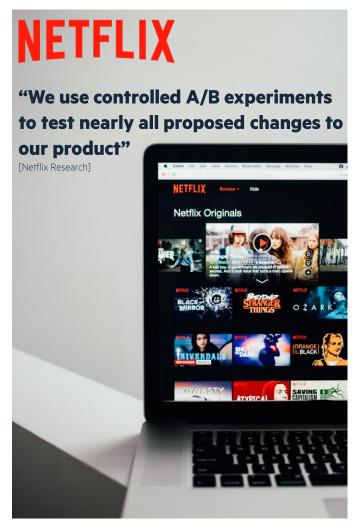
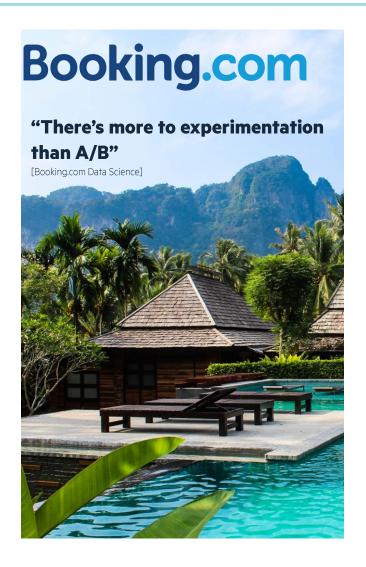
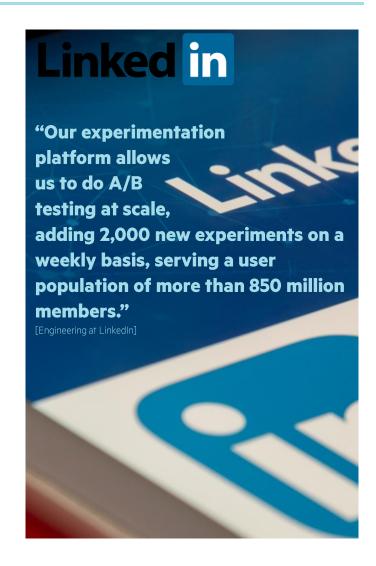


# Marketing has embraced the causal revolution through experimentation



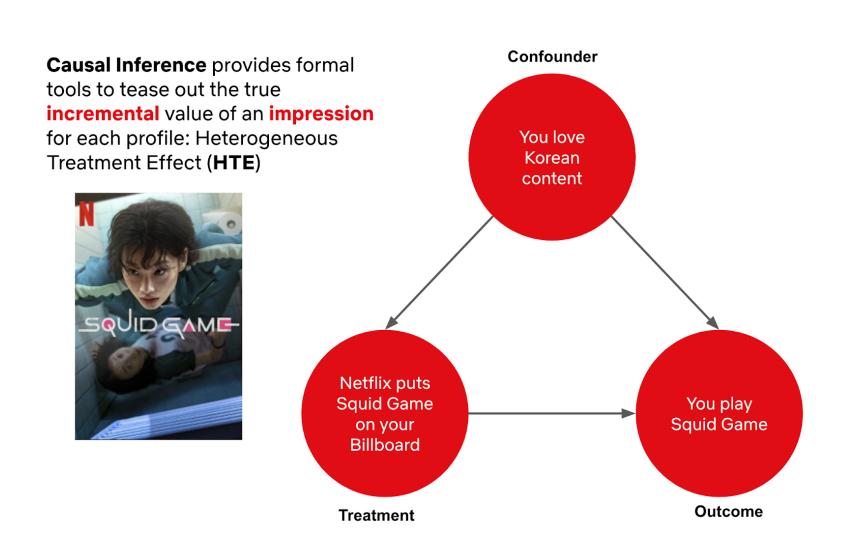




## Unfortunately, experimentation is not always possible

# **NETFLIX**





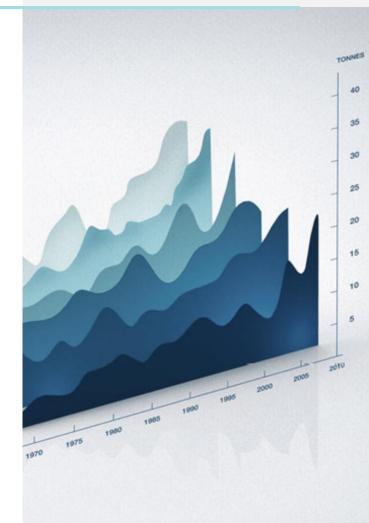
# Mix Marketing Modeling, estimating a lot with very few



