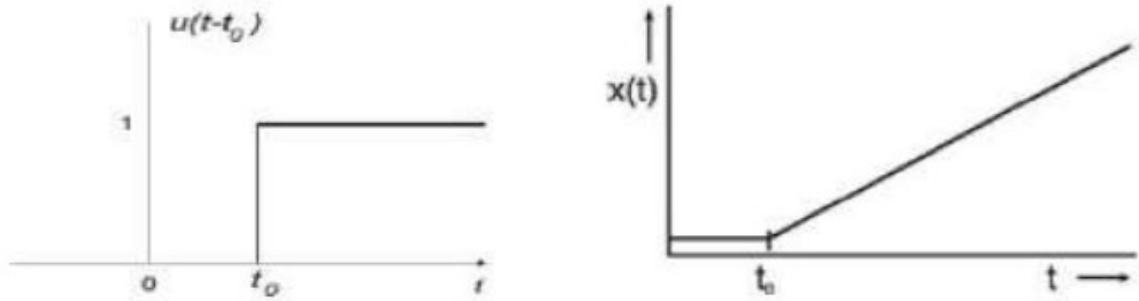


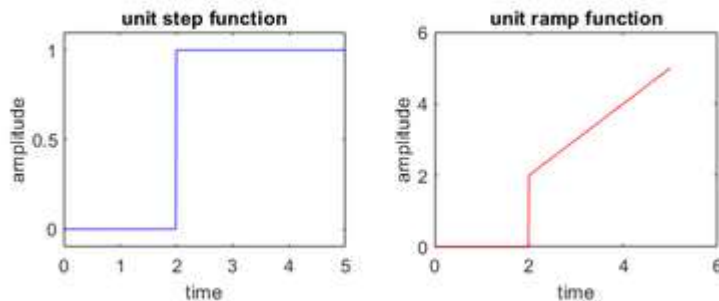
A. Write a MATLAB program to get the output shown below where $t_0 = 2$.



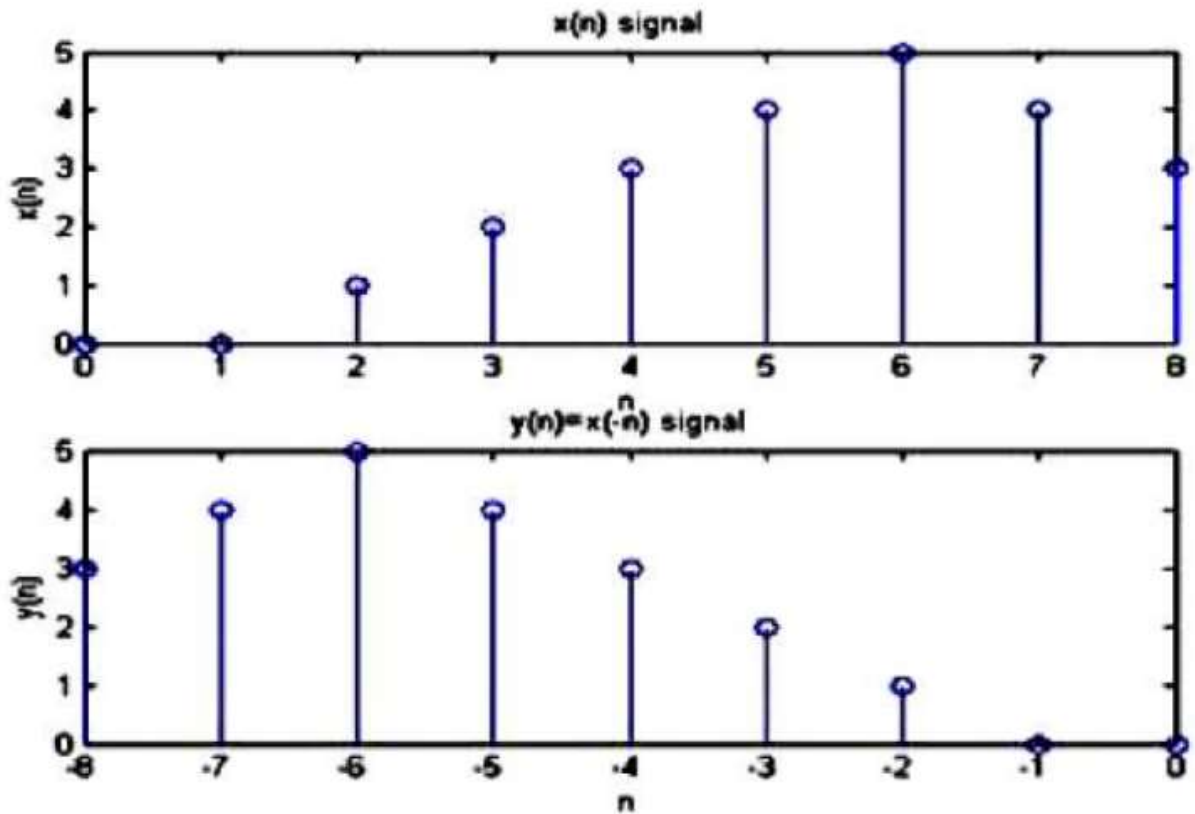
Code:

```
clc;
clear all;
close all;
u = @(t) 1.0.*(t >= 2); % defining unit step function
t = (0:0.01:5);
subplot(2,2,1);
plot(t,u(t),'b');
axis([0 5 -0.1 1.1]); % defining plotting space
xlabel('time');
ylabel('amplitude');
title('unit step function');
r = t.*(t >= 2); % defining ramp function
subplot(2,2,2);
plot(t,r,'r');
%axis([0 5 2 4]);
xlabel('time');
ylabel('amplitude');
title('unit ramp function');
```

