```
1.1- If x=[1 4; 8 3], find:
```

- a) the inverse matrix of x.
- b) the diagonal of x.
- c) the sum of each column and the sum of whole matrix x.
- d) the transpose of x.

```
clc;
```

clear all;

$$x = [1 4; 8 3];$$

% (a)inverse matrix of x

$$inverseX = inv(x)$$

% (b)diagonal of x

$$diagonalX = diag(x)$$

%% (c)sum of each column

$$sumColX = sum(x)$$

%% (c)sum of whole matrix

$$sumMatX = sum(sum(x))$$

%% (d)transpose of x

transX = x'

```
1.2- If x = [2 8 5; 9 7 1], b = [2 4 5] find:
```

- a) Find the maximum and minimum of x.
- b) Find median value over each row of x.
- c) Add the vector b as a third row to x.

```
clc;
```

clear all;

$$x=[285; 971];$$

$$b=[2 4 5];$$

%% (a)maximum and minimum of x

$$maximumX = max(x)$$

$$minimumX = min(x)$$

%% (b)median value over each row of x

$$medianX_r1 = median(x,2)$$

%% (c)adding vector b as third row of x

$$addXB = [x;b]$$

Output:

1.3- If x=[2 6 12; 15 6 3; 10 11 1], then

a) replace the first row elements of matrix x with its average value.

b) reshape this matrix into row vector.

```
Code:
```

```
clc;
clear all;
x = [ 2 6 12; 15 6 3; 10 11 1];
%% (a)replacing the 1st row elements of mat X with its avg val
meanX = mean(x)
x(1:1,:) = [];
del_R1_X = x
rpl_R1_meanX = [meanX; del_R1_X]
%% (b)reshaping this matrix into row vector
y = rpl_R1_meanX;
```

Output:

1.4- Generate a 4 x 4 Identity matrix.

reshape2vct = [y(1:1,1:3) y(2:2,1:3) y(3:3,1:3)]

Code:

```
clc;
clear all;
vectorX = ones(1,4)
%% generating 4x4 identity matrix
iMatrix = diag(vectorX)
```

1.5- Generate the following row vector, $b=[5, 10, 15, 20 \dots 95, 100]$, then find the number of elements in this vector.

Code:

clc;

clear all;

%% generating the given vector

$$b = [5:5:100]$$

%% finding the number of elements of the vector

numElems = length(b)

Output:

2.1

1- Write a MATLAB program to calculate the following expression and round the answers to the nearest integer.

a)
$$z = \sqrt{5x^2 + y^2}$$
 where $x = 2$, $y = 4$
b) $z = 4\cos(x) + j6\sin(x)$ where $x = \pi/4$
c) $z = 3\sin(x) + 4\cos(x) + 3e^y$ where $x = \pi/3$, $y = 2$
d) $y = \sin(x)/x$ where $0 \le x \le 2\pi$

Code:

clc;

```
clear all;
%% (a)
x = 2;
y = 4;
z = (sqrt(5*(x^2)+(y^2)))
roundZa = round(z)
%% (b)
x = pi/4;
z = (4*(\cos(x)) + j*6*(\sin(x)))
roundZb = round(z)
%% (c)
x = pi/3;
y = 2;
z = (3*(\sin(x)) + 4*(\cos(x)) + 3*(\exp(y)))
roundZc = round(z)
%% (d)
x = 0:(2*pi);
y = ((\sin(x))/x)
roundYd = round(y)
```

```
z = 6

roundZa = 6

z = 2.8284 + 4.2426i

roundZb = 3.0000 + 4.0000i

z = 26.7652

roundZc = 27

y = -0.0705

roundYd = 0
```

2.2- Solve the following system

$$x + y - 2z = 3$$

$$2x + y = 7$$

$$x + y - z = 4$$

Code:

clc;

clear all;

%% solving the given system

$$a = [1 \ 2 \ 1; 1 \ 1 \ 1; -2 \ 0 \ -1];$$

$$b = [3; 7; 4];$$

$$solved = inv(a)*b$$

Output:

-4 26

2.3- Use [round, fix, ceil, floor] commands to round the following numbers towards integer numbers:

Before	After	,
1.3	1	
1.5	1	
1.9	2	3
11.9	11	
-2.9	-2	
-3.9	-4	*
3.4	3	

```
clc;
clear all;
x = [1.3 \ 1.5 \ 1.9 \ 11.9 \ -2.9 \ -3.9 \ 3.4];
%% round
roundX = round(x)
%% fix
fixX = fix(x)
%% ceil
ceilX = ceil(x)
%% floor
floorX = floor(x)
%% round, fix, ceil, floor
x2int = [round(1.3);
fix(1.5);
round(1.9);
fix(11.9);
ceil(-2.9);
```

floor(-3.9);

```
floor(3.4)]
```

```
roundX = 1 \times 7
       1
           2
               2
                        12
fixX = 1 \times 7
                        11
                                    -3
                                           3
       1
            1
                 1
                              -2
ceilX = 1 \times 7
       2
                   2
                                    -3
                                           4
                        12
                              -2
floorX = 1×7
                        11
                              -3
                                    -4
                                          3
x2int = 7 \times 1
       1
      1
      2
      11
      -2
      -4
```

2.4- Generate ten values from the uniform distribution on the interval [2, 3.5].

