```
def get_user_input(problemType):
  Handles user input radius type and related values.
  moment = float(input("Moment (lb-in): ")) / 1000
  torque = float(input("Torque (lb-in): ")) / 1000
  if problemType == 4:
     diameter = 0.3
  else:
     diameter = float(input("Diameter (in): "))
  print("For... \n\t Sharp Radius: 1 \n\t Wide Radius: 2 \n\t Keyway: 3"
      " \n\t Retaining groove: 4")
  radiusType = int(input("Radius: "))
  if radiusType == 1:
     Kt = 2.7
     Kts = 2.2
     rootR = sqrt(diameter * 0.02)
  elif radiusType == 2:
     Kt = 1.7
     Kts = 1.5
     rootR = sqrt(diameter * 0.1)
  elif radiusType == 3:
     Kt = 2.14
     Kts = 3.0
     rootR = sqrt(diameter * 0.02)
  elif radiusType == 4:
     Kt = 5
     Kts = 3
     rootR = sqrt(0.01)
  else:
     Kt = Kts = rootR = 0
  return moment, torque, diameter, Kt, Kts, rootR
```

```
def goodman_criteria(moment, torque, diameter, Kt, Kts, rootR):
  Calculates the factor of safety using Goodman criteria for questions 1-10.
  # Calculating stress concentration factors
  Kf = kf(rootR, Kt)
  Kfs = kfs(rootR, Kts)
  # Calculating endurance limit
  a, b = 2, -0.217
  Ka = a * Sut ** b
  Kb = 0.879 * diameter ** -0.107
  Kc = Kd = Ke = 1
  Se = Ka * Kb * Kc * Kd * Ke * sePrime
  # Calculating mean and alternating stress
  A = sqrt(4 * (Kf * moment) ** 2)
  B = sqrt(3 * (Kfs * torque) ** 2)
  return ((pi * diameter ** 3) / 16) * ((A / Se) + (B / Sut)) ** -1
def vonmises_stress(moment, torque, diameter, Kt, Kts, rootR):
  Calculates the safety factor against first cycle yielding using the full Von Mises.
  # Calculating stress concentration factors
  Kf = kf(rootR, Kt)
  Kfs = kfs(rootR, Kts)
  # Setting up von mises calculation
  sigma = (32 * Kf * moment) / (pi * diameter ** 3)
  tau = (16 * Kfs * torque) / (pi * diameter ** 3)
  sigmaPrimeMax = sqrt((sigma ** 2) + (3 * tau ** 2))
  return Sy / sigmaPrimeMax
```

```
def conservative_approximation(moment, torque, diameter, Kt, Kts, rootR):
  Calculates the safety factor of first cycle yielding using the conservative approximation for
questions 16-20.
  11 11 11
  # Setting up conservative approximation
  sigmaPrimeA = (16 / (pi * diameter ** 3)) * sqrt(4 * (kf(rootR, Kt) * moment) ** 2)
  sigmaPrimeM = (16 / (pi * diameter ** 3)) * sqrt(3 * (kfs(rootR, Kts) * torque) ** 2)
  return Sy / (sigmaPrimeA + sigmaPrimeM)
def infinite_life(moment, torque, diameter, Kt, Kts, rootR):
  # Setting up an iterative approach to this problem set
  while True:
     # Calculating the goodman and conservative approach for
     goodman = goodman_criteria(moment, torque, diameter, Kt, Kts, rootR)
     conservative = conservative_approximation(moment, torque, diameter, Kt, Kts, rootR)
     print("Goodman: " + str(goodman) + "\tdiameter: " + str(diameter))
     print("conservative: " + str(conservative) + "\tdiameter: " + str(diameter))
     if goodman >= 1.5 and conservative >= 1.5:
       return diameter
     diameter += 0.00001
     rootR = sqrt(diameter * 0.02)
def kf(rootR, Kt):
  0.00
  Calculates the bending fatigue stress-concentration.
  # Calculating sqrt(a)
  bendingRootA = 0.246 - (3.08 * 10 ** -3) * Sut + (1.51 * 10 ** -5) * Sut ** 2 - (2.67 * 10 ** -8) *
Sut ** 3
  # Calculating the notch sensitivity factor
  qBending = 1 / (1 + (bendingRootA / rootR))
  return 1 + qBending * (Kt - 1)
```

```
def kfs(rootR, Kts):
  Calculates the torsional fatigue stress-concentration.
  # Calculating sqrt(a)
  torsionalRootA = 0.190 - (2.51 * 10 ** -3) * Sut + (1.35 * 10 ** -5) * Sut ** 2 - (2.67 * 10 ** -8) *
Sut ** 3
  # Calculating the notch sensitivity factor
  qTorsional = 1 / (1 + (torsionalRootA / rootR))
  return 1 + qTorsional * (Kts - 1)
def main():
  Driving method for user inputs, and required calculations.
  1) Determines the problem type
  2) Calls dependent methods for calculations
  3) Displays the final safety factor, or diameter
  0.00
  while True:
     print("For the safety factor against fatigue using Goodman: 1")
     print("For the safety factor against first cycle yield using Von Mises stresses: 2")
     print("For the first cycle yield using conservative approximation: 3")
     print("For the first cycle yield using conservative approximation and first cycle yield using
the Goodman "
        "criteria: 4")
     print("To exit the program: 0")
     problemType = int(input("Problem type: "))
     if problemType == 1:
       moment, torque, diameter, Kt, Kts, rootR = get_user_input(problemType)
       result = goodman criteria(moment, torque, diameter, Kt, Kts, rootR)
       print('\nThe factor of safety calculated from the Goodman criteria is: ' + str(round(result,
4)) + "\n")
     elif problemType == 2:
       moment, torque, diameter, Kt, Kts, rootR = get_user_input(problemType)
       result = vonmises_stress(moment, torque, diameter, Kt, Kts, rootR)
```

```
print("The factor of safety calculated from the Von Mises stress is: " + str(round(result, 4))
+ "\n")
     elif problemType == 3:
       moment, torque, diameter, Kt, Kts, rootR = get_user_input(problemType)
       result = conservative_approximation(moment, torque, diameter, Kt, Kts, rootR)
       print("The factor of safety calculated from the Goodman criteria is: " + str(round(result,
4)) + "\n")
     elif problemType == 4:
       moment, torque, diameter, Kt, Kts, rootR = get_user_input(problemType)
       result = (infinite_life(moment, torque, diameter, Kt, Kts, rootR))
       print("The minimum diameter required is: " + str(round(result, 4)) + "\n")
     elif problemType == 0:
       break
if __name__ == "__main__":
  # Declaring material constants
  Sut = 68 # ksi
  Sy = 37.5
  sePrime = 0.5 * Sut
  # Calling driving method for the script
  main()
```