## **Objective**

Optimize the commercial strategy maximizing the sales volume Model the contributions/uplifts of each marketing activity

Estimate the ITE of each marketing campaign on the sales revenue



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The observed marketing plan is the result of an unmeasurable human decision To increase effects and maximize sales, many levers are exploited together



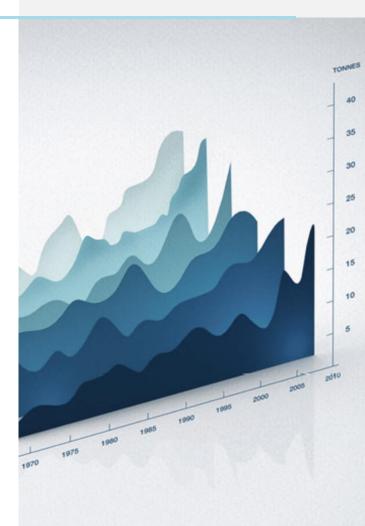




#### **Continuous treatments**

Many marketing activities are measured with investment Most effects are non-linear (saturation, synergies, ...)

No method yet for non-linear effects of continuous treatment



# Mix Marketing Modeling, estimating a lot with very few



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The observed marketing plan is the result of an unmeasurable human decision To increase effects and maximize sales, many levers are exploited together

Distinguishing the effects of combined campaigns is challenging





#### **Continuous treatments**

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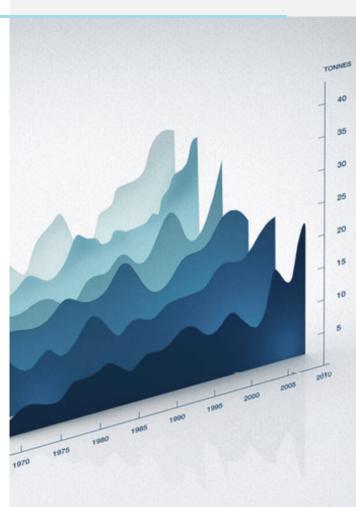
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### **Limitations of existing methods**

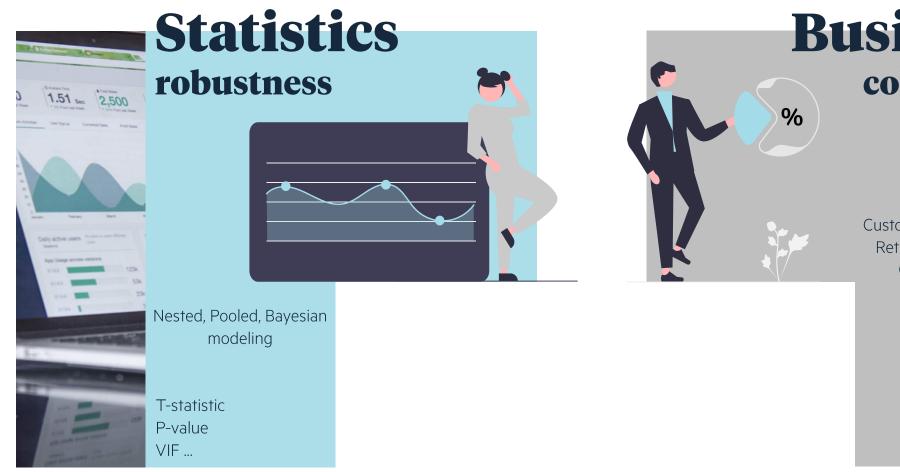
Presence of hidden confounders Mixture of categorical and continuous variables

