\sim		A /	A / 1
Un	Convolutional	Neural	Networks

network architecture pla	ys a crucial role in Deep	Learning	
	tworks w/ fully-connected		classification task
or more genearally,			
	a network orchitecture	does not take	into account the
		o ones include	, me decented the
spatial structure of t			
=> (Deep) convolutional	neural networks		
feat. Sa special a	urchitecture suits for impu	re tasks	
fast to the	rain thas less pormeters)	•	
a remark on "convolut	ional neural network" (t	he name)	
			utional note is Nevy tonuous
			utional nets is very tenuous
lhat's why I	Call them 'convolutional nu	ets not convolu	tional neural nets
and why we	call the nodes 'units' and	not 'neurons'"	
Despite this remark,	Convolutional nets use many	of the same id	eas as the neural networks:
			ear activation functions
50, in common practice	c, convolutional nets and c	onvolutional new	iral nets' are interchangeable.V
3 basic ideas in CNNs	local receptive fields,	shared weights,	and pooling.
		<i>J J</i> .	
4		4.1	
1. local receptive fields (局部感受视野)	is connect the input pixels	to a loyer of his	lden neurons
(州中心义中心 37)	but with selected group of	f neuvons	
înput neurons	local receptive field	hiolden neurons	input neurons hiolden neurons
000000	000000		0
00000		weights	
000000	000000	bios	0
000000	000000		: 0
00000	00000		0

for the weights & bias defining the feature map (or the weights & bias in a feature detector),

why this makes sense? — weights as feature detector — hidden layer: a feature map

We often call them a kernel or filter

shared whb also means that all the neurons in the first hidden layer detect exactly the same feature.

(just at different locations)

so for, one feature detector/kernel/filter can detect one kind of localized feature.
it's natrul to extend this to more features
— we'll need more than one feature (map) for image recognition.
input neurons first hidden (ayer (3x24x24 heurons)
0 0 0 0 W 1 0 0 0 1 1 1 1 1 1 1 1 1 1 1
00000 年刊起图》一下emet《新人特征图》到一类特征
a huge advantage of shaving weights & biases: it greatly reduces the number of parameters
e.g.: $(3 \times 3 + 1) \times 3 = 30$ vs. $(6 \times 6) \times 5 = 180$ intuition: less paramy to get same performance
* input channel > : (won't effect outputs!) **E软操作自然扩展到每个输入通道
· · · · · · · · · · · · · · · · · · ·
input dim/channels = 3 occepted dim/channels = 6 for t-th feature map of
Cin: Number of inques channels
$Q_{i,j}^{t} = 6 \left(\frac{\sum_{i=1}^{n} \frac{K_{i}}{\sum_{n=1}^{n} X_{i+n,j+p,e}} \cdot K_{p,n,e}^{t} + b^{t} \right) $ $K^{t} : \text{Keal for } t = th. \text{ feature } map.$ $K^{t} \in \mathbb{R}^{h \times h \times h \times cin}$
Nove that the Kernal Shape here is [k _h , k _w , C _{in}] kenal shape here is [k _h , k _w , C _{in}]
thus the number of weights is $k_h \cdot k_w \cdot C_{in}$
* X Convolutional Kernels (X 養稅 核有什么用) Otip=6 (Ex Xipe Ke + b+) 事实上,如果考虑 Onjo (读言称其特征图在通道难度上形成的约至)
维度缩减/扩展(Dimensionality Reduction/Expansion):在不影响空间维度的情况下改变通道数量,降低计算成本 $ \vec{a}_{ij} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - \vec{k}_{ij} \\ \vec{k}_{ij} - \vec{k}_{ij} \end{pmatrix} = 6 \begin{pmatrix} \vec{k}_{ij} - $
跨邁道信息混合/特征融合:在每个空间位置组合跨通道的信息。本质上是对每个像素独立使用全连接层 增加非线性性/非线性变换:通过激活函数(activation functions)添加非线性,同时保持空间结构。 *瓶颈架构(Bottleneck Architectures):在ResNet和Inception网络中使用,在保持表示能力的同时减少参数数量。 # 瓶颈架构(Bottleneck Architectures):在ResNet和Inception网络中使用,在保持表示能力的同时减少参数数量。
無項末例 (Dittellett Artiflettilles) . 在Restet(Pilletpillin)的分子表示能力的阿可佩罗今数数型。
* Padding (在输入特征图边缘添加缘素值,用于控制输出大小)
0 0 0 0 0
0000 0000000
0000 00000 0000
「Valid Padding (padding=0) 箱出尺寸小子箱入尺寸
Some Padding (padding = Karrelline -1) 保持输出尺寸=输入尺寸 (Stride=18月)
Full Padding (padding = Kornelsine -1) 卷秋核在任何与输入有交集的地方都有讨算.

3. Pooling layers.
· usually used immediatly after convolutional layers
• it simplify the information in the output from the convolutional layer (reduce dimension→reduce number of parameter
hidden neurons (output from feature map) pooling units
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000000
00000
00000
00000
a pooling layer takes each feature map output from the convolutional layer
and prepares a condensed feature map
(max-pooling: outputs the maximum activation in the input region
mean-pooling:mean
L2-pooling; $\sqrt{\geq 0;}$
* Output Size: ATIVE padding - H. [
$H_{out} = \frac{H_{in} + 2 \times podding_{k} - H_{k}}{\text{Stride}_{k}} + 1$
$W_{out} = \left[\frac{W_{in} + 2 \times padding_{w} - W_{k}}{\text{Stride}_{w}} \right] + 1$