = 5 \neq$
 $y = x / 3.6$

Evaluate $\frac{54}{3.6}$

→ In compile time evaluation it evaluates the place where the evaluation needed.

→ In compile time evaluations we doesn't need to insert the values. It will directly insert the values and so.

Variable propagation:-

before optimization

After optimization

$$c = a * b$$

$$c = a * b$$

$$x = a$$

$$x = a$$

$$\begin{array}{l} z = a \\ y = b \\ \hline \end{array}$$

+P11

$$d = z * b + 4$$

+P11

$$d = a * b + 4$$

These are identified as common sub expressions.

dead code elimination:-

Before elimination

After elimination

$$c = a * b$$

$$c = a * b$$

$$x = b$$

+P11

+P11

$$d = a * b + 4$$

$$d = a * b + 4$$

$x = b$ is not used so it is considered as dead code and it is also called as dead state. In this stage the

dead state is removed.

code motion :-

→ It reduces the evaluation frequency of expression.

→ It brings loop invariant statement out of the loop.

before optimization

```
a=200;  
while(a>0)
```

{
 b=x+y;
 if(a%b==0)
 out of the
 loop.

printf("%d",a);
}

after optimization

```
a=200;  
b=x+y;
```

while(a>0)

{
 if(a%b==0)

printf("%d",a);
}

Induction Variable and strength reduction: - replace the high strength Operator with low strength Operator then we can reduce the space overhead. Now we have to reduce the strength of variables we have to do it by the help of induction variable.

→ The Induction Variable is used for loop.

e.g:- before reduction

```
i=1;
```

```
while(i<10)
```

{
 y=i*4;

}

After reduction

```
i=1;
```

```
t=4;
```

```
while(t<10)
```

{
 y=t;

t=t+4;
}

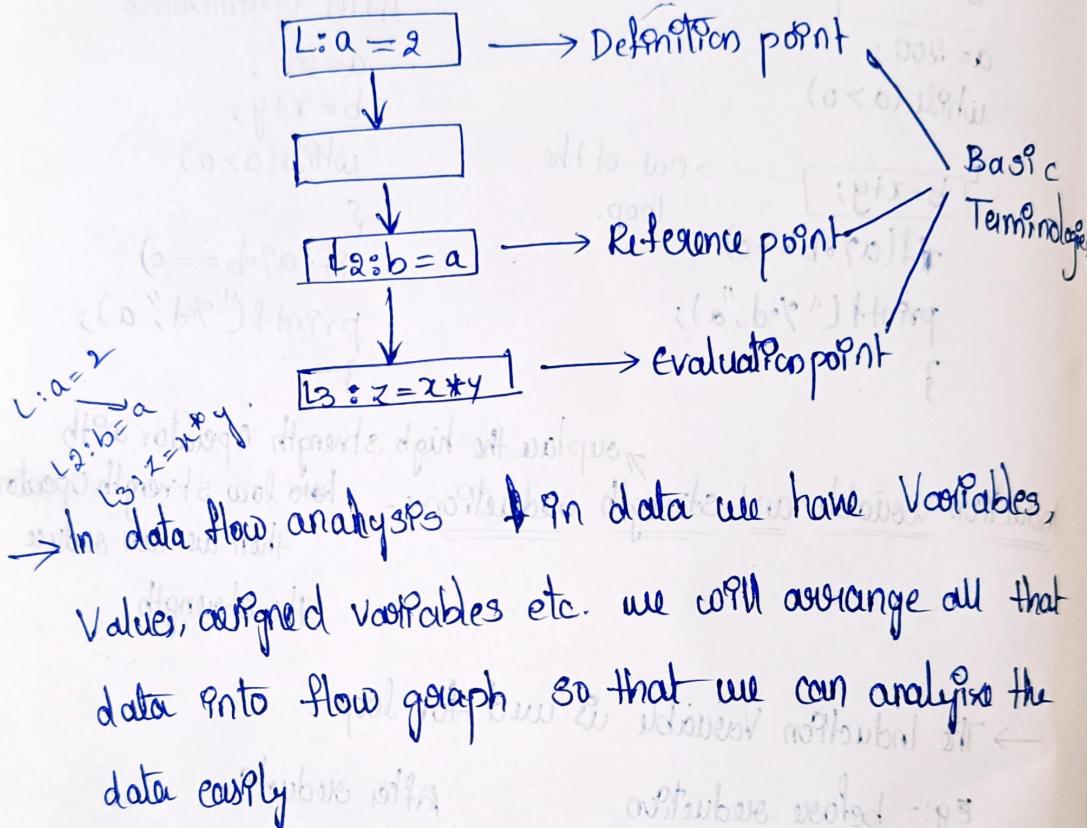
Data Flow Analysis:-

The Important Optimization techniques Under global optimization is Data flow Analysis.



its statement is all the statements is parallel

→ It is an analysis that determines the information regarding the definition and use of data in program, with the help of this global optimization can be done. (the flow of data)



→ In data flow analysis, in data we have Variables, values, assigned variables etc. we will arrange all that data into flow graph so that we can analyse the data easily.

→ The ~~flow~~ flow graph is made by using the definition and usage of data. whenever we are making the flow there are various point that we can determine in Data flow graph. the points are Definition point, Reference point, Evaluation point.