Code:

clc;

clear all;

interval 1 = 2;

interval 2 = 3.5;

%% interval 2

 $x = 1 : interval_1 : interval_1*10$

%% interval 3.5

 $x = 1 : interval_2 : interval_2*10$

Output:

3.1- write a program to read three bits x, y, z, then compute:

```
a) v = (x \text{ and } y) \text{ or } z
b) w = not (x or y) and z
c) u = (x \text{ and not } (y)) \text{ or } (not (x) \text{ and } y)
Code:
clc;
clear all;
%% reading the bits of x, y, z
x = input("value of x: ");
y = input("value of y: ");
z = input("value of z: ");
%% computing (a)
v = or(and(x, y), z)
%% computing (b)
w = ^(and(or(x, y), z))
%% computing (c)
u = or(and(x, \sim(y)), and(\sim(x), y))
Output:
     value of x: 1
     value of y: 0
     value of z: 0
  v = Logical
     0
  w = logical
  u = logical
     1
3.3- if q=[1 5 6 8 3 2 4 5 9 10 1],x=[ 3 5 7 8 3 1 2 4 11 5 9],
then:
a) find elements of (q) that are greater than 4.
b) find elements of (q) that are equal to those in (x).
```

```
c) find elements of (x) that are less than or equal to 7.
Code:
clc;
clear all;
q = [156832459101];
x=[357831241159];
%% (a)finding elements of q that are greater than 4
qHigh = q>4
%% (b)finding elements of q thar are equal to those in x
qEqual = q==x
%% (c)finding elements of x that are less than or equal to 7
xLow = x <= 7
Output:
 qHigh = 1×11 logical array
       0 1 1 1 0 0 0 1 1 1 0
 qEqual = 1×11 logical array
       0 1 0 1 1 0 0 0 0 0
 xLow = 1×11 logical array
       1 1 1 0 1 1 1 1 0 1 0
3.4- If x=[10 3; 9 15], y=[10 0; 9 3], z=[-1 0; -3 2], what is the
output of the following statements:
a) v = x > y
b) w = z >= y
c) u = ~z & y
d) t = x \& y < z
Code:
clc;
clear all;
x = [10 3; 9 15];
y = [10 0; 9 3];
```

```
z = [-1 0; -3 2];
```

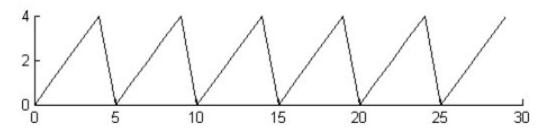
$$v = x > y$$

$$w = z >= y$$

$$u = and(\sim(z),y)$$

$$t = and(x,y) < z$$

4.1- Plot sawtooth waveform as shown below

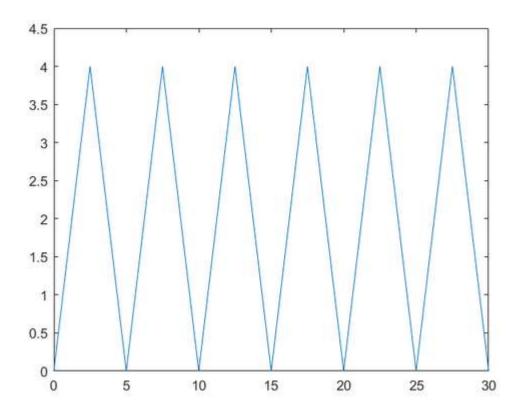


Code

clc;

$$t = 0:2.5:30;$$

```
x = 4*sawtooth(pi*5*2*t)+4;
plot(t,x)
```



4.2- Plot Sinc function, where Sinc (x) = sin(x) / x , and -2 π \leq x \leq 2 π

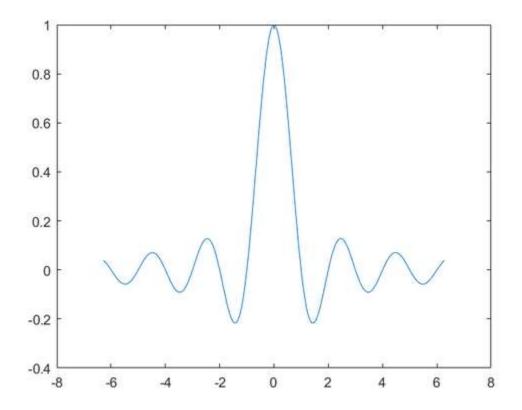
Code:

clc;

clear all;

x = -2*pi:pi/50:2*pi;

plot(x, sinc(x))