Output:



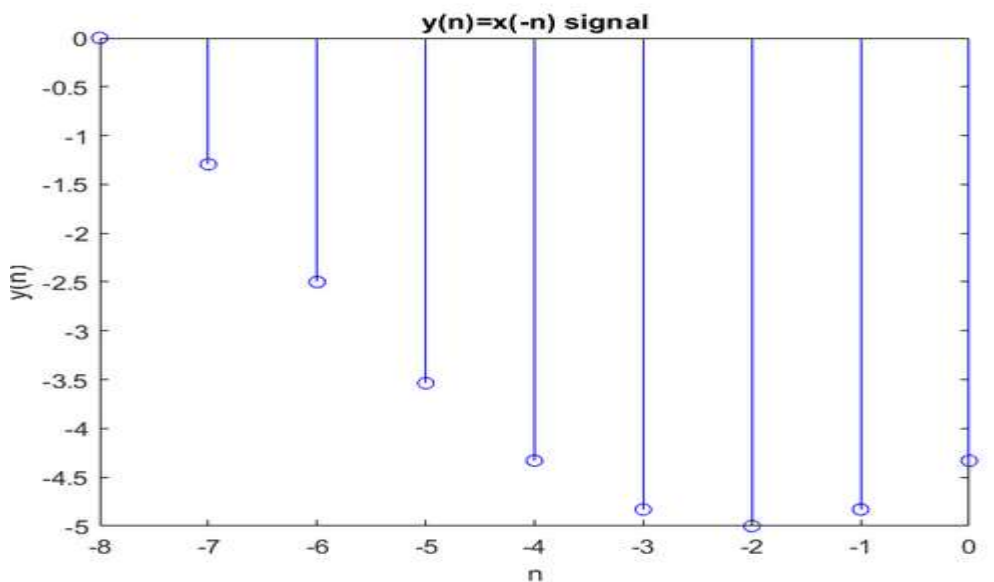
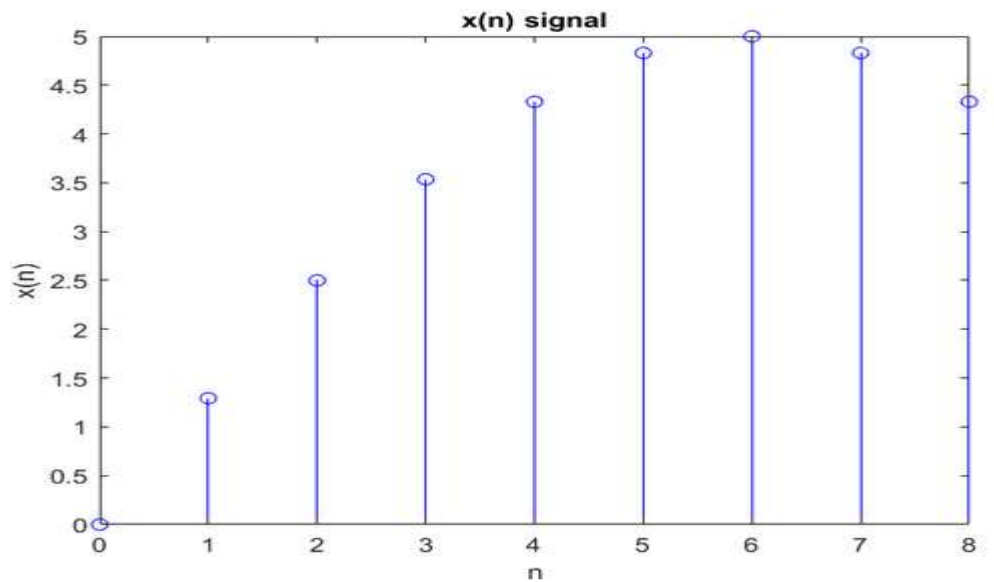
B. Write a MATLAB program to get the following output.