HTE estimators do not give satisfying results



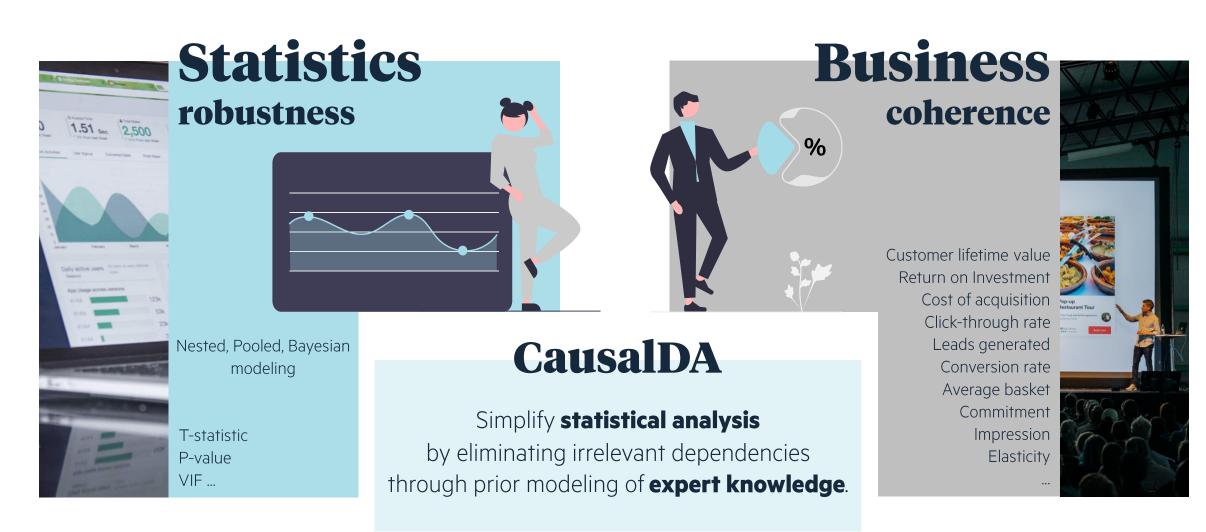


# MMM is hence a complex mixture of statistical analysis and business expert assumptions





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## **Definition.** Causal Data Augmentation

For a set of variables  $(X_1, ..., X_d)$  distributed according to  $P_{obs}$  and a DAG G encoding the causal dependencies that the variables must follow, **Causal Data Augmentation** consists in sampling M data points from the distribution  $P_{spl}$  defined as the Markov factorization of  $P_{obs}$  given by the graph G.

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Causal Data Augmentation = Graph G + Density  $P_{obs}$ 

# Hybrid Causal Discovery to mitigate data and human biases

## **Data-driven Causal Discovery**



## **Expert-driven Causal Discovery**

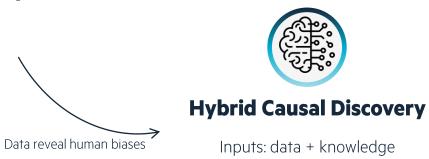
Wrong knowledge
Non-instantaneous reasoning
Human biases
Personal interest