4.3- Plot sin(x) and cos(x) on the same figure, then on the same axis using different colors.

```
clc;
clear all;
x = -pi:pi/100:pi;
%% plotting on the same graph
figure(1)
subplot(2,1,1)
plot(x, sin(x))
grid
subplot(2,1,2)
plot(x, cos(x))
grid
```

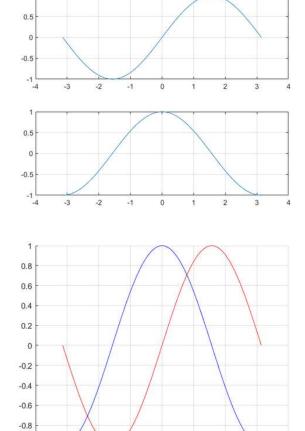
%% plotting on same axis

figure(2) hold on plot(x, sin(x), 'r')

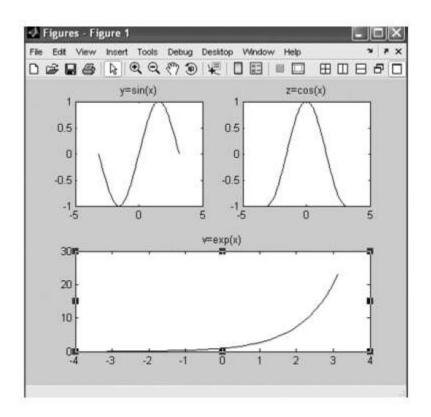
plot(x, cos(x), 'b')

hold off

grid



4.4- if $y=\sin(x)$, $z=\cos(x)$, $v=\exp(x)$, where $-\pi \le x \le \pi$. Could you plot y, z, v as shown below!



clc;

clear all;

x = -pi:(pi/100):pi;

 $y = \sin(x);$

subplot(2,2,1)

plot(x, y)

title('y = sin(x)')

axis([-5 5 -1 1])

 $z = \cos(x);$

subplot(2,2,2)

plot(x, z)

title('z = cos(x)')

axis([-5 5 -1 1])

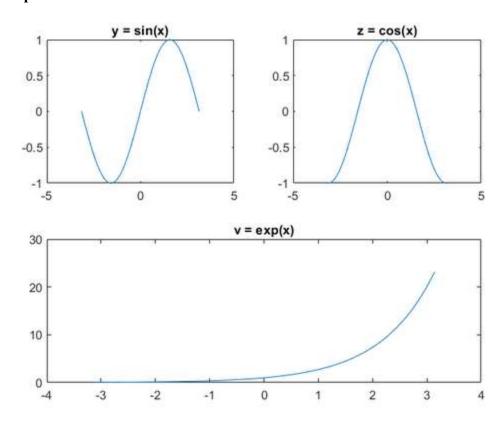
 $v = \exp(x);$

```
subplot(2,1,2)

plot(x, v)

title('v = \exp(x)')

axis([-4 4 0 30])
```



5.1- Represent the following complex numbers in polar coordinate

$$Z=2+5j$$

$$Y = -3 - 3j$$

$$D = -2 + 6j$$

Code:

clc;

clear all;

%% Z

Z = 2+5*j;

```
zAbs = abs(Z)
zAngle = angle(Z)*180/pi
%% Y
Y = -3-3*j;
yAbs = abs(Y)
yAngle = angle(Y)*180/pi
%% D
D = -2 + 6*i;
dAbs = abs(D)
dAngle = angle(D)*180/pi
Output:
  zAbs = 5.3852
  zAngle = 68.1986
  yAbs = 4.2426
  yAngle = -135
  dAbs = 6.3246
  dAngle = 108.4349
5.2- Find the conjugate of the numbers above.
Code:
clc;
clear all;
%% Z
Z = 2 + 5*j;
conjugateZ = conj(Z)
%% Y
Y = -3-3*i;
conjugateY = conj(Y)
```