Code:

```
t=0:1:8;
x=5*sin(2*pi*t/24);
stem(t,x,'b');
title('x(n) signal');
xlabel('n')
ylabel('x(n)')
t=-8:1:0;
y=-x;
stem(t,y,'b');
title('y(n)=x(-n) signal')
xlabel('n')
ylabel('y(n)')
```

Output:



C. Write a MATLAB program to perform the convolution between $X(n) = [1 \ 2 \ 3 \ 5]$ and $y(n) = [-1 \ -2]$.

Code:

```
clc;
close all;
clear all;
%% program for convolution of two sequences
X = [1 2 3 5];
y = [-1 -2];
c = conv(X, y);
disp('The resultant signal is');
```

```
disp(c)
```

Output:

```
The resultant signal is
-1    -4    -7   -11   -10
```

D. Write a MATLAB program to compute the cross correlation between signals and Sequences. $x=\cos(2\pi*10*t)$, $y=\cos(2\pi*15*t)$ by increasing the amplitude of the signal by 3 times.

Code:

```
clc;
clear all;
close all;
t=0:10
x=3*cos(2*pi*10*t);
y=3*cos(2*pi*15*t);
r=xcorr(x,y)
```

Output:

```
t = 1x11
    0    1    2    3    4    5    6    7    8    9   10
```

```
r = 1x21
    9.0000   18.0000   27.0000   36.0000   45.0000   54.0000   63.0000   72.0000   81.0000   90.0000   99.0000   90.0000   81.0000   72.0000   63.0000   54.0000   45.0000   36.0000   27.0000   18.0000    9.0000
```

E. Write a MATLAB program to verify the time invariance property of the following sequencex1= sin(2*pi*1*n); x2= sin(2*pi*2*n), and check whether it satisfies the time invariance property or not.

Code:

```
clc;
clear all;
close all;
n = 0:10;
% entering two input sequences
x1 = sin(2*pi*1*n);
x2 = sin(2*pi*2*n);
% original response
y = conv(x1, x2);
disp('Enter a Positive Number of Delay');
d = input('Desired Delay of the Signal is: ');
```

```

% delayed input
xd = [zeros(1,d), x1];
nxd = 0 : length(xd)-1;
%delayed output
yd = conv(xd,y);
nyd = 0:length(yd)-1;
disp(' Original Input Signal x(n) is ');
disp(x1);
disp(' Delayed Input Signal xd(n) is ');
disp(xd);
disp(' Original Output Signal y(n) is ');
disp(y);
disp(' Delayed Output Signal yd(n) is ');
disp(yd);
xp = [x1 , zeros(1,d)];
subplot(2,1,1);
stem(nxd,xp);
grid;
xlabel( ' Time Index n ' );
ylabel( ' x1(n) ' );
title( ' Original Input Signal x1(n) ' );
subplot(2,1,2);
stem(nxd,xd);
grid;
xlabel( ' Time Index n ' );
ylabel( ' xd(n) ' );
title( ' Delayed Input Signal xd(n) ' );
yp = [y zeros(1,d)];
if length(yp) ~= length(yd)
    disp(['time variant'])
else
    figure;
    subplot(2,1,1);
    stem(nyd,yp);
    grid;
    xlabel( ' Time Index n ' );
    ylabel( ' y(n) ' );
    title( ' Original Output Signal y(n) ' );
    subplot(2,1,2);
    stem(nyd,yd);
    grid;
    xlabel( ' Time Index n ' );
    ylabel( ' yd(n) ' );