# Hybrid Causal Discovery to mitigate data and human biases

Output: DAG aligned with data & experts

## **Data-driven Causal Discovery**





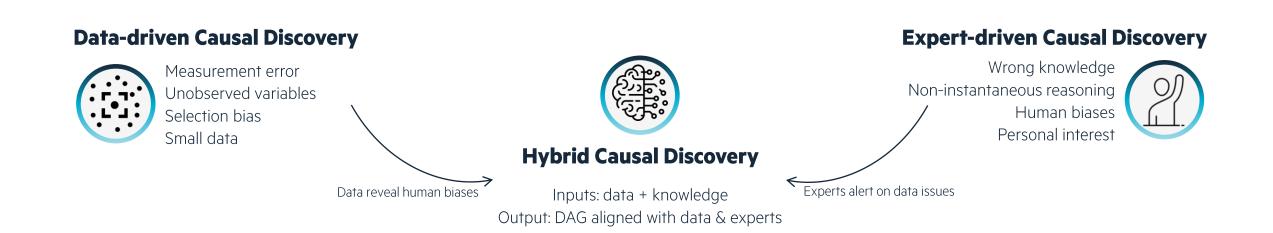
**Expert-driven Causal Discovery** 

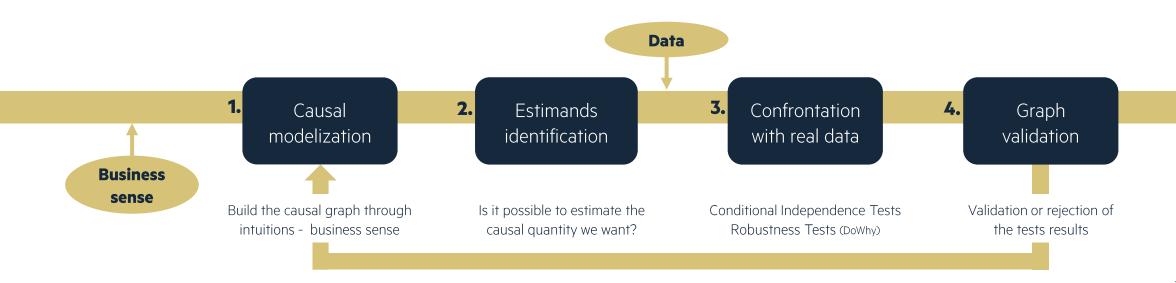
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# Hybrid Causal Discovery to mitigate data and human biases





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$$\longrightarrow \text{Method ADMGDA}$$

# ADMGDA, a useful method under some assumptions



# **Experiments**

Data Simulated with random SCMs

## **Scenarios**

Non-linear data generation Small-data

Intermediate dimension

Highly dependent variables

High aleatoric uncertainty

Noisy acquisition

Inadequate parametrization

## **Evaluation metrics**

Similarity: KL-div, Wasserstein

**Diversity**: Average relative difference in variance

**Efficiency**: XGB error (MAPE, R2 score)

# Results

## **Observations**

#### Pros

Improve XGB predictions
Independent of the causal generation process

→ mechanisms, noise, graph topology

#### Cons

Highly sensitive to its hyperparameter value Unsuitable for small-data regimes

→ 300 samples / 10 variables

Sensitive to outliers

## **Conclusions**

Provide more refined data distribution in dense areas Does not increase diversity Need to be carefully parametrized



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# CausalDA, a promising approach that now needs to be trialed



Statistical KPIs matching business dynamics



# CausalDA, a promising approach that now needs to be trialed



### **Build a causal graph**

Data reveal human biases Experts alert on data issues

Statistical KPIs matching business dynamics



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ADMGDA is a possible solution
Any other conditional density estimator might work

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# CausalDA, a promising approach that now needs to be trialed



**business dynamics** 

Statistical KPIs matching

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ADMGDA is a possible solution Any other conditional density estimator might work

### **Analyze the new dataset**

Use the whole dataset to fit the models Compute Marketing KPIs on observed data only



# CausalDA, a promising approach that now needs to be trialed



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# Questions



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# Appendix 1 – ADMGDA evaluation

#### **Random SCMs:**

- 1. Random DAG Erdös-Rényi model
- 2. Random mechanisms from parametric functions
- 3. GMMs as root causes
- 4. Gaussian additive noise

Causal Discovery Toolbox https://github.com/FenTechSolutions/CausalDiscoveryToolbox

Parameter	Value
Network architecture	2-layers fully-connected neural network with hyperbolic tangent activa- tion function and 20 neurons initialized through the Glorot uniform
Number of variables	10
Causal graph expected degree	3
Additive noise amplitude	0.4
Probability threshold	$10^{-2}$
Fraction of outliers	0
Number of repetitions	20
Kernels function	Gaussian Kernels with Silverman bandwidth

