```
Off[FindRoot::lstol]
Abs'[x_] := Sign[x]
EMod = 210000;
Y0 = 500;
HMod = 10000000.;
fNCP[\varepsilon_, pn_, \alphan_, \Delta\lambda_] :=
 Min[-(Abs[EMod(\varepsilon - pn - \Delta\lambda Abs[EMod(\varepsilon - pn)])] - (Y0 + HMod(\alpha n + \Delta\lambda))), \Delta\lambda]
\mathcal{D} = \{\};
\rho = 1;
Do [
  Do [
    pn = 0;
    \alpha n = 0;
    \Delta \varepsilon = 0.0001;
    \varepsilonmax = imax \Delta \varepsilon;
    \varepsilonend = iend \Delta \varepsilon;
    \varepsilon n = Join[Range[0, \varepsilon max, \frac{\varepsilon max}{10}],
        If [\epsilon \text{end} = \epsilon \text{max}, \{\}, \text{Drop}[\text{Reverse}[\text{Range}[\epsilon \text{end}, \epsilon \text{max}, \frac{\epsilon \text{max} - \epsilon \text{end}}{10}]], 1]]];
    \sigma \varepsilon L = \{\};
    Do [
      sol = FindRoot[fNCP[\varepsilonn[loadstep]], pn, \alphan, \Delta\lambda] == 0, {\Delta\lambda, 0}];
      pnp1 = pn + (\Delta \lambda /. sol) Abs [EMod (\varepsilon n [loadstep] - pn)];
      \sigmanp1 = EMod (\varepsilonn[loadstep] - pnp1);
      \sigma \varepsilon L = Join[\sigma \varepsilon L, \{\{\varepsilon n[loadstep], \sigma np1\}\}];
      \alphanp1 = \alphan + (\Delta\lambda /. sol);
      pn = pnp1;
      \alpha n = \alpha np1;
      loadstep++;
      , {loadstep, 1, Length[εn]}];
    D = Join[D, \{\{\rho, \epsilon max, \epsilon n[-1], \sigma np1\}\}];
    (*Interrupt[];*)
    , {iend, 1, imax}
  , {imax, 1, 50}]
ListPlot [\sigma \varepsilon L]
500
400
300
200
100
                  0.001
                                    0.002
                                                     0.003
                                                                      0.004
                                                                                       0.005
```

$\label{listPlotTranspose} $$ ListPlot[Transpose[{D[All, 3], D[All, 4]}], AxesOrigin \to {0, 0}] $$$