```

```
title( ' Delayed Output Signal yd(n) ' );
end
```

Output:

Enter a Positive Number of Delay

Original Input Signal $x(n)$ is

$1.0\text{e-}14 *$

0 -0.0245 -0.0490 -0.0735 -0.0980 -0.1225 -0.1470 -0.1715 -0.1959 -0.2204 -0.2449

Delayed Input Signal $x_d(n)$ is

$1.0\text{e-}14 *$

Columns 1 through 13

0 0 0 0 -0.0245 -0.0490 -0.0735 -0.0980 -0.1225 -0.1470 -0.1715 -0.1959 -0.2204

Column 14

-0.2449

Original Output Signal $y(n)$ is

$1.0\text{e-}28 *$

Columns 1 through 13

0 0 0.0012 0.0048 0.0120 0.0240 0.0420 0.0672 0.1008 0.1440 0.1980 0.2640 0.3167

Columns 14 through 21

0.3551 0.3779 0.3839 0.3719 0.3407 0.2892 0.2160 0.1200

Delayed Output Signal $y_d(n)$ is

$1.0\text{e-}42 *$

Columns 1 through 13

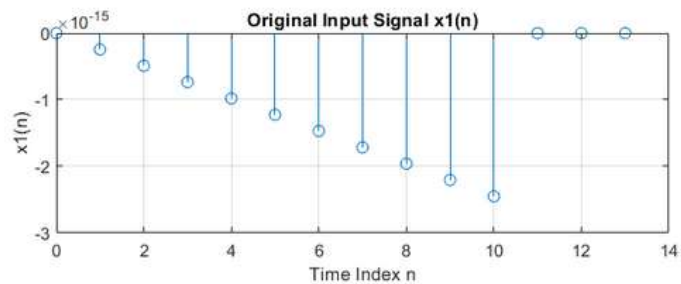
0 0 0 0 0 0 -0.0000 -0.0002 -0.0006 -0.0016 -0.0037 -0.0074 -0.0136

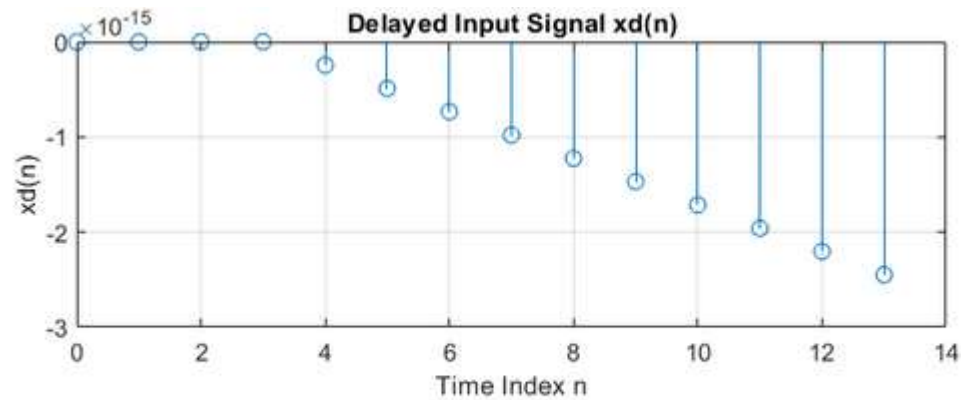
Columns 14 through 26

-0.0233 -0.0378 -0.0588 -0.0873 -0.1234 -0.1668 -0.2160 -0.2689 -0.3223 -0.3721 -0.4131 -0.4390 -0.4422

Columns 27 through 34

-0.4248 -0.3892 -0.3388 -0.2775 -0.2101 -0.1419 -0.0793 -0.0294





time variant

F. Calculate resonance frequency and plot the response curves for Impedance, reactance and current for series and parallel RLC circuit.