**Default experiments parameters** 

## **Scenarios parameters**

- **Non-linear data generation setting**: by varying the family functions of the mechanism included linear, polynomial, sigmoid, Gaussian process, and neural networks.
- Small-data regime: by varying the number of observations from a few samples to a hundred samples (i.e., [30, 40, 60, 80, 100, 300, 500, 700])
- **High-dimension scenario**: by varying the number of variables in a dataset from seven to twenty-five (i.e., [7, 8, 9, 10, 15, 20, 25])
- Highly dependent input variables setting: by varying the expected degree of the causal graph in [0, 1, 2, 3, 4, 5, 6, 7]
- **High aleatoric uncertainty setting**: by varying the additive noise amplitude in [0.1, 0.2, 0.4, 0.6, 0.8, 1]
- **Noisy acquisition procedure** (i.e., outliers): by varying the fraction of outliers in [0.01, 0.02, 0.03, 0.04, 0.05, 0.1, 0.15]
- Inadequate parametrization scenario: by varying the probability threshold  $\theta$  defined in Section 2.  $\theta \in [10^{-1}, 10^{-2}, 10^{-3}, 10^{-4}, 10^{-5}]$

#### XGBs evaluation:

- Train-Test split 70%-30%
- Augment data from Train
- For each variable as the target variable
  - Train two XGBs on the train and the augmented sets
  - Evaluate both XGBs on the test set

### **XGBs hyperparameters:**

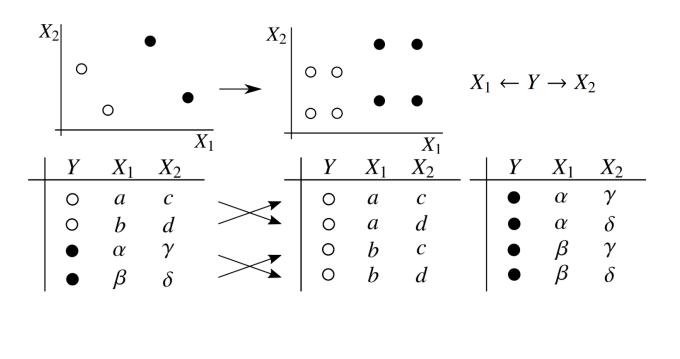
- Cross-Valisation
  - n\_estimators in [10, 50, 200]
  - rag\_lambda in [1, 10, 100]
- Other parameters as default values

# Appendix 2 - ADMGDA method

## **Algorithm**

**Input:**  $D_{train} = \{X_k\}_{k \in [1,n]}, \mathcal{G}, \theta, L, \{K^j\}_{j \in [1,d]} \triangleright \text{assuming that the variables in the training set and kernel functions are ordered according to the topological order of the graph <math>\mathcal{G}$ 

$$\begin{split} W_{aug} &\leftarrow \{\frac{1}{n}\}^n \\ Z_{aug} &\leftarrow \{X_k^1\}_{k \in [1,n]} \\ \text{for } j \in [2,d] \text{ do} \\ Z_{aug}^{new} &\leftarrow \{\} \\ W_{aug}^{new} &\leftarrow \{\} \\ \text{for } Z_i, w_i \in Z_{aug}, W_{aug} \text{ do} \\ \text{for } i_j \in [1,n] \text{ do} \\ w_i^{new} &\leftarrow w_i \cdot \frac{K^j(Z_i^{a(j)} - X_{i_j}^{a(j)})}{\sum_{k=1}^n K^j(Z_i^{a(j)} - X_k^{a(j)})} \\ Z_i^{new} &\leftarrow \{Z_i; X_{i_j}^j\} \\ \text{if } w_i^{new} &> \theta \text{ then} \\ Z_{aug}^{new} &\leftarrow Z_{aug}^{new} \cup Z_i^{new} \\ W_{aug} &\leftarrow W_{aug}^{new} \cup w_i^{new} \\ Z_{aug} &\leftarrow Z_{aug}^{new} \\ W_{aug} &\leftarrow W_{aug}^{new} \\ W_{aug} &\leftarrow W_{aug}^{new} \\ \end{split}$$



Output: 
$$\hat{f} \in \arg\min_{f} \sum_{(w_i, Z_i)_{i \in (W_{aug}, Z_{aug})}} w_i L(f, Z_i), \quad D_{aug} = (W_{aug}, Z_{aug})$$