%% D

```
D = -2 + 6*i;
conjugateD = conj(D)
Output:
   conjugateZ = 2.0000 - 5.0000i
   conjugateY = -3.0000 + 3.0000i
   conjugateD = -2.0000 - 6.0000i
5.3- Represent the following numbers in rectangular coordinate
W=5 \perp 30o
A = 2.5 \bot -200
Q = 3e1.5 \bot -73o
Code:
clc;
clear all;
%% W in rectangle
wAbs = 5;
wAngle = 30*(pi/180);
[x, y] = pol2cart(wAngle, wAbs);
wRect = complex(x, y)
%% A in rectangle
aAbs = 2.5;
aAngle = -20*(pi/180);
[x, y] = pol2cart(aAngle, aAbs);
aRect = complex(x, y)
%% Q in rectangle
qAbs = 3*exp(1.5);
qAngle = -73*(pi/180);
[x, y] = pol2cart(qAngle, qAbs);
```

```
qRect = complex(x, y)
Output:
 wRect = 4.3301 + 2.5000i
 aRect = 2.3492 - 0.8551i
 qRect = 3.9310 - 12.8576i
5.4- Write a program to compute the most frequent numbers in vectors (x), and
(y) if
x=a*b y=a*c
a = [13]
b = [235;478]
c = [233;477]
Code:
clc;
clear all;
a = [1 \ 3];
b = [2 \ 3 \ 5; 4 \ 7 \ 8];
c = [2 \ 3 \ 3; 4 \ 7 \ 7];
x = a*b
y = a*c
modeX = mode(x)
modeY = mode(y)
Output:
```

```
x = 1 \times 3
       14
              24
                      29
y = 1 \times 3
       14
              24
                      24
modeX = 14
modeY = 24
```

- 6.1- If x=[1 5 9; 2 7 4], then
- a) display the last two elements by using disp command.
- b) display the sum of each row as show below

The sum of 1st row =

The sum of 2nd row =

Code:

```
clc;
clear all;
x = [1 5 9;
2 7 4];
%% (a)displaying last 2 elements
% in last column
colEnd1 = num2str(x(end-1));
colEnd2 = num2str(x(end));
disp(['Last 2 elements of x (in column) are 'colEnd1', 'colEnd2])
% in last row
rowEnd1 = num2str(x(4));
rowEnd2 = num2str(x(6));
disp(['Last 2 elements of x (in row) are 'rowEnd1', 'rowEnd2])
%% (b)displaying sum of each row
sumRows = sum(x,2);
sumRow1 = num2str(sumRows(1));
sumRow2 = num2str(sumRows(2));
```

```
disp(['The sum of 1st row = 'sumRow1])
disp(['The sum of 2nd row = 'sumRow2])
Output:
   Last 2 elements of x (in column) are 9, 4

Last 2 elements of x (in row) are 7, 4
The sum of 1st row = 15
```

6.2- Write a program to read a string, then replace each character in the string with its following character in ASCII code*.

Code:

The sum of 2nd row = 13

```
clc;
clear all;
%% reading string
string = input('Enter a string: ', 's')
%% converting to ascii
strAscii = num2str(double(string));
disp(['Ascii value of each character: ' strAscii])
```

Output:

```
Enter a string: k

fx >> |

string = 'k'

Ascii value of each character: 107
```

6.3- The Table shown below lists the degrees of three students, Write a program in M-file to read these degrees and calculate the average degree for each student.

Name	Mathematics	Electric Circuits	Communication
X	80	80	80
Y	75	80	70
Z	80	90	85

Then display results as shown below

Name	Degr	ee
X	80	
Y	75	
Z	85	

Code:

```
clc;
clear all;
X = [80 80 80];
sumX = sum(X,2);
avgX = num2str(sumX/length(X));
Y = [75 80 70];
sumY = sum(Y,2);
avgY = num2str(sumY/length(Y));
Z = [80 90 85];
sumZ = sum(Z,2);
avgZ = num2str(sumZ/length(Z));
disp([' Name' ' ' 'Degree'])
disp([' ' ' ' avgX])
disp([' Y' ' ' avgY])
```

disp([' Z' ' ' avgZ])

Output:

7.1

1- The value of s could be calculated from the equation below:

$$s = \begin{cases} \sqrt{y^2 - 4xz} & \text{if } y \ge 4xz \\ & \text{if } y < 4xz \end{cases}$$

write a MATLAB program in M-File to do the following steps:-

- a) input the value of x, y, z
- b) caluclate s
- c) print the output as shown below

$$x = \dots$$

 $y = \dots$
 $z = \dots$
 $s = \dots$

Code:

clc;

clear all;

%% (a)input the value of x, y, z

$$x = input('x = ');$$

$$y = input('y = ');$$

$$z = input('z = ');$$

%% (b)calculate s

if
$$y > = 4 * x * z$$

```
s= sqrt(y^2-4*x*z); else s= inf; end disp(['S='num2str(s)])
```

$$x = 1$$

$$y = 4$$

$$z = 1$$

S=3.4641