

# Binary Maze Challenge

## 1. Initial Binary Number:

1100101011110010

## 2. Logical Gates Room

- AND Gate with 1010110010101101 = 1000100010100000
- OR Gate with 0111001100110011 = 1111101110110011
- XOR Gate with 1101110111001110 = 0010011001111101
- NOT Gate on 0010011001111101 = 1101100110000010

## 3. Binary Conversion Room

- Binary Result : 1101100110000010
- Converting to Decimal : 1101100110000010 (binary) = 55554 (decimal)

### (i). Add 123:

$55554 + 123 = 55677$

### (ii). Multiply by 7:

$55677 * 7 = 389739$

### (iii). Converting Final Result to Binary:

$389739 \text{ (decimal)} = 1011111100010101011 \text{ (binary)}$

## 4. Weighted Binary Balancing

Binary Weights:

1001 = 9, 1100 = 12, 1110 = 14, 1010 = 10, 0111 = 7, 0101 = 5, 0011 = 3, 1111 = 15,

1101 = 13, 1011 = 11, 0110 = 6, 0100 = 4, 0010 = 2, 0001 = 1, and an unknown heavier binary number.

The heaviest binary number is `1111` (15), but the unknown number is heavier.

## 5. Binary Tree Navigation

Binary Tree Depth 5 Path to node `10111` with an even number of `1`s:

Valid path : `11011` (has 4 `1`s)

## 6. Binary Sequence Game

Binary Sequence : 10101011010100101110

Minimum Number of Moves Required: 3 moves

(2,4,6) , (9,11,13) , (14,16,20)

## 7. Binary Palindromes

Binary Number: 1011011101

Checking for Palindrome: 1011011101 (not a palindrome)

Minimum Bit Flips Required: 1 move

Transformed Binary Number: 1011111101

## 8. Complex Binary Patterns

10-bit Binary Numbers with Exactly Four `1`s:

0000001111 = 15

0000010111 = 23

0000011011 = 27

0000011101 = 29

0000011110 = 30

0000100111 = 39

0000101011 = 43  
0000101101 = 45  
0000101110 = 46  
0000110011 = 51  
0000110101 = 53  
0000110110 = 54  
0000111001 = 57  
0000111010 = 58  
0000111100 = 60  
0001000111 = 71  
0001001011 = 75  
0001001101 = 77  
0001001110 = 78  
0001010011 = 83  
0001010101 = 85  
0001010110 = 86  
0001011001 = 89  
0001011010 = 90  
0001011100 = 92  
0001100011 = 99  
0001100101 = 101  
0001100110 = 102  
0001101001 = 105  
0001101010 = 106  
0001101100 = 108  
0001110001 = 113

0001110010 = 114

0001110100 = 116

0001111000 = 120

0010000111 = 135

0010001011 = 139

0010001101 = 141

0010001110 = 142

0010010011 = 147

0010010101 = 149

0010010110 = 150

0010011001 = 153

0010011010 = 154

0010011100 = 156

0010100011 = 163

0010100101 = 165

0010100110 = 166

0010101001 = 169

0010101010 = 170

0010101100 = 172

0010110001 = 177

0010110010 = 178

0010110100 = 180

0010111000 = 184

0011000011 = 195

0011000101 = 197

0011000110 = 198

0011001001 = 201

0011001010 = 202

0011001100 = 204

0011010001 = 209

0011010010 = 210

0011010100 = 212

0011011000 = 216

0011100001 = 225

0011100010 = 226

0011100100 = 228

$0011101000 = 232$

$0011110000 = 240$

## 9. Binary XOR Pairs with Constraints

Array of Binary Numbers:

101010, 011011, 110100, 001101, 100110, 111111, 000000

Pair with Maximum XOR Result: (101010, 001101)

XOR Result:  $100111(\text{binary}) = 39(\text{decimal})$

## 10. Binary Multiples and Remainders

Binary Number: 1101010

Decimal equivalent:  $1101010(\text{binary}) = 106(\text{decimal})$

Check whether 106 is a multiple of 7:

$106 \% 7 = 1$  (not a multiple of 7)

Algorithm to Check Multiples of 7:

1. Convert binary to decimal.
2. Use modulo(%) operation to check divisibility.

## Final Result Calculation

Final Binary Result: 1011111100010101011

Decimal equivalent: 389739

Multiply by 5 :

$389739 * 5 = 1948695$

**Final Result: 1948695**