

Learn

Numpy

- Basically Matrix Manipulation

for creating ndarray

```
a = np.array([[1, 2, 3], [4, 5, 6]])
```

print(a.shape) # print shape of array, here

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$\begin{matrix} [2, 3] \\ \swarrow \quad \searrow \\ \text{rows} \quad \text{columns} \end{matrix}$

→ np.zeros(2, 2) ^{→ shape}

↳ creates an array of all zeros in (2x2) shape

→ np.ones(1, 2)

↳ Array of all ones → $\begin{bmatrix} 1 & 1 \end{bmatrix}$

→ np.full((2, 2), 7)

Constant 2x2 array with 7 as the only num

→ np.eye(2)

2x2 identity matrix → $\begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$

Boolean Indexing.

→ a = np.array([[1, 2], [3, 4], [5, 6]])

→ bool_idx = (a > 2) # condition checking for array

→ print(bool_idx) → "False False

True True

True True "

agg → General for array.

→ np.add(array, array) \approx array + array
 ↑ it → print(x+y)

→ $\text{np.subtract}(arr, arr) \approx arr - arr$

→ np.multiply(aaa, aag) \approx $a_{aa} * a_{ag}$ # Element wise only

→ np.divide(aaa, aaa) ~ aaa / aaa # Element wise only.

→ ~~##~~ For Matrix Multiplication dot() is used

1st arr. dot (2nd array) \approx np.dot(x, w)

1^o arr 2^o arr

For row & column specific sum.

↳ `np.sum(aaa, axis=0)` // sum of each column

→ `np.sum(arr, axis=1)` // sum of each row

Transposing a Matrix

⇒ argT // will give transpos.