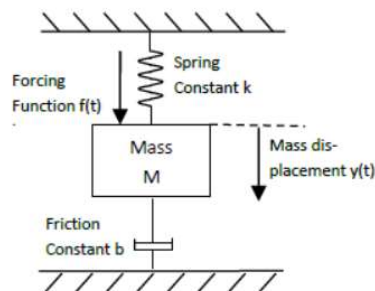
Code:

```
%Resonance frequency
clc;
L=1*10^(-3);
C=2*10^(-6);
rf=1/(2*pi*sqrt(L*C))
```

Output:

```
rf = 3.5588e+03
```

G. Consider the mechanical system depicted in the figure. The input is given by $f(t)$, and the output is given by $y(t)$. Determine the differential equation governing the system and using MATLAB, write a m-file and plot the system response such that forcing function $f(t)=1$. Let $m=10$, $k=1$ and $b=0.5$. Show that the peak amplitude of the output is about 1.8.

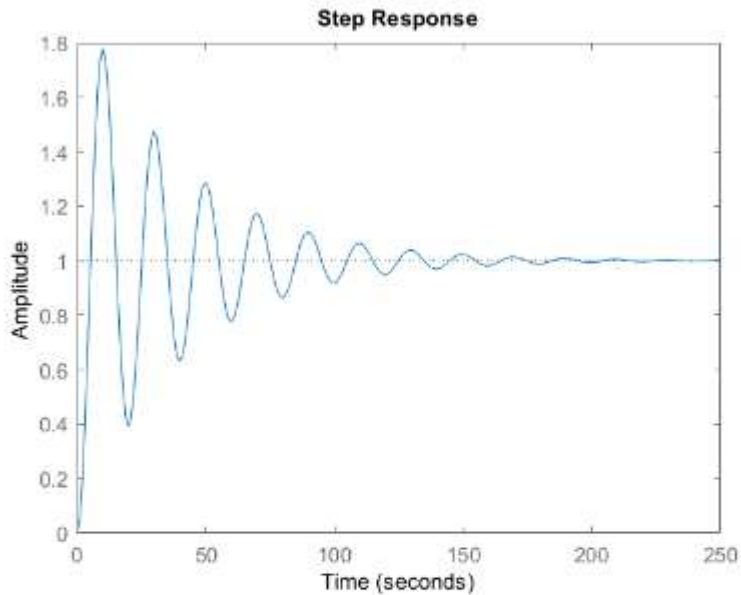


Code:

```
n=[1];
d=[10 0.5 1];
F=tf(n,d);
step(F)
```

stepinfo(F)

Output:



```
ans = struct with fields:
    RiseTime: 3.5051
    SettlingTime: 151.2867
    SettlingMin: 0.3925
    SettlingMax: 1.7794
    Overshoot: 77.9429
    Undershoot: 0
    Peak: 1.7794
    PeakTime: 9.9346
```

H. A system has a transfer function $X(s) R(s) = (15/z)(s+z) s^2+3s+15$. Plot the response of the system when R(s) is a unit impulse and unit step for the parameter $z=3, 6$ and 12

Code:

```
%z=3
num=[5 15];
den=[1 3 15];
F=tf(num,den);
clear impulse;
impulse(F)
title('Impulse Response when z=3')
step(F)
title('Step Response when z=3')
%z=6
num=[2.5 7.5];
den=[1 3 15];
F=tf(num,den);
clear impulse;
```



```

impz(F)
title('Impulse Response when z=6')
step(F)
title('Step Response when z=6')
%z=12
num=[1.25 3.75];
den=[1 3 15];
F=tf(num,den);
clear impz;
impz(F)
title('Impulse Response when z=12')
step(F)
title('Impulse Response when z=12')
Output:

```