→ when we see the expression $L : a = 2$, we are defining 'a' variable and the 'a' variable is

assigned to the value i.e., 2. So this is called

Definition point.

→ After defining the value of 'a' and then we use 'a'

as reference to another variable 'b' then it is
called Reference point. i.e $L_2 : b = a$

→ In $L_3 : x = x * y$ this expression we have to evaluate
each and every term so it is known as evaluation
point.

→ Data flow properties:-

1) Available expression

2) Reaching definition.

(i) Available expression :-

An expression $a+b$ is said to be available at a program
point 'x', if none of its operands get modified before

their use. It is used to eliminate common subexpressions

$$B_1 : L_1 = 4 * Y$$

$$B_2 : Y = X + L_1 \quad B_3 : P = L_1 * 3$$

L_1 , i.e $4 * Y$ is available for block B_2 & B_3

math

III Reaching definition :-

A definition D is reaching to a point x if D P_x is not killed or sidedefined before that point. It is used in constant/variable propagation.

B1 : D₁: x = y

B2 : D₂: x = x + 2

B3 : D₃: y = x + 2

D₁ is reaching definition for B₂ but not for B₃ since it is killed by

reaching definition

reaching definition

reaching definition

reaching definition

reaching definitions set of kinds of definitions in
method bottom-up changing def to non def 'x' being

numerous differentiations of form of the result

$$XN=11 \times 18$$

$$S * J = 9 * 8 \quad J + X = Y - 68$$

88 & 68 should not be defined at 7 * 8 = 56

Loop optimization:-

It is most valuable machine-independent optimization

because program's inner loop takes bulk time of a programme

→ If we decrease the number of instructions in an inner loop

then the running time of a program may be improved

even if we increase the amount of code outside that loop.

for loop optimization the following three techniques are {loop}

important:-

1. code motion

2. Induction-variable elimination

3. strength reduction

1) code motion:-

It is used to decrease the amount of code in loop. This

transformation takes a statement or expression which can be moved outside the loop body without affecting the semantics of the program

Eg:-

while ($p \leq limit - 2$) {stmt does not change limit}

After code motion the result is as follows.

$a = limit - 2;$

while ($i <= a$) Ifstmt does not change limit

In this while stmt, the limit is equal to as a loop invariant equation.

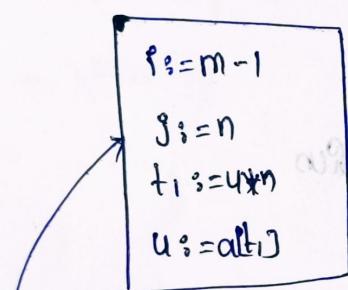
2. Induction-Variable Elimination

→ It is used to replace Variable from inner loop

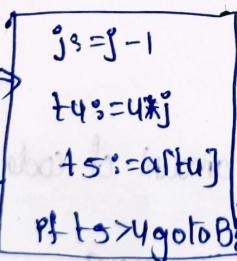
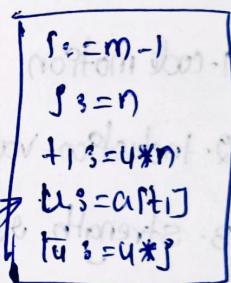
→ It can reduce the number of additions in a loop. It

improves both code space and runtime performance.

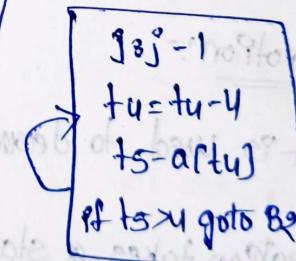
Before



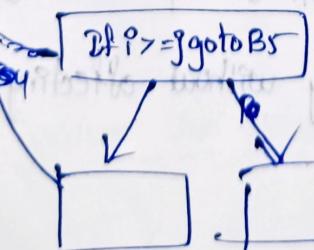
After



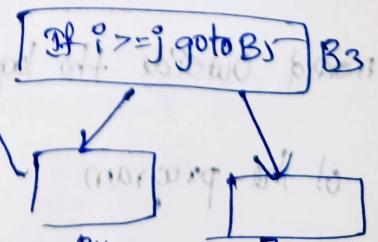
B1



B1



B3



B4

B5

3) Reduction in strength :-

- strength reduction is used to replace the expensive operation by the cheaper one on the target machine.
- Addition of a constant is cheaper than a multiplication, so we can replace multiplication with an addition within the loop
- Multiplication is cheaper than exponent. So we can replace exponent with multiplication within the loop

example:-

Y < x > mul > add

before

while ($p < 10$)

{

$j = 3 * p + 1;$

$a[j] = a[j] - q;$

for (int i=0; i<10; i++)

$p = p + 2;$

* $\{ \text{double} + \text{mod} \}$

of add + mod

* $\{ \text{mod} \}$

* product (mult)

* subtraction

* division

After:-

while ($p < 10$)

{

$j = s;$

$a[j] = a[j] - q;$

$p = p + 2;$

$s = s + 6;$

} $\{ \text{add} \}$

In the above code.

It is cheaper to compute

$s = s + 6$ than

$j = 3 * 6.$